## A Simpifified Field Method for Capacity Evaluation of Driven Piles

Les Deparment of Transporiation


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This report presents the results of a study on a simplified fielc method for the capacity eva: uation of driven piles based on dynamic measurements during driving. The simplified metinod, entitled the Energy foproach is proposec as an aiternative to other dynamic analyses that are based on one-dimersionat wave equation sofutions. Based on the analys is of a earce cata set of oyer 120 pites load test to foilure uith corresponding dymamic measuremerts, and an add:tiona: 403 PDR monitored piles, the authors found the Erergy Approach method providec excellent evaluations of pile capacity.


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## 15. Supplementary Notes

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## 16. Abstrae

A simplified method based on energy balance between the total energy delivered to the pile and the work done by the pile/soil systems is proposed. This method, entitled the Energy Approach, assumes elastoplastic load displacement pile-soil relations. Calculated transferred energy and maximum pile displacement from the measured data, together with the field blow count, are used as input parameters. This method does not consider the propagation process and is aimed at providing a real-time pile-capacity prediction in the field.

Two large data sets were gathered at the University of Massachusetts at Lowell. One, PD/LT, contains 208 dynamic measurement cases on 120 piles monitored during driving, followed by a static load test to failure. The data were obtained from various sources and reflect variable combinations of soil-pile-driving systems. The other, PD, contains data on 403 piles monitored during driving and was provided by Pile Dynamics Inc. of Cleveland, Ohio. All cases were examined and analyzed.

The Energy Approach method was found to provide excellent evaluations of pile capacity under all conditions. The method is, therefore, proposed to be used in the field for instantaneous capacity determination. The predictions of this method were found on the average to provide more accurate evaluations than the sophisticated office methods, especially for records obtained at the end of initial driving. The Energy Approach is, therefore, also proposed to be used as an independent tool to evaluate the office methods.

## 17. Koy Words

Driven piles, dynamic analysis of piles, Energy Approach, CAPWAP, TEPWAP, driven-pile capacity.

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## PREFACE

This research study presents a simplified field method for the capacity evaluation of driven piles based on dynamic measurements during driving.

Dynamic analyses of piles are methods aimed at the prediction of pile behavior under static loads based on the pile response during installation. These methods are based upon the concept that pile penetration under each blow induces failure of the soil, hence, an instantaneous load test is performed.

The reliability of these analyses is enhanced through data obtained by dynamic measurements during driving. Two methods are currently employed for the analysis of the measured data. Both methods are based on the solution of the one-dimensional wave equation for the stress wave traveling through the pile following the hammer's impact. One, an office analysis, utilizes a numerical solution of a mathematical model for the pile-soil system under measured boundary conditions (e.g., the computer codes CAPWAP or TEPWAP). The other, a field analysis known as the "Case Method," which is based on a simplified closed-form solution and empirical correlations, provides an instantaneous evaluation of the pile capacity following each hammer blow.

Substantial experience suggests the existence of major limitations to the field method. In addition, no large-scale evaluation has been carried out for the office methods since their development.

A simplified method based on energy balance is proposed as an alternative field method. This method, entitled the Energy Approach, assumes elasto-plastic load displacement pile-soil relations. Calculated transferred energy and maximum pile displacement from the measured data, together with the field blow count, are used as input parameters for the Energy Approach.

Two large data sets were gathered at the University of Massachusetts at Lowell. One, PD/LT, contains 208 dynamic measurement cases on 120 piles monitored during driving, followed by a static load test to failure. The data were obtained from various sources and reflect variable combinations of soil-pile-driving systems. The other, PD, contains data on 403 piles monitored during driving and was provided by Pile Dynamics, Inc. of Cleveland, Ohio. All cases were examined and analyzed.

The results of the presented study invalidate the concept of a unique recommended correlation between the viscous damping parameters and soil type in both wave-based analyses. It is shown that energy losses should be attributed more to soil inertia rather than soil damping. As such, energy losses are mostly pile-shape-dependent in addition to the soil type and driving resistance influences.

The Energy Approach method was found to provide excellent evaluations of pile capacity. Therefore, the method is proposed to be used in the field for instantaneous capacity determination. The predictions of this method were found, on the average, to provide more accurate evaluations than the sophisticated office methods, especially for records obtained at the end of initial driving. The Energy Approach is, therefore, also proposed to be used as an independent tool to evaluate the office methods.

Through evaluation of the current dynamic analyses, pointing out their sources of deficiencies and offering an alternative method, this study contributed to the increase in safety and decrease in cost of driven-pile foundation systems.
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## CHAPTER 1 - INTRODUCTION

### 1.1 OVERVIEW

The study of driven-pile foundations and their behavior under dynamic and static loads dates back to the late $19^{\text {th }}$ century. Until that time, the design of driven piles was mainly based on experience. Dynamic equations were the first attempt at a theoretical assessment of the static capacity of driven piles. The "general" dynamic equation was developed based on the assumption that the pile and the hammer are two rigid bodies and that the calculated resistance is equal to the static capacity of the pile (Poulos and Davis, 1980).

The dynamic analyses are attractive as they attempt to predict the static capacity based on the pile behavior during driving. As such, they utilize data that is readily available during the construction operation. Moreover, they enable "real-time" capacity assessment during installation.

Hence, recent centuries have seen an increasing demand on the foundation engineer to further improve the dynamic methods of analysis. As a result, more research was performed in this area and it was realized that pile driving was not accurately represented by rigid-body mechanics (Newtonian impact), (Cummings, 1940). This realization led to the development of analyses based on wave theory utilizing the onedimensional wave equation (Smith, 1960).

Stress-wave analyses consider the fact that each hammer blow produces an elastic stress wave that moves down the length of the pile at the speed of sound. This indicates that the entire pile is not stressed simultaneously (rigid-body mechanics), which is one of the basic assumptions of the dynamic equations.

A major improvement was gained with the direct measurement of the pile response under each hammer blow. Early large-scale studies (e.g., Michigan State Highway Commission, 1965; Texas Highway Department, 1973; and Ohio Department of Transportation, 1975) led to the development of an effective and reliable commercial system (Goble et al., 1970, 1975). This system, known as the PDA (Pile-Driving Analyzer), enables complete and relatively easy acquisition of dynamic measurements and their analysis during driving. Similar systems were later developed outside the United States (FPDS-3-TNO, 1993; Reiding et al., 1988; and Iwanowski, 1987).

The obtained dynamic measurements are used in two ways. One is a field analysis known as the Case Method (Goble et al., 1970 and Rausche et al., 1975). This analysis is based on a simplified solution of the wave equation and provides a "real-time" capacity
assessment during driving. The other is an office analysis that is based on the wave equation solution utilizing the force and velocity signals at the point of measurement. Several existing codes are based on this principle, for example, CAse Pile Wave Analysis Program, CAPWAP, (Goble et al, 1970); TEchnion Pile Wave Analysis Program, TEPWAP, (Paikowsky, 1982 and Paikowsky and Whitman, 1989); and TNO (Middendorp and van Weel, 1986).

These analyses enable evaluation of a variety of parameters in addition to the static capacity. These evaluations include extreme stresses, pile-damage assessment, and loadsettlement relations to name a few. These advantages are offset, however, by the time required to produce the results and the cost incurred during this time.

A large-scale assessment ( 100 or more piles) of the analyses utilizing dynamic measurements has not been carried out since their initiation. Limited studies suggest substantial limitations to the Case Method (e.g., Trow Report, 1978; Paikowsky, 1982; and Thompson and Goble, 1988). Mixed experiences were reported for the office methods. These reports ranged from excellent predictions for very large offshore openpipe piles in sand (Paikowsky, 1982) to poor performance of concrete piles in clay and till (Trow Report, 1978).

Based on the existing experiences, it was clearly evident that in order to improve the state of the art it is necessary: (1) to develop an alternative method for capacity evaluation in the field and (2) to assess the performance of the different dynamic analyses and their underlying assumptions based on accumulating a large data set. Both needs are addressed by the present research.

### 1.2 THE PRESENT RESEARCH STUDY

The present research study is based on the aforementioned needs and consists of three major parts. The first part (chapter 4) presents an alternative field method known as the Energy Approach. This method combines the basic principle of the energy balance together with data provided through dynamic measurements. The method was first proposed by Paikowsky (1982) based on experience gained during the construction of a large offshore facility. The method was further examined on a limited scale in the Boston area (Paikowsky, 1984, 1990). Preliminary evaluations were carried out by McDonnell (1991) and Paikowsky and Chernauskas (1992).

The second part (chapters 5, 6, and 7) presents the buildup of two large-scale data sets. One data set, PD/LT (Pile Dynamic/Load Test), comprises 208 dynamic measurements on 120 piles monitored during driving, followed by a static load test to failure. All the cases were monitored using the PDA (Pile-Driving Analyzer) and the various data sources are outlined in the following section. The second data set, PD (Pile Dynamic),
contains data on 403 piles monitored during driving. This data set was provided exclusively by Pile Dynamics, Inc. of Cleveland, Ohio and was originally presented by McDonnell (1991).

The third part (chapters 8, 9, and 10) presents the analysis and interpretation of the data sets. The field and office methods are examined and analyzed. Possible mechanisms underlying the different methods are suggested and the obtained results are evaluated in light of these proposed mechanisms.

### 1.3 CONTRIBUTIONS

Advances in geotechnical engineering in general, and foundation engineering in particular, may take place only through ultimate full-scale evaluations. Full-scale observations are difficult to obtain and require collaboration and understanding between the owner (the "client"), the designer, the contractor, and the researcher. In the presented case, such understanding could have taken place through: (1) the vision of the Federal Highway Administration, which realized the need to support and carry out research; (2) the cooperative and research-oriented nature of GRL, Inc. and Pile Dynamics, Inc. of Cleveland, Ohio; and (3) the many contributors outlined below that realized the advantage of sharing their information for the benefit of all. Table 1 outlines the contributors to data set PD/LT. As previously noted, data set PD was provided exclusively by Pile Dynamics, Inc. of Cleveland, Ohio.

As these data sets have been and will continue to be useful to several research areas, the researchers at the University of Massachusetts at Lowell thank all of the contributors for their cooperation in providing their data.

### 1.4 MANUSCRIPT LAYOUT

The following are short descriptions for each of the following chapters:
Chapter 2 - Provides a brief background of static analyses and static load tests.
Chapter 3 - Details the various dynamic analyses currently employed, including dynamic equations, the Case Method, and CAPWAP/TEPWAP.

Chapter 4 - Develops the proposed Energy Approach.
Chapter 5 - Outlines the buildup and analysis of data sets PD/LT and PD.

Chapter 6 - Outlines the tables presented in appendix A containing data set PD/LT.

Chapter 7 - Outlines the tables presented in appendix B containing data set PD.
Chapter 8 - Discusses and presents the graphical and statistical results obtained from analyzing data set PD/LT.

Chapter 9 - Discusses and presents the graphical and statistical results obtained from analyzing data set PD.

Chapter 10 - Provides summary, conclusions, and recommendations.
Appendix A - Presents data set PD/LT, including pile geometry, subsurface conditions, dynamic measurements, dynamic parameters, static load test results, CAPWAP/TEPWAP capacity predictions, and the Energy Approach predictions.

Appendix B - Presents data set PD, including pile geometry, skin and toe soil, dynamic measurements, and CAPWAP and Energy Approach predictions.

Table 1. Data set PD/LT contributors.

| Organization | Persons in charge and/or contact people | Number of cases | Reference |
| :---: | :---: | :---: | :---: |
| U.S. Federal Highway Administration | Richard Cheney, Jerry DiMaggic, Albert Dimillio, Chris Dumas. and Carl Ealy | 126 | FHWA Dynaric Monilating and Pile-Load Test Resons-Proiect 56 : Colorsao (1987), owa (1986). Kenlucky (1993). Loulsiana i i990). Mane (' 1990 ). Mirnescia (1991) Missoun (1989), Nocrakika (1989), Okianoma !1969). Oregon \|r997. Penngylvaria ('9991), Vermont (1991). Wasningron i: 1984 ). |
| Pile Dynamics, Inc. and GRL, Ine. | George Goble, Garland Likins, Frank Rausche, and Mark Svinkin | 47 | abe, Llikins, and Morganc : 19990 . Inhouse Repors. |
| Ontario Ministry of Transportation | Betty Bennet, Murty Devata, John Pertruzziello, and Mark Vasavithisaan | 14 | Ple-Load Capactry Evaluation nWY 404 Structures. Ste 33 (1978), <br> Foundalion Evaluation and Degign Resor-Site 35 Ontano MOT (1983), <br> Thompson and Devata \{1980). |
| The Trow Group Limited | Shaheen Ahmad, Steven Cheng, Tony Maini, and David Thompson | 35 | The Trow Fopon (1978). Cheng and Ahmed (1888), Thomsson and Devata (1980), Inhouse Reports. Foundation Evaluation and Design Feport-Site 35 Ontaric MOT (1983), |
| GZA GeoEnvironmental | William Beloff and Steve Roy | 15 | Inhouse Reports |
| Gannet and Flemming | James Langer and John Masland | 10 | Inhouse Reports |
| Law Engineering | Kevin Kett | 6 | Inhouse Reports |
| STS Consultants | Patrick Hannigan | 4 | Inhouse Reports |
| Wagstaff Piling | David Klingberg and Julian Siedel | 4 | Inhouse Reports |
| Haley and Aldrich Inc. | Christopher Snow, David Thompson, and James Weaver | 6 | Inhouse Reports |
| Florida DOT | William 'Bubba' Knıght | 59 | Inhouse Reports |
| Oklahoma DOT | Steve Jacobi | 7 | Inhouse Repors |
| Washington DOT | Ralph Henning | 4 | Inhouse Reports |
| lowa DOT | Curtis Monk | 4 | Inhouse Reports |
| Oregon DOT | Glen Thommen | 2 | Inhouse Reports |
| Louisiana DOT | Mark Morvant | 3 | Inhouse Repors |
| Anna GeoDynamics, Inc. | Bengt Fellenius | 2 | Edce and Fallenius (1990) |

Note: The total number does not add up to 208 pile cases as different sources may have contributed information for the same pile case.
.

## CHAPTER $2 \cdot$ BACKGROUND

### 2.1 GENERAL

The use of driven piles for foundation support for a variety of structures, such as bridges, buildings, towers, and dams, is a practice that dates back to prehistoric times. ${ }^{1}$ Piles are used to transfer superstructure loads through soft soil layers and/or water. Pile resistance is developed through the soil, as in the case of friction piles, or from competent underlying soil or rock strata, as in the case of end-bearing piles. Most piles incorporate a combination of both frictional resistance and end-bearing resistance.

In this chapter, the main difficulty with using piles as foundation systems is addressed. Engineers have limited ability to predict the capacity and integrity of driven piles. As a result, high factors of safety are used when designing deep foundations, which add significant costs to projects. Pile capacity may be estimated using static or dynamic analyses and may be confirmed by static load tests. The following includes a brief discussion of static analyses and static load tests. The alternative methods, namely dynamic analyses, are outlined in chapter 3.

### 2.2 STATIC ANALYSIS

The initial design of pile foundations requires the evaluation of pile capacity via static analysis. The Federal Highway Administration (FHWA) incorporates static formulas (Tomlinson and Nordlund methods) for the analysis of driven piles in their pile analysis program, SPILE (DiMaggio, 1991). Static formulas estimate driven-pile capacities on the basis of soil-strength parameters obtained from subsurface exploration programs and from pile-soil interaction relations. The predictions are simply a summation of the estimated point and skin resistance of the pile. For a description of various methods, see, for example, Bowles, 1988. There is, however, a great deal of uncertainty in these analyses and their accuracy is highly questionable.

Briaud et al. (1988) examined the capacity predictions from 12 static analyses applied to 100 piles that were statically load tested to failure. They concluded that all methods produced unsatisfactory results, especially in layered soil strata. Similar conclusions were drawn when the best methods were averaged and used to predict the capacity of piles

[^0]driven in varying soil layers.
Unfortunately, the inaccuracy of static analysis results in the use of very high safety factors leading to higher construction costs.

### 2.3 STATIC LOAD TESTS

Static load testing is the only method available to determine the actual static capacity of piles. This method involves physically loading a pile at specified time intervals (see, for example, ASTM D-1143) and monitoring the settlement of the pile top until failure. The results of these tests are then plotted (load vs. settlement) and the failure load is interpreted using various methods (outlined in chapter 5). These tests are expensive, time-consuming, and, as a result, are not commonly performed.

Static testing is typically carried out as a "proof test" on piles to determine the pile's performance in supporting a service load, usually twice the design load (e.g., Massachusetts Highway Dept. (1989), Virginia DOT (1987), and Alabama State Highway Dept. (1985) State highway codes). It is important to note that the proof test does not provide the ultimate pile capacity and, therefore, does not contribute to the effort of increasing accuracy and reducing foundation costs. Although the test is typically carried out to twice the design load, the actual employed factor of safety may be much higher as the actual pile capacity is unknown. Proof testing is less expensive than loading a pile to failure and is therefore more frequently performed.

In spite of the difficulties in carrying out a load test to failure and the possible inaccuracies of the data (see Fellenius, 1989), it remains as the only means to examine actual pile capacity.

Data set PD/LT, which is presented in chapter 6, contains cases of 120 piles load tested to failure. The interpretation of the test results was carried out using a variety of methods as outlined in section 5.2.1.

## CHAPTER 3 - DYNAMIC AVALYSIS OF PILES

### 3.1 GENERAL

Dynamic analyses of piles are methods that predict pile capacity based on the behavior of the hammer-pile-soil system during driving. Such methods are based on the idea that the driving operation induces failure in the pile-soil system. In other words, pile driving is analogous to a very fast load test under each hammer blow. The pile must, however, experience a minimum permanent displacement, or set (approximately 0.1 inch [ 2.5 $\mathrm{mm}]$ ), during each hammer blow to fully mobilize the resistance of the pile-soil system. If there is very little or no permanent downward displacement of the pile tip, then the pile-soil system experiences mostly elastic deformation. As a result, capacity predictions based on measurements taken at this time would not be indicative of the full resistance of the pile-soil system.

There are basically two methods of estimating the capacity of driven piles based on dynamic driving resistance: pile-driving formulas (i.e., dynamic equations) and waveequation analysis.

### 3.2 DYNAMIC EQUATIONS

### 3.2.1 Review

For centuries (Cummings, 1940), quantitative analyses of pile capacity have been performed using dynamic equations. These equations can be categorized into three groups: theoretical equations, empirical equations, and those that consist of a combination of the two. It is important to mention that 45 of the State highway departments in the United States include a dynamic formula in their foundation specifications for the determination of bearing value for single-acting steam/air hammers. Of these 45 States, 30 use the Engineering News Record (ENR) formula and 9 States use other variations of the rational pile formula. In general, all the pile formulas, with the exception of the Gates formula, are derived from the rational pile formula (Bowles, 1988). A reference will be made here only to theoretical equations because:

- Empirical and semi-empirical equations are restricted to the conditions and assumptions of their original data set.
- State highway building codes utilize theoretical equations.


### 3.2.2 The Basic Principle

The theoretical equations have been formulated around analyses that evaluate the total resistance of the pile, based on the work done by the pile during penetration.
Observations of the hammer's ram stroke and the pile set are used in determining this work done by the hammer and the pile. These theoretical equation formulations assume elasto-plastic force-displacement relations (see figure 1). The total work is computed as:

$$
\begin{equation*}
W=R_{u}\left(S+\frac{Q}{2}\right) \tag{1}
\end{equation*}
$$

where $\quad \begin{array}{ll}\mathrm{R}_{\mathrm{u}}= & \text { yield resistance }\end{array} \quad \begin{aligned} & \mathrm{S}=\begin{array}{l}\text { pile set, denoting the permanent displacement (plastic } \\ \text { deformation) of the pile under each hammer blow }\end{array} \\ & \mathrm{Q}=\begin{array}{l}\text { quake, denoting the elastic deformation of the pile-soil } \\ \text { system. }\end{array}\end{aligned}$
In general, dynamic equations are inaccurate (see for example Housel, 1965, 1966; Flaate, 1964; and Olsen and Flaate, 1967) and a high factor of safety (F.S.) is therefore required when using their estimated capacity (e.g., F.S. $=6$ for the ENR equation). Dynamic equations are largely inaccurate because:

- Their parameters, such as the efficiency of energy transfer and the pile/soil quake, are crudely approximated.
- Some of the theoretical developments of the rational pile formula, especially those relating the energy transfer mechanism to a Newtonian analysis of ram-pile impact, are theoretically invalid (see, for example, Cummings, 1940 and Taylor, 1948).
- There is no differentiation between static and dynamic soil resistances where it is known that such differences exist, especially in cohesive soils (Taylor, 1948).


### 32.3 Energy Transfer

The theory of energy transfer analysis in many of the dynamic equations assumes that the hammer-pile impact is consistent with Sir Isaac Newton's third law, Conservation of Momentum. Newton's relationship applies to the impact of two free rigid bodies. In the case of dynamic equations, these rigid bodies are considered to be the hammer and the pile. This law of motion states that if no external forces are acting on the two rigid bodies, then the total momentum of the system is conserved. The impulsive forces acting during the impact are actually internal and, therefore, do not affect the total momentum


Figure 1. Resistance vs. displacement at the top of the pile.
of the system (see Cummings, 1940). This is clearly not the case for driven piles, which are elastic rather than rigid and experience end bearing as well as frictional resistance. Newton is reported to have stated that his expression for the impact of two massive bodies did not apply for "bodies ... which suffer some such extension as occurs under the strokes of a hammer" (see Taylor, 1948).

The ENR formula, published in 1888, was originally developed for use with timber piles and a drop hammer (Bowles, 1988). This formula further simplifies the assumptions made by the rational pile formula by equating the efficiency of the ram-pile impact to 1 . This oversimplification does not consider three factors:

- Energy losses that occur in the pile-driving system during impact.
- Work used in the elastic compression of the pile and soil.
- Varying efficiencies of the wide range of hammers used today.

These simplifications in the development and use of the ENR formula result in a
necessary safety factor of 6 (Taylor, 1948). Briaud and Tucker (1988) checked the prediction accuracy of the ENR equation in 68 pile cases. The static capacity was determined based on a reference settlement equal to one-tenth of the pile diameter plus the elastic compression of the pile. The mean of the ratio predicted over measured load was 0.82 with a standard deviation of 0.38 . Further reference to these results is made in chapter 10. Overall, the low reliability of dynamic equations requires very high factors of safety that make their use extremely uneconomical.

### 3.3 THE WAVE EQUATION

### 3.3.1 Formulation and Principles

Issacs (1931) concluded that many pile-driving formulas were incorrectly based on Newtonian mechanics for the pile/hammer impact and he became the first person to suggest the use of an analysis based on the one-dimensional wave equation instead. This proposed solution assumed that the toe of the pile was fixed and that no side resistance existed (Lowery et al.,1969). Fox (1932) proposed an exact solution to Issacs formulation; however, without the aid of computers, many simplified assumptions were necessary because of the complexity of his solution (Smith, 1960).

Stress-wave propagation in a pile during driving can be described by the following onedimensional wave equation (after Paikowsky and Whitman, 1990) modified to include frictional resistance along the pile:

$$
\begin{equation*}
E_{p} \frac{\partial^{2} u}{\partial x^{2}}-\frac{S_{p}}{A_{p}} f_{s}=\rho_{p} \frac{\partial^{2} u}{\partial t^{2}} \tag{2}
\end{equation*}
$$

where $\quad E_{p}, \rho_{p}=$ modulus of elasticity and unit density of the pile material $\mathrm{u}(\mathrm{x}, \mathrm{t})^{\mathrm{p}}=\quad$ longitudinal displacement of infinitesimal segment $\mathrm{f}_{\mathrm{s}}=\quad$ frictional stress along the pile $A_{p}, S_{p}=$ pile area and circumference, respectively.

The displacement (u) causes strains in each pile element that can be used to calculate pile stresses as well as the resistance developed in the soil. This displacement can be determined with respect to time and location. The friction stresses ( $f_{s}$ ) are generated by the movement of the pile. When the pile is subjected to free-wave motion ( $f_{s}=0$ ), the stress propagation equation becomes the familiar one-dimensional wave equation:

$$
\begin{equation*}
c^{2} \frac{\partial^{2} u}{\partial x^{2}}=\frac{\partial^{2} u}{\partial t^{2}} \tag{3}
\end{equation*}
$$

where

$$
\begin{equation*}
c=\sqrt{\frac{E_{p}}{\rho_{\rho}}} \tag{4}
\end{equation*}
$$

| c | $=$ |
| :--- | :--- |
| $\mathrm{E}_{\mathrm{p}}$ | $=$ |
| $\rho_{\mathrm{p}}$ | $=\quad$ mavespeed of the pile material |
|  | density of the pile material. |

Among the assumptions implicit in the development of the one-dimensional wave equation are prismatic shape and homogeneity. Also, it is assumed that under loading, plane parallel cross sections remain plane and parallel and that a uniform distribution of stress exists across each plane. The assumption of uniaxial stress does not include uniaxial strain and, therefore, lateral expansions and contractions (Poisson's effect) arise from the axial stresses associated with lateral inertia (Graff, 1975). The additional friction term (after Paikowsky and Whitman, 1990) was included under the assumption that the soil is stationary (having no inertia effects), and the action of the friction forces does not violate any of the previous assumptions.

The so-called "wave equation methods" are based on a numerical solution of the onedimensional wave equation. The numerical solution utilizes mathematical models for the pile and the pile-soil system. When the one-dimensional wave equation numerical solution is used for pre-driving analysis, the driving system is also modeled.

In 1960, Smith developed a numerical model to simulate the dynamic behavior of the hammer-pile-soil system during driving. This model is represented by a series of discrete masses and springs used for solving the one-dimensional wave equation (see figure 2).
The soil resistance is modeled via a spring, slider, and dashpot, which represent the static and dynamic soil resistances (see figure 3). The elasto-plastic soil model is employed for the static soil resistance in Smith's solution. The distance traveled by the pile toe during the elastic deformation of the soil is represented by the soil quake (Smith, 1960). As the elastic limit of the soil is reached (represented by the slider in sequence with the spring), plastic deformation takes place. The plastic deformation, or irreversible compression of the soil, is denoted by the permanent set of the soil (see figure 3 ).

According to this model, point A represents the ground resistance buildup to the ultimate resistance, $\mathrm{R}_{\mathrm{u}}$. Plastic failure occurs as the ground resistance has reached its maximum and the adjacent pile segment displaces, plastically, to point B. Unloading the soil at point $B$ produces an elastic rebound, equal to the quake, to point $C$. The


Figure 2. Smith's model simulating the hammer-pile-soil system for use with the one-dimensional wave equation (Smith, 1960).


Figure 3. Soil-pile model (left) and the corresponding elastoplastic soil resistance-displacement relationship (after Smith, 1960).
permanent set is, therefore, equal to the distance $O C$, which, in turn, is equal to distance AB (Smith, 1960). The static soil resistance-displacement relationship, as presented by Smith (1960), is modeled by a spring ( $\mathrm{K}_{\mathrm{s}}$ ) and a slider, where W represents the mass of the pile element.

The dynamic component of the soil's resistance is assumed to be viscous (soil-type related) and is, therefore, velocity-dependent. This dynamic resistance is modeled by a dashpot (J) parallel to the spring (see figure 3). The resisting soil force ( $\mathrm{R}_{\max }$ ) developed under each hammer blow is a combination of the static and dynamic soil resistances:

$$
\begin{equation*}
R_{\operatorname{tax}}=R_{s}+R_{d} \tag{5}
\end{equation*}
$$

where $\quad R_{\text {max }}=\quad$ total resistance

| $R_{s}=$ | static resistance |
| :--- | :--- |
| $R_{d}=\quad$ dynamic resistance. |  |

The wave equation formulation is used in two general ways: pre-driving analysis and post-driving analysis.

### 3.3.2 Pre-Driving Analysis

The so-called "wave equation analysis" utilizes the one-dimensional wave equation to predict dynamic pile behavior before construction and models the pile-soil system and the driving system (i.e., the hammer, cushion, and capblock), as suggested by Smith (1960). This computerized solution is used for the evaluation of the penetration resistance (i.e., blow count) and the driving stresses in the modeled pile under given conditions. The static capacity is then determined by relating the computed static capacity-penetration resistance relationship for a certain energy rating to observed dynamic resistances during driving. Such analyses enable engineers to determine a suitable pile-site-equipment combination.

### 3.3.3 Post-Driving Analysis - CAPWAP/TEPWAP

Post-driving analyses utilize the measured force signal (calculated from strain readings) and the measured velocity signal (integrated from acceleration readings) obtained near the pile top during driving. These analyses model the pile-soil system as shown in figure 4 with the element denoted as number 3 representing the point of measurement. The velocity signal is used as a boundary condition at that point while varying the parameters describing the soil resistance in order to match the calculated and measured force signals. These parameters include the side and tip quake, side and tip damping, the pile shaft resistance, and the pile tip resistance. Additional parameters may be used to describe soil resistance and rebound ratio for unloading different from that of loading. The process is described in the form of a flow chart in figure 5. The subscripts msd. and cal. denote measured and calculated values, respectively. Iterations are performed by changing the soil-model variables for each pile element in contact with the soil until the best match between the force signals is obtained. The results of these analyses are assumed to represent the actual distribution of the ultimate static capacity of the pile.

This procedure was first suggested by Goble, Likins, and Rausche (1970), utilizing the computer program CAPWAP. Similar analyses were developed by others (see Paikowsky, 1982 and Paikowsky and Whitman, 1989) utilizing the program code TEPWAP.

### 3.3.4 Wave Equation Analysis - Discussion

Post-driving analyses utilize the measured force and velocity waves, hence, the energy delivered to the pile in these models is exact. The models can consider the "damping" at


Figure 4. Notations used for model of pile and soil in TEPWAP analysis (Paikowsky, 1982).


Figure 5. Flow chart describing the analysis process using TEPWAP (Paikowsky, 1982).
each depth by utilizing different damping parameters for each of the discrete units and, therefore, account, to some degree, for different energy losses in the surrounding soils and the various pile-type effects. Such analyses may result in a force distribution along the pile that differs from the actual one, but by keeping the energy balanced, the calculated total resistance may be accurate (a case study of large instrumented piles that showed such results was presented by Paikowsky, 1982). A method that presents a simplified solution for the wave propagation phenomenon (i.e., the Case method, see section 3.5 ), with the attempt to correlate the energy losses to the soil type at the tip, does not capture the actual phenomena and does not necessarily keep a balance of energy. The resulting factor $\left(\mathrm{J}_{\mathrm{c}}\right)$ is difficult (if not impossible) to correlate to the soil type at the pile tip. A simple field method that predicts pile capacities in "real-time" remains attractive, however, because of its ability to monitor pile capacity during driving.

### 3.4 FIELD ANALYSIS AND THE PILE-DRIVING ANALYZER

Capacity evaluation in the field is attractive because of the potential to increase quality control and to improve construction efficiency of deep foundation systems. The procedure of monitoring pile driving by dynamic measurements is well established. Early large-scale studies (e.g., Michigan State Highway Commission, 1965; Texas Highway Department, 1973; and Ohio Department of Transportation, 1975; see also Highway Research Record, 1967 and Goble et al., 1970) led to the development of commercial systems that enable complete and relatively easy acquisition of dynamic measurements and analysis during driving. These dynamic measurements include acceleration and strain readings recorded at the pile top under each hammer blow. The most popular acquisition and analysis system in the United States is the pile-driving analyzer (PDA) (see Pile Dynamics Inc., 1990).

The PDA calculates a number of different physical quantities, including force (from strain readings), velocity and displacement (from acceleration readings), maximum delivered energy (to the pile top), and tension and compression stresses. These results are used to predict the pile capacity, as well as to examine the hammer performance, stresses in the pile, and pile integrity. The PDA predicts pile capacities in the field by utilizing a simplified evaluation method, known as the Case method.

### 3.5 THE CASE METHOD

### 3.5.1 General

The Case method (see Goble et al., 1970 and Rausche et al., 1975), is a simple field procedure used by the PDA to estimate pile capacities. Analysis by the Case method is based on the assumptions of a uniform elastic pile, ideal plastic soil behavior, and a simplified wave propagation formulation. Employed are force and velocity measurements taken at the pile top and a correlation between the soil at the pile tip to a damping parameter.

### 3.5.2 The Case Method Equation

The Case method calculates the total soil resistance (RTL) active during pile-driving, using the following equation:

$$
\begin{equation*}
R T L=\frac{\left[F(T l)+F\left(T l+\frac{2 L}{C}\right)\right]}{2}+\left[v(T I)-v\left(T l+\frac{2 L}{C}\right)\right] * \frac{M C}{2 L} \tag{6}
\end{equation*}
$$

| where | F (T1) | $=$ | measured force at the time T1 |
| :---: | :---: | :---: | :---: |
|  | $\mathrm{F}(\mathrm{T} 1+2 \mathrm{~L} / \mathrm{C})$ | = | measured force at the time T1 plus $2 \mathrm{~L} / \mathrm{C}$ |
|  | v (T1) | $=$ | measured velocity at the time T1 |
|  | $\mathrm{v}(\mathrm{T} 1+2 \mathrm{~L} / \mathrm{C})$ | = | measured velocity at the time T 1 plus $2 \mathrm{~L} / \mathrm{C}$ |
|  | L, M | $=$ | length and mass of the pile, respectively |
|  | C | $=$ | speed of wave propagation in the pile. |

Different variations of the Case method have been developed taking T1 as the time of impact or modified to include a time delay constant allowing higher RTL values to be obtained. The time T1 is defined, in equation form, as:

$$
\begin{equation*}
T 1=T P+\delta \tag{7}
\end{equation*}
$$

where TP $=$ time of the impact peak $\delta=$ time delay.

The time delay is required in soils capable of large deformations before achieving full resistance (see figure 6). A time delay is also used in situations where the hamrer impact is uneven (PDA Manual, 1990).

The total resistance calculated is a combination of the static resistance ( S ) which is displacement-dependent, and the dynamic resistance (D) which is velocity-dependent. Therefore, the total resistance (Goble et al., 1975) is:

$$
\begin{equation*}
R T L=S+D \tag{8}
\end{equation*}
$$

Several factors that influence the pile-soil system must be considered when the total predicted resistance is evaluated. These factors include the damping coefficient, timedependent soil strength changes, and refusal driving when the soil's resistance is not fully mobilized under a single hammer blow.

### 3.5.3 Case Damping Coefficient

The dynamic resistance D is considered to be viscous in nature, hence, a function of the velocity at the pile toe ( $\mathrm{V}_{\mathrm{toc}}$ ) and a damping constant ( J ) where:

$$
\begin{equation*}
D=J * V_{\text {toe }} \tag{9}
\end{equation*}
$$

By applying the wave propagation theory, the pile toe velocity can be calculated as a


Figure 6. Force and velocity traces showing two impact peaks indicative of driving in soils capable of large deformations.
function of the velocity at the pile top (Goble et al., 1975):

$$
\begin{equation*}
V_{t o e}=2 V_{t o p}-\frac{L}{M C} R T L \tag{10}
\end{equation*}
$$

where

$$
\begin{array}{ll}
\mathrm{L} & =\text { pile length } \\
\mathrm{M} & =\text { pile mass } \\
\mathrm{C} & =\text { wave speed of the pile material } \\
\mathrm{R} & =\text { total resistance } \\
\mathrm{V}_{\text {top }} & =\text { velocity at pile top. }
\end{array}
$$

$\mathrm{V}_{\text {top }}$ is taken as the pile top velocity at the time T 1.

According to Goble et al. (1975), remolding effects cause the majority of the damping resistance to be concentrated near the pile tip. Consequently, the damping constant is determined according to the soil type at the pile tip. In most cases, the damping constant ( J ) is proportional to the pile properties (EA/C) and, therefore, is represented by a dimensionless coefficient ( $\mathrm{J}_{\mathrm{c}}$ ) using the following equation:

$$
\begin{equation*}
J=J_{c} \frac{E A}{C} \tag{11}
\end{equation*}
$$

where

$$
\begin{array}{ll}
\mathrm{J}_{\mathrm{c}} & =\text { dimensionless Case damping coefficient } \\
\mathrm{E} & =\text { elastic modulus of the pile material } \\
\mathrm{A} & =\text { pile cross-sectional area } \\
\mathrm{C} & =\text { wave speed of the pile material. }
\end{array}
$$

The recommended values for $J_{c}$ have changed since the initial estimates made by Goble et al. (1975) as a result of improvements to the PDA and continued research in this area. In 1975, Goble et al. (1975) published recommended $\mathrm{J}_{\mathrm{c}}$ values for various soil types. These recommendations have been revised in PDA Manual-Model GCPC (1990). Both sets of recommended $J_{c}$ values are given in the following table:

Table 2. Recommended $J_{c}$ values according to the soil type at the pile tip.

| Soil Type at Pile Tip | Goble et al., 1975 | PDA Manual, 1990 |
| :---: | :---: | :---: |
| clean sand | 0.05 | 0.10 to 0.15 |
| silty sand | 0.15 | 0.15 to 0.25 |
| sandy silt | 0.2 | - |
| silt | 0.3 | 0.25 to 0.40 |
| silty clay / clayey silt | 0.55 | - |
| silty clay | - | 0.40 to 0.70 |
| clay | 1.1 | 0.70 to 1.00 |

It is suggested that $J_{c}$ values less than 0.10 are unlikely. Large $J_{c}$ values result in more conservative capacity predictions, and the range of $J_{c}=0.5$ to 1.0 can cause large capacity differences (PDA Manual, 1990). J $\mathrm{J}_{\mathrm{c}}$ can be back-calculated from static load test results and applied to other piles nearby, provided they are driven in similar soil strata. Negative damping coefficients are physically meaningless and are set to zero should they occur. If load testing to failure is not conducted at a particular site, subsurface
investigation of the underlying soil strata must be carried out to provide the necessary information needed to estimate $J_{c}$.

### 3.5.4 Case Method Variations

Several variations of the Case method have evolved for the analysis of different driving situations and soil types. The variations are similar in that they all begin with the initial total resistance prediction (RTL) of equation (6). Five distinct methods are used to employ the predicted RTL: Damping Factor Method, the Maximum Resistance Method, the Minimum Resistance Method, the Unloading Method, and the Automatic Method. A brief review of each of these methods follow (for details, see the 1990 PDA Manual).
(a) The Damping Factor Method, RSP

The Damping Factor Method uses the velocity at the toe of the pile $\left(\mathrm{V}_{\mathrm{toc}}\right)$ of equation (10), which may be rewritten as:

$$
\begin{equation*}
V_{\text {toe }}=V_{\text {top }}+\frac{[F(T I)-R T L]}{\frac{M C}{L}} \tag{12}
\end{equation*}
$$

and the Case damping constant $\left(\mathrm{J}_{\mathrm{c}}\right)$ is nondimensionalized by the pile impedance (MC/L), to determine the static capacity (RSP) (PDA Manual, 1990). The equation, which was discussed in the last section, utilizes damping constants empirically derived from static load tests where:

$$
\begin{equation*}
R S P=R T L-J \frac{M C}{L} * V_{w e} \tag{13}
\end{equation*}
$$

This expression is the standard Case method equation used for normal driving conditions.

## (b) The Maximum Resistance Method, RMX

The Maximum Resistance Method uses the RSP equation with $2 \mathrm{~L} / \mathrm{C}$ as a fixed quantity. The time T1 used in the RSP equation is varied between the impact time (TP) and TP +30 ms to find the corresponding maximum RSP value, denoted as RMX (see figure 6).

Originally (Goble et al, 1967), it was proposed to choose the time T 1 as the time when the pile top velocity becomes zero (referred to (e), the automatic method, RAU). Time delay methods were then developed (Goble et al., 1975). The most familiar one is $\mathrm{T} 1=\mathrm{TP}$, the time of maximum velocity. This was then modified to $\mathrm{T} 1=\mathrm{TP}+\delta$, where $\delta$ is a time-delay constant required to enable full resistance to be developed. The maximum resistance method (RMX) is a variation of this approach, where T1 will result in the maximum static resistance $\left(\mathrm{R}_{\mathrm{s}}\right)$. This T 1 is not necessarily the same one that will produce the maximum total resistance RTL. RMX can be used in cases of large so:l
quakes or short rise times where the full resistance is not mobilized by the time the stress wave reaches the pile toe. This method is advantageous for large displacement piles with substantial end-bearing. The RMX resistance may not, however, develop until unacceptably large displacements occur. Caution should be taken when using RMX in silts and clays with high damping factors because over-predictions may result.

## (c) The Minimum Resistance Method, RMN

Tension cracks, splices, and changes in cross-sectional area may vary the wave speed along a single pile. To compensate for these changes, the Minimum Resistance Method uses the first or second peak as the impact time (T1) in the capacity equation. The tip reflection time, T 2 or ( $\mathrm{T} 1+2 \mathrm{~L} / \mathrm{C}$ ), is varied through the $2 \mathrm{~L} / \mathrm{C}$ "window," which is centered around T 2 and is $\pm 20$ percent of $2 \mathrm{~L} / \mathrm{C}$. The minimum capacity ( RMN ) is determined using the tip reflection time. This method can be used with confidence if the blow count is less than 40 blows per foot ( 131 blows per meter) (PDA Manual, 1990).
(d) The Unloading Method, RSU

For long piles with high frictional resistance, the measured velocity can become negative before a reflection from the tip is observed at time T2. Under such conditions, the upper portion of the pile experiences decreasing displacement or rebounding. This results in an unloading of the upper soil layers resistance and the computed capacities are under-predicted. The Unloading Method compensates for this by calculating the total friction in the upper unloading layers from the force velocity difference. This friction is then divided by two thus yielding the correction. The unloading resistance (RSU) then is:

$$
\begin{equation*}
R S U=R T L+K-J\left[F(t i)+\nu(T l) * \frac{M C}{L}-R T L-K\right] \tag{14}
\end{equation*}
$$

where $K=$ the unloading correction coefficient.
The correction coefficient is calculated from:

$$
\begin{equation*}
K=\frac{\left[F(T 3)-V(T 3)\left(\frac{M C}{L}\right)-F(T P)+V(T P)\left(\frac{M C}{L}\right)\right]}{2} \tag{15}
\end{equation*}
$$

where $\mathrm{T} 3=2 \mathrm{TP}+21 / \mathrm{C}-\mathrm{T} 0$ and T 0 is the time of zero velocity (before 2L/C) (PDA Manual, 1990).
(e) The Automatic Method, RAU

The Automatic Method computes the capacity (RAL) for the first time where the computed pile toe velocity ( $\mathrm{V}_{\mathrm{toc}}$ ) is zero. This method, originally proposed by Goble et al. (1967), does not select a damping coefficient because damping must be zero when $\mathrm{V}_{\text {toe }}$ is zero; therefore, the resistance at this time is completely static. This method
provides an exact solution for the end-bearing for piles with no skin friction and is recommended for use on piles with very little frictional resistance. Another variation of this method attempts to convert any skin friction into end-bearing resistance. This is proposed for piles having moderate skin friction, but are unaffected by J (PDA Manual, 1990).

### 3.5.5 Evaluation

## (a) Critical Discussion

Two fundamental questions should be addressed regarding the Case Method approach:

- What is the time ( T 1 ) that should be used to calculate the total resistance (RTL)?
- What is the meaning and reliability of the Case damping factor?

Based on the various methods described in section 3.5.4, the Case method produces a range of results according to the way in which it is employed. The "right" way and the "correct" T1 are questionable, and depend on the driving system and soil and pile conditions.

The Case damping coefficient $J_{c}$ is based on viscous damping in a dimensionless form. Thus, the dynamic resistance is correlated to the calculated velocity at the tip of the pile, and $J_{c}$ is assumed to be related to the soil type at the pile's tip. To find the $J_{c}$ to be used for different soils, the damping coefficient was calculated to fit failure loads obtained from static load tests. These damping coefficients were calculated for a range of $\pm 20$ percent of the load test results, resulting in ranges of the $\mathrm{J}_{\mathrm{c}}$ coefficient that were then ascribed to each soil type (Goble et al, 1975).

The correlation between $J_{c}$ and soil type is questionable and may or may not be feasible. The following section evaluates the use of $J_{c}$ and demonstrates that the pile's dynamic resistance is influenced by several additional factors that cannot be appropriately considered through the use of the Case damping factor. A detailed examination of the $J_{c}$ parameter is presented in section 8.2.1.

## (b) Review of Existing Experience

The Case method has been the subject of different comparison studies attempting to evaluate it's reliability. When static load testing is conducted on a pile, the corresponding Case damping coefficient can be obtained through back-calculating. This coefficient can then be compared to typical $J_{c}$ values recommended to be used with the given soil conditions. Such information enables the determination of the reliability of the Case method for individual testing sites. Comparisons between the Case method and CAPWAP analysis results (in place of static load testing) have also been conducted (see, for example, Thompson and Goble (1988) or Riker and Fellenius (1988)).

The Trow Company (1978) examined 226 piles and 40 static load tests at 21 different sites. Their report concluded that the Case Method was shown to be in closer agreement with static load tests than dynamic formulas. For end-bearing piles, the range of the applicable damping factor is narrow, and the use of $\mathrm{J}_{c}$ values between 0 and 0.3 led to predictions within $\pm 25$ percent of the load test results (excluding piles in till at one site). However, for friction piles, the choice of damping values was critical for the correct prediction of the capacity, and the tested pile's capacity was about twice the predicted one.

Four full-scale static load tests were conducted offshore and analyzed by Paikowsky (1979-1982). Open-ended pipe piles (48 in and 60 in [1219 mm and 1524 mm ] diameters) were dynamically monitored during driving in a predominantly calcareous sand soil profile. The Case damping coefficient values ( $\mathrm{J}_{\mathrm{c}}$ ) for capacity predictions in the range of $\pm 20$ percent from the load test results are presented in figure 7 . In order to be consistent with the data analysis of chapter 6 , the $\mathrm{J}_{\mathrm{c}}$ values of figure 7 are based on the same data used for CAPWAP and TEPWAP analyses that were somehow different from the one observed in the field. These values varied between $\mathrm{J}_{\mathrm{c}}=0.06$ to 0.37 , fitting the load tests, and in different ranges for each of the individual cases (e.g., $0.18 \leq \mathrm{J}_{\mathrm{c}} \leq 0.52$ for T-2/A and $-0.20 \leq \mathrm{J}_{\boldsymbol{c}} \leq 0.31$ for T-2/B).

Despite the Case method being used in only one of its forms, a significant scatter exists in the "recommended" damping coefficient field values that are considered more accurate than values from a general data set (see table 2).

A pile-testing study that began in 1980 was conducted in Milwaukee, WL, to establish foundation design criteria, such as the most suitable pile type and driving depth (see Riker and Fellenius, 1988). This project was undertaken because of the extensive pile installation program required for the construction of a wastewater plant ( 3,000 to 4,000 driven piles). The test piles consisted of steel H -piles and closed-ended pipe piles, with varying thicknesses, and were founded in glacial soil deposits. Approximately 40 piles were monitored during initial driving and/or during restriking, using a pile driving analyzer (PDA). All of these piles were analyzed using CAPWAP, and from these results, a $J_{c}$ value was back-calculated for each pile. This analysis allowed engineers to correlate $J_{c}$ values for the remaining piles at the site, provided they are founded in similar soils. Similarly, the Case method was performed on each test pile and capacity predictions were obtained using the calibrated $\mathrm{J}_{\mathrm{c}}$ factors determined from the CAPWAP analyses. The results of this comparison show that when using pile-site-calibrated $\mathrm{J}_{\mathrm{c}}$ factors for thick-walled steel pipe piles, the Case method predictions were within 20 percent of the CAPWAP results. Riker and Fellenius concluded that in light of the consistency of the $\mathrm{J}_{\mathrm{c}}$ values at this site, the reliability of the Case method for rapid field predictions was demonstrated. They also cautioned, however, that additional CAPWAP analyses are necessary if other pile types are to be used at this site.

A comparison study between static load tests to failure and the Case method was carried


Figure 7. Case damping $\left(\mathrm{J}_{c}\right)$ values for capacity prediction of offshore piles in the range of $\pm 20$ percent from load test results (after Paikowsky, 1982).
out in Europe by Bustamante and Weber in 1983 (Bustamante and Weber, 1988). This study consisted of dynamically monitoring six different shaped-steel H-piles using a PDA and load testing them to failure. The piles were tested at two different sites, and the general soil profiles consisted of sandy and clayey soils, respectively. The study results indicated that the predictions made by the Case method and CAPWAP were in agreement with capacities determined by static load testing. However, the Case damping
coefficients for the sandy site required calibration from CAPWAP results or static load test results.

Thompson and Goble (1988) tested 25 piles at 9 different sites across the eastern regions of Canada and the United States. All of the piles were founded in granular soils and were dynamically monitored using the PDA. CAPWAP analyses had been performed at the beginning of restriking (BOR). The results confirmed that the Case damping constants required to match CAPWAP capacities were high compared to recommended values. These high damping constants varied from 0.24 to 0.70 in the same soil on the same site and from 0.24 to 0.85 for all nine sites. These values are in sharp contrast to the $\mathrm{J}_{\mathrm{c}}=0.05$ that was recommended to be used in sand by Goble et al. (1975) and $\mathrm{J}_{\mathrm{c}}=$ 0.10 to 0.15 recommended by the PDA Manual (1990). Higher damping constants than expected will result in capacity over-predictions by the Case method. Thompson and Goble pointed out that their wide-range data set eliminated the possibility of treating these results as consequence of localized geographic or geologic conditions, and suggested that since they could not find an explanation for these high values, every project involving piles driven in sand should be calibrated for the correct $\mathrm{J}_{\mathrm{c}}$ value.

Paikowsky and Chernauskas (1992) examined nine piles that were monitored during driving at the end of driving and/or at the beginning of restrike and were driven into soils ranging from sandy-silt to rock and till. Their study included static load tests to failure, whereby the failure loads were then employed to back-calculate Case damping factors. The results indicated that there is no specific correlation between the damping coefficient and the soil type. Thompson and Goble (1988) further concluded that it may be necessary at some projects to incorporate CAPWAP analyses with every pile to confirm the predictions by the Case method.

### 3.5.6 Capacity Predictions

The static resistance of the pile is predicted by subtracting the dynamic resistance from the total resistance (equation 8). As the static resistance may be time-dependent, it is often necessary to restrike piles and conduct dynamic analyses sometime after the end of initial driving (EOD). Setup may cause the static capacity to increase, while relaxation may cause the static capacity to decrease. Setup most often occurs in cohesive soils due to either (1) dissipation of excess pore pressure in the vicinity of the pile after driving or (2) thixotropy (an increase in strength with time without changing the water content) and a variety of reasons not always well-understood that may be referred to as "aging" (Schmertmann, 1991).

Soil relaxation most often occurs when piles are driven into dense fine sand or silts, shearing the soil beyond its peak resistance to residual strength. This results in smaller long-term frictional resistance. Although relaxation occurs less frequently than setup, its determination may be crucial. Restriking can lead to a more economical foundation system in the event of setup, and can prevent major structural problems in the event of
relaxation (Likins et al., 1990).
When driving reaches refusal (e.g., a set of 0.1 in [ 2.5 mm ] or less, most often regarded as 12 blows per inch [ 0.47 blows per millimeter]), the Case method may under-predict the static capacity of the pile. This is consistent with the concept that the driving operation must induce failure in the pile-soil system. If the pile experiences a small permanent set, or none at all, then the soil resistance is not fully mobilized (which indicates that the pile-soil system is mostly within the elastic range). Under such conditions, the predicted static capacity relates to the mobilized value only, often resulting in an under-prediction (PDA Manual, 1990).

### 3.5.7 Summary

The dynamic analysis of pile driving is based on the one-dimensional wave equation that describes the stress propagation through a slender elastic body. An additional term that accounts for the external forces acting on that body is added to the equation in order to consider the soil resistance. Traditionally, this resistance is considered to consist of static and dynamic components, as previously described. Practically, however, the dynamic component (even though represented by viscous damping) accounts for other energy losses, such as radiation, soil inertia, true damping, and more (Paikowsky and Whitman, 1989). These factors are determined by the pile shape, the acceleration at the pile toe, and the surrounding soil and, hence, cannot be correlated only to the soil type at the pile tip, as suggested by the Case method. The wave equation type of solutions (including CAPWAP) can consider the damping at each depth of pile penetration and, therefore, account for the different surrounding soils and pile type. The Case method simplified solution is not capable of this damping consideration. The correlation of the energy losses to the pile tip velocity and the soil type at the tip oversimplifies the complex phenomena; the resulting damping factor is difficult to correlate, leading to unreliable predictions. The accuracy of the Case method as a means of analyzing driven piles in the field will be further examined in chapter 8 . based on the analysis of data set PD/LT in appendix A .

## CHAPTER 4-THE ENERGY APPROACH

### 4.1 BACKGROUND

While the static soil resistance is represented relatively adequately by the elasto-plastic soil model (see figure 3), the viscous damping accounts practically for various energy losses such as radiation, soil inertia (at the pile tip in particular), true damping, and viscosity in cohesive soils. As such, the model parameters (i.e., damping coefficients) cannot be calibrated on the basis of soil type alone. If such a calibration was possible, there would be no need to use different damping coefficients for the same soil next to the toe or the skin.

This observation has three major implications:

1. The success of the soil model in correctly representing the physical phenomena next to the pile is really controlled by its ability to account for the energy losses (in particular, those due to dynamic actions).
2. Calibration of the soil model parameters cannot be done on the basis of soil type alone. The calibration requires consideration of the combination of the pile and soil types (mainly small vs. large displacement piles), driving resistance, and, in addition, awareness of the installation details during construction (e.g., the use of jetting or preaugering).
3. A byproduct of 1 and 2 can explain why one method of analysis fails while the other succeeds (e.g., the Case method and CAPWAP).

The prediction of static capacity from pile driving, either by dynamic equations or by the one-dimensional wave equation, requires a balance of energy (i.e., the total energy that is transferred to the pile through the driving system is equal to the work done by the resisting forces during penetration).

Even though most of the theoretical and semi-empirical dynamic formulas were based on the energy principle, their reliability is very low, for the following reasons (see section 3.2 for discussion):

- Their analysis of Newtonian impact between the ram and the cushion/capblock system is theoretically invalid and, therefore, it led
to incorrect predictions of the amount of energy transferred to the pile.
- The elastic soil-pile rebound (quake) was estimated or calculated based on a static approach.

Analyses such as CAPWAP, on the other hand, utilize dynamic measurements and, therefore, the transferred energy is known. With the appropriate pile and soil modeling, the number of unknowns is limited and the different energy losses can be accounted for indirectly through dynamic resisting forces based on viscous dampers, as previously discussed.

### 4.2 UNDERLYING CONCEPT

The concept of the "Energy Approach," in which basic energy relations are used in conjunction with dynamic measurements, was presented by Paikowsky (1982). Limited additional studies were carried out by Paikowsky (1984), McDonnell (1991), and Paikowsky and Chernauskas (1992). The underlying concept of this approach is the energy balance that is developed between the total energy delivered to the pile and the work done by the pile/soil system. The required "real-time" prediction in the field calls for a simplified solution and, therefore, does not consider the propagation process, while distinguishing between:

- Energy loss from elastic soil/pile deformations.
- Work done by the static resistance on plastic soil deformations.
- Energy loss due to various combined factors associated with the pile penetration (i.e., damping, radiation, inertia, etc.).


### 4.3 THE ENERGY EQUATION

The energy delivered to the pile is:

$$
\begin{equation*}
E_{n}=\int V(t) F(t) d t \tag{16}
\end{equation*}
$$

where $\quad V(t)=\quad$ velocity signal at the pile top for the analyzed blow $F(t)=$ force signal at the pile top for the analyzed blow.

The velocity signals are obtained by measurements of acceleration, $a_{c c}(t)$, where:

$$
\begin{equation*}
V(t)=\int a_{c c}(t) d t \tag{17}
\end{equation*}
$$

The force signals are obtained by processing the measurements of strain, $\epsilon(\mathrm{t})$, whereby:

$$
\begin{equation*}
F(t)=\epsilon(t) E A \tag{18}
\end{equation*}
$$

where $E=$ modulus of elasticity of the pile material $\mathrm{A}=$ cross-sectional area of the pile.

These measurements and calculations are immediately processed by the data acquisition system after each hammer blow.

The force/displacement relations of the pile/soil system are assumed to be elasto-plastic, which is consistent with the basic dynamic equations and static resistance of soil models in the wave equation analyses.

The total work done by such a system (elastic and plastic), therefore, will be (referring to figure 1):

$$
\begin{equation*}
W=R_{u}\left(S+\frac{Q}{2}\right) \tag{19}
\end{equation*}
$$

where $\quad R_{u}=$ yield resistance
$\mathrm{Q}=$ quake denoting the combined elastic deformation of the pile and soil
$\mathrm{S}=$ set denoting the plastic deformation.
The quake is determined by finding the maximum displacement reduced by the plastic deformation (permanent set) under each hammer blow, such that:

$$
\begin{equation*}
Q=D_{\max }-S \tag{20}
\end{equation*}
$$

where $\quad D_{\max }=\quad$ maximum value of $\int V(t) d t$.
The permanent set can theoretically be determined by $\mathrm{D}_{\text {fin }}=$ final value of $\int \mathrm{V}(\mathrm{t}) \mathrm{dt}$. However, the displacement is the second integration of the measured acceleration. Any offset in the acceleration measurement (e.g., due to DC voltage in the accelerometers) will have a relatively small effect on $\mathrm{D}_{\text {max }}$, but a much greater effect on $\mathrm{D}_{\text {fin }}$ (for further discussion, see experimental work by Bernardes, 1989). It is more practical to use the field blow count, such that $S=S e t=1 /$ BPI (blows per inch) (see figure 8 ).

The maximum resistance under the above assumptions is obtained from $E_{n}=W$, and becomes the proposed Energy Approach (uncorrected):

$$
\begin{equation*}
R_{u}=\frac{E_{n}}{\operatorname{Set}+\frac{\left(D_{\max }-S e t\right)}{2}} \tag{21}
\end{equation*}
$$

This resistance can be taken as the maximum possible resistance and can be correlated to the predicted static capacity $\left(\mathrm{P}_{\mathrm{u}}\right)$ by a correlation factor, such that:

$$
\begin{equation*}
P_{u}=K_{s p} * R_{u} \tag{22}
\end{equation*}
$$

where $\quad \mathrm{K}_{\mathrm{sp}}=\quad$ "static pile" correlation factor accounting for all dynamic energy losses.

The $\mathrm{K}_{\mathrm{sp}}$ factor is correlated to pile type (small vs. large displacement), soil type (mainly granular vs. cohesive), and driving resistance.

### 4.4 ENERGY LOSSES AND SOIL INERTIA

### 4.4.1 General Considerations

Soil inertia is a major factor contributing to the energy loss during driving. As such, a substantial portion of the dynamic resistance should be a function of two parameters:

- Mass/volume of the displaced soil that is a function of the pile geometry, namely, small vs. large displacement piles.
- Acceleration of the displaced soil, especially at the tip that conveniently can be examined as a function of the driving resistance.


### 4.4.2 Soil Displacement

The volume of the displaced soil is identical to the volume of the penetrating pile, excluding the cases in which pile plugging takes place (Paikowsky and Whitman, 1990). The piles, therefore, can be classified as small (e.g., H and open pipe) and large (e.g., closed pipe and concrete) piles. Additional classification of open-pipe piles can take place according to a tip-area ratio similar to that used for soil samplers (Paikowsky et al., 1989).

As most of the soil displacement takes place at the tip area, the classification of piles can


Figure 8. The proposed way of obtaining the combined quake, Q (soil and pile). [Not to scale.]
be better served by looking at the ratio between the piles embedded surface area and the area of the pile tip:

$$
\begin{equation*}
A_{R}=\frac{A_{s k i n}}{A_{t i p}} \tag{23}
\end{equation*}
$$

where $\quad A_{R}=$ pile area ratio $\mathrm{A}_{\text {skin }}=$ pile's surface area in contact with soil $A_{\text {tip }}=$ area of the pile tip.

According to this ratio, a pile that is traditionally referred to as a "large displacement" pile can behave like a small displacement pile if it is driven deep enough. Because the frictional resistance of a pile increases as the pile skin area in contact with soil increases, the effect of the soil mobilized at the tip decreases. As the pile's embedded surface area and the skin friction increases, the energy losses resulting from the mobilization of the soil mass at the pile tip will decrease relative to the energy losses along the side of the pile. For example, the area ratio for cylindrical (closed-end) piles is:

$$
\begin{equation*}
A_{R}=\frac{2 \Pi R * D}{\Pi R^{2}}=\frac{2 D}{R} \tag{24}
\end{equation*}
$$

in which $\mathrm{D}=$ penetration depth
$\mathbf{R}=$ pile radius.
For the same pile diameter, this area ratio increases linearly with depth, e.g., a 14 -in ( $356-\mathrm{mm}$ ) diameter pile will have an area ratio of 69 at the depth of $20 \mathrm{ft}(6.1 \mathrm{~m}$ ) and an area ratio of 360 at the depth of $105 \mathrm{ft}(32 \mathrm{~m})$. It is clear that the effect of soil inertia at the tip in the second case will be substantially smaller than that in the first case and the pile may be classified as a "small displacement pile." A quantitative boundary between "small" and "large" displacement piles on the basis of the area ratio is presented in section 8.5.

### 4.4.3 Soil Acceleration

The energy loss through the work performed by the inertia forces at the displacement of the soil mass at the tip is directly related to the acceleration of this mass. The direct evaluation of these accelerations are beyond the scope of the present research. The indirect evaluation of these accelerations can be performed through the driving resistance, which is the measure of the pile's displacement under each hammer blow. With low driving resistance there is high velocity (i.e., free-end analogy) and high acceleration at the pile tip, hence, high inertia of the tip soil mass. This results in a soil inertia "force" that, when multiplied by the pile displacement at the tip, produces a large loss of energy. In the case of high driving resistance (hard driving), there is little, if any, mobilization of the tip soil mass and the acceleration at the tip is very low. Therefore,
the corresponding energy loss is small.

### 4.4.4 Expected Performance

In summation, according to the above hypothesis, the largest loss of "unknown" energy occurs when large displacement piles experience easy driving (large tip displacement). The smallest loss of "unknown" energy occurs with small displacement piles driven under high blow counts (hard driving).

Considering the preceding criteria, the Energy Approach should theoretically produce two distinct trends:

- In the case of high "unknown" energy losses, i.e., in easy driving of piles with small area ratios, the Energy Approach predictions should yield a tendency of over-prediction. Hence, $R_{u}$ is expected to be higher than the actual resistance as the large energy losses were not considered. As a result, $\mathrm{K}_{\mathrm{sp}}$ is expected to be smaller than unity ( $\mathrm{K}_{\mathrm{sp}}<1.0$ ).
- In the case of small "unknown" energy losses, i.e., hard driving of piles with large area ratios, the Energy Approach predictions should yield a tendency of under-prediction. Hence, $R_{u}$ is expected to be smaller than the actual resistance as there are only small energy losses and the full capacity may not have been developed. As a result, $\mathrm{K}_{\mathrm{sp}}$ is expected to be higher than unity ( $\mathrm{K}_{\mathrm{sp}}>1.0$ ).

CHAPTER 5 - DATA BASE BUILDUP

### 5.1 GENERAL

In order to examine the dynamic analyses and calibrate the Energy Approach method, extensive case study data was assembled. The information was divided into two major categories describing two data sets: set PD/LT and set PD. Data set PD/LT contains data for piles on which dynamic measurements, office analyses (CAPWAP or TEPWAP), and a static load test to failure have been conducted. Data set PD contains data for piles that were monitored by dynamic measurements during driving, followed by office analyses and occasionally a static proof test (not to failure). Section 1.3 outlines the source and/or reference of the obtained data. The following chapter describes the procedures used for analyzing the case studies comprising the data sets.

### 5.2 DATA SET PD/LT

The piles of data set PD/LT were analyzed in two stages: a static load test analysis followed by a dynamic measurements analysis. The static load test analysis was intended to produce a representative static resistance (denoted by $\mathrm{R}_{\mathrm{s}}$ ) for each pile, using several load test interpretation methods. The dynamic measurements analyses involved several different methods, including the application of computer programs specifically developed for the analysis of dynamic measurements taken during driving.

### 5.2.1 Static Load Test Analysis

A universal criterion capable of establishing the ultimate capacity of a pile is essential in improving the accuracy of static load test interpretations. Various ultimate load criteria have been proposed and used by researchers and design organizations (see, for example, Vesic, 1977 and Fellenius, 1989). Significant disagreements remain among these methods as they are based on different principles and produce different values under varying pile types and sizes, load test procedures, and surrounding soils.

Vesic (1972) pointed out that interpreting a pile's ultimate load based solely on a visual examination of its load-settlement curve (i.e., shape of the curve) may be misleading and can result in different pile capacities depending on the scale used to plot the curve.
Figures 9 and 10 demonstrate this point by presenting the same load-settlement relations using two different scales. Figure 9 shows a load-settlement curve indicating a pile capacity of approximately $140 \mathrm{kips}(623 \mathrm{kN})$ whereas the curve in figure 10 suggests that the pile's displacement at $140 \mathrm{kips}(623 \mathrm{kN})$ may still be based on the elastic compression of the pile and that the pile capacity is approximately 170 kips ( 756 kN ).


Figure 9. Load-settlement curve of pile-case 95 with the elastic compression line inclined at 20 degrees.


Figure 10. Load-settlement curve of pile-case 95 with a scale that does not consider the elastic compression of the pile (following Vesic, 1977).

One solution to this problem is to implement a common scale, based on the pile's elastic deformation. When plotting load-settlement curves, the elastic deformation of a fixed end, frictionless pile is expressed as:

$$
\begin{equation*}
\delta=\frac{P L}{E A} \tag{25}
\end{equation*}
$$

where $\quad \delta=$ calculated elastic deformation of the pile
$\mathrm{P}=$ applied load
$\mathrm{L}=$ pile length
$\mathrm{E} \quad=\quad$ elastic modulus of the pile material
$\mathrm{A}=$ cross-sectional area of the pile.
The elastic compression line obtained by equation 25 is based on the assumption that all of the load applied to the pile top is transferred to the pile toe. To implement a scale proportional to all load settlement curves, the elastic compression line should be inclined at an angle of about 20 degrees to the load axis (see figure 11).

In order to facilitate this scale, all of the load-settlement curves in set PD/LT were digitized using the program DIGITIZE, developed at University of Massachusetts-Lowell by Chernauskas and Paikowsky. These curves were then replotted, using the graphics software GRAPHER, to produce curves that were proportional to each pile's elastic compression line inclined at 20 degrees.

After replotting, each load-settlement curve was analyzed using five different failure load interpretation procedures: Davisson's Criteria, the Shape of Curve method, Limited Total Settlement methods ( $\Delta=1$ in [ 25.4 mm ] and $\Delta=0.1 B$ ), and DeBeer's method.
(a) Davisson's Criteria (Davisson, 1972), or offset limit, defines the failure load of a pile as the load corresponding to the settlement that exceeds the elastic compression of the pile ( $\delta$ ) by an offset ( X ) equal to 0.15 in ( 3.8 mm ) plus a factor equal to the diameter of the pile divided by 120 . The offset is simply:

$$
\begin{equation*}
X=0.15+\frac{B}{120} \tag{26}
\end{equation*}
$$

where $B=$ diameter of the pile in inches.
The Davisson's Criteria line is parallel to the elastic compression line and predicts the failure load at its intersection with the load-settlement curve. Figure 11 illustrates the use of Davisson's failure criteria for load-settlement relations of pile-case 50, yielding a capacity of $817 \mathrm{kips}(3634 \mathrm{kN})$.
(b) The Shape-of-Curve Method is a failure load approximation that usually yields a


Figure 11. Load-settlement curve for pile-case 50 with the elastic compression line inclined at approximately 20 degrees.
range of values over which the pile is considered at or near failure. The bourdaries of this range can be determined by examining the minimum curvature in the loadsettlement curve through lines drawn tangent to the load-settlement curve (similar to the method proposed by Butler and Hoy (1977)). The failure range is relatively easy to define for load-settlement curves that exhibit general failure or plunging failure (rapid settlement with slightly increased loads) (see figure 11 for example). Piles that experience local failure, or non-plunging failure, are difficult to analyze using the shape-of-curve method because of the uniform changes in slope of lines drawn tangent to the curve. Figure 11 illustrates the use of the shape-of-curve procedure, yielding an
estimated capacity range of between 685 kips and $825 \mathrm{kips}(3047 \mathrm{kN}$ and 3670 kN ) with a representative average of $755 \mathrm{kips}(3358 \mathrm{kN})$.
(c) The Limited Total Settlement Methods, $\Delta=1$ in ( 25.4 mm ) and $\Delta=0.1 \mathrm{~B}$ (Terzaghi, 1942), define the failure load as the load corresponding to settlements of 1 in and 0.1 B , respectively, where B is the diameter of the pile. These methods are not applicable in many cases. For example, the elastic compression for a very long steel pile often exceeds 1 in ( 25.4 mm ) and/or 0.1B without inducing any plastic deformation in the soil. Figure 11 shows as an example, a load-settlement curve for pile-case 50 , a 24 -in ( $610-\mathrm{mm}$ ) square concrete pile that experiences a plunging failure well before a displacement of 1 in ( 25.4 mm ). Also, it is obvious that a settlement of 0.1 B , or 2.4 in ( 61 mm ) in this case, does not represent the failure load of this pile and, therefore, is not applicable.
(d) DeBeer's log-log Method (DeBeer, 1970) defines the failure load as the load corresponding to the intersection of two distinct slopes created by the load-settlement data plotted using logarithmic scales. Figure 12 illustrates the use of DeBeer's criteria for the load-settlement curve of pile-case 50 , leading to an estimated capacity of 748 kips ( 3327 kN ). The two slopes are especially visible for piles that experience plunging failures, yet when using DeBeer's method piles that undergo local failures, the result may be a range of values. As mentioned earlier, each load-settlement curve was digitized from the standard linear plots that they were presented on and the data was stored. This data was later plotted in logarithmic scales to utilize DeBeer's method.
(e) The Representative Static Capacity: The capacity results for each method were reviewed independently, based on the load-settlement curves for each pile. After considering the pile type, soil type, size of each pile, and the load test procedure, unrealistic results were eliminated, and the acceptable values were averaged, yielding a final static capacity ( $\mathrm{R}_{\mathrm{s}}$ ). For example, for pile-case 50 . presented in figures 11 and 12, the considered criteria were: Davisson's $=817 \mathrm{kips}(3634 \mathrm{kN})$, shape of curve $=685-825$ kips ( $3047-3670 \mathrm{kN}$ ), 1.0 -in settlement $=887 \mathrm{kips}(3945 \mathrm{kN}), 0.1 \mathrm{~B}$ settlement $=\mathrm{NA}$, and DeBeer's $=748 \mathrm{kips}(3327 \mathrm{kN})$. Excluding the 0.1 B settlement method, which is not applicable, and $1.0-\mathrm{in}(25.4 \mathrm{~mm})$ settlement, which is clearly beyond the failure, the average of all the criteria led to a final static resistance assessment of $\mathbf{R}_{\mathrm{s}}=773 \mathrm{kips}$ ( 3438 kN ).

### 5.2.2 Dynamic Measurements Analysis

The analyses performed on piles in data set PD/LT employed office analysis (i.e., CAPWAP or TEPWAP) as well as several computer programs developed to process and manage force and velocity signals, including DIGITIZE, PDAP, INTEGRATE, and FILECHNG.

The dynamic analyses were performed in different ways depending on the completeness of each pile case. In all cases, the pile geometry (i.e.. type, material, length of


Figure 12. Load-settlement data plotted on a logarithmic graph for pile-case 50 to determine the failure load according to DeBeer's method.
penetration, the soil at the pile's tip and side, and the blow count) was known before any type of analysis was initiated. The individual cases were divided into three distinct groups:
(a) Group 1 - pile cases with complete CAPWAP summaries, including $\mathrm{E}_{\text {max }}, \mathrm{D}_{\max }, \mathrm{F} 1$, and V1.
(b) Group 2 pile cases with incomplete CAPWAP summaries, such as those missing $\mathrm{E}_{\text {max }}, \mathrm{D}_{\text {max }} \mathrm{F}$, and/or V1.
(c) Group 3 - pile cases that were analyzed using TEPWAP.

## (a) GROUP 1 - Complete CAPWAP Analyses

Pile group 1 contains the complete cases available in data set PD/LT. The most common adjustment necessary for the pile cases in this group was a ratio correction between the force at impact (F1) and the velocity at impact (V1). Theoretically, the force and velocity multiplied by the pile impedance are identical under a passing disturbance, as long as no other external forces act. The ratio between these values is:


where $\quad$| $\mathrm{E}=$ modulus of elasticity of the pile material |
| :--- |
| $\mathrm{A}=$ cross-sectional area of the pile |
| $\mathrm{C}=$ wave speed of the pile |

and should be equal to unity. An acceptable ratio was considered to be $1.0 \pm 0.1$. Beyond this ratio, a linear multiplier was applied to either or both parameters (force, velocity, or both) and to their byproducts, e.g., displacement and energy. The ratio between force and velocity may also be influenced by the precompression of a diesel hammer and hammer misalignment.

Precompression in a diesel hammer occurs as the air-fuel mixture is compressed by the ram just prior to combustion. This results in a force that is applied to the pile top. However, as the force is applied relatively slowly and before the actual impact between the ram and the pile top, there is not a corresponding velocity wave. This scenario results in a discrepancy between the impact force ( F 1 ) and the impact velocity (V1(EA/C)), as shown in figure 13. The force and velocity traces of pile-case 1, driven with a Delmag 30 diesel hammer, are shown in figure 13. The observed relations indicate the need for a force reduction ( $\Delta_{\text {total }}$ ), which is equal to the difference between $\Delta \mathrm{pk}$ and $\Delta \mathrm{ps}$. Prior to a correction, the ratio (V1(EA/C)/F1) for pile-case 1 was 0.874 . The factor ( $\Delta_{\text {total }}$ ) represents the number of units by which the force must be reduced in order to produce an acceptable ratio according to equation 28. The magnitude of $\Delta_{\text {total }}$ and the reduction of F1 are performed as follows:

$$
\begin{equation*}
\Delta_{\text {total }}=\Delta_{p k}-\Delta_{p s}=2 \text { units }=\succ \frac{2 \text { units }}{38.5 \text { units }} \times 250 \mathrm{kips}=13 \mathrm{kips}(58 \mathrm{kN}) \tag{28}
\end{equation*}
$$



Figure 13. Force and velocity (V*EA/C) traces of pile-case 1, a steel HP12x74 that needed a force correction (not to scale).

$$
\begin{equation*}
F 1=F 1_{\text {uscarrectad }}-\Delta_{\text {tocal }}=335.4 \mathrm{kips}-13 \mathrm{kips}=F 1_{\text {corrected }}=322.4 \mathrm{kips}(1434 \mathrm{kN}) \tag{29}
\end{equation*}
$$

The corrected F1 yields a new V1(EA/C)/F1 ratio, an adjusted $\mathrm{E}_{\text {max }}$, and a corresponding uncorrected Energy Approach prediction $\left(\mathrm{R}_{\mathrm{u}}\right)$ as follows:

$$
\begin{gather*}
\frac{V 1\left(\frac{E A}{C}\right)}{F 1_{\text {corrected }}}=0.909  \tag{30}\\
E_{\max }=18 \mathrm{kip}-f t \times \frac{322.4 \mathrm{kips}}{335.4 \mathrm{kips}}=17.3 \mathrm{kip}-f \mathrm{ft} \Rightarrow R_{\mathrm{u}}=362 \mathrm{kips}(1610 \mathrm{kN}) \tag{31}
\end{gather*}
$$

The procedure for correcting F1 is also performed in a similar manner for adjusting V1 and the corresponding $\mathrm{D}_{\text {max }}$, where $\mathrm{D}_{\text {max }}=\int \mathrm{V}(\mathrm{t}) \mathrm{dt}$. This is sometimes necessary when
either there is a significant hammer-pile misalignment that creates disturbance in the force and velocity measurements or there is a discrepancy in the measurement itself. The correction procedure for decreasing $\mathrm{V} 1(\mathrm{EA} / \mathrm{C})$ also uses the factor $\Delta_{\text {total }}$ as determined by the discrepancy in the F1 and V1(EA/C) measurements where $\Delta_{\text {total }}$ is converted to units of force. Similarly, V1(EA/C) is decreased by:

$$
\begin{equation*}
V 1\left(\frac{E A}{C}\right)_{\text {corrected }}=V 1\left(\frac{E A}{C}\right)_{\text {uncorrected }}-\Delta_{\text {total }} \tag{32}
\end{equation*}
$$

producing a corrected ratio:

$$
\begin{equation*}
\frac{\left(V 1 \frac{E A}{C}\right)_{\text {corrected }}}{F 1} \tag{33}
\end{equation*}
$$

and an adjusted $\mathrm{D}_{\text {max }}$ :

$$
\begin{equation*}
D \max _{\text {corrected }}=\int V I_{\text {corrected }} d t \tag{34}
\end{equation*}
$$

The corresponding uncorrected Energy Approach prediction is calculated using the adjusted $D_{\text {max }}$ as follows:

$$
\begin{equation*}
R u=\frac{E \max }{S e t+\frac{D \max _{\text {correcied }}-S e t}{2}} \tag{35}
\end{equation*}
$$

(see chapter 4 for Energy Approach details). It should be noted that it is sometimes necessary to correct both the force and the velocity measurements given the proper circumstances. In general, very few pile-cases required correction, the majority of which needed very small adjustments. These corrections usually had an insignificant effect on the obtained $\mathrm{J}_{\mathrm{c}}$ and Ru values.

After the static load test analysis and the dynamic analysis were completed, the Case damping coefficient ( $\mathbf{J}_{\mathrm{c}}$ ) was back-calculated using equation 6 as outlined by Goble et al. (1980).

## (b) GROUP 2 - Incomplete CAPWAP Analyses

The pile eases categorized in group 2 include piles from data set PD/LT that were analyzed via CAPWAP. Difficulties associated with retrieving and accumulating complete pile data cause pile cases to require more analysis in order to produce missing information essential for the study. Typical information missing from pile cases included $\mathrm{E}_{\max }$ (the maximum energy delivered to the pile top) and $\mathrm{D}_{\text {max }}$ (the maximum displacement of the pile top). A typical pile case in group 2 includes a static load test plot, subsurface site information, blow count records, and CAPWAP predictions at EOD,

BOR, and/or EOR, excluding the CAPWAP summary tables. The CAPWAP summary tables include pile characteristics, Case method predictions and crucial dynamic measurements ( $\mathrm{V}_{\max }, \mathrm{V}_{\text {fin }}, \mathrm{V} 1^{*} \mathrm{Z}, \mathrm{F} 1, \mathrm{~F}_{\max }, \mathrm{D}_{\max }, \mathrm{D}_{\text {fin }}, \mathrm{E}_{\text {max }}$, and $\mathrm{E}_{\text {fin }}$ ). In order to determine these missing dynamic parameters, a program was developed at UMASSLowell called INTEGRATE (written by L. Chernauskas). This program was specifically developed to calculate the uncorrected Energy Approach and the Case method similar to a more extensive and versatile program called PDAP (Pile Driving Analysis Program), which was developed by Paikowsky (1984). The program PDAP uses recorded field data from the PDA, enables it's manipulation and correction, and produces an Energy Approach prediction and a range of Case method predictions based on all the different variations for different $J_{c}$ values.

INTEGRATE processes digitized force and velocity ( $V^{*} E A / C$ ) traces (see figure 14 for example) and, using the pile parameters as given by the user, produces the dynamic measurements listed above. INTEGRATE also calculates the uncorrected Energy Approach prediction and back-calculates the Case damping coefficient ( $\mathrm{J}_{\mathrm{c}}$ ) using the following relationship:

$$
\begin{equation*}
J_{c}=\frac{R T L-F I N A L R s}{V I * \frac{E A}{C}-F I-R T L} \tag{36}
\end{equation*}
$$



Figure 14. Digitized force and velocity multiplied by the impedance (EA/C) traces for pile-case 192 used for input into INTEGRATE.

## UMASS-LOWELL GEOTECHNICAL ENGINEERING DYNAMIC PILE TESTING

| FILE...................................................................... | 33P1BOR |
| :---: | :---: |
| Pile location. | SITE 33 |
| DATE OF ANALYSIS. | 2-10-92 |
| PILE DESIGNATION. | 33P1-BOR |
| PILE TYPE. | HP12x74 |
| HAMMER TYPE | B-400 |
| NOMINAL ENERGY OF HAMMER (tr-kips).................. | 46 |
| PENETRATION DEPTH (tt). | 114.4 |
| 2L/C (msecs). | 14.39 |
| TIME INTERVAL (msecs). | . 1 |
| PILE IMPEDANCE - EA/C (kip/sec/ft) | 38.9 |
| FINAL BLOW COUNT (bl/in).............................. |  |
| T2 (oftset from T1) (msecs).................................... | 14.39 |
| SUMMARY OF OUTPUT PARAMETERS |  |
| dmax | 0.787 |
| DFIN. | 0.164 |
| HAMMER EFFICIENCY (\%). | 69.14 |
| EMAX (kip-tt)... | 31.80 |
| EFIN (kip.tt)... | 25.55 |
| VMAX ( $\mathrm{t} / \mathrm{sec}$ ) | 15.78 |
| VFIN (t/sec).. | 0.420 |
| FMAX (kips). | 637.38 |
| FFIN (kips). | 42.02 |
| J...... | -0.017 |
| F1 (kips). | 637.38 |
| F2 (kips).. | 192.10 |
| V1 (th/sec). | 15.78 |
| V2 ( $\mathrm{H} / \mathrm{sec}$ ) | -3.59 |
| (V1*EA/C)/F1 | 0.963 |
| PILE CAPACITY (kips) |  |
| DAVISSON'S CRITERIA. | 800 |
| SHAPE OF CURVE | 800 |
| $\Delta=.1 \mathrm{~B}$... | 598 |
| $\Delta=1 \mathrm{inch}$. | 522 |
| DEBEERS LOG METHOD. | 800 |
| FINAL $\mathrm{R}_{\text {S }}$ | 800 |
| CASE RTL | 792 |
| CAPWAP. | 715 |
| ENERGY APPROACH $\mathrm{F}_{\mathrm{U}}$ (uncorrected). | 898 |

Figure 15. INTEGRATE output of pile-case 192 showing the back-calculated Case $\mathrm{J}_{\mathrm{c}}$ value and the Energy Approach prediction.
(Goble et al, 1980). The static load test results are denoted FINAL R $_{8}$, and must be supplied by the user. An example of the results of an INTEGRATE analysis of the force and velocity traces shown in figure 14 for pile-case 192 (33P1BOR) is shown in figure 15. After reviewing the force and velocity (EA/C) traces for a given pile case and the (V1*EA/C)/F1 ratio, calculated by INTEGRATE, any necessary corrections and corresponding adjustments to $\mathrm{E}_{\max }$ and $\mathrm{D}_{\max }$ can be made, as outlined in section 5.5.2(a); and the uncorrected Energy Approach calculations can be performed.

## (c) GROUP 3 - TEPWAP Analyses

Several pile cases in data set PD/LT were lacking the CAPWAP office analysis and, therefore, required wave match analysis to be performed. These pile cases were categorized in group 3 and all of them were analyzed using a computer program called TEPWAP. TEPWAP (Paikowsky, 1982; Paikowsky and Whitman, 1990; and Chernauskas, 1993) utilizes a procedure somewhat similar to the CAPWAP analysis described by Goble et al. (1970). This program allows the input of the measured velocity at the pile top as a function of time, solving for a set of parameters describing the soil resistance (dynamic and static) along the pile (see section 3.3.3). Adjustments of the matches are made until the calculated force at the top matches that measured. A good agreement between CAPWAP and TEPWAP analyses was presented by Paikowsky (1982) and further confirmed by Chernauskas (1993).

The pile cases in group 3 were initially analyzed in the same manner as those in group 2, whereby their force and velocity traces were digitized with respect to time using the program DIGITIZE and processed using INTEGRATE. After these steps were successfully completed, three data files were created for each case: an input file, an identification file, and a pile/soil file. An input file for TEPWAP is created using the program DIGPWAPE that processes digitized force and velocity traces and prepares them in the same manner as the PDA. Figures 16 and 17 show the identification file and the pile/soil file for pile-case 191, respectively. These files, along with the digitized force and velocity traces (see figure 18 for example), are necessary for TEPWAP analyses. Iterations are performed, where the user is required to adjust the soil properties (i.e., side and tip damping and quake, and side and tip resistance) until an acceptable force wave match is made. Figure 19 presents the comparison between the calculated force at the top (obtained from the above procedure) to the measured force at the top of pile-case 191.

This particular pile case appears to be exhibiting pile plugging near the tip as indicated by the sudden observed force "jump" near 2L/C and again near 4L/C. Pile plugging is most commonly associated with open-pipe piles or H-piles. It usually refers to the phenomenon that occurs when soil enters the open-pipe pile during driving until the inner-soil cylinder develops sufficient resistance to prevent further soil intrusion (see Paikowsky et al, 1989; Paikowsky and Whitman, 1990). The development of friction along the web of an H-pile can also develop enough resistance to prevent soil intrusion, causing the H -pile to become "plugged." When an H-pile becomes plugged, it then

## UNIVERSITY OF MASSACHUSETTS - LOWELL GEOTECHNICAL ENGINEERING TEPWAP ANALYSIS

## 

##  <br> IDENTIFICATION DATA

JOB NUMBER. ..... TP1EOD
JOB NAME ..... 33 P
DATE OF DRIVING. ..... 10-28-77
PILE DESIGNATION ..... H
TYPE OF PILE. ..... HP $12 \times 74$
PILE LENGTH (ft.) ..... 121
TYPE OF HAMMER ..... B-400
NOMINAL ENERGY OF HAMMER (kips* $t$ ) ..... 46
DEPTH OF PENETRATION (tt.) ..... 114.4
ELEMENT LENGTH (ft.) ..... 5.26
DAMPING MODEL ..... SMITH
NUMBER OF BLOWS PER LAST THREE INCHES. ..... 13, 13, 12
DATE OF ANALYSIS. ..... 9-16-92
PDA BLOW \# ..... 2
ITERATION ..... 1
TIME INTERVAL ..... 0.200
OPTION NUMBER ..... 2

Figure 16. Example of the pile identification information of pile-case 191 used as input for the TEPWAP analysis.

| 3 | UNIVERSITY OF MASSACHUSETTS - LOWELL GEOTECHNICAL ENGINEERING TEPWAP ANALYSIS <br>  <br> SOIL AND PILE PROPERTIES ALONG PILE ELEMENTS |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| element no. | dist from gauges (fi) | area (s्q.In) | weight <br> (lbs.) | stiffr <br> ( $\mathrm{m} / \mathrm{in}$ ) | resist <br> (kips) | sum of tesist <br> (kips) | damp <br> ( $\mathrm{s} / \mathrm{m}$ ) | quake <br> (in.) | quake rebnd ratio (\%) | upwrd resist ratio (\%) |
| 3 | 5.3 | 21.8 | 300.1 | 10364 | 0.0 | 439.0 | . 000 | 0.000 | 0.0 | 0.0 |
| 4 | 10.5 | 21.8 | 380.1 | 10384 | 5.0 | 434.0 | . 020 | 0.300 | 100.0 | . 50.0 |
| 5 | 15.8 | 21.8 | 390.1 | 10364 | 5.0 | 429.0 | . 020 | 0.300 | 100.0 | 50.0 |
| 8 | 21.0 | 21.8 | 390.1 | 10384 | 3.0 | 424.0 | 020 | 0.300 | 1000 | -50.0 |
| 7 | 20.3 | 21.8 | 390.1 | 10384 | 5.0 | 419.0 | . 020 | 0.300 | 100.0 | . 50.0 |
| 8 | 31.8 | 21.8 | 390.1 | 10364 | 5.0 | 414.0 | . 020 | 0.300 | 100.0 | -50.0 |
| 9 | 30.8 | 21.8 | 350.1 | 10364 | 0.0 | 414.0 | . 010 | 0.300 | 100.0 | . 50.0 |
| 10 | 42.1 | 21.8 | 390.1 | 10364 | 0.0 | 414.0 | .010 | 0.300 | 100.0 | . 50.0 |
| 11 | 47.3 | 21.8 | 350.9 | 10364 | 20 | 414.0 | 010 | 0.300 | 100.0 | . 50.0 |
| 12 | 52.0 | 21.8 | 380.1 | 10384 | 0.0 | 414.0 | 010 | 0.300 | ${ }^{+\infty} 0$ | -50.0 |
| 13 | 57.9 | 21.8 | 390.1 | 10364 | 0.0 | 414.0 | . 010 | 0.300 | 100.0 | 50.0 |
| 14 | 63.1 | 21.8 | 390.1 | 10384 | 5.0 | 409.0 | . 010 | 0.300 | 100.0 | . 50.0 |
| 15 | 68.4 | 21.8 | 390.1 | 10364 | 5.0 | 404.0 | . 010 | 0.300 | 100.0 | . 50.0 |
| 16 | 73.8 | 21.8 | 350.1 | 10304 | 8.0 | 396.0 | . 010 | 0.300 | 100.0 | . 50.0 |
| 17 | 78.9 | 21.8 | 390.1 | 10364 | 80 | 388.0 | .010 | 0.300 | 100.0 | . 50.0 |
| 18 | 84.2 | 21.8 | 390.1 | 10364 | 8.0 | 380.0 | . 010 | 0.300 | 100.0 | . 50.0 |
| 19 | 88.4 | 21.8 | 390.1 | 10364 | 8.0 | 372.0 | .010 | 0.300 | 100.0 | -50.0 |
| 20 | 94.7 | 21.8 | 390.1 | 10364 | 8.0 | 384.0 | .010 | 0.300 | 100.0 | -50.0 |
| 21 | 99.8 | 21.8 | 390.1 | 10384 | 8.0 | 356.0 | . 010 | 0.300 | 100.0 | -50.0 |
| 22 | 108.2 | 21.8 | 380.1 | 10364 | 8.0 | 348.0 | .010 | 0.300 | 100.0 | -50.0 |
| 23 | 110.5 | 21.8 | 300.1 | 10364 | 8.0 | 340.0 | . 010 | 0.300 | 100.0 | -50.0 |
| 24 | 115.7 | 21.8 | 390.1 | 10364 | 80.0 | 2600 | . 090 | 0.150 | 100.0 | -50.0 |
| 25 | 121.0 | 21.8 | 300.1 | 0 | 100.0 | 160.0 | . 080 | 0.150 | 100.0 | -50.0 |
| Up |  |  |  |  | 160.0 | 00 | . 080 | 0.150 | 100.0 |  |

Figure 17. Example of the soil and pile properties used along the pile elements of pile-case 191 as input for the TEPWAP analysis.


Figure 18. Measured force and velocity multiplied by the impedance (EA/C) traces of pile-case 191 used by the TEPWAP analysis.


Figure 19. Comparison between measured force near the top of pile-case 191 and the calculated force from TEPWAP analysis.


Figure 20. Summary of the final results from TEPWAP analysis performed on pile-case 191.
assumes the penetration characteristics of a large displacement pile (i.e., with a closed rectangular tip). Pile plugging is shown to have the following marked effects: significant contribution to the capacity of piles driven in sand; delay in capacity gain with time for piles driven in clay; and changes in the behavior of piles during installation, causing it to differ from that described by the models commonly used to predict and analyze pile driving (Paikowsky and Whitman, 1990). Further investigation into pile-case 191 shows that the H-pile is embedded over $114 \mathrm{ft}(35 \mathrm{~m})$ into silty sand. These conditions are ideal for pile plugging to occur and, therefore, plugging can be attributed to the force match disagreement at $2 \mathrm{~L} / \mathrm{C}$ and again at $4 \mathrm{~L} / \mathrm{C}$ by TEPWAP as shown in figure 14.

The final summary of results from TEPWAP analyses are produced for each case (see figure 20 for example). These summaries allow the user to investigate the compressive and tensile stresses developed in the pile during driving (e.g., concrete piles) as well as the side and tip resistance and the measured and calculated energy delivered to the pile.

All of the pile cases that were analyzed using TEPWAP are footnoted in the data set tables in chapter 6. The Case damping coefficients for these cases were calculated as part of the INTEGRATE output as previously stated.

### 5.3 DATA SET PD

Data set PD contains information related to 403 piles; the vast majority were sorted from information related to 428 piles provided by Pile Dynamics, Inc. of Cleveland, Ohio, as part of their support of the Energy Approach method research. Large portions of the PD data set analysis were performed by McDonnell (1991). The data set contains the following information:

- Pile identification, which also refers to the time of measurement, e.g., end of driving (EOD) or beginning of restrike (BOR).
- Soil type on the side and at the tip of the piles.
- Pile type, geometry, material, and modulus of elasticity.
- Hammer type and blow count.
- Resistance obtained by CAPWAP analysis.
- All parameters pertinent to the CAPWAP analysis, e.g., damping factors and quake values.
- Maximum energy, force, velocity, and displacement of the analyzed blow.
- Resistance obtained from different Case method evaluations.

The data set is subgrouped according to pile and soil types, as shown in table 3.

Table 3. Subgrouping of the piles in data set PD (indicating the number of piles in each group).

| Pile Type/Soil Type | Sand <br> and Silt | Clay <br> and Till | Rock | N/A* | Total |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Small Displacement | 26 | 21 | 29 | - | 76 |
| Large Displacement | 92 | 50 | 78 | 22 | 242 |
| Miscellaneous" | 40 | 21 | 19 | 5 | 85 |
| Total |  |  |  |  |  |
| - Soil type not available. |  |  |  |  |  |
| - Miscellaneous piles include timber, monotube, pipe with H beams, etc. |  |  |  |  |  |

The large size of data set PD provides an excellent basis for the examination of any possible parameter relations. The complete summarized data set is presented in table 24. Correlations between the Energy Approach vs. CAPWAP predictions for the various pile/soil combinations shown in table 3 are presented in chapter 9. The total number of correlations is 15 (see table 3 for number of cases in each category).

## CHAPTER 6 - DATA SET PD/LT

### 6.1 GENERAL

This chapter summarizes the pile cases in data set PD/LT. Four tables are used to group the information into four categories (see appendix A). The groups are as follows: site and pile information (table 20), pile driving and dynamic measurements (table 21), parameters of dynamic analyses (table 22), and pile capacity based on static load test results and dynamic analyses (table 23). The following sections discuss the breakdown of these tables and provide:

- Details of where the information was gathered for each column.
- Methods used to produce the information.
- Definitions of any symbolism used.

For a list of references and contributors to data set PD/LT, see section 1.3.

### 6.2 SITE AND PILE INFORMATION - TABLE 20

## (a) Columns 1.4

The first four columns of table 20 list the case number for each case in data set PD/LT ( 208 total), the pile-case number, the site reference number, and the site location, respectively. A number is assigned to each pile-case in column 1 for all four tables to provide easier transition from one table to another. The next column lists the pile-case number that corresponds to the pile number as labeled in individual site plans and reports. Included in the pile-case numbers are extensions that designate the time of driving when measurements were taken (e.g., EOD $=$ end of driving, BOR = beginning of restrike, $\mathrm{EOR}=$ end of restrike, $\mathrm{DD}=$ during driving, and $\mathrm{BORL}=\mathrm{BOR}$ after load test). A reference number is assigned to each pile-case depending on which project the particular pile was driven and the location column lists the general area where the driving site is located (e.g., county, state, province, or country).

## (b) Columns 5-8

The next four columns of table 20 provide pile information, including the pile geomerry and the depth to which the pile was driven at the time of analysis. Column 5 briefly lists the pile type according to its material and its cross-sectional dimensions. For example, the notation HP, CEP or CP, and OEP represent a steel H-pile, a steel closed-end pipe pile, and a steel open-end pipe pile, respectively, whereas PSC, VC, and RC represent a pre-stressed concrete pile, voided concrete pile, and simply reinforced-concrete pile. Any
timber piles listed refer to those that were treated prior to driving. Following the pile type notations are the dimensions of the pile. For the closed-end and open-end pipe piles, the wall thickness dimensions can be back-calculated from the piles cross-sectional area listed in column 6. Typically, the pile length below gauges and its penetration depth, shown in columns 7 and 8, were taken from the field driving records (when available) as reported by the field engineer. Many times, the length below gauges is reported as a general value for several piles at one site (e.g., length below gauges $=$ pile length $-3 \mathrm{ft}[0.91 \mathrm{~m}]$ ). There are some cases in which there is no indication as to exact lengths and, instead of assuming the field conditions, the length below gauges according to the CAPWAP results is used.
(c) Columns 9 and 10

The soil type at the side and tip of each pile-case are listed in the final two columns of table 20. This information is obtained from subsurface investigation reports and boring logs and it is considered essential to all pile-cases in data set PD/LT. The soil descriptions listed under side and tip are generalized according to the basic nature of the soil. For example, a pile that is reported to have a sandy silt with traces of clay is listed as sandy-silt. Also, soil types listed in the following manner, cl-sa-silt, for instance, refer to a clayey sandy silt with the most predominant soil listed at the end of the classification. Several abbreviations are used to condense the soil descriptions, these include: sa = sand, si= silt, $\mathrm{cl}=$ clay, ti = till, gr = gravel, d. = dense, l. = loose, clcr = calcareous, and carb = carbonious.

### 6.3 PILE DRIVING AND DYNAMIC MEASUREMENTS - TABLE 21

The pile driving and dynamic measurements information of each pile-case are summarized in table 21.

## (a) Columns 1 and 2

In accordance with table 20, the first and second columns in this table list the case number and the pile-case number of each pile-case.

## (b) Columns 3-5

The following three columns provide relevant hammer information for each case, such as the hammer type, the rated hammer energy, and the maximum energy delivered to the pile top. The letter abbreviations used denote the manufacturers name, for instance: $\mathrm{B}=$ Bermingham, $\mathrm{D}=$ Delmag, $\mathrm{K}=\mathrm{KC}=$ Kobelco, $\mathrm{Con}=\mathrm{CN}=$ Conmaco, $\mathrm{LB}=$ Link Belt, ICE = International Construction Equipment, $\mathrm{KB}=$ Kobe, Vul = Vulcan, $\mathrm{M}=\mathrm{MH}=$ Mitsubishi, and $\mathrm{DE}=$ MKT. The abbreviations are followed by the model size (i.e., B-400 refers to a Bermingham 400 diesel hammer). The rated hammer energies are shown according to the manufacturers recommendations. The energy delivered refers to the maximum delivered energy, which is based on the dynamic measurements
and was usually determined from office analyses (i.e., CAPWAP/TEPWAP). It should be noted that often some discrepancy exists between the measured energy in the field as calculated by the PDA to the one reported by CAPWAP. This may be a result of several reasons:

- "Correction" of the waves for better proportionality before carrying out the office analysis.
- Older PDA models require the storage of data in an analog form on magnetic tapes. The data retrieval in those cases always contains some error.
- Field analysis may provide an average value while the office analysis refers to one particular blow. For reasons of consistency, whenever possible, the delivered energy value refers to the one reported by CAPWAP as the maximum energy ( $\mathrm{E}_{\text {max }}$ ).
(c) Column 6

The blow count (reported in blows per inch, BPI) is listed in the sixth column of table 21. Several times the blow count records were only in blows per foot and it was, therefore, necessary to convert these values to blows per inch. This conveniently allows the pile set to be derived in units of inches (set = 1 /blows per inch). An asterisk follows each blow count that was converted from blows per foot to blows per inch.
(d) Columns 7-10

Following the blow count is the pile impedance, velocity at impact ( $\mathrm{V}_{\mathrm{imp}}$ ), force at impact ( $\mathrm{F}_{\mathrm{imp}}$ ), the ratio [(V1*EA/C)/F1], and the maximum pile displacement ( $\mathrm{D}_{\max }$ ). As mentioned in chapter 5 , the pile impedance is used to examine the ratio between the velocity and the force waves. The impedance is calculated using:

$$
\begin{equation*}
\frac{E A}{C} \tag{37}
\end{equation*}
$$

where $\quad \mathrm{E}=$ modulus of elasticity of the pile material at the point of measurement
$A=$ cross-sectional area of the pile at the point of measurement
$C=$ wave speed of the pile.
The impedance is reported in kips per foot per second. The velocity at impact, $\mathrm{V}_{\text {imp }}$ $(\mathrm{ft} / \mathrm{s})$; the force at impact, $\mathrm{F}_{\text {imp }}$ (kips); and the maximum displacement of the pile, $\mathrm{D}_{\max }$ (in), are obtained from dynamic measurements (see chapter 4). These values were typically taken from CAPWAP summaries and/or INTEGRATE results. The ratios between velocity and force [(V1*EA/C)/F1], reported in table 21, were those corrected when necessary, as discussed in chapter 5.

### 6.4 PARAMETERS OF DYNAMIC ANALYSES - TABLE 22

The parameters associated with dynamic analyses (i.e., quake and damping) are listed in table 22.
(a) Columns 1 and 2

The first two columns of table 22 list the case numbers and pile-case reference numbers consistent with tables 20 and 21 .

## (b) Column 3

The Case damping coefficient ( $\mathrm{J}_{\mathrm{c}}$ ) reported in column 3 was back-calculated using the static load test results ( $\mathrm{R}_{\mathrm{s}}$ ) as the "predicted capacity" for each particular pile and the "standard form" of the Case method utilizing equation 36.
(c) Columns 4 and 5

Columns 4 and 5 present the pile impedance and the calculated $2 \mathrm{~L} / \mathrm{C}$, respectively. The magnitude $2 \mathrm{~L} / \mathrm{C}$ is the time that it takes for a wave to reach the pile tip and reflect back to the pile top. This term is reported in milliseconds; L represents the pile length below gauges (feet) and C represents the wave speed of the pile material (feet per second).
(d) Columns 6-9

The last four columns list the tip and side quake and the tip and side damping, respectively. These values are used as input into CAPWAP or TEPWAP analyses and were obtained from their summaries. Those values that were used in TEPWAP analyses are denoted with an asterisk. The quake values are reported in inches and the damping is reported in units of seconds/feet.

### 6.5 PILE CAPACITY: STATIC TESTS AND DYNAMIC ANALYSES - TABLE 23

The static load test results for each pile in data set PD/LT were analyzed using five different failure load interpretation procedures: Davisson's Criteria, Shape-of-Curve method, the Limited Total Settlement methods ( $\Delta=1$ inch and $\Delta=0.1 B$ ), and DeBeer's method. These procedures are discussed in detail in chapter 5.

## (a) Columns 1-3

The case number, pile-case reference number, and load test type are listed in the first three columns. The load test types have been abbreviated: $\mathrm{S}=$ standard, $\mathrm{Q}=$ quick, $\mathrm{SM}=$ slow maintained, $\mathrm{LLT}=$ Louisiana load test, $\mathrm{FQ}=$ Florida modified quick, and CRP $=$ constant rate of penetration.

## (b) Columns 4-8

Following the load test type column are the five load test interpretation methods used (all results are given in kips). The abbreviation NA refers to methods that were not applicable.
(c) Column 9

The static resistance $\left(\mathrm{R}_{\mathrm{s}}\right)$ represents the average of the resistances given by the five methods (see chapter 5 for discussion).

## (d) Columns 10-12

The last three columns report the capacity predictions from CAPWAP or TEPWAP, the Energy Approach, and the Energy Approach correction factor ( $\mathrm{K}_{\mathrm{sp}}$ ). The predictions based on TEPWAP analyses are denoted with an asterisk. The CAPWAP/TEPWAP and Energy Approach predictions are reported in kips.

## CHAPTER 7 - DATA SET PD

### 7.1 PILE/SOIL AND DYNAMIC MEASUREMENTS OF DATA SET PD - TABLE 24

The information of data set PD was provided by Pile Dynamics, Inc. of Cleveland, Ohio, as part of their support of the Energy Approach method research. Table 24 in appendix B summarizes the information describing the pile geometry, skin and toe soil, and dynamic measurements of the piles comprising data set PD (403 in all). Initially, this data set consisted of 428 pile-cases, however, 25 cases were removed because they were either duplicates or they were missing information. Table 24 categorizes the PD pilecases according to pile type and soil type. A summary of these categories is presented in table 3. The correlations between the Energy Approach and CAPWAP are presented in chapter 9 .

## (a) Columns 1 and 2

The first two columns in table 24 list the reference number and the pile name according to designations made by Pile Dynamics, Inc.

## (b) Columns 3 and 4

The side and toe soil are abbreviated in a similar manner to table 20, however, there are several additional soil types included: alluv=alluvial, clayston=claystone, coopermar = coopermarl, limestn = limestone, sastone = sandstone, overburd = overburden, dolom = dolomite, cobbl = cobbles, til = till, tilall = alluvial till, and sigr = silty gravel.

## (c) Columns 5-9

The pile type and geometry are given in column 5 and are abbreviated in a similar fashion to table 20. The length below gauges, cross-sectional area, and modulus of elasticity are listed in columns 6,7 , and 8 , respectively, and their units are as shown. Hammer type is listed in column 9 and abbreviations are consistent with those in table 20. Additional abbreviations include RAY $=$ Raymond and IHC $=I H C$ Hydrohammer.
(d) Columns 10-14

The dynamic measurements are reported in columns 10 through 13 and are listed as follows: FMX = maximum force at the pile top (kips), EMX = maximum energy delivered to the pile (kip-ft), VMX = maximum velocity at the pile top ( $\mathrm{ft} / \mathrm{s}$ ), and $\mathrm{DMX}=$ the maximum displacement of the pile top (in). Column 14 contains the blow count for each pile-case reported in blows per inch.

## (e) Columns 15 and 16

The last two columns list the CAPWAP predictions (in kips) and the corresponding Energy Approach predictions (in kips) for each pile-case, respectively.

### 7.2 SIDE/TIP QUAKE AND DAMPING PARAMETERS OF DATA SET PD - TABLE 25

Table 25 in appendix B summarizes the quake and damping parameters used for both the side and tip of each PD pile-case. The first five columns are identical to table 24 , however, the pile-cases are listed in ascending order according to the reference numbers in column 1.
(a) Columns 6 and 7

The quake parameters used for the side and tip soil are listed in columns 6 and 7, respectively. These values are reported in inches.

## (b) Columns 8 and 9

The last two columns of table 25 list the damping parameters used for the side and tip soil of each pile-case (reported in seconds per foot).

## CHAPTER 8 - ANALYSIS OF DATA SET PD/LT

### 8.1 OVERVIEW

### 8.1.1 Purpose

The aim of this chapter is to present the analysis of the pile-cases in data set PD/LT in two forms by using:

- Graphical correlations, e.g., between static load test results and dynamic predictions (i.e., CAPWAP/TEPWAP and the Energy Approach), considering different factors such as pile and soil type, time of driving, and driving resistance.
- Statistical analyses in combination with the graphical correlations in order to establish conclusions and recommendations.


### 8.1.2 Outline

Three different types of correlations were investigated for the pile cases of data set PD/LT. The three categories and their rationales are presented below.
(a) Damping Parameters-Soil Type Correlations

One of the basic concepts presented in this research is that the different damping parameters fulfill the need for absorbing energy rather than truly representing either the soil or the physical phenomena it is subjected to. As such, correlations were built between the different damping parameters (Smith side and tip and the Case damping) and soil type, in order to examine the existence or nonexistence of such relations. The correlations of this category are presented in section 8.2.

## (b) Prediction Methods-Load Test Capacity

Three dynamic analysis methods are examined throughout this research: (1) the office analyses (CAPWAP/TEPWAP), the field analysis (the Case method), and the proposed Energy Approach. Correlations were built between the predictions of CAPWAP/TEPWAP analysis and the Energy Approach analysis to the actual capacity based on the load test results. No correlations were built between the Case method predictions and the load test results, due to the following reasons:

- The method has a variety of shapes in which it can be implemented (see section 3.5 ), hence, no "unique" value would be valid.
- Previous studies (see section 3.5.5) suggested limited accuracy.
- The method is based on the notion of an existing correlation between the $\mathrm{J}_{\mathrm{c}}$ damping parameter and the soil type at the tip. This was proven not to exist in the correlations described in group (a) above (see section 8.1.2).

In order to examine the influence of different factors (e.g., pile shape, driving resistance, time of driving, soil type, etc.), these correlations were built from the most generic cases (e.g., CAPWAP vs. load test results for all piles) to the private cases (e.g., CAPWAP predictions vs. load test results for small displacement piles in sand).

The correlations of this category are presented in sections 8.3.2 and 8.3.3 for different pile and soil types and in section 8.3 .4 for different driving times. Their statistical analyses and interpretations are presented in section 8.4.

## (c) Office Method/Field Method Predictions

Data set PD/LT contains information that is difficult to obtain. In general, very few load tests are carried out and, of those, only a small portion are carried out to failure. A considerably smaller portion is monitored dynamically during driving. As such, a strong correlation between the dynamic methods themselves may prove beneficial where load test data is not available. Correlations between the different predictions can therefore be compared to those obtained for data set PD for which static resistance is not available. These correlations are presented as part of sections 8.3 through 8.6 and are compared to those of data set PD in chapter 9.

### 8.2 DAMPING PARAMETERS AND SOIL TYPE GRAPHICAL CORRELATIONS

As previously discussed in chapter 4, viscous damping accounts practically for different energy losses, including radiation, soil inertia, and viscosity in cohesive soils. The damping parameters and their calibrations based on soil type have therefore been questioned.

### 8.2.1 Case Method Damping

The Case damping coefficient $\left(\mathrm{J}_{\mathrm{c}}\right)$ is based on viscous damping in a dimensionless form, and is assumed to be related to the soil type at the pile's tip. Figure 21 presents the back-calculated Case damping coefficients for data set PD/LT vs. soil type at the pile tip. $\mathrm{J}_{\mathrm{c}}$ was calibrated using the static capacity $\mathrm{R}_{\mathrm{s}}$ and the "standard" Case method, as outlined by Goble et al. (1975) (see equations 6 and 36). It is shown that for the 208 pile-cases reported, no specific correlation exists between the soil type and the damping coefficient. Moreover, the obtained negative damping coefficients have no physical meaning and should be reviewed only for the purpose of illustrating the limitations of the $\mathrm{J}_{\mathrm{c}}$ coefficient.

### 8.2.2 Smith Damping

Figures 22 and 23 compare the Smith damping coefficients (side and tip) used by CAPWAP/TEPWAP to the soil type at the side and tip of the pile, respectively. Corrections were not made to the office analysis, hence, the capacities obtained by the presented analysis reflect the predicted capacity and not the actual static capacity. A large variation of the damping parameter values can be observed for each soil type. Consequently, no specific correlation was made between the damping coefficients and soil type. These relations are further examined for the pile-cases of data set PD in chapter 9 and for all combined cases (581) in chapter 10.

### 8.3 DYNAMIC PREDICTION-STATIC CAPACITY GRAPHICAL CORRELATIONS

### 8.3.1 Correlations Breakdown

The graphical relationships between CAPWAP/TEPWAP and the Energy Approach to the static load test results were produced for all PD/LT pile-cases. These relationships are shown in the form of scatter plots (scattergrams). These plots were necessary as no statistical analysis can provide the actual observed information. The scatter plots were further divided into subgroups based on:

- Pile type (i.e., large and small displacement), presented in section 8.3.2.
- $\quad$ Soil type at the pile tip, presented in section 8.3.3.
- Time of driving (i.e., $\mathrm{EOD}=$ end of driving, $\mathrm{BOR}=$ beginning of restrike), presented in section 8.3.4.

The scatter plots for each different subgroup are shown in a consistent order: (1) static load test vs. CAPWAP/TEPWAP predictions, (2) static load test vs. Energy Approach predictions, and (3) CAPWAP/TEPWAP predictions vs. Energy Approach predictions. A flow chart illustrating the breakdown of all cases is presented as table 4. Each correlation graph includes a first-order best-fit line through zero (shown as the solid line), the corresponding coefficient of determination ( $\mathrm{r}^{2}$ ), and a set of dashed lines representing the ratio between the actual capacity over the predicted one to allow the assessment of over- and under-predictions. For example, points falling on a dashed line labeled 0.80 designates an over-prediction, where the actual static capacity is 80 percent of the predicted capacity. It should be noted that this ratio is a direct multiplier, hence, the ratio represents the value that when multiplied by the prediction will give the "correct" capacity. This is the inverse to the ratio of the predicted over measured capacity used, for example, by Olson and Dennis (1989) or Briaud et al (1988). The

Table 4. Breakdown of all PD/LT categories.

breakdown of the best-fit line (using linear regression) for all cases is presented in tables 5,6 , and 7.

### 8.3.2 Pile Type Correlations

(a) All Piles

The following graphs compare static load test results, CAPWAP/TEPWAP, and the Energy Approach, based on the pile type and the soil type at the pile tip.

Figures 24, 25, and 26 present all PD/LT pile-cases in all types of soil. As indicated earlier, all relationships are shown in the following sequence:
(1) CAPWAP/TEPWAP vs. Static Capacity (figure 24).
(2) Energy Approach vs. Static Capacity (figure 25).
(3) CAPWAP/TEPWAP vs. Energy Approach (figure 26).

The information in figure 24 indicates that a large scatter exists when comparing the predicted capacity of the office analyses to the actual static capacity. The predicted capacity ranges from over-predictions of about 0.6 (predicted over actual $\approx 1.7$ ) to a maximum under-prediction of 4.4, with most cases falling within the under-prediction ratio of 2.5 (predicted over actual $\approx 0.4$ ). Overall, the tendency is of under-prediction, with the best-fit line (forced through zero) indicating a ratio of 1.265 .

Figure 25 also exhibits a scatter when comparing the Energy Approach predictions to the actual load test results. The predictions range from under-predictions of 1.67 (predicted over actual $\approx 0.6$ ) to over-predictions of 0.45 , with most cases falling within the overprediction ratio of 0.50 (predicted over actual $\approx 2.0$ ). The best-fit line indicates an overall over-prediction with a ratio of 0.839 .

It is important to note that the range of under-prediction to over-prediction of the office analyses is about twice that of the Energy Approach. The maximum over-prediction of CAPWAP is 0.57 and the under-prediction is 4.41, compared to the Energy Approach method that ranges between 0.45 and 1.74 . These numbers indicate a range of under- to over-prediction of 7.74 for the office analyses, compared to 3.88 for the Energy Approach. This important observation becomes clearer when scattergrams are built as the relationships between the ratio of the actual capacity over the predicted capacity (the slopes in figures 24 and 25 ) versus the predicted capacity. These relationships are presented in figures 27 and 28 (for the office method and the Energy Approach method, respectively) and clearly demonstrate the large scatter in the prediction ratios in the office methods when compared to that of the Energy Approach. The linear best-fit lines of the data in figures 27 and 28 are:

$$
\begin{aligned}
& \mathrm{K}_{\mathrm{sw}}=1.4867-0.00024 \mathrm{R}_{u} \\
& \mathrm{~K}_{\mathrm{sp}}=1.0259-0.00013 \mathrm{Q}_{u}
\end{aligned}
$$

Table 5. Linear-regression analysis of $\mathrm{K}_{\mathrm{bw}}$ for selected PD/LT pile-cases.

| Ksw $\boldsymbol{\sim}$ Static Load Test Results / CAPWAP or TEPWAP predictions |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| PileCase Group | Number | Linear Regression |  |  |  |  |
|  |  | Best Fit |  |  | Forced through Zero |  |
|  |  | $x$-coefficient | y-intercept | r squared | $x$-coeticient | r squared |
| AAA | 206 | 1.127 | 97.3 | 0.707 | 1.265 | 0.692 |
| AAS | 141 | 1.128 | 112.2 | 0.767 | 1.272 | 0.749 |
| AAC | 51 | 1.057 | 140.7 | 0.413 | 1.319 | 0.383 |
| AAR | 14 | 0.937 | -14.0 | 0.581 | 0.908 | 0.580 |
| AEA | 97 | 1.065 | 151.7 | 0.779 | 1.248 | 0.740 |
| ABA | 109 | 1.344 | -36.2 | 0.616 | 1.284 | 0.614 |
| LAA | 162 | 1.315 | 32.2 | 0.555 | 1.372 | 0.554 |
| LAS | 118 | 1.360 | 3.6 | 0.595 | 1.366 | 0.595 |
| LAC | 43 | 1.164 | 118.3 | 0.411 | 1.391 | 0.393 |
| LEA | 68 | 1.450 | 37.2 | 0.530 | 1.529 | 0.528 |
| LBA | 94 | 1.385 | -48.3 | 0.598 | 1.307 | 0.596 |
| SAA | 44 | 1.074 | 38.8 | 0.934 | 4.108 | 0.932 |
| SAS | 23 | 1.048 | 138.4 | 0.968 | 1.142 | 0.952 |
| SAC | 8 | 0.854 | 104.8 | 0.688 | 1.021 | 0.653 |
| SAR | 13 | 0.980 | -35.4 | 0.378 | 0.908 | 0.376 |
| SEA | 29 | 1.073 | 52.2 | 0.936 | 1.813 | 0.933 |
| SBA | 15 | 0.922 | 76.3 | 0.812 | 1.069 | 0.785 |

Pile-case legend: $\quad X X X \quad$ - first letter denotes pile type: $A=$ all piles, $L=$ large displacement, and $\mathrm{S}=$ small displacement.

- second letter denotes time of measurement: $A=$ anytime $E=e n d$ of driving, and $B=b e g i n n i n g$ of restrike.
- third letter denotes soil type: $A=a l l$ soils, $S=$ sand and silt, $C=$ clay and till, and $R=$ rock.

Table 6. Linear-regression analysis of $\mathrm{K}_{\mathrm{sp}}$ for selected PD/LT pile-cases.

| Ksp = Static Load Test Results / Energy Approach predictions |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pile- <br> Case <br> Group | Number | Linear Regression |  |  |  |  |
|  |  | Best Fit |  |  | Forced through Zero |  |
|  |  | x-coefficient | y-intercept | r squared | x-coefficient | r squared |
| AAA | 208 | 0.736 | 111.5 | 0.723 | 0.839 | 0.703 |
| AAS | 141 | 0.721 | 130.3 | 0.725 | 0.831 | 0.700 |
| AAC | 53 | 0.789 | 74.2 | 0.675 | 0.872 | 0.666 |
| AAR | 14 | 0.864 | -18.3 | 0.745 | 0.830 | 0.744 |
| AEA | 98 | 0.791 | 126.6 | 0.830 | 0.900 | 0.804 |
| ABA | 110 | 0.677 | 111.8 | 0.597 | 0.786 | 0.578 |
| LAA | 164 | 0.668 | 160.8 | 0.579 | 0.832 | 0.534 |
| LAS | 118 | 0.634 | 184.2 | 0.548 | 0.816 | 0.489 |
| LAC | 45 | 0.784 | 88.4 | 0.669 | 0.882 | 0.656 |
| LEA | 69 | 0.787 | 145.2 | 0.648 | 0.966 | 0.603 |
| LBA | 95 | 0.669 | 119 | 0.569 | 0.780 | 0.550 |
| SAA | 44 | 0.816 | 58.2 | 0.920 | 0.856 | 0.916 |
| SAS | 23 | 0.795 | 129.3 | 0.930 | 0.863 | 0.916 |
| SAC | 8 | 0.767 | 28.1 | 0.713 | 0.804 | 0.711 |
| SAR | 13 | 0.935 | -57.5 | 0.628 | 0.829 | 0.619 |
| SEA | 29 | 0.809 | 73.2 | 0.922 | 0.851 | 0.917 |
| SBA | 15 | 0.914 | -7.1 | 0.737 | 0.902 | 0.737 |

Pile-case legend: $\quad X X X \quad$ - first letter denotes pile type: $A=$ all piles, $L=$ large displacement, and $S=$ small displacement.

- second letter denotes time of measurement: $A=a n y t i m e$ $E=e n d$ of driving, and $B=b e g i n n i n g$ of restrike.
- third letter denotes soil type: $A=a l l$ soils, $S=$ sand and silt, $C=$ clay and till, and $R=r o c k$.

Table 7. Linear-regression analysis of $\mathrm{K}_{\mathrm{ew}}$ for selected PD/LT pile-cases.

| K Kew = CAPWAP or TEPWAP predictions/Energy Approach predictions |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pile- <br> Case <br> Group | Number | Linear Regression |  |  |  |  |
|  |  | Best Fit |  |  | Forced through Zero |  |
|  |  | $x$-coefficient | y-intercept | r squared | x-coefficient | r squared |
| AAA | 206 | 0.573 | 73.1 | 0.782 | 0.641 | 0.766 |
| AAS | 141 | 0.592 | 54.3 | 0.810 | 0.637 | 0.802 |
| AAC | 51 | 0.479 | 121.8 | 0.607 | 0.624 | 0.539 |
| AAR | 14 | 0.720 | 96.8 | 0.783 | 0.901 | 0.730 |
| AEA | 97 | 0.675 | 26.1 | 0.861 | 0.698 | 0.859 |
| ABA | 109 | 0.424 | 173.6 | 0.693 | 0.593 | 0.553 |
| LAA | 162 | 0.420 | 163.9 | 0.701 | 0.589 | 0.554 |
| LAS | 118 | 0.415 | 172.1 | 0.732 | 0.586 | 0.571 |
| LAC | 43 | 0.423 | 150.3 | 0.567 | 0.600 | 0.446 |
| LEA | 68 | 0.406 | 158.7 | 0.611 | 0.612 | 0.407 |
| LBA | 94 | 0.411 | 181 | 0.670 | 0.581 | 0.549 |
| SAA | 44 | 0.742 | 32.1 | 0.939 | 0.764 | 0.937 |
| SAS | 23 | 0.751 | -1.4 | 0.942 | 0.750 | 0.942 |
| SAC | 8 | 0.876 | -75.3 | 0.986 | 0.779 | 0.971 |
| SAR | 13 | 0.552 | 189.4 | 0.557 | 0.900 | 0.329 |
| SEA | 29 | 0.736 | 35.4 | 0.940 | 0.757 | 0.939 |
| SBA | 15 | 0.971 | -80.2 | 0.871 | 0.834 | 0.851 |

Pile-case legend: $\quad X X X \quad$ - first letter denotes pile type: $A=$ all piles, $L=$ large displacement, and $\mathrm{S}=$ small displacement.

- second letter denotes time of measurement: $A=$ anytime E=end of driving, and $B=b e g i n n i n g$ of restrike.
- third letter denotes soil type: $A=a l l$ soils, $S=$ sand and silt, $C=$ clay and till, and $R=$ rock.
in which $R_{u}$ and $Q_{u}$ are the predicted capacities (in kips) by the office method and the Energy Approach method, respectively. These best-fit linear-regression lines indicate that:
- Predictions are not a function of the load, although both equations indicate a reduction in the ratios ( $\mathrm{K}_{\mathrm{sw}}$ and $\mathrm{K}_{\mathrm{sp}}$ ) with the increase of the load. This increase is very small for both prediction methods.
- Average $\mathrm{K}_{\mathrm{sp}}$-value with load is 1.03 , where the average $\mathrm{K}_{\mathrm{sw}}$ with load is 1.49.

A few additional general observations can be made regarding the trends shown in figures $24,25,27$, and 28 :

- No specific correlations seem to exist between accuracy in prediction and soil type.
- Small displacement piles seem to have significantly less scatter than the one observed for the large displacement piles.

The relationship between the predicted capacities of the office methods and the Energy Approach is shown in figure 26. The information demonstrates consistent correlation within the range of 1.00 to 0.40 . The best-fit line forced through zero is the ratio of 0.641 , which means that the Energy Approach predictions are about 1.56 times those of the office predictions. This ratio is close to: (1) the ratio between the mean prediction ratio of the office methods (1.367) and the Energy Approach (0.925), which leads to 1.48; and (2) the best-fit ratio of the office methods (1.265) and the Energy Approach (0.839), which leads to 1.51 .

In observing figure 26, it can also be noted that the scatter of the small displacement piles is much smaller than that of the large displacement piles. Moreover, the ratio of best fit for the small displacement is 0.764 (see figure 34) with a mean value of 0.796 (see table 5). This observation has a special meaning as it indicates that in the cases where small soil inertia takes place, both methods are in much better agreement, with the Energy Approach prediction only about 1.3 times that of the office methods.

## (b) Large Displacement Piles

The relationships pertaining to large displacement piles for all soil types are shown in figures 29 through 31.

The relationship between the office analyses and the actual static capacity for large displacement piles shows significant over-predictions. The best-fit line yields an increase from 1.265 - obtained for all piles in figure 24 - to 1.370 . The prediction ratios range from 4.41 to 0.57 with most cases in the range of 2.50 to 0.80 (actual over-prediction).

This emphasizes the outlined notion that energy loss takes place mainly due to soil inertia. Hence, the signal matching techniques using viscous damping models can not correctly represent the actual mechanism and, as a result, under-predict the actual pile capacity. It can also be mentioned in this context that the best-fit line ratio for all small displacement piles (to be presented in figure 32) is 1.108 .

The information in figure 30 yields similar results to those in figure 25 , with a considerable scatter between Energy Approach predictions and actual load test results. No significant changes can be seen from figure 25 through 28 as the best-fit ratio for large displacement piles is consistent at 0.832 .

Figure 31 indicates a high correlation between the methods, similar to that presented in figure 26 with the CAPWAP/TEPWAP over Energy Approach ratio ranging from about 1.00 to 0.40 . The best-fit line through zero produced a prediction ratio of 0.589 (CAPWAP/TEPWAP over Energy Approach).
(c) Small Displacement Piles

The relationships pertaining to small displacement piles for all soil types are shown in figures 32 through 34.

The correlation between the office method predictions and the actual static capacity for small displacement piles is shown in figure 32. The general trend indicates a relatively good agreement with a best-fit line forced through zero producing a ratio of 1.108 , much closer to the desired ratio of 1.0 than that for the large displacement piles. The scatter is substantially smaller than that for the large displacement piles. The prediction ratios range from an over-prediction of about 2.5 to an under-prediction of 0.6 (actual overprediction) with the majority of data falling between 1.25 and 0.60 . While no clear trend can be seen on the basis of soil type, the capacity of all piles driven in rock seem to be over-predicted by the office method. This distinction seems to be more related to driving resistance as all of these cases present high driving resistance of over 10 BPI .

The Energy Approach predictions vs. the actual load test results for small displacement piles are presented in figure 33. The presented relationship indicates a small scatter with ratios ranging from about 1.67 to 0.60 , with the majority of the data falling between 1.10 and 0.60 . The best-fit line through zero yields a ratio of 0.856 , which is only slightly higher than the ratios in figures 25 and 30 . It should be noted that the scatter of both methods, the Energy Approach predictions in figure 33 and the office methods in figure 32, are very small when compared to that observed for the large displacement piles, as indicated by the coefficients of determination.

The information in figure 34 indicates that a distinct trend has developed between the two methods of analysis. The data shows very small scatter with ratios ranging between 1.00 and 0.60 , with the best-fit ratio through zero equal to 0.764 .

## (d) Intermediate Conclusions

See tables 5 through 7 for statistical data. Different correlations have been investigated on the basis of pile type.

- A relatively large scatter appears in the predictions of both dynamic methods, the office methods and the Energy Approach, for all cases (AAA). While the office methods under-predict on the average ( $\mathrm{K}_{\mathrm{sw}}=1.265$ ), the Energy Approach over-predicts ( $\mathrm{K}_{\mathrm{sp}}=0.839$ ). Both scatters are reflected through:
(1) Relatively low coefficient of determination for the best-fit line through zero ( $r^{2}=0.692$ and 0.703 for the office methods and the Energy Approach, respectively).
(2) High intercept for unforced best-fit lines (y-intercept $=97.3 \mathrm{kips}$ and 111.5 kips [ 432.8 kN and 496 kN ] for the office and Energy methods, respectively).
- Much better correlations and a smaller scatter appear for both methods when predicting the capacity of small displacement piles compared to large displacement piles. For the office methods, the best-fit ratios and coefficients of determination are $1.372, \mathrm{r}^{2}=0.554$ and $1.108, \mathrm{r}^{2}=0.932$ for large and small displacement piles, respectively. For the Energy Approach, the best-fit ratios and coefficients of determination are 0.832 , $r^{2}=0.534$ and $0.856, r^{2}=0.916$ for large and small displacement piles, respectively.
- As a result of the above, both methods seem to correlate very well to each other in all cases. A similar ratio is produced for the relationship between the predictions of CAPWAP/TEPWAP and the Energy Approach, regardless of pile type. This ratio varies between 0.641 for all piles to 0.589 for large displacement piles and 0.764 for small displacement piles. The coefficient of determination for the best-fit line through zero, however, is the highest for the small displacement piles ( $r^{2}=0.937$ ), compared to 0.554 for the large displacement piles. This may imply that both methods encounter the same difficulties under the same conditions in spite of the fact that the Energy Approach does not consider any dynamic resistance while the office methods consider dynamic resistance through viscous damping.
- No clear trends in the predictions appear on the basis of soil type at the tip, whereby predictions in all types of soil exist throughout, without any particular order. This conclusion is observational only and requires a quantitative evaluation that is presented in the following section.


### 8.3.3 Pile-Soil Type Correlations

The PD/LT pile-cases were subgrouped according to the different tip-soil types in an effort to investigate possible trends developing according to end-bearing soils. The correlations follow the sequence outlined in section 8.3.2 for three tip-soil conditions: sand and silt, clay and till, and rock.

## (a) Sand and Silt

Figure 35 shows the correlation between the office method predictions and the actual static capacity for a PD/LT pile-case in sand and silt. The results remain consistent with figures 24 and 27 as they continue to under-predict. The best fit through zero shows an under-prediction ratio of 1.272 . The scatter is, however, smaller for predictions in sand and silt, with the ratio ranging from 2.5 to 0.80 (load test over-prediction) and the coefficient of determination is 0.749 .

The correlation between the Energy Approach predictions and the actual static capacity in sand and silt is shown in figure 36 . The scatter is consistent with that of figure 25 , with a best fit ratio very similar at 0.831 . The ratio range is unchanged and it is difficult to see any different trends based on the sand and silt subgroup. It is noticeable, however, that all predictions pertaining to small displacement piles are contained within a narrow range approximately between 0.80 and 1.60 .

The information in figure 27 indicates a good agreement between the office analysis predictions and the Energy Approach predictions for piles driven in sand and silt. The best-fit line forced through zero yields a ratio of 0.639 , which is very consistent with the correlations of tigures 26 and 31. The range of ratios remains between 1.00 and 0.40 , with the majority of the points falling between 1.00 and 0.60 . These results suggest that the sand and silt end-bearing soil has little effect on the overall trend of the prediction ratios.

## (b) Clay and Till

The relationships in figure 38 between the office analysis predictions and the actual load test results for clay and till result in a similar best-fit line to the one obtained for the relationships in sand and silt. Considering the difference in the number of data points, however, it seems that the 51 cases of piles in clay and till are scattered much more relative to the 139 cases of piles in sand and silt. As a result, the coefficient of determination of the cases in sand and silt is much higher than that of clay and till ( 0.749 compared to 0.383 for the best-fit line through zero). The best-fit line yielded a ratio of 1.319, which far exceeds the best-fit ratio of figure 24 in which the small displacement piles were included. It is also interesting to note that the best-fit line resulted in a ratio of 1.057 with an intercept of $141 \mathrm{kips}(627 \mathrm{kN})$. Time effects have not been considered in figure 38 and the data represents all states of EOD and BOR. Time effects will be addressed in section 8.3.4.

The relationships between the Energy Approach predictions and the actual static capacity is shown in figure 39. This information indicates a similar scatter (see figures $25,30,33$, and 36 ) among the predictions, with the best-fit line remaining nearly unchanged at 0.872 (actual over-prediction). Based on figures 36 and 39, it appears that soil type, alone, has little effect on the overall performance of the Energy Approach.

Figure 40 demonstrates the consistency that has been evident in figures $26,31,34$, and 37. The correlation between the office analysis predictions and the Energy Approach remain within a range of 1.00 and 0.40 , with a distinct trend developing around the 0.80 line. The best-fit ratio (forced through zero) is 0.624 and a comparison with the sand and silt best-fit ratio (figure 37) shows a similar value. The coefficient of determination for the clay and till cases is substantially lower, however, and is approximately 0.539 , compared to 0.802 for the best-fit line through zero for the pile cases in sand and silt. This shows that although, on the average, the ratio is unchanged, the agreement between the methods is more scattered for piles in clay.
(c) Rock

The correlation between the office analysis predictions and the actual static capacity for piles end-bearing on rock showed a considerably better prediction ratio with a considerable scatter. The best-fit line in figure 41 yielded an under-prediction ratio of 0.908 with all points falling almost exclusively in the range of 1.25 and 0.60 (actual overprediction), yielding a poor coefficient of determination of 0.580 . These results may be attributable to three reasons: (1) all the piles driven into rock are small displacement piles (except for one), (2) the driving resistance in the majority of cases ( 13 out of 14) ranges between 10 and 44 blows per inch ( 0.394 and 1.73 blows per mm), and ( 3 ) the presented subset contains only 14 pile-cases.

The information in figure 42 for the correlation between the Energy Approach predictions and the actual static capacity in rock produced very good results, showing excellent agreement that is consistently within a range between 1.00 and 0.60 . The bestfit line shows a ratio of 0.823 with a coefficient of determination of 0.744 , which is consistent with the other correlations between the Energy Approach and the actual static capacity previously mentioned.

Figure 43 indicates a very good correlation between the office analysis predictions and the Energy Approach predictions. The best-fit line forced through zero yields a ratio of 0.901 and all data points fall within $\pm 20$ percent of the best-fit line.
(d) Intermediate Conclusions

See tables 5, 6, and 7 for statistical data.
Different correlations have been investigated on the basis of soil-type conditions at the tip.

- The office analysis relationships seem to be less scattered for the predictions of piles in sand compared to those in clay. Both best-fit line coefficients indicate a similar ratio for both soil types, 1.272 and 1.319 for sand and clay, respectively. Their coefficients of determination differ substantially however, $\mathrm{r}^{2}=0.749$ and 0.383 for sand and clay, respectively. The "free" trend best-fit line for both cases show an intercept of 112 kips and 141 kips ( 498 kN and 627 kN ) for sand and clay, respectively. The coefficients of determination of these lines are similar, however, to those for the lines forced through zero.
- The relationships of the Energy Approach analyses seem to be consistent for both clay and sand pile-cases. The best-fit ratios through zero and coefficients of determination are $0.831, \mathrm{r}^{2}=0.700$ and $0.872, \mathrm{r}^{2}=0.666$ for sand and clay, respectively.
- The relationships between the predicted capacity of piles in rock and the static capacity is different for both methods. The Energy Approach shows consistency in the best-fit coefficient and the coefficient of determination when compared to the sand and clay cases. The office analyses present a much better best-fit line with a relatively high scatter. The presented relationships for rock have been discussed separately and represent a separate case due to the small number of piles and the fact that all of them are small displacement piles driven in a high driving resistance.
- Less scatter appeared for the small displacement piles under all categories of soil types. This is in agreement with the previous section's conclusion that examined the pile-type case.
- A consistent ratio appears between the predictions of both methods and pile types. Higher scatter exists for the predictions in clay compared to sand $\left(r^{2}=0.539\right.$ in clay vs. $r^{2}=0.802$ in sand $)$.


### 8.3.4 Correlations of Pile and Soil Type for Different Driving Time

Further relationships were developed to examine any trends that may take place as a direct result of the time during driving for which the predictions were made. The subgrouping includes pile type (large displacement and small displacement) and time of driving ( $E O D=$ end of driving and $B O R=$ heginning of restrike).

Two comments made in regard to these comparisons are:

- The EOD condition is of great importance as ideally we would like to accurately find the pile capacity at the end of driving state, which also enables us to control driving according to our real-time predictions.
- The BOR records consist of different driving times after the initial EOD. These records were lumped together as one group. As such, the actual setup time and stage in which the driving took place was not considered. For the cases that were examined independently, consistent improvements were observed with each elapse of time since EOD.


## (a) All Piles - EOD

Figure 44 presents the relationship between the office analysis predictions and the actual static capacity for all PD/LT piles in all types of soil at the end of driving (AEA). The results show a scatter with the prediction ratio ranging from 4.41 to 0.57 , consistent with the best-fit lines produced in figure 24 for predictions at anytime during driving (AAA). The best-fit line forced through zero produced an under-prediction ratio of 1.248 , or about +25 percent of the actual static capacity. The coefficient of determination improves somewhat from $\mathrm{r}^{2}=0.692$ for all cases to 0.740 for the EOD conditions. Moreover, it seems that the under-prediction can be mostly attributed to the large displacement piles, whereas the predictions for the small displacement piles seem to concentrate within a zone of lower and more accurate load test over-prediction ratios. With regard to the best-fit line of the relationships in figure 44, it should be noted that the presented best-fit line is the one forced through zero (origin of axis). In most other cases, the slope of the forced best-fit line does not differ much from that of the unforced minimum square best-fit line. For the data presented in figure 44 the situation is different. The unforced best-fit line has a slope of 1.065 (see table 6) with a y-intercept of 152 kips ( 676 kN ). This, again, implies some consistent under-prediction for the office methods in analyzing the EOD records.

The information in figure 45 indicates a prediction range from 1.67 to 0.60 for the correlation between the Energy Approach and the actual static capacity at EOD (AEA). The general scatter is substantially smaller than that of the office methods in figure 44, with a coefficient of determination of $r^{2}=0.804$. The best-fit prediction ratio increases substantially from the correlation for all cases (figure 25 , ratio of 0.839 ) to 0.901 (prediction over actual $\approx 1.11$ ).

It is important to note that for all the cases where substantial under-predictions took place in the office analyses, reasonable predictions were achieved by the Energy Approach. Observing figure 44, it can be seen that in many cases, the predictions exceed the line denoted by 1.67 (load test 67 percent higher than the prediction) up to a ratio of 4.4. All these cases are within the 1.67 line of the Energy Approach. Although not easily explained, in many cases in which improvement in prediction of the office method was observed with time, more accurate predictions were obtained by the Energy Approach at the EOD.

Figures 46 and 47 present the same data as that presented in figures 44 and 45 , in the form of scattergrams of the actual over-prediction ratio versus the predicted capacity.

The aforementioned observations are enhanced by the data presentations of figures 46 and 47, emphasizing the relatively good predictions of the Energy Approach.

Figure 48 presents the correlation between the predictions of the office methods to the Energy Approach. As in previous similar correlations, the scatter between the methods is much smaller than that between the individual methods and the actual static capacity. It is interesting to note that the majority of the small displacement piles concentrate in a narrow band approximately between 0.7 and 1.0 . This means that both methods produce very similar results for small displacement piles. From figures 44 and 45 , it can also be concluded that both methods produce relatively accurate predictions for the small displacement piles.

## (b) All Piles - BOR

The correlation between the actual static capacity and the office analysis predictions based on measurements at the beginning of restrike (ABA) is shown in figure 49. The range of predictions is between 2.5 and 0.80 , with a best-fit prediction ratio of 1.284. The majority of the predictions reside within the 1.28 to 0.80 range with a general scatter higher ( $r^{2}=0.614$ ) than that observed in figure 44, where predictions were based on end-of-driving measurements ( $r^{2}=0.740$ ).

Figure 50 indicates that a much greater scatter exists for Energy Approach predictions at the beginning of restrike than for predictions made at the end of driving (see figure 45). The tendency is to over-predict more for restrikes with the prediction ratios ranging from 1.25 to 0.40 . Consequently, the best-fit prediction ratio (0.786) is lower than that of figure 45 and the coefficient of determination is $r^{2}=0.578$, compared to 0.804 for EOD conditions.

The results presented in figure 50 are in sharp contrast to those shown in figure 45. While the Energy Approach provided much better predictions for the EOD condition compared to the office methods, it resulted in a larger scatter at the BOR state. In many cases, where improvement was observed with additional restrikes with time for the office methods, no such improvement (or, in many cases, worse predictions) were obtained by the Energy Approach.

Figure 51 exhibits a substantial scatter when compared to figure 48 for EOD predictions. The correlation between the two prediction methods is, however, considerably better than that observed in figures 49 and 50. The scatter exists mainly between 1.00 and 0.40 (CAPWAP/TEPWAP over Energy Approach) with a ratio of 0.593 for the slope of the best fit through zero (CAPWAP/TEPWAP over Energy Approach).
(c) Large Displacement Piles - EOD

Figure 52 shows the correlation of the office analysis predictions and the actual static capacity for large displacement at EOD (LEA). There is a significant scatter ( $r^{2}=0.528$ ) ranging between 4.41 and 0.74 , with most data between 2.50 and 1.00 . The best-fit line
prediction ratio is 1.529 . The data in figure 52 indicates the difficulties in analyzing records of large displacement piles and the shortcoming of the office methods for the EOD state.

The information in figure 53 indicates relatively good agreement of the Energy Approach and the actual static capacity for large displacement piles at EOD. Although the scatter ranges from 1.67 to 0.60 and the coefficient of determination, $r^{2}=0.603$, the majority of points lie within $\pm 20$ percent of the actual static capacity, whereby the best-fit line yields a prediction ratio of 0.966 . The relative accuracy of the Energy Approach for those cases is surprising and not yet well understood.

The relationship of the prediction methods large displacement piles at EOD is shown in figure 54. In general, the tendency appears to be within the 1.00 and 0.60 range, with a best-fit ratio of 0.612 . This ratio meets the substantial under-prediction of the office methods and the relatively high accuracy of the Energy Approach.
(d) Large Displacement Piles - BOR

Figure 55 presents the correlation of the office analysis predictions and the actual static capacity for large displacement piles at BOR (LBA). The correlation demonstrates improved accuracy of the office analyses for BOR compared to the results obtained in figure 52 for EOD. In general, most of the data points fall between 2.0 to 0.80 , with the best-fit line as a ratio of 1.307 and a coefficient of determination, $\mathrm{r}^{2}=0.596$. Figure 55 shows improved predictions for large displacement piles relative to the EOD state, but poor predictions relative to those obtained for small displacement piles.

The information in figure 56 indicates a significant scatter for the correlation of the Energy Approach and the actual static capacity for large displacement piles at BOR. This is in contrast to the results obtained in figure 53 for the predictions of large displacement piles at EOD. The prediction ratios range from 1.53 to 0.40 , with a best-fit ratio of 0.780 and a coefficient of determination, $\mathrm{r}^{2}=0.550$.

The correlation shown in figure 57, between the prediction methods at BOR, remains consistent with previous findings. The ratios range from 1.00 to 0.40 , with very few predictions outside of this :ange.
(e) Small Displacement Piles - EOD

Figures 58, 59, and 60 present the relationships between the load test results and the office predictions, load test results and the Energy Approach predictions, and the relationships between the prediction methods for small displacement piles at EOD (SEA). Based on previous observations: (1) predictions for small displacement piles (see figures 32, 33, and 34) were much better than those for large displacement piles, and (2) predictions for end of driving (see figures 44,45 , and 46 ) were better than those at the beginning of restrike, especially for the Energy Approach. Therefore, the combined criteria resulted with very good relationships, as expected.

Figure 58 shows that the office method best-fit line is $\mathrm{K}_{\mathrm{sw}}=1.113$ and $\mathrm{r}^{2}=0.933$. The relationships have the second best coefficient of determination of all combination cases examined in table 5 . The other similarly high correlations and accuracy were obtained for all small displacement piles (SAA) and their subgroup (SAS).

Figure 59 indicates a similar trend for the Energy Approach, yielding a best-fit line with a $\mathrm{K}_{\mathrm{Pp}}-$ ratio of 0.851 and $\mathrm{r}^{2}=0.917$. These results are similar to those of all small displacement piles (SAA) and those in sand (SAS).

Figure 60 reflects the outcome of figures 58 and 59 , with a best-fit correlation of $\mathrm{K}_{\mathrm{cw}}=0.757$ and $\mathrm{r}^{2}=0.939$.

## (f) Small Displacement Piles - BOR

Figures 61 and 62 present the relationships between the predictions of the dynamic methods and the load test results for a small subgroup ( 12 cases in the figures and 15 cases in the statistical analysis) of small displacement piles at the beginning of restrike in all soils.

The obtained coefficients are $\mathrm{K}_{\mathrm{sw}}=1.069, \mathrm{r}^{2}=0.785$, and $\mathrm{K}_{\mathrm{sp}}=0.902, \mathrm{r}^{2}=0.737$, which indicate the following:

- The predictions for the BOR state are more scattered than for the EOD state, even for small displacement piles only.
- Out of the entire BOR group, the predictions for the small displacement piles are much better than those for the large displacement piles.

Figure 63 presents the relationships between the two prediction methods for 12 small displacement PD/LT piles in all types of soil at BOR (SBA), indicating a good correlation between them.

## (g) Intermediate Conclusions

See tables 5, 6, and 7 for statistical data. Different correlations have been investigated based on the time of driving.

- Based on the data of figures 44 (46), 45 (47), 49, and 50 , it is evident that both dynamic methods perform better for the end of driving (EOD) condition than for beginning of restrike (BOR). This is especially true for the Energy Approach method, which shows excellent predictions for all cases of EOD condition (AEA). The conclusions regarding the office method are different. On one hand, there is an improvement for EOD when compared to the overall cases (AAA); on the other hand, the BOR cases, as shown in figure 44, do not reflect correctly the accuracy of the method.

As mentioned earlier, a closer look at the time of driving showed consistent improvement of the office methods with time. The data of figure 49 may, therefore, not correctly represent the accuracy of the method, which may improve when examined, for example, for only the last BOR of each case.

- Based on the data of figures $52,53,55$, and 56 , it is clear that the capacity predictions for large displacement piles are problematic for both dynamic analyses, CAPWAP/TEPWAP, and the Energy Approach. CAPWAP/TEPWAP seem to produce, however, similar results at BOR than at EOD (see figures 44 and 49) subjected to the aforementioned comments. The Energy Approach, on the other hand, produces more accurate results at the end of driving than at the beginning of restrike (see figures 45 and 50). The relationships between the prediction methods, CAPWAP/TEPWAP, and the Energy Approach, show strong correlation between the methods regardless of the time of driving (see figures 43 and 48).
- The above conclusion becomes more clear when comparing the performance of the large displacement piles and small displacement piles for the same driving time. For example, the office method, when comparing AEA (figure 44) to LEA (figure 52) and SEA (figure 58), clearly shows that the predictions for large displacement piles at EOD is very poor compared to that of the small displacement piles at EOD. The same conclusion holds true for beginning of restrike, demonstrating again the importance of the pile type. Similar conclusions are obtained by checking the Energy Approach method for AEA (figure 45), LEA (figure 53), and SEA (figure 59).


### 8.4 STATISTICAL ANALYSIS OF DATA SET PD/LT

A statistical analysis of the correlations of data set PD/LT was performed in order to quantify the accuracy of both the office analysis and the Energy Approach predictions as well as the correlation between them. The statistical analysis was performed in three stages:
(I) Determination of the first-order best-fit lines (forced through zero and yintercept) by linear regression, in combination with the sample coefficient of determination $\left(r^{2}\right)$ to measure the accuracy of the best fit (note that the coefficient of determination is a square of the coefficient of correlation (r)).
(II) Examination of the fitness of the data to known probability distribution functions (PDF).
(III) Determination of the mean and the standard deviation of the individual ratios (e.g., load test to Energy Approach) as a measure of variability.

### 8.4.1 Linear-Regression Analysis

The results of the linear regression analysis performed on selected subgroups of table 4 and the presented graphical relationships of section 8.3 are summarized in tables 5, 6, and 7.

The tables summarize the different subgroups for the ratios between: (1) the static resistance to the office method predictions ( $\mathrm{K}_{\mathrm{sw}}$ ) in table 5, (2) the static resistance to the Energy Approach predictions ( $\mathrm{K}_{\text {sp }}$ ) in table 6, and (3) the relationship between the predictions of the office methods and those of the Energy Approach in table 7.

The first two columns of each of the tables list the pile-case subgroup and the total number of cases considered in that group. The number of cases shown in the tables may be equal or greater than the numbers shown in the figures for the same correlations. This occurs when some of the data points exceed the dimensions of the plots. Linear regression was preformed for each group to determine: (1) the best-fit line ratio, (2) the best-fit line ratio forced through zero, and (3) the coefficient of determination for each analysis. The results are listed in columns 3,4 , and 5 for the best-fit line and 6 and 7 for the best-fit line through zero, in each table. For example, the best-fit line forced through zero for the $\mathrm{K}_{\text {sp }}$ coefficients calculated for the subgroup AEA (all piles, at EOD, for all soils) was found to have a slope of 0.900 with a coefficient of determination, $r^{2}=0.804$. The sample coefficient of determination ( $r^{2}$ ) for each subgroup was determined to measure the representativeness (accuracy) of the best fit and the best fit through zero.

The coefficient of determination $\left(\mathbf{r}^{2}\right)$ represents the proportion of the sum of squares of deviations of the $y$-values about their mean, and it is a measure of the contribution of " $x$ " in prediction " $y$ ". By definition, a scatter at higher $x$-values will influence this coefficient more than a scatter close to the origin of axes. The coefficient of determination varies between 0 and 1; the first indicating no correlation or contribution and the last $\left(r^{2}=1\right)$ is a perfect match where all the points fall on the best-fit, least-squares line. For example, $r^{2}=0.6$ means that 60 percent of the sum of squares of deviations of the observed $y$ values about their mean is attributed to the linear relations between $y$ and $x$. (actual vs. predicted). In other words, 60 percent of the variability in $y$ is explained by the regression equation. According to Ryan (1989), a meaningful correlation is obtained with $r^{2} \geq 0.80$, which coincides with $p \leq 0.0011 ; p$ is the probability of obtaining an $F$-value as or larger than the calculated value. This value of $r^{2}=0.8$ may be rigorous relative to
correlations in geotechnical engineering. The results, therefore, may be reviewed in the following ranges (Veneziano, 1993):

$$
\begin{array}{ll}
r^{2} \geq 0.80 & \text { good correlation } \\
0.60 \leq r^{2}<0.80 & \text { moderate correlation } \\
r^{2}<0.60 & \text { poor correlation }
\end{array}
$$

Table 5 presents the results of the $K_{\text {dw }}$ analysis and the best correlation of all subgroups was found to be for all small displacement piles in all soils (SAA) and in sand and silt (SAS). Reasonable correlation was found for all piles based on the end of driving records, especially for the small displacement piles. Poor correlations were found for allpiles at BOR in all soils (ABA) and for all large displacement piles (LAA), both at EOD (LEA) and at BOR (LBA).

The coefficients of table 6 indicate that the Energy Approach presents slightly better correlation overall for all cases (AAA) than that of the office methods, where both methods show moderate correlation according to the above coefficient of determination standards. The Energy Approach method shows very high accuracy for small displacement piles in all soils at all times (SAA), mostly due to its excellent performance in sand and silt (SAS). The Energy Approach prediction shows excellent correlation for all piles at EOD in all soils (AEA), producing a best fit through zero sample coefficient of distribution of 0.804 , mostly again due to the high accuracy for the small displacement piles (SEA). Low accuracy was also determined for all piles at BOR in all soils (ABA), similar to that of the office methods.

Table 7 enables the examination of under what conditions both methods predict similarly or differently, indicating that, in general, the correlation between the methods is stronger than the correlation between the individual methods and the actual capacity with especially strong correlations in the cases where both methods predict well, namely small displacement piles and end of driving.

### 8.4.2 Actual Distributions of the K Coefficients and their Probabilistic Models

The K coefficients are defined as follows:

$$
\begin{gather*}
\boldsymbol{K}_{s w}=\frac{\text { Actualstatic capacity }}{\text { CAPWAP/TEPWAPprediction }}  \tag{38}\\
\boldsymbol{K}_{\boldsymbol{\phi}}=\frac{\text { Actualstatic capacity }}{\text { EnergyApproachprediction }} \tag{39}
\end{gather*}
$$

$$
\begin{equation*}
K_{\infty}=\frac{\text { CAPWAP/TEPWAPprediction }}{\text { EnergyApproachprediction }} \tag{40}
\end{equation*}
$$

These ratios are equivalent to the ratios marked and denoted by the straight lines on the scatter plots of sections 8.3.2, 8.3.3, and 8.3.4.

The distributions of the individual $\mathbb{K}$ coefficients for all PD/LT pile-cases are presented in figures 64,66 , and 68 in the form of histograms. The cumulative frequency distribution of $K_{\text {sw }}$ and $K_{\mathrm{sp}}$ are presented in figures 65 and 67 , respectively. The histograms were plotted for $K$ coefficients ranging from 0.0 to $>3.0$ in 0.1 intervals and include all the available information. The left y -axis shows the total number of K coefficient occurrences, whereas the right $y$-axis shows the frequency (normalized number of occurrences).

The common parameters most often used to evaluate prediction methods are the mean and standard deviation of the normal distribution. The normal distribution best represents occurrences ranging from $-\infty$ to $+\infty$ with the highest probability at the mean. The ratio between the actual capacity to the predicted one (or its inverse) is limited between 0 to $+\infty$ and, hence, its distribution is not symmetrical. Even though, in many cases where the data is "normally" distributed, the normal distribution will represent it in a reasonable fashion (e.g., see figure 68). In many other cases, the normal distribution is incapable of correctly reflecting the accuracy (represented by the mean) and the precision (represented by the standard deviation) of the predicting method. A better probability distribution function for cases ranging from 0 to $+\infty$ is the log-normal distribution. A simple transformation can be performed from the mean and standard deviation of the normal distribution to the log-normal distribution parameters (see, for example, Benjamin and Cornell, 1970), which allows plotting of the log-normal distribution. Both distributions, normal and the corresponding (transformed) log-normal distributions, were plotted for the ratios between actual capacity to the predictions of the office methods ( $\mathrm{K}_{\text {swo }}$ figure 64) and the actual capacity to the Energy Approach predictions ( $\mathrm{K}_{\text {sp }}$, figure 65). In any case, the actual data must be reviewed as scatter graphs (section 8.3.2, 8.3.3, and 8.3.4) and histograms before the establishment of any conclusions.

The information presented in figure 64 for the $\mathrm{K}_{\text {sw }}$ coefficients (actual capacity over CAPWAP/TEPWAP predictions) indicates a concentration of cases (about 50 percent of all cases) between 0.9 and 1.3 , with a significant scatter of the other 50 percent of the cases across a wide range of K values from 0.57 to 4.41 . A normal distribution curve was added to the actual data based on the analysis results presented in table 8. The actual data seems to differ from the normal distribution and explains the relatively large standard deviations of the $\mathrm{K}_{\mathrm{sw}}$. The "transformed" $\log$-normal distribution seems to better represent the actual data, but yet, falls short of representing it accurately. An
attempt to improve the log-normal distribution representation of the actual data was carried out by decreasing the standard deviation parameter ( $\ln \sigma_{x}$, note: not that of the standard deviation). The results are shown in the form of a log-normal distribution and plotted using dashed lines that seem to represent the peak and over-prediction side better, but do not seem to represent the under-prediction side as well. Figure 65 presents the cumulative frequency distribution of the $\mathrm{K}_{\mathrm{sw}}$ ratio. Due to the large range of values, a gradual increase in the cumulative frequency distribution takes place for values of $\mathrm{K}_{\mathrm{sw}}$ greater than 1.3.

Figure 66 shows the distribution of the $\mathrm{K}_{\mathrm{sp}}$ values for all PD/LT pile-cases and the data fits reasonably well with the normal distribution description. The "transformed" lognormal distribution seems to fit the data even better, allowing good representation of the data skewness. About 75 percent of the cases fall in the range between 0.6 and 1.2 , with the mean at 0.925 . An attempt to improve the log-normal distribution was carried out by decreasing the standard deviation $\left(\ln \sigma_{x}\right)$. The results, again, are better only for part of the data, showing better agreement with the peak and the underestimation, and worse representation for the overestimated capacities. Figure 67 presents the cumulative frequency distribution of the $\mathrm{K}_{\mathrm{sp}}$ ratio. A moderate increase exists for about 50 cases between 0.4 and 0.7 , followed by a sharp increase of about 150 cases between 0.7 and 1.2. The distribution ends with a moderate slope of about 10 cases, up to about 1.7.

The distribution of the $\mathrm{K}_{\text {ew }}$ coefficients is presented in figure 68. The results of this distribution indicate excellent correlation between the office analysis predictions and the Energy Approach predictions (CAPWAP/TEPWAP over Energy Approach), represented well by the normal distribution.

### 8.4.3 Mean and Standard Deviation Analysis

Table 8 presents the statistical analysis for all PD/LT correlations listed in table 4 (see chapter 6 and tables 20 through 23 in appendix A for details). The first column of table 8 lists the pile-case group according to the abbreviation system shown in table 4. The table reports the normal distribution mean and standard deviation for each subgroup in a similar sequence mentioned in section 8.3.2. The subcolumns for each $K$ coefficient list the total number of pile-cases analyzed, the mean value determined, and the corresponding standard deviation. It should be emphasized that even for cases in which better representation is given through the log-normal distribution, the mean and the standard deviation remain a powerful tool for the evaluation of the accuracy, through the mean, and for the precision, through the standard deviation.

### 8.5 INTERPRETATION OF THE CONTROLLING PARAMETERS

### 8.5.1 Overview

Section 4.4.4 outlined the expected performance of the dynamic analyses based on the hypothesis that the majority of the energy is lost through soil inertia. This hypothesis was partially confirmed by the results presented in the previous sections. A closer examination of the controlling parameters and their influence on the accuracy of the dynamic analyses follows.

### 8.5.2 Dynamic Predictions - Pile Area Ratio Graphical Correlations

To investigate a possible relationship between the office analysis, the Energy Approach predictions, and pile geometry, $\mathrm{K}_{\mathrm{sw}}$ and $\mathrm{K}_{\mathrm{sp}}$ values were correlated with the pile area ratio (see sections 4.4.2 and 4.4.3).

Figures 69 and 70 present the correlation between the $\mathrm{K}_{\mathrm{yw}}$-values and the pile area ratio ( $A_{R}$ ). The data are presented using two scales (linear and logarithmic) to allow the assessment of the many cases for which $A_{R}$ varies between approximately 90 to 300 , which create a "spot" when presented in a linear scale. For pile area ratios less than 350, a significant scatter can be observed with $\mathrm{K}_{\mathrm{sw}}$-values exceeding 2.0. In general, $\mathrm{K}_{\text {sw }}$-values closer to unity appear as $\mathrm{A}_{\mathrm{R}}$ increases. Some scatter appears, however, at very large $A_{R}$ ratios that may indicate the influence of additional parameters on the $\mathrm{K}_{\text {sw }}$-values (e.g., driving resistance).

Figures 71 and 72 present the correlation between $\mathrm{K}_{\mathrm{sp}}$ and the pile area ratio. Significantly smaller scatter appears in the $\mathrm{K}_{\mathrm{sp}}$-values compared to that of the $\mathrm{K}_{\text {sww }}$-values. The general trend is similar to that of figure 69 - most scatter appears within a zone in which the pile area ratio is smaller than 350.

The pile area ratio seems to enable the quantification of the definition of large displacement and small displacement piles. The information from figures 69 through 72 suggest that considerable consistency is developed for pile area ratios $>350$. From these correlations, it was concluded that large displacement piles can be defined as those with pile area ratios < 350 and small displacement piles defined as those with pile area ratios $>350$. The following section examines the relationship between the prediction of the dynamic analyses and the driving resistance, as the complementary factor to the pile type in controlling the soil's inertia (see section 4.4 for background).

### 8.5.3 Dynamic Predictions - Driving Resistance Graphical Correlations

Figure 73 presents the ratio between the load test results over the office method predictions ( $\mathrm{K}_{\mathrm{sw}}$ ) vs. blow count at the time of measurement for all PD/LT pile-cases
Table 8. Statistical analysis of K coefficients for all PD/LT pile-cases.

| Pile- <br> Case <br> Group | KsW |  |  | Ksp |  |  | Kew |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| AAA | 206 | 1.367 | 0.5334 | 208 | 0.925 | 0.2932 | 206 | 0.712 | 0.1815 |
| AAS | 141 | 1.385 | 0.4758 | 141 | 0.942 | 0.3127 | 141 | 0.702 | 0.1771 |
| Aeviation | No. | Mean | Slandard <br> Deviation | No. | Mlandard <br> Deviation |  |  |  |  |
| AAC | 51 | 1.443 | 0.6760 | 53 | 0.906 | 0.2689 | 51 | 0.681 | 0.1736 |
| AAR | 14 | 0.906 | 0.1922 | 14 | 0.827 | 0.1402 | 14 | 0.925 | 0.1073 |
| AEA | 97 | 1.478 | 0.6167 | 98 | 1.023 | 0.3073 | 97 | 0.743 | 0.1844 |
| AES | 58 | 1.534 | 0.5310 | 58 | 1.089 | 0.3244 | 58 | 0.742 | 0.1766 |
| AEC | 28 | 1.598 | 0.7576 | 29 | 0.971 | 0.2742 | 28 | 0.672 | 0.1729 |
| AER | 11 | 0.877 | 0.1957 | 11 | 0.810 | 0.1510 | 11 | 0.936 | 0.1132 |
| ABA | 109 | 1.268 | 0.4257 | 110 | 0.838 | 0.2509 | 109 | 0.684 | 0.1748 |
| ABS | 83 | 1.282 | 0.4049 | 83 | 0.840 | 0.2605 | 83 | 0.674 | 0.1731 |
| ABC | 23 | 1.254 | 0.5160 | 24 | 0.827 | 0.2354 | 23 | 0.692 | 0.1777 |
| ABR | 3 | 1.010 | 0.1667 | 3 | 0.888 | 0.0816 | 3 | 0.887 | 0.0890 |

[^1]Table 8. Statistical analysis of $K$ coefficients for all PD/LT pile-cases (continued).

|  | Ksw |  |  | Ksp |  |  | Kew |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Case Group | No. | Mean | Standard <br> Deviation | No. | Mean | Standard <br> Deviation | No. | Mean | Standard Deviation |
| LAA | 162 | 1.399 | 0.5250 | 164 | 0.925 | 0.3056 | 162 | 0.689 | 0.1756 |
| LAS | 118 | 1.366 | 0.4448 | 118 | 0.927 | 0.3246 | 118 | 0.693. | 0.1714 |
| LAC | 43 | 1.501 | 0.6969 | 45 | 0.925 | 0.2559 | 43 | 0.670 | 0.1842 |
| LAR | 1 | - | - | 1 | - | - | 1 | - | - |
| LEA | 68 | 1.574 | 0.6177 | 69 | 1.069 | 0.3192 | 68 | 0.718 | 0.1830 |
| LES | 44 | 1.535 | 0.5142 | 44 | 1.108 | 0.3427 | 44 | 0.750 | 0.1773 |
| LEC | 24 | 1.646 | 0.7802 | 25 | 0.975 | 0.2577 | 24 | 0.661 | 0.1827 |
| LER | - | - | - | - | - | - | - | - | - |
| LBA | 94 | 1.272 | 0.4041 | 95 | 0.827 | 0.2554 | 94 | 0.668 | 0.1678 |
| LBS | 74 | 1.265 | 0.3657 | 74 | 0.819 | 0.2613 | 74 | 0.659 | 0.1595 |
| LBC | 19 | 1.317 | 0.5399 | 20 | 0.854 | 0.2433 | 19 | 0.683 | 0.1904 |
| LBR | 1 | - | - | 1 | - | - | 1 | - | - |

[^2]Table 8. Statistical analysis of K coefficients for all PD/LT pile-cases (continued).

| Pile- <br> Case <br> Group | KSW |  |  | Mean | Standard <br> Deviation | No. | Mean | Slandard <br> Deviation | No. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| SAA | 44 | 1.250 | 0.5542 | 44 | 0.926 | 0.2445 | 44 | 0.796 | 0.1798 |
| SAS | 23 | 1.486 | 0.6127 | 23 | 1.021 | 0.2313 | 23 | 0.746 | 0.2028 |
| SAC | 8 | 1.132 | 0.4679 | 8 | 0.820 | 0.3172 | 8 | 0.738 | 0.0854 |
| SAR | 13 | 0.906 | 0.2001 | 13 | 0.822 | 0.1448 | 13 | 0.921 | 0.1104 |
| SEA | 29 | 1.252 | 0.5616 | 29 | 0.935 | 0.2616 | 29 | 0.802 | 0.1772 |
| SES | 14 | 1.530 | 0.6013 | 14 | 1.029 | 0.2606 | 14 | 0.715 | 0.1784 |
| SEC | 4 | 1.309 | 0.6067 | 4 | 0.949 | 0.4120 | 4 | 0.738 | 0.0797 |
| SER | 11 | 0.807 | 0.1957 | 11 | 0.810 | 0.1510 | 11 | 0.936 | 0.1132 |
| SBA | 15 | 1.247 | 0.5591 | 15 | 0.908 | 0.2150 | 15 | 0.784 | 0.1904 |
| SBS | 9 | 1.418 | 0.6604 | 9 | 1.009 | 0.1912 | 9 | 0.793 | 0.2392 |
| SBC | 4 | 0.955 | 0.2442 | 4 | 0.691 | 0.1436 | 4 | 0.737 | 0.1033 |
| SBR | 2 | 1.064 | 0.1960 | 2 | 0.888 | 0.1154 | 2 | 0.839 | 0.0461 |

[^3](AAA). As indicated in chapter 6 , the blow count per inch was often calculated based on records of blows per foot.

There is considerable scatter for all driving resistances (especially at the two extremes, namely, very low blow count (less than 10 BPI ) and very high blows) at refusal (no set). It also can be noted that the predictions for the small displacement piles present, on average, much better performance than that of the large displacement piles, including the area of low driving resistance.

Figure 74 presents the ratio between the load test results to the Energy Approach predictions ( $\mathrm{K}_{\mathrm{pp}}$ ), in the same format as that of figure 73. Considerably less scatter appears in the figure compared to that of figure 73. A large range of $K_{\text {sp }}$ (from overprediction of $K_{\text {sp }} \approx 0.4$ to under-prediction of about $K_{\text {sp }} \approx 1.7$ ) appears at the range of small resistance to driving of about 0 to 10 BPI . A few additional observations can be made in relationship to figure 74:

- In the majority of the cases, the Energy Approach over-predicts, however, there is improvement with the increase of driving resistance.
- Most of the significant under-predictions exist in the low-resistance zone.
- Very good performance appears at very high driving resistance, when actually no displacement takes place under each blow.


### 8.5.4 Dynamic Predictions - Driving Resistance and Time of Driving Graphical Correlations

Additional subdivision of the dynamic analyses prediction ratios vs. driving resistance was conducted based on the time of driving, namely, end of driving (EOD) and beginning of restrike (BOR).

## (a) All Piles at EOD

Figure 75 presents the correlation between driving resistance and $\mathrm{K}_{\mathrm{sw}}$ coefficient for all piles at EOD (AEA) and the results indicate a scatter similar to the results shown in figure 73. A major scatter remains at low driving resistances when the full resistance of the soil is mobilized.

The correlation between the $K_{\text {sp }}$ coefficients for all piles in all soil types at EOD (AEA) and driving resistance is presented in figure 76, and the results are similar to those of figure 60. This is consistent with the findings of sections 8.3 and 8.4 for piles at the end of driving, with the emphasis on under-prediction cases at the low-resistance zone. Most of the under-prediction cases observed in figure 74 for the low blow count seem to be a result of the EOD cases as shown in figure 76. These cases are confined, however,
mostly within a zone of blow count between 0 to 6 BPI , which may, as a result, be defined as "easy driving."

## (b) All Piles at BOR

Figure 77 represents the relationship of driving resistance and $\mathrm{K}_{\mathrm{sw}}$-values for all piles at BOR (ABA). A scatter among the predictions for driving resistances ranging from 0 to 25 blows per inch ( 0.98 blows per mm ) is observed. The scatter appears, however, to be substantially smaller than that observed for EOD in figure 75, with lower underpredictions.

In both cases (EOD and BOR), the office analysis predictions produced a scatter. At the BOR, however, a large concentration of cases appear around the $\mathrm{K}_{\mathrm{sw}}=1$ and the $\mathrm{K}_{\mathrm{sw}}$-values are lower cases than those observed in figure 75.

Figure 78 presents the relationship of driving resistance and $\mathrm{K}_{\text {sp }}$-values for all piles at BOR (ABA). A major scatter, mostly to the over-prediction side, appears in figure 78. When comparing figures 76 and 78 to figure 74, it appears that:

- The Energy Approach tends to over-predict at the low driving resistance for BOR cases and under-predict at the EOD cases. It should be emphasized that both under-prediction and over-prediction at the lowresistance zone appears in both EOD and BOR. The extreme overpredictions, however, exist only at the BOR and the extreme underpredictions exist only at the EOD.
- On the average, the performance of the Energy Approach at EOD is better than that at BOR, especially for piles with driving resistances greater than 6 BPI ( 0.24 blows per mm).


### 8.5.5 Dynamic Predictions - Driving Resistance and Pile-Type Graphical Correlations

Section 8.5.2 examined the relationship between the dynamic predictions and the pile area ratio and concluded that small displacement piles can be referred to as piles with $A_{\mathbf{R}}>350$. Section 8.5.3 examined the relationship between the dynamic predictions and the driving resistance and determined the effect of the driving resistance on the accuracy of the predictions of both dynamic analyses.

The subdivision of the dynamic predictions vs. driving resistance to small and large displacement, based on the pile area ratio definition, is presented in this section.
(a) Small Displacement Piles

The relationship between $K_{\text {sw }}$ and the driving resistance for small displacement piles with $\mathbf{A}_{\mathrm{R}}>350$ is presented in figure 79. The office analysis, in general, appears to perform better for small displacement piles than for the large displacement piles. When
comparing the data in figure 79 to that of 69 and 70 , a relatively good agreement exists between the predicted and observed capacity with the exception of very low and very high driving resistances. This agreement suggests that the relatively high underpredictions of the office methods for the small displacement piles are associated with either very low driving resistances (which result in high inertia of the soil mass) of less than 6 BPI ( 0.24 blows per mm ), or a very high driving resistance (which results in a lack of full-capacity mobilization). In relationship to figure 79 and the following figures, it should be clear that the criteria for distinguishing between small and large displacement piles is the area ratio of $A_{R}=350$. As such, the open symbols in those figures refer to piles that, by observation, would be considered as large displacement piles (e.g., square concrete pile), however, their area ratio of $A_{R}>350$ would categorize them as small displacement piles as explained in section 4.4 and concluded in section 8.5.2.

Figure 80 presents the relationship between driving resistance and $K_{\text {sp }}$ for piles with $A_{R}>350$. Excellent agreement exists between the predictions of the Energy Approach and the observed static capacity for all driving resistances. Two major conclusions can be made regarding the data in figure 80 :

- The influence of the pile type on the performance of the dynamic methods is evident. The mean $\mathrm{K}_{\mathrm{pp}}$ for figure 80 is 0.938 with a standard deviation of 0.239 , which indicates an excellent performance.
- The highest scatter and over- and under-predictions occur at the lower resistance zone of less than 6 BPI ( 0.24 blows per mm).

In reference to figures 79 and 80 , it should be noted that with the new definition of small/large displacement piles based on the pile area ratio of 350, the piles that were previously considered as large displacement (i.e., open symbols) fit well into the general trend of the small displacement piles.
(b) Large Displacement Piles

Figures 81 and 82 present the relationships between $\mathrm{K}_{\mathrm{sw}}$ and $\mathrm{K}_{\mathrm{sp}}$ to the driving resistance for large displacement (pile area ratio <350), respectively. The data in figure 81 indicates that substantial scatter appears in the predictions of the office method. Overprediction takes place especially for the low blow count (figure 79) and under-predictions appear to exist for all driving resistances. When compared to predictions of the small displacement piles (figure 79), the existing scatter and under-prediction seem to be much more significant.

Figure 82 indicates that much larger scatter and inaccuracy in prediction exists for the large displacement piles when compared to the small displacement piles (figure 80). The inaccuracy is, however, highly related to the driving resistance with a decrease in scatter (mainly due to the decrease in the under-prediction) and an increase in accuracy with
the increase in the driving resistance. The predictions above approximately 10 BPI ( 0.39 blows per mm ) seem to be much better than those below that resistance.

### 8.5.6 The Effect of the Combined Major Controlling Parameters on the Accuracy of the Dynamic Predictions

## (a) Breakdown of Combinations

The previous correlations that were presented throughout chapter 8 indicated the following factors as the major controlling parameters:

- Pile type, according to the pile area ratio, distinguishing between large displacement piles with $A_{R}<350$ and small displacement piles with $A_{R}>350$.
- Time of driving, distinguishing between end of driving (EOD) records to analyses on records obtained at some time later at the beginning of restrike (BOR).
- Driving resistance, distinguishing between easy driving of less than 6 BPI ( 0.24 blows per mm ) to intermediate driving resistance between 6 and 12 BPI ( 0.24 and 0.47 blows per mm ) with high driving resistance above 12 BPI ( 0.47 blows per mm).
- Type of soil, distinguishing between predictions of piles predominately in clay vs. those driven in granular materials.

Different combinations of these factors are presented in the following sections with a summary of their statistical data presented in table 9.
(b) Combinations of Pile Type and Driving Resistance

The previously mentioned criteria for pile type and driving resistance assisted in establishing the following combinations:
(1) Small displacement piles with easy driving; $A_{R}>350$ and blow count $<6$ BPI ( 0.24 blows per mm) shown in figures 83 and 84 for $K_{\mathrm{sw}}$ and $\mathrm{K}_{\mathrm{sp}}$, respectively.
(2) Small displacement piles with hard driving; $A_{R}>350$ and blow count $>6$ BPI ( 0.24 blows per mm ) shown in figures 85 and 86 for $\mathrm{K}_{\mathrm{sw}}$ and $\mathrm{K}_{\mathrm{sp}}$, respectively.
(3) Large displacement piles with easy driving; $A_{R}<350$ and blow count $<6$ BPI ( 0.24 blows per mm ) shown in figures 87 and 88 for $\mathrm{K}_{\mathrm{sw}}$ and $\mathrm{K}_{\mathrm{sp}}$, respectively.

Table 9. Statistical analysis of the area ratio, resistance, and time of driving combination.

| Pile <br> Area <br> Ratlo | Driving Resistance | Time of Driving | Ksw |  |  | Ksp |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | No. | Mean | Standard <br> Deviation | No. | Mean | Standard <br> Deviation |
| $<350$ | ail piles | anytime | 144 | 1.427 | 0.543 | 146 | 0.920 | 0.317 |
| $<350$ | O-6 BPI | anytime | 64 | 1.374 | 0.512 | 64 | 0.962 | 0.347 |
| <350 | $\geq 6 \mathrm{BPI}$ | anytime | 80 | 1.469 | 0.567 | 82 | 0.887 | 0.288 |
| $<350$ | all piles | EOD | 56 | 1.643 | 0.654 | 57 | 1.068 | 0.345 |
| $<350$ | $0-6 \mathrm{BPI}$ | EOD | 36 | 1.545 | 0.569 | 36 | 1.102 | 0.349 |
| $<350$ | $>8 \mathrm{BPI}$ | EOD | 20 | 1.820 | 0.769 | 21 | 1.026 | 0.340 |
| $<350$ | all piles | BOR | 88 | 1.290 | 0.407 | 89 | 0.825 | 0.257 |
| $<350$ | 0.8 BPI | BOR | 28 | 1.155 | 0.319 | 28 | 0.783 | 0.254 |
| $<350$ | $>6 \mathrm{BPI}$ | BOR | 60 | 1.352 | 0.430 | 61 | 0.844 | 0.258 |
| >350 | all piles | anytime | 57 | 1.247 | 0.502 | 57 | 0.938 | 0.239 |
| >350 | 0-6 BPI | anytime | 18 | 1.542 | 0.595 | 16 | 1.031 | 0.259 |
| >350 | $\geq 6 \mathrm{BPI}$ | anytime | 41 | 1.133 | 0.414 | 41 | 0.902 | 0.224 |
| $>350$ | all piles | EOD | 39 | 1.151 | 0.408 | 39 | 0.902 | 0.240 |
| $>350$ | $0-6 \mathrm{BPI}$ | EOD | 12 | 1.476 | 0.492 | 12 | 1.021 | 0.291 |
| $>350$ | $>6 \mathrm{BPI}$ | EOD | 27 | 1.161 | 0.473 | 27 | 0.928 | 0.214 |
| $>350$ | all piles | BOR | 18 | 1.225 | 0.530 | 18 | 0.897 | 0.240 |
| >350 | 0.6 BPI | BOR | 4 | 1.740 | 0.901 | 4 | 1.062 | 0.154 |
| >350 | $\geq 6 \mathrm{BPI}$ | BOR | 14 | 1.078 | 0.274 | 14 | 0.850 | 0.243 |

$1 \mathrm{BPI}=0.039$ blows per mm
$\begin{array}{lll}\text { Pile-case legend: } \quad & \begin{array}{ll}<350 & \text { - pile area ratio definition of large displacement piles. } \\ & >350 \\ \text { - pile area ratio definition of small displacement piles. }\end{array} \\ 0-6 \mathrm{BPI} & \begin{array}{l}\text { - low driving resistance, resulting in full mobillzation of the } \\ \text { soil resistance. }\end{array} \\ & >6 \mathrm{BPI} & \begin{array}{l}\text {-intermediate }(6 \text { to } 12 \mathrm{BPI}) \text { and high driving resistance } \\ \text { of more than } 12 \mathrm{BPI} .\end{array}\end{array}$
(4) Large displacement piles with hard driving; $A_{R}<350$ and blow count $>6$ BPI ( 0.24 blows per mm) shown in figures 89 and 90 for $\mathrm{K}_{\mathrm{ow}}$ and $\mathrm{K}_{\text {sp }}$, respectively.

The above four combinations clearly suggest (with the limitation of the small number of pile-cases for some combinations):

- Small displacement piles with high driving resistance present very good prediction conditions for the dynamic methods.
- These conditions are followed by the predictions for small displacement piles with easy driving resistance (especially for the Energy Approach).
- Less favorable conditions result from the predictions of large displacement piles with high resistance (especially for the office methods).
- The worst conditions are presented for the large displacement piles with easy driving where both dynamic methods predict poorly with a high scatter.


## (c) Combinations of Pile Type, Driving Resistance, and Time of Driving

The above combinations were further investigated, incorporating the time of driving into the above criteria as follows:
(I) Small displacement piles with easy driving at the end of driving; $\mathbf{A}_{\mathbf{R}}>350$ and blow count < 6 BPI ( 0.24 blows per mm) shown in figures 91 and 92 for $\mathrm{K}_{\mathrm{sw}}$ and $\mathrm{K}_{\mathrm{rp}}$, respectively.
(II) Small displacement piles with hard driving at the end of driving; $\mathrm{A}_{\mathrm{R}}>350$ and blow count $>6$ BPI ( 0.24 blows per mm) shown in figures 93 and 94 for $K_{\text {sw }}$ and $K_{\text {sp }}$, respectively.
(III) Large displacement piles with easy driving at the end of driving; $\mathbf{A}_{\mathbf{R}}<350$ and blow count < 6 BPI ( 0.24 blows per mm) shown in figures 95 and 96 for $K_{\text {sw }}$ and $\mathrm{K}_{\text {rp }}$, respectively.
(IV) Large displacement piles with hard driving at the end of driving; $\mathrm{A}_{\mathrm{R}}<350$ and blow count $>6$ BPI ( 0.24 blows per mm) shown in figures 97 and 98 for $\mathrm{K}_{\mathrm{sw}}$ and $\mathrm{K}_{\mathrm{sp}}$, respectively.
(V) Small displacement piles at the beginning of restrike for all driving resistances; $A_{R}>350$ shown in figures 99 and 100 for $K_{\text {sw }}$ and $K_{\text {sp }}$, respectively.
(VI) Large displacement piles at the beginning of restrike for all driving resistances; $A_{R}<350$ shown in figures 101 and 102 for $K_{\text {ow }}$ and $K_{\text {sp }}$, respectively.

These combinations again suggest the following trends (with the limitation of the small number of pile-cases for some combinations):

- Small displacement piles at the end of driving (EOD) with high driving resistance present very good prediction conditions for the office methods and even better conditions for the predictions of the Energy Approach.
- The office methods present a considerable scatter for large displacement piles at the end of driving, especially in the cases with high driving resistance. The Energy Approach presents very good predictions under these conditions as can be observed for the 20 pile-cases shown in figure 98.
- The prediction conditions for small displacement piles at EOD with low driving resistance presented difficulties for the office methods, while good predictions were obtained by the Energy Approach. Again, this conclusion may be affected by the limited number of pile-cases for this combination.
- The least favorable prediction conditions for the end of driving state for the office methods occur for large displacement piles with high driving resistance.
- The predictions conditions for small displacement piles at BOR with all driving resistances yield good results for the Energy Approach and a moderate scatter for the office predictions. This conclusion should once again be subjected to the limited number of pile-cases for this combination.
- Small variation was observed between easy and hard driving resistances that may have been the result of the scatter produced in both methods.


Figure 21. Tip soil conditions vs. calculated case damping coefficient ( $\mathrm{J}_{\mathrm{c}}$ ) based on static load test results for 208 PD/LT pile-cases.


Figure 22. Side soil conditions vs. Smith side damping coefficient based on CAPWAP/TEPWAP results.


Figure 23. Tip soil conditions vs. Smith tip damping coefficient based on CAPWAP/TEPWAP results.


Figure 24. Static load test results vs. CAPWAP or TEPWAP predictions for 204 PD/LT pile-cases in all types of soil (AAA).


Figure 25. Static load test results vs. Energy Approach predictions for 202 PD/LT pile-cases in all types of soil (AAA).


Figure 26. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 201 PD/LT pile-cases in all types of soil (AAA).


Figure 27. $\mathrm{K}_{\mathrm{sw}}$ vs. CAPWAP/TEPWAP predictions for 206 PD/LT pile-cases in all types of soil (AAA).


Figure 28. $\mathrm{K}_{\mathrm{sp}}$ vs. Energy Approach predictions for 208 PD/LT pile-cases in all types of soil (AAA).


Figure 29. Static load test results vs. CAPWAP or TEPWAP predictions for 162 large displacement PD/LT pile-cases in all types of soil (LAA).

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 30. Static load test results vs. Energy Approach predictions for 163 large displacement PD/LT pile-cases in all types of soil (LAA).


Figure 31. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 161 large displacement PD/LT pile-cases in all types of soil (LAA).


Figure 32. Static load test results vs. CAPWAP or TEPWAP predictions for 42 small displacement PD/LT pile-cases in all types of soil (SAA).

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 33. Static load test results vs. Energy Approach predictions for 40 small displacement PD/LT pile-cases in all types of soil (SAA).

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 34. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 38 small displacement PD/LT pile-cases in all types of soil (SAA).


Figure 35. Static load test results vs. CAPWAP or TEPWAP predictions for 139 PD/LT pile-cases in sand and silt (AAS).


Figure 36. Static load test results vs. Energy Approach predictions for 136 PD/LT pile-cases in sand and silt (AAS).

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 37. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 136 PD/LT pile-cases in sand and silt (AAS).


Figure 38. Static load test results vs. CAPWAP or TEPWAP predictions for $51 \mathrm{PD} / \mathrm{LT}$ pile-cases in clay and till (AAC).

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 39. Static load test results vs. Energy Approach predictions for $53 \mathrm{PD} / \mathrm{LT}$ pile-cases in clay and till (AAC).


Figure 40. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 51 PD/LT pile-cases in clay and till (AAC).


Figure 41. Static load test results vs. CAPWAP or TEPWAP predictions for 14 PD/LT pile-cases in rock (AAR).


Figure 42. Static load test results vs. Energy
Approach predictions for 14 PD/LT pile-cases in rock (AAR).


Figure 43. CAPWAP or TEPWAP predictions vs. Energy Approach predictions. for $14 \mathrm{PD} / \mathrm{LT}$ pile-cases in rock (AAR).

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 44. Static load test results vs. CAPWAP or TEPWAP
predictions for 96 PD/LT pile-cases in all types of soil at EOD (AEA).


$$
1 \mathrm{kip}=4.448 \mathrm{kN}
$$

Figure 45. Static load test results vs. Energy Approach predictions for $94 \mathrm{PD} / \mathrm{LT}$ pile-cases in all types of soil at EOD (AEA).


Figure 46. $\mathrm{K}_{\mathrm{nw}}$ vs. CAPWAP/TEPWAP predictions for 97 PD/LT pile-cases at EOD in all types of soil (AEA).


Figure 47. $\mathrm{K}_{\mathrm{>p}}$ vs. Energy Approach predictions for $98 \mathrm{PD} / \mathrm{LT}$ pile-cases at EOD in all types of soil (AEA).

$1 \mathrm{kip}=4.448 \mathrm{kN}$
Figure 48. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 94 PD/LT pile-cases in all types of soil at EOD (AEA).


Figure 49. Static load test results vs. CAPWAP or TEPWAP predictions for $108 \mathrm{PD} / \mathrm{LT}$ pile-cases in all types of soil at BOR (ABA).


Figure 50. Static load test results vs. Energy Approach predictions for 108 PD/LT pile-cases in all types of soil at BOR (ABA).


$$
1 \mathrm{kip}=4.448 \mathrm{kN}
$$

Figure 51. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for $108 \mathrm{PD} / \mathrm{LT}$ pile-cases in all types of soil at BOR (ABA).


Figure 52. Static load test results vs. CAPWAP or TEPWAP predictions for 68 large displacement $\mathrm{PD} / \mathrm{LT}$ pile-cases in all types of soil at EOD (LEA).


Figure 53. Static load test results vs. Energy Approach predictions for 69 large displacement PD/LT pile-cases in all types of soil at EOD (LEA).


Figure 54. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 68 large displacement PD/LT pile-cases in all types of soil at EOD (LEA).


$$
1 \mathrm{kip}=4.448 \mathrm{kN}
$$

Figure 55. Static load test results vs. CAPWAP or TEPWAP predictions for 94 large displacement PD/LT pile-cases in all types of soil at BOR (LBA).


Figure 56. Static load test results vs. Energy Approach predictions for 94 large displacement PD/LT pile-cases in all types of soil at BOR (LBA).

$1 \mathrm{kjp}=4.448 \mathrm{kN}$

Figure 57. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 93 large displacement PD/LT pile-cases in all types of soil at BOR (LBA).


$$
1 \mathrm{kip}=4.448 \mathrm{kN}
$$

Figure 58. Static load test results vs. CAPWAP or TEPWAP predictions for 22 small displacement PD/LT pile-cases in all types of soil at EOD (SEA).


Figure 59. Static load test results vs. Energy Approach predictions for 20 small displacement PD/LT pile-cases in all types of soil at EOD (SEA).


Figure 60. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 20 small displacement PD/LT pile-cases in all types of soil at EOD (SEA).

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 61. Static load test results vs. CAPWAP or TEPWAP predictions for 12 small displacement PD/LT pile-cases in all types of soil at BOR (SBA).


Figure 62. Static load test results vs. Energy Approach predictions for 12 small displacement PD/LT pile-cases in all types of soil at BOR (SBA).


$$
1 \mathrm{kip}=4.448 \mathrm{kN}
$$

Figure 63. CAPWAP or TEPWAP predictions vs. Energy Approach predictions for 12 small displacement PD/LT pile-cases in all types of soil at BOR (SBA).

Ksw histogram and frequency distribution for 206 PD/LT pile-cases (AAA)


Figure 64. Histogram and frequency distributions of $\mathrm{K}_{\mathrm{ow}}$ for $206 \mathrm{PD} / \mathrm{LT}$ pile-cases in all types of soil (AAA).


Figure 65. Cumulative frequency distribution of $\mathrm{K}_{\mathrm{w}}$ for 206 PD/LT pile-cases in all types of soil (AAA).

Ksp histogram and frequency distribution for 208 PD/LT pile-cases (AAA)


Figure 66. Histogram and frequency distributions of $\mathrm{K}_{\mathrm{op}}$ for 208 PD/LT pile-cases in all types of soil (AAA).


Figure 67. Cumulative frequency distribution of $\mathrm{K}_{\mathrm{fp}}$ for 208 PD/LT pile-cases in all types of soil (AAA).

Kew histogram and frequency distribution for 206 PD/LT pile-cases (AAA)


Kew values
Figure 68. Histogram and frequency distribution of $\mathrm{K}_{\mathrm{cw}}$ for 206 PD/LT pile-cases in all types of soil (AAA).


Figure 69. $\mathrm{K}_{\mathrm{sw}}$ vs. the pile area ratio $\left(\mathrm{A}_{\mathrm{R}}\right)$ for 201 PD/LT pile-cases in all types of soil.


Figure 70. $\mathrm{K}_{\mathrm{sw}}$ vs. the pile area ratio $\left(\mathrm{A}_{\mathrm{R}}\right)$ for 201 PD/LT pile-cases in all types of soil (logarithmic scale).


Figure 71. $\mathrm{K}_{\mathrm{sp}}$ vs. the pile area ratio ( $\mathrm{A}_{\mathrm{R}}$ ) for $203 \mathrm{PD} / \mathrm{LT}$ pile-cases in all types of soil.


Figure 72. $\mathrm{K}_{\mathrm{op}}$ vs. the pile area ratio $\left(\mathrm{A}_{\boldsymbol{\imath}}\right)$ for 203 PD/LT pile-cases in all types of soil (logarithmic scale).


Figure 73. $\mathrm{K}_{\text {ow }}$ vs. blow count (BPI) for 206
PD/LT pile-cases in all types of soil (AAA).


Figure 74. $\mathrm{K}_{\mathrm{øp}}$ vs. blow count (BPI) for 208 PD/LT pile-cases in all types of soil (AAA).


Figure 75. $\mathrm{K}_{\text {sw }}$ vs. blow count (BPI) for 95 PD/LT pile-cases in all types of soil at EOD (AEA).


Figure 76. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for 96 PD/LT pile-cases in all types of soil at EOD (AEA).


Figure 77. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for 109
PD/LT pile-cases in all types of soil at BOR (ABA).


Figure 78. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for 110
PD/LT pile-cases in all types of soil at BOR (ABA).


Figure 79. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for $57 \mathrm{PD} / \mathrm{LT}$ pile-cases with pile area ratios $>350$ in all types of soil.


Figure 80. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for 57 PD/LT pile-cases with pile area ratios $>350$ in all types of soil.


Figure 81. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for 144 PD/LT
pile-cases with pile area ratios $<350$ in all types of soil.


Figure 82. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for 146 PD/LT pile-cases with pile area ratios < 350 in all types of soil.


Figure 83. $\mathrm{K}_{\text {sw }}$ vs. blow count (BPI) for $16 \mathrm{PD} / \mathrm{LT}$ pile-cases with pile area ratios $>350$ and blow counts $<6 \mathrm{BPI}(0.24$ blows $/ \mathrm{mm}$ ) in all types of soil.


Figure 84. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for 16 PD/LT pile-cases with pile area ratios $>350$ and blow counts $<6 \mathrm{BPI}(0.24$ blows $/ \mathrm{mm})$ in all types of soil.


Figure 85. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for $41 \mathrm{PD} / \mathrm{LT}$ pile-cases with pile area ratios $>350$ and blow counts $>6 \mathrm{BPI}(0.24$ blows $/ \mathrm{mm})$ in all types of soil.


Figure 86. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for $41 \mathrm{PD} / \mathrm{LT}$ pile-cases with pile area ratios $>350$ and blow counts $>6 \mathrm{BPI}$ ( 0.24 blows $/ \mathrm{mm}$ ) in all types of soil.


Figure 87. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for 64 PD/LT pile-cases with pile area ratios $<350$ and blow counts $<6 \mathrm{BPI}(0.24$ blows $/ \mathrm{mm}$ ) in all types of soil.


Figure 88. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for $64 \mathrm{PD} / \mathrm{LT}$ pile-cases with pile area ratios < 350 and blow counts <6 BPI ( 0.24 blows/mm) in all types of soil.


Figure 89. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for $80 \mathrm{PD} / \mathrm{LT}$ pile-cases with pile area ratios $<350$ and blow counts $>6 \mathrm{BPI}$ ( 0.24 blows $/ \mathrm{mm}$ ) in all types of soil.


Figure $90 . \mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for $82 \mathrm{PD} / \mathrm{LT}$ pile-cases with pile area ratios $<350$ and blow counts $>6 \mathrm{BPI}(0.24$ blows $/ \mathrm{mm}$ ) in all types of soil.


Figure 91. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for $12 \mathrm{PD} / \mathrm{LT}$ pile-cases at EOD with pile area ratios $>350$ and blow counts $<6$ BPI ( 0.24 blows/mm).


Figure 92. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for $12 \mathrm{PD} / \mathrm{LT}$ pile-cases at EOD with pile area ratios $>350$ and blow counts $<6 \mathrm{BPI}$ ( 0.24 blows/mm).


Figure 93. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for 27 PD/LT pile-cases at EOD with pile area ratios $>350$ and blow counts $>6$ BPI ( 0.24 blows/mm).


Figure 94. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for $27 \mathrm{PD} / \mathrm{LT}$ pile-cases at EOD with pile area ratios $>350$ and blow counts $>6$ BPI ( 0.24 blows/mm).


Figure 95. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for $36 \mathrm{PD} / \mathrm{LT}$ pile-cases at EOD with pile area ratios <350 and blow counts <6 BPI ( 0.24 blows/mm).


Figure 96. $\mathrm{K}_{\text {sp }}$ vs. blow count (BPI) for 36 PD/LT pile-cases at EOD with pile area ratios $<350$ and blow counts $<6$ BPI ( 0.24 blows/mm).


Figure 97. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for $20 \mathrm{PD} / \mathrm{LT}$ pile-cases at EOD with pile area ratios <350 and blow counts $>6$ BPI ( 0.24 blows/mm).


Figure 98. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for $21 \mathrm{PD} / \mathrm{LT}$ pile-cases at EOD with pile area ratios < 350 and blow counts $>6$ BPI ( 0.24 blows/mm).


Figure 99. $\mathrm{K}_{\mathrm{sw}}$ vs. blow count (BPI) for 18 PD/LT pilecases at BOR with pile area ratios $>350$ and all blow counts.


Figure 100. $\mathrm{K}_{\mathrm{rp}}$ vs. blow count (BPI) for 18 PD/LT pilecases at BOR with pile area ratios $>350$ and all blow counts.


Figure 101. $\mathrm{K}_{\text {sw }}$ vs. blow count (BPI) for $88 \mathrm{PD} / \mathrm{LT}$ pilecases at BOR with pile area ratios $<350$ and all blow counts.


Figure 102. $\mathrm{K}_{\mathrm{sp}}$ vs. blow count (BPI) for 89 PD/LT pilecases at BOR with pile area ratios $<350$ and all blow counts.

## CHAPTER 9 - ANALYSIS OF DATA SET PD

### 9.1 INTRODUCTION

### 9.1.1 Purpose

This chapter presents the graphical and statistical analysis of the pile-cases of data set PD. Graphical relationships in the form of scattergrams considering pile type and soil type are presented. A statistical analysis was performed in combination with the graphical relationships in an effort to correlate the results of chapter 8 with pile-cases that were not load tested to failure.

### 9.1.2 Overview

Two different types of correlations were examined for the pile-cases of data set PD. These can be summarized as follows:

## (a) Damping Parameters - Soil-Type Correlations

Smith damping parameters (side and tip) obtained from CAPWAP results were correlated to the soil type at the side and tip of the pile, respectively. These graphical relationships are presented in section 9.2.
(b) Office Method - Field Method Predictions

The relationship between the office analysis predictions and the Energy Approach predictions of data set PD were obtained. These relationships can be compared to the correlations of data set PD/LT that were presented in the form of the coefficient $\mathrm{K}_{\text {ew }}$, the ratio of CAPWAP or TEPWAP predictions over the Energy Approach predictions. Strong correlations between the two prediction methods may prove beneficial where load test data is not available. This approach can be especially useful since piles are dynamically monitored far more often than they are load tested to failure; hence, large data sets can be accumulated. The subgrouping of these correlations is consistent with table 3.

### 9.2 SMITH DAMPING PARAMETERS AND SOIL-TYPE CORRELATIONS

Figure 103 presents the relationship between Smith side damping parameters and the soil conditions along the pile shaft for 378 pile-cases analyzed by CAPWAP. The parameters shown are those obtained directly from the CAPWAP analyses performed on the pile-cases of data set PD. No corrections were performed on these parameters. A
substantial scatter exists in figure 103 with no clear correlation between the damping and the soil type at the pile shaft.

The information in figure 104, presenting the relationship between Smith tip damping parameters and tip soil conditions, indicates that no specific correlation can be made. These results are similar to those obtained in figures 22 and 23 for data set PD/LT.

### 9.3 CAPWAP AND THE ENERGY APPROACH CORRELATIONS

The following graphs compare CAPWAP and Energy Approach predictions based on pile type and soil type at the pile tip. The pile-type subgrouping includes large and small displacement piles, as well as miscellaneous piles (see table 3). The indicated slopes of the lines are identical to the parameter $\mathrm{K}_{\text {ew }}$ which is the ratio of CAPWAP predictions to the Energy Approach predictions.

### 9.3.1 All Piles • All Soils

The relationship between the predicted capacities of CAPWAP and the Energy Approach for 398 PD pile-cases is shown in figure 105. The information indicates a good agreement between the two types of analyses, with the majority of data points in the ratio range of 1.00 to 0.60 . The best-fit line through zero yields a ratio of $K_{\text {ew }}=$ 0.695 (CAPWAP over Energy Approach) with a coefficient of determination $r^{2}=0.699$. It can be seen that the small displacement piles (solid symbols) are concentrated in a narrow band, indicating a very good correlation of the two prediction methods for these pile-cases.

### 9.3.2 Large Displacement Piles

The following graphs compare the CAPWAP results to that of the Energy Approach predictions for large displacement piles.

## (a) All Cases

Figure 106 presents all 238 large displacement pile-cases in all types of soil. The data points range from approximately 1.10 to 0.20 . Overall, good agreement is presented with the best-fit line through zero at 0.676 (CAPWAP over Energy Approach) and a general trend between 1.00 and 0.60 . The coefficient of determination is $\mathrm{r}^{2}=0.650$.

## (b) Sand and Silt

The information in figure 107 indicates excellent correlation between CAPWAP predictions and Energy Approach predictions for cases of large displacement piles in sand and silt. Most of the data points lie within the range of 1.00 to 0.60 . The best-fit line is at 0.669 with $\mathrm{r}^{2}=0.812$.
(c) Clay and Till

Figure 108 shows the correlation of CAPWAP and Energy Approach predictions for 50 large displacement pile-cases in clay and till. The majority of data points fall on or near the 0.80 line, with other cases reaching 0.40 and slightly below. The best-fit line through zero is at $\mathrm{K}_{\mathrm{cw}}=0.600$ with $\mathrm{r}^{2}=0.404$.
(d) Rock

The relationship between CAPWAP and the Energy Approach for 78 cases of large displacement piles found in rock is shown in figure 109. The information indicated a general scatter with the majority of data points falling between 1.00 and 0.60 . The bestfit line through zero yielded $\mathrm{K}_{\text {ew }}=0.652$ with $\mathrm{r}^{2}=0.572$.

## (e) Unknown Soil Type

The correlation of the prediction methods for the 22 cases of large displacement piles in unknown soil types is presented in figure 110. It can be seen that regardless of soil type, good agreement is generally observed in these cases between the CAPWAP and Energy Approach predictions. The obtained best-fit line through zero is $\mathrm{K}_{\mathrm{ew}}=0.844$ with $\mathrm{r}^{2}=$ 0.589 .

## (f) Intermediate Conclusions

- Generally good agreement exists between the predictions of CAPWAP to those of the Energy Approach for large displacement piles. The obtained relationship for all large displacement piles, at all times and in all types of soil ( 242 cases), is similar to that obtained for the corresponding cases in data set PD/LT.
- The breakdown of the piles to the different soil types shows that the highest correlation between the methods exists for piles driven in sand and silt. The worst correlation is obtained for piles driven in clay and till.
- No subdivision was made regarding the time of driving. The analysis of data set PD is, therefore, equivalent to all time of driving cases in data set PD/LT.


### 9.3.3 Small Displacement Piles

The correlations of the two dynamic analysis predictions for small displacement piles in all soil types are presented in figures 111 through 114.

## (a) All Cases

The information in figure 111 indicates an outstanding correlation between the CAPWAP and Energy Approach predictions for 76 small displacement pile-cases in all
soil types. The data points are almost exclusively within the range of 1.00 and 0.60 with the best-fit line at $K_{e w}=0.800$ and $\mathrm{r}^{2}=0.826$.

## (b) Sand and Silt

The correlation for 26 small displacement pile-cases in sand and silt is shown in figure 112. A very well-defined relationship is observed with all data points within the range of 1.00 and 0.60 . The best-fit line forced through zero is shown with a ratio of $\mathrm{K}_{\mathrm{ew}}=0.807$ and $r^{2}=0.922$.

## (c) Clay and Till

Figure 113 presents the correlation between CAPWAP and Energy Approach predictions for 21 small displacement pile-cases in clay and till. These data points are also indicating a relatively good correlation with the best-fit line at $\mathrm{K}_{\mathrm{ew}}=0.723$ and $\mathrm{r}^{2}=$ 0.736 . The data points are within the range of 1.00 and 0.60 , however, there is a larger scatter than that observed in sand and silt. This is also indicated by the reduction in the value of the calculated coefficient of determination.
(d) Rock

Figure 114 presents the comparison of the dynamic prediction methods for 29 small displacement pile-cases on rock. The relationship yields similar results to those of figures 111 through 113, with an excellent correlation between the prediction methods. The best-fit ratio is equal to $\mathrm{K}_{\mathrm{ew}}=0.838$ with ${r^{2}}^{2}=0.797$.
(e) Intermediate Conclusions

- A better agreement with better correlation was found between the office method and the Energy Approach for small displacement piles when compared to large displacement piles. As both data sets contained a large number of cases ( 242 large displacement and 76 small displacement pilecases for all soil types at all driving times), the findings reflect the importance of pile type in the accuracy of the predictions.
- The predictions for small displacement piles in sand were found to match and correlate better than those in clay. In both cases, a better fit was found when compared to the large displacement pile-cases with the respective soil type. These results indicate that the soil type is secondary to the pile type as factors shaping the prediction results.


### 9.3.4 Miscellaneous Piles

The relationships of CAPWAP and Energy Approach predictions for miscellaneous piles for different soil conditions are presented in figures 115 through 119.

## (a) All Cases

The correlation between the two prediction methods is presented in figure 115 for 85 miscellaneous pile-cases in all soil types. It is shown that there is excellent agreement between these predictions, with the majority of data points falling in the range of 1.00 to 0.60 . The best-fit ratio is $\mathrm{K}_{\mathrm{cw}}=0.763$ (CAPWAP over Energy Approach) with $\mathrm{r}^{2}=0.873$.
(b) Sand and Silt

Figure 116 shows similar agreement between the two prediction methods for 40 miscellaneous pile-cases in sand and silt. The best-fit ratio equals 0.787 and most of the data points are within $\pm 20$ percent of the 0.80 line with $r^{2}=0.857$.

## (c) Clay and Till

The correlation of the predictions for 21 miscellaneous pile-cases in clay and till are shown in figure 117. Very good correlations are obtained with a best-fit ratio of $\mathrm{K}_{\mathrm{cw}}=0.735$. The majority of data points lie within the 1.00 to 0.60 range, with a coefficient of determination of $r^{2}=0.783$.
(d) Rock

The information of figure 118 indicates a very good agreement between the CAPWAP and Energy Approach predictions for 19 pile-cases of piles found in rock. The best-fit ratio is 0.742 with $r^{2}=0.899$.
(e) Unknown Soil Type

Figure 119 presents the correlation results for five cases of miscellaneous piles driven in unknown soils. Good correlation is obtained from this small and non-specific data set.

### 9.4 STATISTICAL ANALYSIS OF DATA SET PD

In order to quantify the correlations obtained from the graphical relationships of section 9.3, a statistical analysis was performed as follows:
(1) Determination of the first-order best-fit lines (forced through zero and $y$-intercept) by linear regression along with the sample coefficient of determination ( $r^{2}$ ) to measure the quality of the best-fit line.
(2) Determination of the mean and standard deviation of the $\mathrm{K}_{\text {ew }}$ ratio (CAPWAP over Energy Approach) as a measure of the accuracy (through the mean) and precision (through the standard deviation) of the calculated ratio distribution.

Table 10. Linear regression analysis of $K_{\text {ew }}$ for PD pile-cases.

| Kew = CAPWAP predictions / Energy Approach predictions |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pile- <br> Case <br> Group | Linear Regression |  |  |  |  |  |
|  | Number | Best Fit |  |  | Forced through Zero |  |
|  |  | X-coefficient | $y$-intercept | r-squared | X-coefficient | r-squared |
| AA | 403 | 0.603 | 75.4 | 0.723 | 0.695 | 0.699 |
| LA | 242 | 0.593 | 77.0 | 0.667 | 0.676 | 0.650 |
| LS | 92 | 0.580 | 81.8 | 0.841 | 0.669 | 0.812 |
| LC | 50 | 0.407 | 142.4 | 0.570 | 0.600 | 0.404 |
| LR | 78 | 0.563 | 89.7 | 0.591 | 0.652 | 0.572 |
| LN | 22 | 0.814 | 31.5 | 0.590 | 0.844 | 0.589 |
| SA | 76 | 0.751 | 22.7 | 0.830 | 0.800 | 0.826 |
| SS | 26 | 0.774 | 13.0 | 0.924 | 0.807 | 0.922 |
| SC | 21 | 0.651 | 32.2 | 0.747 | 0.723 | 0.736 |
| SR | 29 | 0.728 | 56.3 | 0.817 | 0.838 | 0.797 |
| MA | 85 | 0.678 | 51.8 | 0.892 | 0.763 | 0.873 |
| MS | 40 | 0.705 | 42.5 | 0.871 | 0.787 | 0.857 |
| MC | 21 | 0.640 | 46.6 | 0.807 | 0.735 | 0.783 |
| MR | 19 | 0.652 | 76.8 | 0.924 | 0.742 | 0.899 |
| MN | 5 | 0.816 | 61.3 | 0.933 | 0.955 | 0.898 |

Pile-case legend:
XX

- first letter denotes pile type: $\mathbf{A}=$ all piles, L=large displacement, $S=s m a l l$ displacement, and $M=m i s c e l l a n e o u s ~ p i l e s . ~$
- second letter denotes soil type: $A=a l l$ soils, $S=$ sand and silt, $C=$ clay and till, $R=$ rock, and $N=$ not available.


### 9.4.1 Linear Regression Analysis

The results of the linear regression analysis performed on the subgroups of data set PD are presented in table 10 . The first two columns of table 10 report the pile-case subgroups and the total number of pile-cases included in the analysis, respectively. This analysis is similar to that which was performed in section 8.4.1 for data set PD/LT. The results of the best-fit linear regression performed for each subgroup are listed in columns 3,4 , and 5 . Column 3 shows the first-order best-fit ratio, and the corresponding intercept is presented in column 4. Column 5 shows the sample coefficient of determination ( $\mathrm{r}^{2}$ ) for each subgroup. The coefficients for the best-fit ratio forced through zero are listed in columns 6 and 7 . Column 6 presents the first-order best-fit sample coefficient and column 7 presents the corresponding coefficient of determination.

Table 10 indicates a relatively consistent best-fit ratio (forced through zero) for all pile types and soil types. It can be seen that pile type is the controlling factor in the resulting best-fit ratio as very little change is seen for large or small displacement piles in different soils. For example, considering small displacement piles, the most extreme best-fit ratios range from 0.723 for piles found in clay and till to 0.838 for piles found in rock. Similarly, for large displacement piles in sand, clay, and rock, the best-fit ratios range from 0.676 to 0.600 . Excellent coefficients of determination are reported for all small displacement piles $\left(r^{2}=0.826\right)$ and, in particular, in sand $\left(r^{2}=0.922\right)$. This is in comparison to all large displacement piles $\left(r^{2}=0.600\right)$ that improve in sand only to $r^{2}=$ 0.812 , compared to clay with $r^{2}=0.404$.

### 9.4.2 Mean and Standard Deviation Analysis

Table 11 presents the results of the statistical analysis, evaluating the mean and standard deviation of the PD subgroups outlined in table 3. The first two columns are consistent with table 10 and they report the pile-case subgroup and the total number of pile-cases included in each analysis, respectively. The mean of all cases was found to be 0.774 with mean values obtained for the subgroups in the range of 0.701 to 0.863 (with the exception of miscellaneous piles in unknown soil types, which represent a subgroup of only five piles). Overall, the values obtained are very consistent with very good standard deviations compared to those obtained for the relationships between the predictions and the actual capacity. This suggests that the prediction methods may be similar in their analysis and, based on the mean values, it appears that soil type has a lesser effect on the correlation between CAPWAP and the Energy Approach predictions.

### 9.5 SUMMARY AND CONCLUSIONS

Data set PD contains information that allows capacity predictions to be conducted on 403 pile-cases, based on dynamic measurements. As no comparison can be made to the actual static resistance, the results serve two purposes:

Table 11. Statistical analysis of $K_{e w}$ for PD pile-cases.

| Pile- <br> Case <br> Group | Kew = CAPWAP/ Energy Approach |  |  |
| :---: | :---: | :---: | :---: |
| AA | 403 | 0.774 | 0.2099 |
| LA | 242 | 0.742 | 0.2359 |
| LS | 92 | 0.754 | 0.1753 |
| LC | 50 | 0.701 | 0.2093 |
| LR | 78 | 0.722 | 0.2202 |
| LN | 22 | 0.860 | 0.4528 |
| SA | 76 | 0.813 | 0.1255 |
| SS | 26 | 0.815 | 0.0862 |
| SC | 21 | 0.741 | 0.1396 |
| SR | 29 | 0.863 | 0.1229 |
| MA | 85 | 0.827 | 0.1734 |
| MS | 40 | 0.861 | 0.1410 |
| MC | 21 | 0.806 | 0.2297 |
| MR | 19 | 0.821 | 0.1544 |
| MN | 5 | 1.022 | 0.1233 |


| Pile-case legend: | XX | - first letter denotes pile type: $A=a l l$ piles, $L=l a r g e$ displacement, $S=s m a l l$ displacement, and $M=$ miscellaneous piles. <br> - second letter denotes soil type: A=all soils, $S=$ sand and silt, $C=$ clay and till, $R=r o c k$, and $\mathrm{N}=$ not available. |
| :---: | :---: | :---: |

- They can be compared to the pile-cases of data set PD/LT to allow assessment of trends found in that data set.
- They indirectly serve as an excellent indicator for the controlling parameters through the conditions in which the different prediction methods are close to each other or different from each other.

The following conclusions are based on the scattergrams presented in figures 103 through 119:

1. No correlations seem to exist between soil type and damping parameters for either Smith damping at the pile side or the pile tip.
2. General comparisons between the best-fit linear regression of the different subgroups in data set PD/LT (tables 5 through 7) and in data set PD (table 10) indicate a reasonably good agreement between the two independent data sets. Some of the major parameters are summarized in table 12 below.

Table 12. Linear regression summary of selected PD/LT and PD subgroups.

| PileCase Group | $\mathrm{K}_{\text {ew }}$ Coefficient |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | PD/LT |  |  | PD |  |  |
|  | number | x-coetficient | $r^{2}$ | number | x-coefficient | $r^{2}$ |
| AAA | 206 | 0.641 | 0.766 | 403 | 0.695 | 0.699 |
| LAA | 162 | 0.589 | 0.554 | 242 | 0.676 | 0.650 |
| LAS | 118 | 0.571 | 0.586 | 92 | 0.669 | 0.812 |
| LAC | 43 | 0.446 | 0.600 | 50 | 0.600 | 0.404 |
| SAA | 44 | 0.764 | 0.937 | 76 | 0.800 | 0.826 |
| SAS | 23 | 0.750 | 0.942 | 26 | 0.807 | 0.922 |
| SAC | 8 | 0.779 | 0.971 | 21 | 0.723 | 0.736 |

For many of these cases, $r^{2}$ can serve as a good indicator of the agreement as mentioned above. The assigned $x$-coefficient refers to the slope of the best-fit line forced through zero. A more realistic comparison may be obtained through the slope of the natural best-fit line.
3. General comparisons between the parameters of the normal distribution of the different subgroups in data set PD/LT (table 8) indicate a reasonably good agreement between the two independent data sets. Some of the major parameters are summarized in table 13.
4. Based on the data, it seems that both methods predict fairly similarly in the case of small displacement piles and, in particular, in sand. The small displacement piles present higher mean values, higher x-coefficients, higher coefficients of determination, and smaller standard deviation ratios. This conclusion verifies the fact that when small soil inertia and soil damping exist, both methods give similar results.
5. The cases related to the large displacement piles exhibit lower $x$ coefficients, lower coefficients of determination, and lower mean values, while having higher standard deviation values. This indicates that, in the case of large displacement piles, the dynamic methods differ from each other as the damping modeling has an active role in the CAPWAP analysis of these cases.
6. The consistent pattern of better agreement in the predictions for piles in sand compared to those in clay indicates the relative importance of the soil type. This, however, is secondary to the importance of pile type.

Table 13. Statistical analysis summary of selected PD/LT and PD subgroups.

| Pile <br> Case <br> Group | Kew Coefficient |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | number | mean | standard <br> deviatio <br> $n$ | number | mean | standard <br> deviatio <br> $n$ |
| AAA | 206 | 0.712 | 0.182 | 403 | 0.774 | 0.210 |
| LAA | 162 | 0.689 | 0.176 | 242 | 0.742 | 0.236 |
| LAS | 118 | 0.693 | 0.171 | 92 | 0.754 | 0.175 |
| LAC | 43 | 0.670 | 0.184 | 50 | 0.701 | 0.209 |
| SAA | 44 | 0.796 | 0.180 | 76 | 0.813 | 0.126 |
| SAS | 23 | 0.746 | 0.203 | 26 | 0.815 | 0.086 |
| SAC | 8 | 0.738 | 0.085 | 21 | 0.741 | 0.140 |



Figure 103. Side soil conditions vs. Smith side damping based on CAPWAP results for 372 PD pile-cases.


Figure 104. Tip soil conditions vs. Smith tip damping based on CAPWAP results for 377 PD pile-cases.

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 105. CAPWAP predictions vs. Energy Approach predictions for 398 PD pile-cases in all types of soil.

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 106. CAPWAP predictions vs. Energy Approach predictions for 238 large displacement PD pile-cases in all types of soil.

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 107. CAPWAP predictions vs. Energy Approach predictions for 89 large displacement PD pile-cases in sand and silt.


Figure 108. CAPWAP predictions vs. Energy Approach predictions for 50 large displacement PD pile-cases in clay and till.


Figure 109. CAPWAP predictions vs. Energy Approach predictions for 76 large displacement PD pile-cases in rock.

$1 \mathrm{kjp}=4.448 \mathrm{kN}$

Figure 110. CAPWAP predictions vs. Energy Approach predictions for 22 large displacement PD pile-cases in unknown soil types.


Figure 111. CAPWAP predictions vs. Energy Approach predictions for 76 small displacement PD pile-cases in all types of soil.

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 112. CAPWAP predictions vs. Energy Approach predictions for 26 small displacement PD pile-cases in sand and silt.

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 113. CAPWAP predictions vs. Energy Approach predictions for 21 small displacement PD pile-cases in clay and till.

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 114. CAPWAP predictions vs. Energy Approach predictions for 29 small displacement PD pile-cases in rock.

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 115. CAPWAP predictions vs. Energy Approach predictions for 85 miscellaneous PD pile-cases in all types of soil.


Figure 116. CAPWAP predictions vs. Energy Approach predictions for 40 miscellaneous PD pile-cases in sand and silt.

$1 \mathrm{kip}=4.448 \mathrm{kN}$

Figure 117. CAPWAP predictions vs. Energy Approach predictions for 21 miscellaneous PD pile-cases in clay and till.


$$
1 \mathrm{kip}=4.448 \mathrm{kN}
$$

Figure 118. CAPWAP predictions vs. Energy Approach predictions for 19 miscellaneous PD pile-cases in rock.


Figure 119. CAPWAP predictions vs. Energy Approach predictions for five miscellaneous PD pile-cases in unknown soil types.

## CHAPTER 10 - SUMMARY, CONCLUSIONS, AND RECOMMENDATIONS

### 10.1 SUMMARY

Two methods are currently employed for the analysis of dynamic measurements obtained during pile driving. Both methods are based on the solution of the one-dimensional wave equation for the stress wave traveling through the pile following the hammer's impact. The first method, an office analysis, utilizes a numerical solution of a mathematical model for the pile-soil system under measured boundary conditions (e.g., the computer codes CAPWAP or TEPWAP). The other method, a field analysis known as the Case Method, which is based on a simplified closed-form solution and empirical correlations, provides an instantaneous evaluation of the pile capacity following each hammer blow.

Substantial experience suggests the existence of major limitations in the field method. In addition, no large-scale evaluation has been carried out for the office methods since their development.

A simplified method, based on the energy balance between the total energy delivered to the pile and the work done by the pile/soil systems, is proposed as an alternative field method. This method, entitled the Energy Approach, assumes elasto-plastic load displacement pile-soil relations. Calculated transferred energy and maximum pile displacement from the measured data together with the field blow count are used as input parameters for the Energy Approach. The method does not consider the propagation process and is aimed at providing a real-time pile capacity prediction in the field. The Energy Approach simplified analysis considers the energy loss from elastic soil/pile deformations and the work done by the static resistance due to plastic soil deformation.

The stress-wave-based solutions represent the external forces acting on the penetrating pile as a stationary soil resistance. Traditionally, this resistance consists of static and dynamic components. The static component is usually considered to be elasto-plastic and the dynamic component is represented by viscous damping.

It was presented and argued (in this research) that this type of formulation does not correctly represent the physical phenomena associated with pile driving. The dynamic resistance component needs to stand for phenomena such as soil inertia, wave radiation, and true damping. These factors are determined by the pile shape, penetration depth, acceleration at the pile toe, and the surrounding soil and, hence, cannot be correlated through viscous damping parameters to soil type alone.

The energy loss due to various combined factors associated with the pile penetration, such as damping radiation and inertia, are not considered directly by the Energy Approach. As such, the method serves as an excellent indicator for pointing out the physical phenomena that should account for dynamic energy losses during driving.

Two large data sets were gathered at the University of Massachusetts at Lowell. One, PD/LT, contains 208 dynamic measurement cases on 120 piles monitored during driving, followed by a static load test to failure. The data were obtained from various sources and reflect varying combinations of soil-pile-driving systems. The other, PD, contains data on 403 piles monitored during driving and was provided by Pile Dynamics, Inc. of Cleveland, Ohio. All cases were examined and analyzed.

Data set PD/LT was analyzed for the static resistance, dynamic measurements, office analysis predictions, Case damping coefficient, and the Energy Approach predictions. Data set PD was analyzed for CAPWAP analysis and the Energy Approach predictions.

The results of this study invalidate the concept of a unique recommended correlation between the viscous damping parameters and soil type in both wave-based analyses. It is shown that energy losses should be attributed more to soil inertia rather than soil damping. As such, energy losses are mostly pile-shape-dependent, in addition to the soil type and driving resistance influences.

A pile-shape parameter denoted as area ratio $\left(A_{R}\right)$ was introduced as a quantitative measurement for the pile shape. The area ratio allows one to distinguish between large and small displacement piles on the basis of their soil mobilization at the pile tip relative to their skin-friction contact area.

The accuracy of the dynamic methods, when compared to the actual static capacity, and the relations between the predictions themselves, provided insight into the controlling mechanisms and the preferable conditions for these methods. It was found that best results are obtained for small displacement piles (with area ratio $A_{R}>350$ ). The worst analysis conditions are for large displacement piles in clay under low driving resistance ( $<6$ BPI [ 0.24 blows per mm]).

The Energy Approach method was found to provide excellent evaluations of pile capacity under all conditions. The method is, therefore, proposed to be used in the field for instantaneous capacity determination. The predictions of this method were found, on the average, to provide more accurate evaluations than the sophisticated office methods, especially for records obtained at the end of initial driving. The Energy Approach is, therefore, also proposed to be used as an independent tool to evaluate the office methods.

## 102 CONCLUSIONS

The research investigated four general correlations:
(1) Damping parameters vs. soil type.
(2) Load test results vs. office methods (CAPWAP/TEPWAP) predictions using the parameter $\mathrm{K}_{\mathrm{sw}}=$ load test capacity/office method prediction.
(3) Load test results vs. Energy Approach predictions using the parameter $K_{\mathrm{sp}}=$ load test capacity/Energy Approach prediction.
(4) CAPWAP/TEPWAP vs. Energy Approach using the parameter $K_{\text {ew }}=$ office method prediction/Energy Approach prediction that is also equivalent to $K_{\text {ew }}=K_{\text {sp }} / K_{\text {sw }}$

The conclusions based on the graphical and statistical analyses presented in the preceding chapters are summarized as follows:

1. Viscous damping does not truly represent the physical phenomena through which energy is lost and, hence, cannot be viewed as intrinsic to soil type.

Figure 21 presents the relationship between the back-calculated case-damping parameter, $\mathrm{J}_{\mathrm{c}}$ (which was required to provide the actual measured static resistance), to the soil type at the tip. No correlation can be observed in this figure. Moreover, in many cases, the obtained damping parameters are negative, which has no physical meaning.

Figures 120 and 121 present the relationship between soil conditions and Smith side and tip damping for all PD/LT and PD pile-cases combined (581 cases combining figures 22 and 104, 23 and 105, respectively). Figures 120 and 121 present the damping parameters that were used in the analyses in order to obtain the best signal match between the calculated and measured signals. No correlation was found between the damping parameter used in these analyses and soil type.
2. The capacity predictions for small displacement piles resulted in higher accuracy and substantially lower scatter for both dynamic methods when compared to the predictions and the scatter obtained for large displacement piles. (See, for example, figures 29 and 30 compared to figures 32 and 33 ).


Figure 120. Side soil conditions vs. Smith side
damping based on CAPWAP/TEPWAP results for 581 pile-cases.


Figure 121. Tip soil conditions vs. Smith tip damping based on CAPWAP/TEPWAP results for 581 pile-cases.

Small and large displacement piles can be defined according to area ratio ( $A_{R}>350$ for small displacement piles and $A_{R}<350$ for large displacement), as presented and discussed in sections 4.4 and 8.5.4 (see figures 70 and 72).
3. The above conclusion is reinforced by the excellent correlations that were obtained between the prediction methods for the small displacement pile cases (see tables 12 and 16). These observations show that energy is lost mainly due to soil inertia as a result of the mobilization of the soil mass at the pile tip. The correlations of section 8.3 (see tables 5 and 8 ) indicate that soil type has very little effect on the accuracy of the Energy Approach predictions. As such, correlations were examined based on pile type, driving resistance, and time of driving (see section 8.5).
4. Correlations between driving resistance and dynamic predictions do not lead to definitive conclusions (see table 9). Figures 73 through 102 and reanalysis of the prediction coefficients on the basis of blow counts between 0 to 10 BPI ( 0.39 blows per mm ) and over 10 BPI indicate the following trends:

- Small displacement piles with high driving resistance will result in a small loss of energy due to soil inertia and, therefore, more accurate predictions, as the actual pile resistance is similar to the maximum resistance during driving. The results of both methods of analysis performed well for that category. For example, the mean and standard deviation for 25 small displacement piles ( $\mathrm{A}_{\mathrm{R}}>350$ ) driven in the range of 0 to 10 BPI ( 0.39 blows per mm ) is $\mathrm{K}_{\mathrm{sw}}=1.360, \sigma_{\mathrm{x}}=0.5581$ and $\mathrm{K}_{\mathrm{sp}}=0.939, \sigma_{\mathrm{x}}=0.2788$, compared to the 32 pile-cases driven under resistances higher than 10 BPI ( 0.39 blows per mm) that resulted in $\mathrm{K}_{\mathrm{sw}}=1.159, \sigma_{\mathrm{x}}=0.4422$ and $\mathrm{K}_{\mathrm{sp}}=$ $0.929, \sigma_{x}=0.2185$.
- Large displacement piles with low driving resistance will result in a large loss of energy due to soil inertia and less accurate predictions, as the actual pile resistance is the difference between the maximum pile resistance during driving and the large energy loss. (For this category, the Energy Approach predicts well for EOD and over-predicts for BOR while the office methods seem to under-predict for EOD and improve with time.) For example, the mean and standard deviation for 101 large displacement pile cases $\left(\mathrm{A}_{\mathrm{R}}<350\right)$ driven at the range of 0 to 10 BPI ( 0.39 blows per $\mathrm{mm})$ is $\mathrm{K}_{\mathrm{sw}}=1.353, \sigma_{\mathrm{x}}=0.4879$ and $\mathrm{K}_{\mathrm{sp}}=0.906, \sigma_{\mathrm{x}}=0.3257$, compared to the 43 pile-cases driven in resistances higher than 10 BPI ( 0.39 blows per mm ), which resulted in $K_{\mathrm{sw}}=1.601, \sigma_{\mathrm{x}}=0.6279$ and $\mathrm{K}_{\mathrm{sp}}=0.951, \sigma_{\mathrm{x}}=$ 0.2961 .

5. The End of Driving (EOD) condition is of special interest as it represents the ability of the methods to predict the capacity during driving and to evaluate for the most common state. The predictions for EOD were examined, in particular, in figures 44 (and 46), 45 (and 47), 75, 76, and tables 5, 6, 8, and 9. The data clearly indicate very good predictions and correlations of the Energy Approach under all categories with better performance for small displacement piles. Fo: example, 97 piles at EOD resulted in $K_{\text {sw }}=1.478, \sigma_{x}=0.6167$ and $K_{\text {sp }}=1.023$, $\sigma_{x}=0.3073$. These numbers improved for the subgroup of 29 small displacement piles showing $\mathrm{K}_{\mathrm{sw}}=1.252, \sigma_{\mathrm{x}}=0.5616$, and $\mathrm{K}_{\mathrm{sp}}=0.935, \sigma_{\mathrm{x}}=0.2616$. The large mean and standard deviation ratios for the $K_{s w}$ coefficient suggest limitations of the office analysis methods for all piles at the end of driving, but, in particular, for large displacement piles.

### 10.3 RECOMMENDATIONS

### 10.3.1 General

The recommendations are comprised of three parts. One part (sections 10.3.2, 10.3.3, and 10.3.4) describes the major prediction parameters and their statistical evaluation for the different pile-cases. The statistical evaluation is shown in the form of:

- Determination of the first-order best-fit line forced through zero (xcoefficient) and the measure of its accuracy through the coefficient of determination ( $r^{2}$ ). Section 8.4.1 reviewed these parameters, mainly indicating that good correlation exists for $\mathrm{r}^{2} \geq 0.8$ and that $0.6 \leq \mathrm{r}^{2}<0.8$ indicates a moderate correlation only.
- Mean and standard deviation of the normal distribution. The mean represents the accuracy of the prediction (the ability to predict the measured ultimate static capacity) and the precision of the method refers to the scatter, which is represented by the standard deviation (the smaller the scatter, the lower the standard deviation).

In examining a certain pile-case category, it is advised to check both the x-coefficient and the mean as measures of the prediction accuracy and check the coefficient of determination and the standard deviation as measures of the scatter. It is also advised to look at the actual data presented in the scattergram associated with the particular case.

The second part of the recommendations refers to a discussion regarding the factors of safety that are associated with the predictions of the office methods and the Energy Approach. The third part lists several recommendations for the implementation of the methods and potential future improvements.

### 10.3.2 The Performance of the Office Methods (CAPWAP/TEPWAP)

Table 14 summarizes the major numerical parameters obtained through the analysis of data set PD/LT, concerning the performance of the office analyses. Only the pile-cases that contained a significant number of cases and/or could indicate an important influence were included. Table 14 indicates the following:

- For all piles at any time of driving in all soils, the office method underpredicts the actual static capacity by about 30 percent with a relatively large scatter. The scatter is mostly due to low accuracy in the prediction of cases involving large displacement piles (see LAA compared to SAA) and driving in clay (see AAC compared to AAS). It must be emphasized that a separate observation (not presented in this study) shows a clear improvement of the office method predictions with time. The accuracy of the method when analyzing records close to the time of load testing is, therefore, not evident in the data.
- The major single parameter controlling the accuracy of the method is the pile type. The accuracy of the method and its scatter reduces substantially for small displacement piles at any time of driving in all soils. It is further evident with the accuracy of the small displacement piles at the end of driving for which the office method presented excellent results with a mean and x -coefficient close to 1 and $\mathrm{r}^{2}=0.95$.


### 10.3.3 The Performance of the Energy Approach

Table 15 summarizes the major numerical parameters obtained through the analysis of data set PD/LT concerning the performance of the Energy Approach. Only the pile groups that contained a significant number of pile-cases and/or could indicate an important influence were included. The Energy Approach was proposed as the field method and, hence, the performance at the end-of-driving condition is emphasized. Table 15 indicates the following:

- For all piles at any time of driving in all soils, the Energy Approach overpredicts the actual static capacity by about 8 percent with a noticeable scatter that is, however, significantly smaller than that of the office method. As in the prediction of the office methods, the scatter is mostly due to lower accuracy in the prediction of cases involving large displacement piles (see LAA compared to SAA) and driving in clay (see AAC compared to AAS).
- Good correlation exists for predictions related to end of driving and small displacement piles. This is evident through the high coefficients of determination ( $r^{2}$ ) and small standard deviations for these cases.
- The mean prediction ratio for all cases at the end of driving (AEA) is 1.0 . Higher accuracy is obtained for small displacement piles (SEA) compared to large displacement piles (LEA).


### 10.3.4 The Correlation Between the Office Methods and the Energy Approach

Tables 16 and 17 summarize the correlations obtained between the two methods under the different pile cases. Table 16 has a similar format to that of tables 14 and 15 and is based on the PD/LT data set. The parameters in table 16 referring to the end-of-driving conditions present excellent correlations between the methods, except for predicting large displacement piles for which each of the methods encountered its own difficulties.

Table 17 is based on the data combined in both data sets (PD and PD/LT) and, hence, refers to 609 pile-cases. The low correlations were again obtained for large displacement piles (LAA), especially when driven in clay (LAC).

The obtained relationships of tables 16 and 17 can perform as excellent guidelines when comparing the results of the office methods to that of the Energy Approach.

### 10.3.5 Factors of Safety and Risk Analysis

## (a) General

Factor of safety in the current common use is the factor that we apply to our prediction in order to come up with an allowed capacity for which we would feel freedom from meaningful risk.

Risk is defined (see, for example, Briaud and Tucker, 1988) as the probability (P) that the predicted ultimate capacity $\left(Q_{p}\right)$ divided by the factor of safety (F.S.) exceeds the measured ultimate load $\left(\mathrm{Q}_{\mathrm{m}}\right)$ :

$$
\begin{equation*}
R=P\left[\left(\frac{Q_{p}}{F . S .}\right)>Q_{m}\right] \tag{41}
\end{equation*}
$$

The calculated $K$-values ( $\mathrm{K}_{\mathrm{sw}}$ and $\mathrm{K}_{\mathrm{sp}}$ ) as presented throughout this research study are the ratio of $K=Q_{m} / Q_{p}$, using the above notation. The risk can therefore be rewritten in the following format:

$$
\begin{equation*}
R=P[K \cdot F . S .<1] \tag{42}
\end{equation*}
$$

where $K=K_{\text {sw }}$ or $K_{\text {sp }}$.
As the construction cost is directly related to the factor of safety, we are interested in several forms of that factor:

- What is the minimum factor of safety that will allow us absolute safety?
- What is the risk associated with any factor of safety?
- What is the actual factor of safety when considering the inaccuracy of the prediction method?

These aspects are discussed in the following section.
(b) Absolute Safety Based on Data Set PD/LT

The data sets were searched for the worst over-prediction ratio. The absolute factor of safety was defined as the one that should have been used in this case in order to make certain that the allowed capacity would not exceed the ultimate capacity. The results of the analysis based on this approach are summarized in table 18 in the following manner:

Columns 1 through 3 detail the method of analysis, pile-case category, and number of cases related to that category.

Column 4 indicates the minimum $K$-factor ( $\mathrm{K}_{\mathrm{sw}}$ or $\mathrm{K}_{\mathrm{sp}}$ ) in the related data set. The $\mathrm{K}_{\min }$ value is associated with the maximum over-prediction ratio.

Column 5 is the inverse ratio of $\mathrm{K}_{\text {min }}$, indicating the absolute factor of safety that would have been needed in this case in order to guarantee that the allowed capacity would not exceed the ultimate static capacity.

Column 6 takes into consideration the average built-in risk or safety that exists in each of the methods. The office methods under-predict on the average, such that the mean $\mathrm{K}_{\mathrm{sw}}$ for the AAA category is 1.367 . Using, in addition, a factor of safety of 1.75 means that the actual mean factor of safety is $1.367 \times 1.75$, which results in 2.40 . The Energy Approach is over-predicting on the average. The mean $K_{\text {sp }}$ for the AAA category is 0.925 , which means that when employing a factor of safety of 2.44 , the actual mean factor of safety is $0.925 \times 2.44=2.26$.

Column 6 indicates that although the Energy Approach requires somewhat higher factors of safety in order to cover the worst over-prediction case, the actual factor of safety that is used when considering the accuracy of the method is smaller than that of the office

Table 14. Linear regression and statistical analysis of Ksw for selected PD/LT pile-cases.


[^4]Table 15. Linear regression and statistical analysis of Ksp for selected PD/LT pile-cases.


[^5]Table 16. Linear regression and statistical analysis of Kew for selected PD/LT and PD pile-cases.

| Pile- <br> Case <br> Group | Number <br> of <br> Cases | Kew = CAPWAP or TEPWAP/Energy Approach |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Linear Best Fit through Zero | Normal Distribution |  |  |  |
| AAA | 609 | 0.670 | 0.727 | 0.753 | 0.203 |
| LAA | 404 | 0.638 | 0.609 | 0.721 | 0.215 |
| LAS | 210 | 0.617 | 0.690 | 0.720 | 0.175 |
| LAC | 93 | 0.600 | 0.447 | 0.687 | 0.198 |
| SAA | 120 | 0.772 | 0.937 | 0.807 | 0.147 |
| SAS | 49 | 0.754 | 0.950 | 0.783 | 0.155 |
| SAC | 29 | 0.752 | 0.914 | 0.740 | 0.126 |

Pile-case legend: displacement, and $S=$ small displacement.

- first letter denotes pile type: $A=$ all piles, $L=$ large
- second letter denotes time of measurement: $A=$ anytime
$E=e n d$ of driving, and $B=b e g i n n i n g$ of restrike.
- third letter denotes soil type: $A=a l l$ soils, $S=$ sand and silt, $C=$ clay and till, and $R=$ rock.
Pile-case legend: XXX
Table 17. Linear regression and statistical analysis of Kew for selected PD/LT pile-cases.

| PileCase <br> Group | NumberofCases |  | Kew = CAPWAP or TEPWAP/Energy Approach |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Linear Best Fit through Zero |  | Normal Distribution |  |
|  |  |  | x-coefficient | r-squared | mean | standard deviation |
| AEA | 95 | all | 0.699 | 0.861 | 0.743 | 0.179 |
| SEA | 39 | >350 | 0.762 | 0.947 | 0.813 | 0.147 |
| LEA | 56 | <350 | 0.598 | 0.398 | 0.695 | 0.184 |

[^6]methods. This situation is especially clear for the end-of-driving cases where a factor of safety of 2.0 actually means an average factor of safety of 2.0 for all cases.

Column 7 examines the maximum factor of safety that will be employed for the worst under-prediction ratio, using this approach. Since the maximum under-prediction ratio for the office method is $\mathrm{Ksw}_{\text {max }}=4.42$, the maximum actual factor of safety that will result from using an F.S. of 1.75 is $1.75 \times 4.42=7.74$.

The small scatter for the Energy Approach is again demonstrated for all the end-ofdriving predictions where the use of a factor of safety of 2.0 will result in a maximum conservative factor of safety of only 4.24.

Table 18. Absolute factor of safety based on data set PD/LT.

| Method of Analysis | Pile- <br> Case <br> Group | No. <br> of <br> Cases | $K_{\min }$ | Factor of <br> Safety <br> (F.S.) | F.S. $\times$ mean K | F.S. $\times K_{\max }$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| CAPWAP/TEPWAP | AAA | 206 | 0.57 | 1.75 | 2.40 | 7.74 |
| CAPWAP/TEPWAP | AEA | 97 | 0.57 | 1.75 | 2.59 | 7.74 |
| Energy Approach | AAA | 208 | 0.41 | 2.44 | 2.26 | 5.28 |
| Energy Approach | AEA | 98 | 0.51 | 1.96 | 2.01 | 4.24 |

(c) Factor of Safety and the Associated Risk Based on the Actual Data

The PD/LT data set was used to prepare the relationships between the applied factor of safety and its associated risk as defined earlier. The procedure was described by Briaud and Tucker (1988) and contains the following steps:

1. Select an arbitrary F.S. (factor of safety).
2. Calculate the risk of failure as the ratio between the number of piles in the data set for which $Q_{p} / Q_{m}>F$.S. over the total number of piles in that data base.
3. Repeat steps 1 and 2 for different F.S. values.
4. Plot the obtained relations between the applied factor of safety and the associated risk.

This analysis was carried out for three pile group cases (AAA, AEA, and SEA) for each of the two prediction methods. Figures 122, 124, and 126 are related to the office
method predictions and figures 123, 125, and 127 are related to the Energy Approach predictions. An accurate prediction occurs when the predicted value is equal to the failure value and, hence, associated with a risk of 100 percent for a factor of safety of 1 . A smaller risk with F.S. $=1$ reflects on under-prediction. For example, according to figure $122,77.7$ percent of the piles (AAA cases) will be safe using CAPWAP and F.S. $=$ 1 as the method under-predicts in most cases. In order to include the bias of the prediction method itself, the relationships between the applied factor of safety and the mean over-prediction ratio (or the mean actual factor of safety) were added in each chart. For example, figure 122 indicates that using a factor of safety of 1.2 for all cases of the office method, will result in a risk of 5.8 percent. This factor of safety, however, is actually equivalent to a factor of safety of 1.64 when considering the mean of $\mathrm{K}_{\mathrm{sw}}=$ 1.367 for the AAA pile-case group.

Table 19 summarizes numerically, based on figures 122 through 127, a few representative factors of safety and their associated risks. The numerical values show the accuracy and reliability of the Energy Approach, especially for the end-of-driving analysis. The use of a factor of safery of 1.6 , for example, will be associated with an actual F.S. of 1.6 and a risk of 2.1 percent for the Energy Approach, while the same factor of safety means an actual F.S. of 2.3 and risk of 1.1 percent for the office method.

## (d) Factor of Safety and the Associated Risk Based on the Probability Distribution Function

The risk associated with the factor of safety can also be evaluated based on the probabilistic models. The models associated with the distribution of the predictions were presented in section 8.4.

The use of these evaluations can be done in the following way:

$$
\begin{equation*}
R=P[K \times F . S .<1]=P\left[K<\frac{1}{F . S .}\right] \tag{43}
\end{equation*}
$$

using $\mathrm{x}=1 / \mathrm{F}$. S.
for a normal distribution

$$
\begin{equation*}
P[K<x]=P\left[U S\left(\frac{x-m_{x}}{\sigma_{x}}\right)\right]=F_{u}\left(\frac{x-m_{x}}{\sigma_{x}}\right)=F_{u}(u) \tag{44}
\end{equation*}
$$

for a log-normal distribution

$$
\begin{equation*}
P[K<x]=P[\ln K \leq \ln x]=F_{k}\left(\frac{\ln \left(x / m_{x}\right)}{\sigma_{\ln x}}\right) \tag{45}
\end{equation*}
$$

where $F_{u}$ is obtained directly from the standard tables of the normal distribution function.

For example, using the log-normal distribution for $\mathrm{K}_{\mathrm{sp}}$ for AAA pile-cases (see figure 66):

$$
\mathrm{m}_{\mathrm{r}}=0.8818, \sigma_{\operatorname{lnx}}=0.3094
$$

| F.S. | 1/F.S. | $\mathbf{U}$ | $\mathbf{F}_{\mathbf{u}}$ | $\mathbf{R}=\mathbf{P}[\mathrm{K}<1 / \mathrm{F} . S]$. | $\mathbf{R}$ (table 19) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1.0 | 1 | 0.4066 | 0.6591 | $65.9 \%$ | $67.8 \%$ |
| 1.6 | 0.625 | -1.2517 | $1-0.8944$ | $10.6 \%$ | $14.4 \%$ |
| 1.8 | 0.556 | -1.4932 | $1-0.93189$ | $6.8 \%$ | $7.7 \%$ |
| 2.0 | 0.500 | -1.8337 | $1-0.96712$ | $3.3 \%$ | $4.8 \%$ |
| 2.5 | 0.400 | -2.5549 | $1-0.996$ | $0.4 \%$ | $0 \%$ |

These numbers fit very well with the risk presented in figure 123 and table 19.

### 10.3.6 Recommendations for Implementation

I. The simplicity of the Energy Approach formulation together with its high accuracy at the end of driving makes it an ideal method of analysis to be used in the field and as a check for the office methods.

The following factors of safety are recommended to be used with the Energy Approach predictions:

- F.S. $=2.50$ for all piles in all cases (AAA, mean $\left.K_{\text {sp }}=0.93\right)$.
- F.S. $=2.00$ for all end-of-driving cases (AEA, mean $\left.K_{\mathrm{sp}}=1.00\right)$.
- F.S. $=2.00$ for all small displacement piles $\left(A_{R}>350\right)$ in all cases (SAA, mean $K_{\text {万p }}=0.94$ ).

The following recommendations are made for improving the use of the Energy Approach method:

1. Implement the Energy Approach as part of the Pile-Driving Analyzer (PDA) routine analysis. This will ensure more accurate field predictions that may be further enhanced by using $\mathrm{K}_{\text {sp }}$ correction factors based on the pile group cases as shown in the previous section.
2. The limited accuracy of the displacements obtained from acceleration measurements brought the use of the blow count for set evaluation. It was found that, in many cases, blows are counted along a distance of a foot rather than an inch, even during the final penetration. Whenever records of blows per foot were replaced by measurements along 1 in ( 25.4 mm ), a significant improvement was obtained for the estimated set and, as a result, in the accuracy of the Energy Approach predictions. It is proposed to remediate the problem by measuring blows along 1 in ( 25.4 mm ) of penetration together with the following recommendations.
3. The Energy Approach can be improved by analysis based on average blows per inch, average $\mathrm{E}_{\mathrm{mAx}}$, average $\mathrm{D}_{\mathrm{MAX}}$, and average capacity for the last inch during driving rather than for a single blow.
II. Both methods of analysis, the simple Energy Approach and the stress-wave-based formulation, require the recording of the pile displacement with time. Currently, we either double integrate the acceleration measurements to obtain displacement with time, or integrate once, using the velocity in the numerical solution of the wave equation. Direct and accurate displacement measurements can be currently obtained, instead of using accelerometers. Such measurements based, for example, on laser devices will enhance substantially the accuracy of all dynamic methods.

Table 19. Factor of safety and associated risk.

| Prediction | CAPWAP/TEPWAP |  |  | Energy Approach |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pile Case | AAA | AEA | SEA | AAA | AEA | SEA |
| No. of Cases | 206 | 95 | 39 | 208 | 96 | 39 |
| F.S. | 1.00 | 1.00 | 1.00 | 1.00 | 1.00 | 1.00 |
| Actual F.S.* | 1.37 | 1.44 | 1.15 | 0.92 | 1.00 | 0.90 |
| Risk (\%) | 22.3 | 16.8 | 41.0 | 67.8 | 60.4 | 41.0 |
| F.S. | 1.20 | 1.20 | 1.20 | 1.20 | 1.20 | 1.20 |
| Actual F.S. ${ }^{\text {a }}$ | 1.64 | 1.73 | 1.38 | 1.11 | 1.20 | 1.08 |
| Risk (\%) | 5.8 | 7.4 | 25.6 | 42.3 | 31.3 | 25.6 |
| F.S. | 1.40 | 1.40 | 1.40 | 1.40 | 1.40 | 1.40 |
| Actual F.S. ${ }^{\text {a }}$ | 1.91 | 2.02 | 1.61 | 1.30 | 1.40 | 1.26 |
| Risk (\%) | 2.4 | 3.2 | 5.1 | 22.6 | 9.4 | 5.1 |
| F.S. | 1.60 | 1.60 | 1.60 | 1.60 | 1.60 | 1.60 |
| Actual F.S. ${ }^{\text {a }}$ | 2.19 | 2.31 | 1.84 | 1.48 | 1.60 | 1.44 |
| Risk (\%) | 1.0 | 1.1 | 2.6 | 14.4 | 2.1 | 2.6 |
| F.S. | 1.80 | 1.80 | 1.80 | 1.80 | 1.80 | 1.80 |
| Actual F.S.' | 2.46 | 2.59 | 2.07 | 1.67 | 1.80 | 1.62 |
| Risk (\%) | 0 | 0 | 0 | 7.7 | 1.0 | 0 |
| F.S. | 2.00 | 2.00 | 2.00 | 2.00 | 2.00 | 2.00 |
| Actual F.S.* | 2.74 | 2.88 | 2.30 | 1.84 | 2.00 | 1.80 |
| Risk (\%) | 0 | 0 | 0 | 4.8 | 0 | 0 |
| F.S. | 2.5 | 2.5 | 2.5 | 2.5 | 2.5 | 2.5 |
| Actual F.S.* | 3.43 | 3.60 | 2.88 | 2.30 | 2.50 | 2.25 |
| Risk (\%) | 0 | 0 | 0 | 0 | 0 | 0 |

Actual F.S. $=$ F.S. $\times$ mean OPR
mean OPR = mean Over-Prediction Ratio


Figure 122. Risk analysis of CAPWAP/TEPWAP predictions for 206 PD/LT pile-cases in all types of soil.


Figure 123. Risk analysis of Energy Approach predictions for $208 \mathrm{PD} / \mathrm{LT}$ pile-cases in all types of soil.


Figure 124. Risk analysis of CAPWAP/TEPWAP predictions for 95 PD/LT pile-cases in all types of soil at EOD.


Figure 125. Risk analysis of Energy Approach predictions for $96 \mathrm{PD} / \mathrm{LT}$ pile-cases in all types of soil at EOD.


Figure 126. Risk analysis of CAPWAP/TEPWAP predictions for 39 small displacement $\left(A_{R}>350\right) \mathrm{PD} / \mathrm{LT}$ pile-cases in all types of soil at EOD.


Figure 127. Risk analysis of Energy Approach predictions for 39 small displacement ( $A_{R}>350$ ) PD/LT pile-cases in all types of soil at EOD.

## APPENDIX A - DATA SET PD/LT

Table 20. Site and pile information for PD/LT.

| No. | Plo-Case Number | Peter. No. | Locstion | $\begin{aligned} & \text { Ple } \\ & \text { Type } \end{aligned}$ | Pile <br> Area $\left(i n^{2}\right)$ | Length Betow Gauges (in) | Penterr Depth | Soll Type |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  | Side | Tp |
| 1 | FN1-EOD | 1-480 | Omans NE | HP10x42 | 12.40 | 72.0 | 720 | sity clay | 14 |
| 2 | FN1-8081 | $1-480$ | Omana NE | HP10x42 | 12.40 | 72.0 | 721 | silly clay | U |
| 3 | FN1-60P2 | 1480 | Omana NE | MP10x42 | 12.40 | 72.0 | 73.0 | silty clay | บH |
| 4 | FND-EOD | H80 | Omans NE | PSC12'sq | 14.00 | 62.0 | 65.0 | silty clay | till |
| 5 | FNL-BOR | H60 | Omaha NE | PSC12'sq | 144.00 | 620 | 65.0 | ally clay | 011 |
| 6 | FN3-EOD | $1-480$ | Omaha NE | PSC14'sq | 196.00 | 62.0 | 56.0 | sulty clay | $t 11$ |
| 7 | FN3-BOR | H480 | Omane NE | PSC14*sq | 198.00 | 62.0 | 56.0 | salty ciay | tIII |
| 8 | FNA-EOD | 1480 | Omana NE | CEP12.75 | 19.20 | 68.0 | 66.0 | silty clay | tul |
| 9 | FN4-BOR | $1-480$ | Omana NE | CEP12.75 | 19.20 | 68.0 | 60.0 | silty clay | till |
| 10 | FUEEOD | SHe 1 | lowa | HP14×89 | 26.10 | 117.5 | 114.1 | clayey sand | sand |
| 11 | FA-BOR | Sne 1 | lowa | HP14x89 | 28.10 | 117.5 | 114.1 | clayey sand | send |
| 12 | FB-EOD | Ste 1 | lowa | CEP 14' | 21.20 | 97.5 | 94.1 | clayey sand | sand |
| 13 | FIB-BOR | Sne 1 | lowa | CEP 14* | 21.20 | 97.5 | 94.1 | clayey sand | send |
| 14 | FO1-EOD | Cms S-1 | Ondahoma | CEP 26 | 67.70 | 60.3 | 60.2 | sility sand | sility sand |
| 15 | FO1-B0R | Cms S 1 | Oxanoma | CEP $26^{\circ}$ | 67.70 | 60.3 | 60.2 | silty sand | sitty sand |
| 18 | FO2-EOD | Clm S-1 | Ofdahoma | PSC24'00t | 470.90 | 61.5 | 63.0 | silty sand | sifty sand |
| 17 | FO2.80R | Cms S-1 | Ordahoma | PSC24*0C1 | 470.90 | 61.5 | 63.1 | sity sand | silty sand |
| 18 | FO3-EOD | Clm S-2 | OXdahoma | HP14x117 | 34.40 | 110.0 | 03.7 | sa-st-ctay | clayey sand |
| 10 | FO4-EOD | Cmm S-2 | Oxdehoma | RC24's9 | 576.00 | 60.3 | 45.0 | sa-st-clay | clayey eand |
| 20 | FO4-80R | $\mathrm{Cum} \mathrm{s}-2$ | Ordahoma | RC24'sq | 576.00 | 60.3 | 55.8 | sa-sh-clay | clayey sand |
| 21 | FOR1-EOD | Alsea | Oregon | PSC20\%sq | 393.00 | 131.0 | 125.5 | sand \& silf | siltstone |
| 22 | FOR1-BOR | Asea | Oregon | PSC20'sq | 393.00 | 131.0 | 125.6 | sand \& sttr | allistone |
| 23 | FM5-E00 | Site A | Maine | CEP 18' | 27.50 | 117.3 | 99.0 | clay \& sand | sand |
| 24 | FM5-BOR | Sine A | Maine | CEP 18' | 27.50 | 101.0 | 89.1 | clay \& sand | sand |
| 25 | FM17-EOD | SHe B | Maine | CEP ${ }^{18}$ | 27.50 | 77.8 | 71.1 | UU | 世 |
| 28 | FM17-80R | Ste B | Maine | CEP 18* | 27.50 | 77.8 | 71.3 | 814 | 311 |
| 27 | FME3-EOD | Ste B | Malne | CEP ${ }^{18}$ | 27.50 | 58.8 | 50.7 | till | 311 |
| 28 | FME3-BOR | $\sin 0$ | Maine | CEP $18{ }^{\circ}$ | 27.50 | 56.8 | 50.8 | 4 H | all |
| 29 | FCT-EOD | Crook | Cotorado | CEP12.75* | 9.82 | 33.5 | 33.5 | sand | sand |
| 30 | FCi-bor | Crook | Colorado | CEP12.75* | 8.82 | 33.5 | 33.9 | sand | sand |
| 31 | FC2-EOD | Crook | Colorado | CEP12.75* | 8.82 | 27.5 | 26.5 | sand | sand |

Table 20. Site and pie information for PD/LT (continued).

| No. | Pro-Case Number | Roter. No. | Location | $\begin{aligned} & \text { Plie } \\ & \text { Type } \end{aligned}$ | Pue Area$\left(\mathrm{n}^{2}\right)$ | Length Below Gauges (ii) | Panetr Depth <br> (i) | Soll Type |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  | Side | TP |
| 32 | FC2-80R | Crook | Colorado | CEPY2.75* | 9.82 | 27.5 | 26.9 | sand | sand |
| 33 | FMI1-EOD | FR 115 | Mrasoun | CEP 14* | 18.10 | 83.0 | 83.0 | sand-graver | sand |
| 34 | FMIT-80R | PL 115 | Missour | CEP 14* | 16.10 | 83.0 | 83.1 | sand-gravel | sand |
| 36 | FMR-EOD | PR. 115 | Missour | CEP 14* | 18.10 | 81.5 | 81.0 | sand-graver | sana |
| 36 | FM12-BOR | FLi 115 | Missoun | CEP 14* | 16.10 | 61.5 | 61.0 | sand-gravel | sand |
| 37 | FWAEOD | $3^{\text {rd }}$ lake | Washingtn | CEP 48' | 111.3 | 152.0 | 24.8 | till-graver | till |
| 38 | FWA-BOR | $3^{\text {rd }}$ take | Washingtn | CEP 48' | 111.3 | 1520 | 24.9 | thl-gravat | 뱁 |
| 38 | FWE-EOD | $3^{\text {rd }}$ take | Washingtn | CEP 48' | 111.3 | 140.0 | 109.0 | Hegraval | till |
| 40 | FWB-80R | $3^{\text {rd }}$ Lake | Washingtn | CEP 480 | 111.3 | 140.0 | 109.3 | Uli-graver | till |
| 41 | FAI-EOD | H165 | Alabama | PSC $18^{\circ} \mathrm{sq}$ | 324.00 | 63.0 | 84.0 | silty sand | slity sand |
| 42 | FA1-BOR1 | 1165 | A | PSC 18'sq | 324.00 | 63.0 | 84.5 | sulty sand | alty sand |
| 43 | FA1-BOR2 | $1-165$ | Alabama | PSC 18'sq | 324.00 | 63.0 | 84.8 | slity sand | slity sand |
| 4 | FA2-EOD | $1-165$ | Alabama | PSC 18889 | 324.00 | 73.0 | 75.0 | shty sand | alty sand |
| 45 | FA2-BOR1 | +165 | Alabama | PSC 180 ${ }^{\circ} \mathrm{sq}$ | 324.00 | 73.0 | 75.3 | silty sand | silty sand |
| 46 | FA2-BOR2 | +165 | Alebama | PSC 18989 | 324.00 | 73.0 | 75.5 | silty sand | silty sand |
| 47 | FA3-EOD | +166 | Alebama | PSC 24*sq | 489.00 | 63.0 | 64.0 | sulity sand | sulty sand |
| 48 | FA3-BOR1 | +165 | Alabama | PSC 24*sq | 489.00 | 63.0 | 64.1 | silty sand | silty sand |
| 49 | FA3-BOP2 | 1165 | Alamams | PSC 24'sq | 489.00 | 83.0 | 64.5 | slity sana | sinty sand |
| 50 | FAM-EOD | 1-166 | Alabama | PSC 24'sq | 489.00 | 73.0 | 75.0 | silty sand | silty sand |
| 51 | FA4-BOR1 | H165 | Alsbama | PSC 24'sq | 489.00 | 73.0 | 75.1 | slity sand | silty sand |
| 52 | FAl-80R2 | +165 | Alshama | PSC 24'sq | 489.00 | 73.0 | 75.2 | silty sand | allty sand |
| 53 | FA5-EOD | 165 | Alabama | PSC 36'sq | 888.00 | 70.0 | 73.0 | silly sand | silty sand |
| 54 | FA5-BOR | -165 | Alabams | PSC $36 \times \mathrm{sq}$ | 888.00 | 70.0 | 73.1 | sllty sand | sily sand |
| 55 | FV15-E00 | WRJ | Vermont | HP1 4x 73 | 21.40 | 920 | 75.0 | sit-d.sand | sand graver |
| 58 | FV15-BOR | WRL | Vermont | HP14x73 | 21.40 | 82.0 | 75.8 | siln-d.sand | sand gravel |
| 57 | FVIO-EOD | WRJ | Vermont | HP14×73 | 21.40 | 92.0 | 90.0 | slit-d.sand | sand gravel |
| 58 | FV10-BOA | WRJ | Vermont | HP14×73 | 21.40 | 92.0 | 50.4 | sith-d.sand | sand gravel |
| 50 | FMN2-EOD | Pi 18 | Minnesota | HP14×73 | 21.4 | 97.0 | 86.0 | sa-si-ctay | fat clay |
| 60 | FMN2-BOA | Pe 18 | Minnesota | HP14×73 | 21.4 | 97.0 | 96.1 | sa-st-clay | fat clay |
| 81 | FP5-EOD | Troga | Penn. | Monotube | 7.00 | 34.5 | 23.6 | sancy gm | sandy gm |
| 02 | FP5-60n | Troga | Pern. | Monotube | 7.00 | 34.5 | 23.8 | sandy gra | sandy gm |

Table 20. Site and pile information for PD/LT (continued).

| No. | Pite-Cese Number | Rater. No. | Lecation | $\begin{aligned} & \text { Ple } \\ & \text { Type } \end{aligned}$ | $\begin{aligned} & \text { Plis } \\ & \text { Area } \\ & \left(n^{2}\right) \end{aligned}$ | Length Betow Gauges <br> (i) | Penetr Deplh <br> (in) | Soll Type |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  | Side | Tip |
| 63 | FKGEOD | R1. 27 | Kentucky | PSC14*sq | 196.00 | 72.0 | 34.7 | sont cley | dense |
| 64 | FKG-8OR | R 27 | Kentucky | PSC14'sq | 198.00 | 72.0 | 34.7 | soft clay | dense |
| 65 | FL3-EOD | RL415 | Loutstana | PSC24*sq | 463.00 | 100.0 | 84.3 | gity clay | sity sana |
| 68 | FL3-80R1 | Pt. 415 | Loulsiana | PSC24*sq | 483.00 | 100.0 | 84.3 | suty clay | silty sand |
| 87 | FL3-80P2 | PL415 | Laulslana | PSC24 ${ }^{\text {sq }}$ ( | 463.00 | 100.0 | 84.3 | silty clay | slity sand |
| 68 | CA1-EOD | SHe C-L | 0.s. Ont | CEP 9.6' | 15.42 | 1720 | 154.3 | s-sa-ctay | 31-89-4ill |
| 69 | CA1-BOR | Stie C-L | O.S. Ont | CEP 9.6 ${ }^{\text {P }}$ | 15.42 | 1720 | 154.3 | strea-clay | st-sa-till |
| 70 | CA2-BOR | Stie C-L | O.S. Ont | CEP 9.6' | 15.42 | 112.5 | 110.1 | 81-89-clay | stsa-ctay |
| 71 | CA5-BORI | Ste A | N.Y. Ont | CEP11.73* | 11.98 | 67.0 | 83.2 | fill-sand | sand |
| 72 | CA5-8ORE | Stue A | N.Y. Ont | CEP11.73 ${ }^{\circ}$ | 11.98 | 67.0 | 65.6 | fill-sand | sand |
| 73 | CA3/8-BOR | Marina | Bar. Ont | CEPT0.24 ${ }^{\circ}$ | 8.74 | 73.8 | 64.4 | sanc-sild | sin |
| 74 | CA24-80R | Stu D | Tor. Ont | CEP1275' | 14.54 | 38.6 | 38.6 | mand | sand |
| 75 | CAP-80R1 | Ste E | Hem. Ont | CEP12.75* | 14.54 | 00.2 | 54.0 | sa-s-4ill | sin-till |
| 76 | CAB-BORO | Ste E | Ham. Ont | CEP1275' | 14.54 | 60.2 | 54.0 | 3e.sh-dil | 1 slif-till |
| 77 | CAE-EOR | Stue E | Ham. Ont | CEP1275* | 13.55 | 60.2 | 54.0 | 80-3-4itu | santin |
| 78 | WC3-EOD | Whte | Forda | PSC24'sq | 578.00 | 48.4 | 27.3 | la.d. c and | dense |
| 79 | WC3-B0R1 | White | Forida | PSC24*sq | 576.00 | 48.4 | 27.5 | 1s.-d.sand | dense |
| 80 | WC3-BOR2 | Whas | Forida | PSC24*99 | 576.00 | 37.5 | 27.5 | m.-d.asand | dense |
| 81 | WC8-EOD | Whate | Forica | PSC24'sq | 576.00 | 39.5 | 28.3 | ts. -d.sand | dente |
| 82 | WCo-BORt | White | Forida | PSC24'sq | 576.00 | 39.5 | 28.5 | 6s.d.sand | dense |
| 83 | WC8-BOR2 | White | Forida | PSC24"99 | 576.00 | 28.0 | 27.5 | ts.-d.sand | dense |
| 84 | WBOBOR | West | Forida | PSC30'sq | 645.50 | 130.0 | 128.5 | ctayey sand | clayay |
| 85 | WB15-BOR | West | Forida | PSC30'sq | 645.50 | 105.0 | 103.6 | sand | all-clay |
| 88 | T1/A-EOO | antishore | barmel | OEP 60 | 212.00 | 138.5 | 528 | clcr sand | sarsd |
| 87 | T1/A-ALT | Offshore | brael | OEP $60{ }^{\circ}$ | 212.00 | 173.9 | 53.8 | cher sand | sand |
| 88 | T1/B-EOD | Offishore | Israel | OEP $60{ }^{\circ}$ | 21200 | 218.2 | 101.7 | cler sand | sand |
| 89 | T2/A-EOD | Offshore | sraed | OEP 48' | 111.33 | 117.1 | 52.5 | cker sand | sand |
| 90 | T2/B-EOD | Offshore | Isreat | OEP 48* | 111.33 | 260.5 | 182.1 | crer sand | sand |
| 91 | 35-1-BOR | C.M.R | Toronto | HP12x74 | 21.80 | 60.1 | 48.5 | ct-sa-shI | silty sand |
| 92 | 35-4-80R | C.N.R | Toronto | CEPT275* | 9.80 | 52.2 | 48.2 | C-se-s/b | sity gand |
| 93 | 35-5-80R | C.N.R | Toronto | HP12x74 | 21.80 | 100.2 | 90.5 | ct-sat-shin | silty dand |

Table 20. Site and pile information for PD/LT (continued).

| No. | Pro-Cese Number | Reter. No. | Location | $\begin{aligned} & \text { Pite } \\ & \text { Type } \end{aligned}$ | $\begin{aligned} & \text { Pile } \\ & \text { Area } \\ & \left(\mathrm{m}^{2}\right) \end{aligned}$ | Lengin Below Gauger <br> (it) | Penetr Depin (it) | Soll Type |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  | Side | $\pi \mathrm{m}$ |
| 94 | 36-8-80R | C.N.R | Torome | CEPr275 ${ }^{\text {² }}$ | 9.80 | 105.4 | 90.0 | C-8a-8in | alty sand |
| 86 | 35-7-80R | C.N.R | Toronto | T. Tinber | 157.00 | 4.4 | 41.6 | ct-se-3/il | silty sand |
| 96 | 36-10-8OR | C.N.R. | Toronto | PSC 12'sq | 144.00 | 50.0 | 46.0 | c-se-sid | silty sand |
| 97 | E2-BOR | DF | Raleigh | PSC 12'sq | 144.00 | 43.5 | 44.5 | C-89-8ila | C-89-8in |
| 98 | e3s-BOR | Mehonld | Penn. | HP12 553 | 15.50 | 88.8 | 66.0 | sand-sill | sllit |
| 99 | LBZ1-80R | Ste A | M | PSC 20\%99 | 400.00 | 36.0 | 36.0 | sin-sand | silt-sand |
| 100 | LPEO-BOR | Ste B | MA | PSC 20's9 | 400.00 | 51.0 | 55.0 | sand | sand |
| 101 | LCE-BOP | Sue C | NA | PSC 20\%sq | 400.00 | 115.0 | 86.0 | ct-8e-sin | ct-ea-silt |
| 102 | UN18-80R | Sta D | MA | PSC 20'sq | 400.00 | 155.0 | 94.0 | ct-se-silt | C+-89-sil |
| 103 | LE37-80R | She E | NA | PSC 10'sq | 100.00 | 00.0 | 50.0 | C-S-sa-silil | Umestone |
| 104 | LE64-BOR | Stue F | M | PSC 10\%sq | 100.00 | 60.0 | 58.0 | C-sa-sth | se-ct-814 |
| 105 | ST1-EOD | Site H | Ftorida | PSC 18*sq | 324.00 | 68.0 | 44.0 | - | carb sand |
| 108 | ST2.EOD | Ste P | Farida | PSC 18'sq | 324.00 | 62.0 | 40.0 | - | cart sand |
| 107 | STPEOR | $1-604$ | Virginia | PSC 54'sq | 770.00 | 131.0 | 109.0 | - | Bult-clay |
| 108 | STMe-EOD | Castiotn | Now Yorx | CEP $10^{\circ}$ | 5.80 | 40.0 | 38.0 | cilt-cend | sti-sand |
| 109 | GZA3-EOD | Civc | Prow. Pa | CEP13.38* | 20.30 | 143.0 | 125.5 | silt-sand | gr-8a-s/it |
| 110 | GZ45-EOD | Civie | Prov. Pl | CEP $8.75{ }^{\circ}$ | 15.50 | 138.0 | 93.8 | silt-sand | till-shale |
| 111 | G746-E00 | Cruc | Prov. RI | CEP 9.75 | 15.50 | 171.0 | 156.0 | sllt-sand | gr-sa-sin |
| 112 | G7BBC-EOD | Cavic | Prov. Rl | CEP $10^{\circ}$ | 18.40 | 116.0 | 89.5 | shit-band | sth |
| 113 | G78P2.EOD | Cave | Prov, P: | CEP13.38' | 20.30 | 143.7 | 108.0 | sult-sand | gr-sa-alk |
| 114 | GZE8-EOD | Cuvc | Prow. P1 | CEP13.38 ${ }^{\circ}$ | 20.30 | 97.0 | 82.3 | sill-sand | 51-se-4il |
| 115 | GZ2-EOO | Doer tas. | Boston MA | CEP 14* | 21.20 | 87.0 | 87.0 | till-cley | till |
| 116 | G2O5-EOO | Deer 4 | Boaton Ma | CEP 14' | 21.20 | 87.0 | 54.0 | Ulli-cley | un |
| 117 | GZCCS-EOD | Deer ts. | Boston MA | CEP 14* | 21.20 | 117.0 | 80.0 | Ulli-clay | till |
| 118 | G72-EOD | Deer m. | Bowion MA | CEP 14' | 21.20 | 117.0 | 83.0 | till-clay | [111 |
| 119 | CZPr.4-EOD | Deer B | Boston MA | CEP 14* | 21.20 | 105.0 | 60.5 | till-cley | till |
| 120 | G2P11-EOD | Deer tis. | Boston MA | CEP 14* | 21.20 | 106.0 | 56.5 | Ult-clay | 냅 |
| 121 | G2P12-EOD | Deer 12 | Boaton MA | CEP $14{ }^{\circ}$ | 21.20 | 115.5 | 69.0 | til-clay | UR |
| 122 | G7822-EOD | NWS | Coth Neck | OEP 30 | 54.00 | 138.0 | 118.0 | sand-clay | sin-clay |
| 123 | GZWI-EOR | Water | Vermont | CP12 75' | 14.60 | 126.0 | 99.5 | silty sand | sand |
| 124 | A54-EOD | HiCC | Australia | RCC10.8*sq | 117.22 | 67.9 | 67.6 | sulty clay | clay |

Table 20. Site and pile information for PD/LT (continued).

| No. | Pro-Cese Number | Pater. No. | Location | $\begin{aligned} & \text { Ple } \\ & \text { Type } \end{aligned}$ | Ple Area$\left(\mathrm{in}^{2}\right)$ | Length Below Ganges <br> (it) | Penetr Depth <br> (ii) | Soll Type |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  | Slde | np |
| 125 | A54-80A | HICC | Australla | PRC10.8*sq | 117.22 | 67.9 | 67.0 | slity clay | clag |
| 128 | A147-E00 | HICC | Australla | RC10.8089 | 117.22 | 67.9 | 67.6 | silty elay | clay |
| 127 | A147-BOR | HICC | Australia | RC10.8*8q | 117.22 | 67.9 | 67.6 | sity cley | cley |
| 128 | GF19-EOD | She 1 | Pgh. PA | HP10×42 | 12.30 | 58.5 | 49.5 | grat-snd-sn | stale |
| 120 | GF110-EOD | Stue 1 | Pgh. PA | HP12x74 | 21.70 | 57.0 | 49.7 | gM-and-an | shale |
| 130 | GF2O2-EOD | She 2 | Pgh. PA | HP12x74 | 21.70 | 67.0 | 61.1 | gru-snd-sh | shale |
| 131 | GF224-EOO | She 2 | Pgh. PA | Monotube | 9.70 | 53.0 | 29.6 | gri-snd-sin | 9\%M-3nd-sh |
| 132 | GF312-EOD | Stue 3 | Pgh. PA | HP12x74 | 21.70 | 33.0 | 28.2 | and-gm-sin | shale |
| 133 | 6F313-EOD | Sthe 3 | Pgh. PA | HP40x57 | 16.70 | 35.0 | 31.5 | and-gmi-shl | ctaysione |
| 134 | GF412-EOD | Stre 4 | Pgh. PA | HP12074 | 21.70 | 48.5 | 33.8 | gra-sind-sil | claystone |
| 136 | GF413-EOD | SHe 4 | Pgh. PA | HPY0x57 | 16.70 | 34.2 | 34.6 | gru-sind-st | claystone |
| 138 | GF414-EOD | Ste 4 | Pgh. PA | HPHOX57 | 16.70 | 47.5 | 34.7 | gen-enc-sh | clayatone |
| 137 | GF415-EOD | Ste 4 | Pgh. PA | HP12x74 | 21.70 | 47.5 | 34.1 | grut-snd-8ht | claystone |
| 138 | EP62-EOD | Outava | Canada | CP 9.625 ${ }^{\text {a }}$ | 15.54 | - | 62.3 | si-be-cl | tir |
| 139 | EF167-80R | Otawa | Canada | CP 8.625* | 15.54 | - | 68.9 | Stra-ct | tull |
| 140 | A3-EOD1 | Apalach | Forde | VC 24'sq | 402.90 | 94.0 | 63.4 | clayey sand | sand |
| 141 | A3-80R1 | Apalach | Forids | VC 24-sq | 462.90 | 94.0 | 83.4 | clayey sand | sand |
| 142 | A3-E002 | Apalach | Frorda | VC 24'sq | 462.90 | 94.0 | 90.3 | clayey sand | sand |
| 143 | A3-80P2 | Apalach | Forde | VC 24*sq | 462.90 | 94.0 | 90.4 | clayey sand | sand |
| 144 | 13-8083 | Apalach | Forida | VC 24'sq | 462.90 | 89.3 | 90.6 | clayey sand | clayey sand |
| 145 | A14-001 | Apalsch | Frorida | VC 24'sq | 46290 | 107.0 | 45.0 | sandy clay | sand |
| 148 | A14-002 | Apalach | Ftorlda | VC 24*sq | 462.90 | 107.0 | 47.0 | sandy clay | sand |
| 147 | A14-BOR1 | Apalach | Forida | VC 24*sq | 462.90 | 107.0 | 58.5 | clayey sand | pand |
| 148 | A14-80R2 | Apelach | Florida | VC 24*sq | 46290 | 75.0 | 58.8 | clayey sand | cand |
| 149 | A25-EOD | Apalach | Porda | VC 24'sq | 462.90 | 106.0 | 55.1 | clayey sand | tand |
| 150 | A25-80R1 | Apalach | Forida | VC 24'sa | 462.90 | 106.0 | 55.2 | clayey sand | amad |
| 151 | A23-8082 | Apatach | Frorda | VC 24:sq | 462.90 | 59.3 | 55.4 | clayey sand | sand |
| 152 | A25-BOP3 | Apelach | Frorica | VC 24'sq | 462.90 | 59.3 | 55.5 | clayey sand | sand |
| 153 | A16-EOD | Apalach | Foride | PSC18'sq | 324.00 | 65.0 | 60.6 | sandy clay | sand |
| 154 | A18-BORI | Apalach | Forida | PSC18'sq | 324.00 | 65.0 | 60.6 | sancy clay | sand |
| 155 | A18-80F2 | Apalach | Forida | PSC18'sq | 324.00 | 62.2 | 61.0 | sandy clay | tand |

Table 20. Site and pile information for PD/LT (continued).

| No. | Pin-Case Number | Roter. No. | Lecstion | $\begin{aligned} & \text { Plle } \\ & \text { Type } \end{aligned}$ | Plis Area$\left(n^{2}\right)$ | Lengin Below Gaugen <br> (il) | Ponetr Depth (t) | Soll Type |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  | Słde | Tip |
| 156 | AAT-EOD | Apalach | Fronda | VC 24*sq | 46290 | 91.0 | 520 | Clay | sand |
| 157 | M1-BOR | Apalacn | Fionida | VC 24*sq | 46290 | 91.0 | 52.0 | clay | gend |
| 158 | M1-BOP? | Apalach | Forida | VC 24*sq | 462.90 | 81.5 | 52.8 | clay | sand |
| 150 | A101-EOD | Apalach | Forida | VC 2489 | 462.90 | 88.0 | 61.8 | ctay | clayey sand |
| 160 | A101-B0R1 | Apalact | Forida | VC 24*sq | 462.90 | 88.0 | 61.8 | Clay | clayey sand |
| 181 | A101-BOR2 | Apalach | Forkda | VC 24*sq | 462.90 | 71.5 | 62.1 | clay | clayey sand |
| 162 | A133-EOD | Apalach | Frorida | VC 24*sq | 462.90 | 130.0 | 103.9 | ciayey sand | sandy clay |
| 183 | A133-BOR | Apalach | Foride | VC 24*9q | 462.90 | 115.7 | 104.9 | clayey sand | sandy clay |
| 184 | A145-EOD | Apalach | Forica | VC 24"sq | 462.90 | 132.0 | 102.9 | clayey sand | sand |
| 185 | A145-80R1 | Apalach | Frorida | VC 24*9q | 462.90 | 132.0 | 102.9 | clayey sand | sand |
| 188 | A145-80R2 | Apaiach | Forida | VC $24{ }^{\circ} \mathrm{sq}$ | 462.90 | 115.1 | 103.0 | ciayey sand | sand |
| 187 | CB3-80R | Choctw | Forida | PSC24'sq | 576.00 | 77.9 | 77.0 | clayey sand | sand |
| 188 | CB3-BORL | Choctw | Forida | PSC24'sq | 576.00 | 79.9 | 77.8 | clayay sand | sand |
| 160 | CB5-80R | Choctw | Forida | VC 30sq | 645.53 | 87.0 | 53.1 | claygy sand | sand |
| 170 | CB5-BORL | Choctw | Forida | VC 30\%99 | 845.53 | 61.1 | 54.0 | clayoy sand | sandy clay |
| 171 | CB11-BORL | Choctw | Foricas | VC 30sq | 845.53 | 97.6 | 85.7 | clayey sand | clayey sand |
| 172 | CB11-EORL | Choctw | Florida | VC 30³q | 645.53 | 97.6 | 85.8 | clayey sand | clayey sand |
| 173 | CB17-80R1 | Choctw | Florida | VC 309q | 645.53 | 97.0 | 77.7 | clayoy sand | clayey sand |
| 174 | CB17-80R2 | Choctw | Forida | VC 30'sq | 645.53 | 97.0 | 77.8 | clayey sand | clayey sand |
| 175 | CB17-80RL | Choctw | Fiorida | VC 30\%sq | 645.53 | 90.0 | 77.9 | ciayey sand | clayey sand |
| 178 | CB17-DRL | Cnoctw | Foricia | VC 30-89 | 645.53 | 90.0 | 78.2 | cisyey sand | clayey sand |
| 177 | CB23-BOR | Choctw | Forida | VC 30sq | 645.53 | 96.0 | 80.3 | clayey sand | sand |
| 178 | CB23-BORL | Choctw | Forida | VC $30 \%$ sq | 645.53 | 96.0 | 827 | clayey sand | sand |
| 179 | CB29-80RL | Choctw | Forida | vC 30-sq | 645.53 | 96.1 | 84.5 | clayay sand | clayey sand |
| 180 | CB29-EORL | Choctw | Forida | VC 30'sq | 645.53 | 95.1 | 84.5 | clayey sand | clayey sand |
| 181 | CB35-80R1 | Choctw | Forica | VC 30'sq | 645.53 | 97.1 | 78.5 | clayey sand | clayey sand |
| 182 | CB35-8OF2 | Choctw | Forica | VC 30\%89 | 645.53 | 97.1 | 78.9 | clayey sand | clayey sand |
| 183 | CB35-8ORL | Choctw | Fortia | VC 30'sq | 645.53 | 89.1 | 79.1 | clayey sand | clayey sand |
| 184 | CBA1-EOR | Choctw | Forida | VC 30\%sq | 645.53 | 1023 | 64.7 | sancy clay | sandy clay |
| 186 | CB41-BOR | Choctw | Forida | VC 30'sq | 645.53 | 101.3 | 64.7 | sandy clay | sandy clay |
| 188 | CB41-BORL | Choctiw | Forida | vC 308 sq | 645.53 | 79.0 | 65.4 | sandy clay | sandy clay |

Table 20. Site and pile information for PD/LT (continued).

| No. | Pro-Case Number | Poter. No. | Location | $\begin{aligned} & \text { Pile } \\ & \text { Type } \end{aligned}$ | Plo Area$\left(n^{2}\right)$ | Lenglh Below Gauges <br> (i) | Penctr Depth <br> (it) | Sout Typ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  | Side | TP |
| 187 | C826-EOD | Choctw | Forka | PSC24*sq | 578.00 | 80.1 | 62.5 | clayey sand | sand |
| 188 | C826-BOR | Choctw | Forida | PSC24'ga | 578.00 | 80.1 | 62.6 | clayey sand | sand |
| 189 | Caze-EOR | Choctw | Forida | PSC24*89 | 576.00 | 80.1 | 84.8 | clayay sand | sandy clay |
| 180 | CB26-BORE | Choctw | Forida | PSC24"8q | 576.00 | 65.0 | 65.0 | sandy clay | sandy clay |
| 191 | 33P1-EOD | Sto P | Ontarlo | HP 12x74 | 21.60 | 120.9 | 114.4 | ct-sa-sth | sliny send |
| 192 | 33P4-80R | Ste P | Ondario | HP 12x74 | 21.80 | 120.9 | 114.4 | Cl-sa-sin | slity gend |
| 183 | 33P1-EOR | Shap | Onlarto | HP 12x74 | 21.80 | 120.9 | 114.4 | C+-80-sill | sulty sand |
| 194 | 33P2-E00 | She P | Ontario | CP 12.75' | 9.80 | 148.8 | 107.2 | ctsa-sill | slity sand |
| 195 | 33P2-BOR | Ste P | Ontario | CP 1275 | 9.60 | 111.0 | 107.2 | c-s-s-sill | suty sand |
| 198 | 33P2-EOR | She P | Ontarto | CP 12.75' | 9.80 | 111.0 | 107.2 | c-18s-stit | shly sand |
| 197 | 33P4-EOD | She P | Ontario | PSC 12-sq | 144.00 | 65.0 | 54.2 | cr-ma-siln | cr-sild-til |
| 198 | 33P5-E00 | She P | Ondarto | \$14 Timber | 144.8 | 43.0 | 28.4 | ct-se-silh | ch-sititil |
| 109 | TRCO2-EOD | SHe R | Ontarto | HP 12×74 | 21.80 | 225 | 20.1 | sand | 밴 |
| 200 | TRDE2-BOR | Sue R | Ontario | HP 12×74 | 21.80 | 22.5 | 20.1 | sand | till |
| 201 | TRE22-EOD | SHe R | Ortarto | HP 12x74 | 21.80 | 30.0 | 25.7 | sand | rock |
| 202 | TRE22-80R | She F | Ontario | HP 12074 | 21.80 | 30.0 | 25.7 | sand | rock |
| 203 | TRP5X-EOD | SHe R | Ontarlo | HP 12x53 | 15.60 | 25.0 | 25.2 | sand | rock |
| 204 | TRPSX-BOR | Sue R | Ontario | HP 12×53 | 15.80 | 25.0 | 25.2 | sand | rock |
| 205 | TR131-BOA | Ste R | Ontarto | CP 7.063 | 7.90 | 28.8 | NA | sand | rock |
| 206 | TRAHEOR | Sue S | Brunswick | HP 12089 | 26.50 | 138.0 | 126.0 | clayey sill | sandy gravel |
| 207 | TRBH-BOR | Stie S | Brurswick | HP $12 \times 89$ | 28.50 | 114.3 | 102.1 | clayey silt | sandy gravol |
| 208 | TRBREOR | Sue S | Enunswick | CP 12.75 ${ }^{\text { }}$ | 12.40 | 110.0 | 104.0 | clayey sin | sandy gravel |

$1 \mathrm{in}=25.4 \mathrm{~mm}$
$1 \mathrm{in}^{2}=645.2 \mathrm{~mm}^{2}$
$1 \mathrm{ft}=0.305 \mathrm{~m}$

Table 21. Pile driving and dynamic measurements for PD/LT.

| No. | Pioccese Number | Hemmer туpe | Rated Harnmer Energy ( 1 p- fi ) | Detivered Energy <br> (cdp-if) | Blow Count (BPI) | $\begin{aligned} & \text { impecence } \\ & \text { EAVC } \\ & (\mathrm{cdps} / \mathrm{h} / \mathrm{s}) \end{aligned}$ | $v_{i m p}$ <br> ( $1 / 3$ ) | $\begin{aligned} & F_{\mathrm{lmp}} \\ & \text { (kdps) } \end{aligned}$ | $\frac{\text { VEA/C }}{F}$ | $D_{\text {max }}$ <br> (n) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | FN1-EOD | D-30 | 54.2 | 17.30 | 2.83 | 22.13 | 13.24 | 3224 | 0.909 | . 793 |
| 2 | FNW1-80R1 | D-30 | 54.2 | 18.42 | 8.00 | 2213 | 13.24 | 315.2 | 0.935 | . 813 |
| 3 | FN1-80P2 | 0-30 | 54.2 | 20.15 | 15.00 | 2213 | 13.04 | 308.9 | 0.834 | . 837 |
| 4 | FNE-EOD | 0-30 | 54.2 | 12.70 | 3.50 | 60.49 | 7.35 | 462.0 | 0.963 | . 444 |
| 5 | FAES-BOR | D-30 | 54.2 | 1235 | 5.00 | 60.49 | 8.38 | 508.9 | 0.004 | . 400 |
| 6 | FN3-EOD | D-30 | 54.2 | 8.90 | 8.17 | 85.89 | 6.14 | 558.0 | 0.943 | . 386 |
| 7 | FNi3-BOR | D-30 | 54.2 | 18.20 | 6.00 | 85.89 | 7.88 | 681.1 | 0.979 | . 459 |
| 8 | FNA-EOD | D-30 | 54.2 | 15.55 | 2.50 | 34.26 | 12.97 | 478.5 | 0.929 | . 531 |
| $\theta$ | FNA-BOR | D-30 | 54.2 | 17.40 | 5.00 | 34.26 | 13.23 | 475.8 | 0.953 | . 517 |
| 10 | FIAEOD | K-25 | 51.5 | 23.38 | 3.33 | 46.60 | 14.90 | 667.8 | 1.039 | . 686 |
| 11 | FUABOR | K-25 | 51.5 | 18.88 | 1.83 | 46.60 | 15.00 | 657,0 | 1.062 | . 558 |
| 12 | FEB-EOD | K-25 | 51.5 | 25.40 | 5.83 | 37.80 | 15.10 | 555.3 | 1.027 | . 689 |
| 13 | FIB-EOR | K-25 | 51.5 | 22.47 | 2.50 | 37.80 | 15.30 | 548.2 | 1.054 | . 675 |
| 14 | FO1-EOD | DE110 | 93.5 | 18.06 | 5.67 | 120.80 | 5.40 | 788.7 | 0.827 | . 413 |
| 15 | FO1-BOR | DE110 | 93.5 | 37.47 | 5.00 | 120.80 | 8.80 | 1223.8 | 0.873 | . 541 |
| 16 | FO2-EOD | DE110 | 93.5 | 18.28 | 5.08 | 199.10 | 3.90 | 805.9 | 0.963 | . 453 |
| 17 | FO2-80R | DE110 | 90.5 | 31.37 | 1200 | 199.10 | 5.70 | 1114.0 | 1.018 | . 450 |
| 18 | FO3-EOD | DE110 | 93.5 | 16.40 | 18.67 | 61.40 | 8.60 | 489.5 | 0.828 | . 825 |
| 10 | FO4-EOD | DE110 | 93.5 | 8.81 | 11.87 | 214.60 | 2.50 | 575.3 | 0.933 | . 269 |
| 20 | FO4-60R | DE110 | 93.5 | 22.73 | 1.00 | 214.60 | 4.70 | 1011.7 | 0.997 | . 362 |
| 21 | FORT-EOD | D-46-23 | 105 | 30.11 | 9.17 | 159.00 | 0.10 | 046.0 | 1.025 | . 838 |
| 22 | FORT-BOR | 0-40-23 | 105 | 23.77 | 77.33 | 159.00 | 5.80 | 818.1 | 1.004 | 462 |
| 23 | FMGSEOD | K-45 | 92.8 | 27.00 | 1.29 | 49.08 | 10.73 | 550.5 | 0.957 | 1.033 |
| 24 | FMS-EORY | K-45 | 92.8 | 40.20 | 3.00 | 49.08 | 13.30 | 658.2 | 0.992 | . 981 |
| 25 | FM17-EOD | K-45 | 82.8 | 39.50 | 1.42 | 49.06 | 11.14 | 590.8 | 0.928 | 1.105 |
| 28 | FM17-BOR | K-45 | 928 | 36.50 | 3.00 | 48.08 | 13.17 | 697.7 | 0.928 | . 788 |
| 27 | FM20-E00 | K-45 | 82.8 | 33.30 | $1.33^{4}$ | 48.08 | 11.37 | 559.0 | 0.988 | 1.180 |
| 28 | FMES-80R | K-45 | 92.8 | 31.00 | 200 | 49.08 | 10.57 | 508.1 | 1.021 | 1.247 |
| 29 | FC1-EOD | KC-25 | 51.5 | 15.47 | $3.50{ }^{*}$ | 17.54 | 13.40 | 2728 | 0.862 | . 790 |
| 30 | FCT-BOR | KC-25 | 51.5 | 16.18 | $3.80{ }^{*}$ | 17.54 | 13.40 | 276.2 | 0.851 | . 808 |
| 31 | FCO-EOD | KC-25 | 51.5 | 18.07 | $3.67{ }^{\circ}$ | 17.54 | 14.90 | 290.0 | 0.901 | . 606 |

-     - Denotes blow count (BPI) based on blows per foot.

Table 21. Pile driving and dynamic measurements for PD/LT (continued).

| Ho. | PHo-Case Number | Harmer Type | Paifed <br> Hammer <br> Energy <br> (1dp-li) | Delkered Erorgy (dp-1) | Blow Courd <br> (BPI) | $\begin{aligned} & \text { Impedence } \\ & \text { EA/C } \\ & \text { ( } \mathrm{djps} / \mathrm{t} / \mathrm{B} \text { ) } \end{aligned}$ | $\begin{aligned} & V_{\text {tmo }} \\ & (\mathrm{n} / \mathrm{s}) \end{aligned}$ | $\begin{aligned} & \mathrm{F}_{\mathrm{lmp}} \\ & \text { (ldps) } \end{aligned}$ | $\frac{\text { YEA/C }}{\text { F }}$ | $\mathrm{D}_{\text {max }}$ <br> (In) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 32 | FC2-BOR | KC-25 | 51.5 | 13.66 | 4.00* | 17.54 | 13.10 | 288.1 | 0.857 | . 630 |
| 33 | FM11-EOD | ICE 640 | 40.0 | 11.00 | $3.0{ }^{*}$ | 28.73 | 8.10 | 250.3 | 0.919 | 738 |
| 34 | FM11-80R | ICE-640 | 40.0 | 12.00 | 3.00 | 28.73 | 8.80 | 304.5 | 0.830 | . 032 |
| 35 | FME-EOD | HCE-640 | 40.0 | 11.68 | $1.42{ }^{*}$ | 28.73 | 7.10 | 230.1 | 0.888 | . 881 |
| 30 | FMR-BOR | CEE-640 | 40.0 | 13.58 | 3.00 | 28.73 | 9.00 | 285.7 | 0.905 | . 834 |
| 37 | FWA EOD | Con300 | 90.0 | 44.90 | 47.00 | 198.62 | 9.80 | 1925. | 1.011 | . 920 |
| 38 | FWA-BOR | Con300 | 90.0 | 33.30 | 7.00 | 198.02 | 8.80 | 1708. | 1.023 | 550 |
| 39 | FWQ-EOD | Con300 | 90.0 | 47.20 | 30.00 | 198.62 | 8.50 | 1715. | 0.990 | . 630 |
| 40 | FWB-BOR | Con300 | 90.0 | 39.30 | 15.00 | 198.62 | 7.60 | 1518. | 0.906 | 670 |
| 41 | FA1-EOD | K-45 | 92.8 | 17.53 | 1.50* | 145.72 | 4.37 | 628.7 | 1.013 | . 727 |
| 42 | FA1-80R1 | K-45 | 928 | 9.19 | 7.00 | 145.72 | 3.60 | 547.9 | 0.957 | . 335 |
| 43 | FA1-80R2 | K-45 | 828 | 21.84 | 7.00 | 145.72 | 7.30 | 1074. | 0.990 | . 481 |
| 44 | FA2-EOD | K-45 | 92.8 | 21.22 | $3.50{ }^{*}$ | 145.72 | 3.98 | 639.0 | 0.908 | . 611 |
| 45 | FA2-BOR1 | K-45 | 928 | 2207 | 7.00 | 140.52 | 6.90 | 1024. | 0.948 | . 430 |
| 48 | FA2-BOR2 | K-45 | 92.8 | 20.80 | 5.00 | 145.72 | 6.70 | 1025. | 0.952 | . 357 |
| 47 | FA3-EOD | K-45 | 928 | 22.79 | $2.83{ }^{*}$ | 221.53 | 3.31 | 729.1 | 1.006 | 848 |
| 48 | FA3-80R1 | K-45 | 928 | 15.22 | 6.00 | 218.99 | 3.41 | 7824 | 0.859 | . 324 |
| 49 | FA3-8OR2 | K-45 | 928 | 18.31 | 5.00 | 221.53 | 5.30 | 1199. | 0.979 | . 274 |
| 50 | FAM-EOD | K-45 | 82.8 | 19.08 | 0.42* | 221.53 | 3.56 | 7824 | 1.007 | . 437 |
| 51 | FAT-BOR1 | K-45 | 928 | 16.82 | 8.00 | 219.93 | 5.19 | 1108. | 1.030 | . 255 |
| 52 | FM-BOR2 | K-45 | 828 | 20.42 | 18.00 | 219.93 | 6.78 | 1488. | 1.013 | . 283 |
| 53 | FA5-EOD | D-62-22 | 153.2 | 37.08 | $7.67{ }^{*}$ | 403.88 | 5.10 | 2106. | 0.978 | . 446 |
| 54 | FA5-BOR | D-62-22 | 153.2 | 45.51 | 5.00 | 403.88 | 7.40 | 3016. | 0.991 | . 288 |
| 56 | FV15-E00 | MKT 358 | 22.0 | 10.00 | 4.17* | 38.19 | 10.40 | 403.2 | 0.985 | . 475 |
| 56 | FV15-80R | MKT-358 | 220 | 12.23 | 9.00 | 38.19 | 14.20 | 522.8 | 1.037 | . 643 |
| 57 | FV10-E00 | MKT 358 | 22.0 | 10.98 | $2.87{ }^{*}$ | 38.19 | 10.70 | 417.8 | 0.978 | . 490 |
| 58 | FVIO-BOR | MKT 36B | 22.0 | 13.90 | 200 | 38.19 | 16.30 | 609.1 | 1.022 | . 675 |
| 59 | FANE-EOD | ICE-90S | 90.0 | 28.29 | $1.63{ }^{*}$ | 38.18 | 15.00 | 627.6 | 0.913 | . 879 |
| 60 | FMN2-8OR | ICE-g0S | 00.0 | 29.14 | 25.00 | 38.19 | 16.50 | 675.6 | 0.932 | . 802 |
| 61 | FP5-EOD | D-12 | 22.0 | 7.58 | $5.42{ }^{*}$ | 12.49 | 13.80 | 177.4 | 0.972 | . 677 |
| 62 | FP5-BOR | D-12 | 22.0 | 7.55 | 13.00 | 12.49 | 14.90 | 1925 | 0.967 | . 570 |

' - Denotes blow count (BPI) based on blows per foot.

Table 21. Pile driving and dynamic measurements for PD/LT (continued).

| No. | P10-Cans Number | Hammer Type | Rated Hammer Energy (kjp-1) | Delvered Enorgy (Nop-n) | Brow Count ( BPI ) | $\begin{aligned} & \text { Impedence } \\ & \text { EA/C } \\ & (\mathrm{kps} / \mathrm{n} / \mathrm{s}) \end{aligned}$ | $\begin{aligned} & v_{\text {imp }} \\ & (\pi / 8) \end{aligned}$ | $\begin{aligned} & F_{\text {lmp }} \\ & \text { (idps) } \end{aligned}$ | $\frac{\text { VEA/C }}{\text { F }}$ | $D_{\text {max }}$ <br> (in) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 63 | FKGEOD | L8-520 | 31.0 | 8.31 | 23.25* | 80.23 | 4.28 | 353.5 | 0.971 | . 468 |
| 64 | FKG-8JP | L8-520 | 31.0 | 7.78 | 18.00 | 80.23 | 4.55 | 373.3 | 0.978 | . 407 |
| 65 | FLSEOD | Vut020 | 60.0 | 14.60 | $1.67{ }^{*}$ | 203.74 | 3.28 | 678.3 | 0.985 | . 757 |
| 68 | FL3-BOR1 | Vut-020 | 60.0 | 17.03 | 400 | 203.74 | 3.70 | 811.4 | 0.929 | . 433 |
| 67 | Fl3-BOP2 | Vut-020 | 00.0 | 14.43 | 11.00 | 203.74 | 3.70 | 795.4 | 0.946 | . 297 |
| 68 | CAI-EOD | B-400 | 48.0 | 20.32 | 21.33 | 27.87 | 15.75 | 4322 | 1.016 | 1.051 |
| 68 | CAI-BOR | 8-400 | 46.0 | 18.98 | 40.00 | 27.87 | 14.44 | 427.9 | 0.941 | 1.025 |
| 70 | CA2-BOR | 9-400 | 48.0 | 18.74 | 14.00 | 27.87 | 15.08 | 424.1 | 0.992 | . 883 |
| 71 | CA5-BOR 1 | 35karop | 38.7 min | 30.48 | 25.00 | 27.38 | 15.08 | 341.8 | 0.944 | 1.312 |
| 72 | CA5-80R2 | 49kdrop | 54.2min | 31.44 | 11.00 | 21.38 | 13.45 | 307.3 | 0.936 | 1.298 |
| 73 | CA3/8-BOR | ICE 405 | 40.0 | 19.03 | 4.23 | 15.60 | 15.42 | 275.6 | 0.873 | 1.001 |
| 74 | CA24-BOR | D-12 | 24.0 | 8.83 | 50.00 | 13.44 | 14.11 | 215.7 | 0.879 | . 500 |
| 75 | Cab-bori | D-30-13 | 60.0 | 41.23 | 10.00 | 25.93 | 17.33 | 494.4 | 0.908 | 1.185 |
| 78 | CA6-8OR2 | 0-30-13 | 86.0 | 42.68 | 6.67 | 25.93 | 17.91 | 502.7 | 0.924 | 1.230 |
| 77 | CAB-EOR | 0-30-13 | 88.0 | 37.60 | 8.00 | 25.93 | 16.83 | 417.7 | 1.045 | 1.156 |
| 78 | WC3-EOD | Dermag | 106.0 | 17.50 | 8.33 | 288.75 | 4.23 | 1122.8 | 1.013 | . 452 |
| 79 | WC3-80R1 | Delmag | 105.0 | 18.90 | 9.33 | 268.75 | 4.25 | 1979.6 | 0.968 | . 412 |
| 80 | WC3-BOF? | Delmag | 105.0 | 17.89 | 6.67 | 268.75 | 3.47 | 10424 | 0.895 | . 403 |
| 81 | WCE-EOD | Delmeg | 105.0 | 17.60 | 5.00 | 265.88 | 4.47 | 1191.0 | 0.998 | . 508 |
| 82 | WCB-BOR1 | Delmag | 105.0 | 18.24 | 8.00 | 265.88 | 4.50 | 1224.8 | 0.977 | . 489 |
| 63 | WCE-BOR2 | Delmag | 105.0 | 26.28 | 6.67 | 265.88 | 5.04 | 1330.1 | 1.007 | . 667 |
| 84 | WBO-8OR | Con300 | 90.0 | 39.87 | 6.67 | 271.52 | 8.42 | 1748.2 | 0.997 | . 383 |
| 85 | WB15-80R | Con300 | 90.0 | 34.70 | 5.00 | 289.50 | 5.84 | 1533.7 | 1.025 | . 375 |
| 88 | T1/AEOD | D-55 | 125.0 | 44.99 | 7.37 | 378.57 | 8.01 | 2967 | 1.022 | . 260 |
| 87 | TI/AALT | 0-56 | 125.0 | 151.50 | 2.29 | 378.57 | 12.50 | 4423 | 1.070 | . 830 |
| 88 | T1/B-EOD | M-2500 | NA | 172.73 | 2.03 | 378.57 | 12.70 | 4787 | 1.004 | . 870 |
| 89 | T2/A-EOD | D-55 | 125.0 | 50.62 | 4.83 | 198.75 | 9.40 | 1891 | 0.988 | . 570 |
| 90 | T2/B-EOD | N-2500 | NA | 168.68 | 5.08 | 198.75 | 13.60 | 2814 | 0.961 | 1.169 |
| 91 | 35-1-BOR | B-400 | 46.0 | 13.10 | 1.83. | 38.93 | 10.20 | 423.0 | 0.939 | . 600 |
| 92 | 35-4-BOR | B-400 | 46.0 | 23.20 | 5.56* | 17.50 | 17.94 | 377.0 | 0.833 | 1.010 |
| 93 | 36-5-BOR | B-400 | 46,0 | 17.70 | $10.31{ }^{\text {* }}$ | 38.93 | 14.50 | 584.0 | 0.967 | . 590 |

* Denotes blow count (BPI) based on blows per foot.

Table 21. Pile driving and dynamic measurements for PD/LT (continued).

| No. | Puo-Case | Mermer Typa | Prited Hammer Energy (kp-ft) | Dellvered Enorgy $\text { ( } \mathrm{dp} \text { - } \mathrm{n} \text { ) }$ | BKW Count (BPI) | $\begin{aligned} & \text { Impedence } \\ & \text { EAVC } \\ & (\mathrm{kPs} / \mathrm{th} / \mathrm{s}) \end{aligned}$ | $\begin{aligned} & V_{\mathrm{kmp}} \\ & (\mathrm{~m} / \mathrm{s}) \end{aligned}$ | $\begin{aligned} & \mathrm{F}_{\mathrm{lmpp}} \\ & (\mathrm{kdps}) \end{aligned}$ | $\frac{\text { VEAC }}{}$ | $D_{\max }$ <br> (In) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 94 | 36-6-8OR | B-400 | 48.0 | 28.10 | $18.87^{\circ}$ | 17.50 | 18.60 | 372.0 | 0.875 | 1.130 |
| 95 | 35-7-80R | B-225 | 29.0 | 0.90 | $2.53{ }^{*}$ | 18.87 | 10.70 | 217.0 | 0.935 | . 810 |
| 98 | 36-10-BOR | B-400 | 48.0 | 11.10 | 0.00 | 60.56 | 9.10 | 5220 | 1.055 | . 460 |
| 97 | E2-BOR | Conmes | 28.5 | 15.01 | 10.00 | 64.20 | 7.98 | 527.7 | 0.968 | . 392 |
| 98 | 63S-80R | ICEE40 | 40.0 | 12.13 | 4.50 | 30.34 | 10.85 | 327.1 | 1.008 | . 597 |
| 9 | LE21-80R | VUL-510 | 50.0 | 13.47 | $4.00{ }^{\circ}$ | 169.40 | 4.60 | 821.7 | 0.948 | . 373 |
| 100 | L820-80R | VUL-510 | 50.0 | 14.77 | 8.00 | 161.80 | 5.90 | 968.0 | 0.988 | . 311 |
| 101 | LC3-80R | D-48-23 | 107.0 | 39.40 | 7.00 | 181.90 | 8.30 | 1437.0 | 0.835 | . 666 |
| 102 | UN16-BOR | D-40-23 | 107.0 | 28.00 | $10.00^{*}$ | 161.90 | 5.90 | 1087.0 | 0.679 | . 579 |
| 103 | LE37-80R | VUL-01 | 15.0 | 5.40 | 10.00 | 38.80 | 5.74 | 228.3 | 0.977 | . 434 |
| 104 | LE84-BOR | VUL-01 | 15.0 | 0.80 | 5.50 | 38.80 | 8.10 | 247.2 | 0.957 | 422 |
| 105 | ST1-EOD | D-36-13 | 84.0 | 33.13 | $242^{*}$ | 123.00 | 8.30 | 1035.4 | 0.988 | . 848 |
| 108 | ST2-EOD | D-30-13 | 84.0 | 33.03 | $3.42^{\circ}$ | 132.20 | 8.33 | 881.1 | 0.973 | . 898 |
| 107 | ST-BOR | CN5300 | 150.0 | 45.70 | $7.86{ }^{\circ}$ | 339.10 | 8.10 | 2076.0 | 0.908 | 442 |
| 108 | ST4E-EOD | VUL-1 | 15.0 | 5.50 | $267^{*}$ | 10.35 | 10.00 | 102.5 | 1.010 | . 790 |
| 109 | GZA3-EOD | ICE-840 | 40.0 | 16.12 | 20.00 | 36.20 | 10.80 | 3621 | 1.079 | . 884 |
| 110 | G7A5-EOD | ICE-840 | 40.0 | 17.38 | 6.00 | 27.80 | 10.20 | 300.9 | 0.042 | 1.082 |
| 111 | G7Ab-EOD | ICE-640 | 40.0 | 13.40 | 15.00 | 27.70 | 8.10 | 219.8 | 1.021 | 1.076 |
| 112 | GZBBC-EOD | ICE-840 | 40.0 | 17.67 | 20.00 | 37.80 | 8.90 | 362.2 | 0.929 | . 888 |
| 113 | GZBP2-EOD | ICE-640 | 40.0 | 9.57 | 20.00 | 38.20 | 8.80 | 258.7 | 0.952 | . 710 |
| 114 | G7B6-EOD | ICEE40 | 40.0 | 15.91 | 11.00 | 27.70 | 10.90 | 344.5 | 0.878 | . 834 |
| 115 | GZZS-EOD | ICE1070 | 72.6 | 28.73 | 4.20 | 37.80 | 13.30 | 533.8 | 0.942 | 1.000 |
| 116 | GZOS-EOD | ICE1070 | 728 | 23.71 | 4.20 | 37.80 | 14.20 | 568.1 | 0.945 | . 878 |
| 117 | G2CC5-EOD | ICE1070 | 728 | 34.05 | 5.40 | 37.80 | 14.60 | 590.6 | 0.934 | 1.180 |
| 118 | GZ2-EOD | ICE1070 | 726 | 25.81 | 9.00 | 37.80 | 12.90 | 500.6 | 0.974 | . 984 |
| 118 | G7P14-EOD | ICE1070 | 728 | 25.68 | 5.00 | 37.80 | 11.40 | 502.3 | 0.858 | . 882 |
| 120 | G2P11-EOD | ICE1070 | 72.6 | 18.13 | 5.30 | 37.80 | 11.20 | 471.5 | 0.898 | . 782 |
| 121 | GZPI2-EOD | ICE1070 | 726 | 34.64 | 12.60 | 37.80 | 12.70 | 499.5 | 0.961 | 1.155 |
| 122 | G2822-EOD | MH72B | 135.0 | 55.17 | 8.50 | 111.00 | 11.60 | 1326.1 | 0.971 | 859 |
| 123 | GZW1-EOR | k-25 | 47.0 | 1279 | 1200 | 28.10 | 1221 | 339.3 | 0.939 | . 776 |
| 124 | A54-E00 | Banuta | 34.72 | 21.05 | 3.63 | 50.82 | 8.73 | 407.0 | 1.000 | . 862 |

* Denotes blow count (BPI) based on blows per foot.

Table 21. Pile driving and dynamic measurements for PD/LT (continued).

| No. | Pin-Case <br> Number | Hammer Type | Fated <br> Hammer Energy (ksp-fi) | Detvered Energy (10p-f) | Blow Count (BPI) | unpedence EAC <br> ( $\mathrm{d} \mathrm{dps} / \mathrm{n} / \mathrm{s}$ ) | $\begin{aligned} & V_{\mathrm{lmp}} \\ & (\mathrm{n} / \mathrm{s}) \end{aligned}$ | $\begin{aligned} & \mathrm{F}_{\mathrm{imp}} \\ & (\mathrm{k} \mathrm{kps}) \end{aligned}$ | $\frac{\text { VEA/C }}{F}$ | $D_{\max }$ <br> (in) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 125 | A54-BOR | Band | 34.72 | 25.67 | 18.14* | 50.82 | 10.40 | 491.0 | 1.077 | . 827 |
| 128 | A147-EOD | Banut | 34.72 | 19.69 | $1.95{ }^{*}$ | 48.44 | 8.14 | 404.2 | 0.976 | . 880 |
| 127 | A147-BOR | Banus | 34.72 | 25.30 | $6.68{ }^{*}$ | 47.20 | 9.14 | 437.3 | 0.987 | . 780 |
| 128 | GF10-EOD | L8-520 | NA | 9.40 | 20.00 | 29.60 | 10.55 | 3428 | 0.918 | . 470 |
| 129 | GF110-EOD | L8-520 | NA | 10.10 | 44.02 | 38.73 | 10.43 | 449.0 | 0.900 | . 380 |
| 130 | GF202-EOO | ICE640 | NA | 16.60 | 20.00 | 38.73 | 12.58 | 503.0 | 0.968 | . 580 |
| 131 | GF224-EOD | ICEE640 | NA | 21.00 | 5.00 | 17.31 | 15.70 | 258.9 | 1.050 | . 900 |
| 132 | GF312-EOD | Le-520 | NA | 6.86 | 18.00 | 38.73 | 9.16 | 398.1 | 0.809 | . 285 |
| 133 | GF313-EOD | LB-520 | NA | 10.05 | 20.00 | 29.80 | 10.81 | 352.1 | 0.915 | . 403 |
| 134 | GF412-EOO | L8-520 | NA | 8.49 | 39.00 | 38.73 | 8.61 | 408.8 | 0.911 | . 359 |
| 135 | GF413-EOD | LB-520 | NA | 9.07 | 39.00 | 29.80 | 10.74 | 360.4 | 0.888 | 418 |
| 136 | GF414-E00 | ICE-640 | MA | 16.47 | 48.00 | 29.80 | 11.32 | 3720 | 0.907 | . 607 |
| 137 | GF415-EOD | ICE 640 | M | 12.25 | 28.00 | 38.73 | 10.39 | 4428 | 0.909 | . 455 |
| 138 | EF62-EOD | 030-32 | 52.0 | 27.29 | 6.10 | 27.85 | 17.01 | 5328 | 0.886 | . 868 |
| 139 | EF167-80R | 030-32 | 520 | 25.81 | 6.10 | 27.99 | 15.29 | 478.8 | 0.892 | . 827 |
| 140 | A3-EOD1 | Vut-0e0 | 60.0 | 18.74 | 6.00 | 209.66 | 3.52 | 743.8 | 0.902 | . 548 |
| 141 | A3-8081 | Vut020 | 60.0 | 17.36 | 7.00 | 209.60 | 287 | 622.5 | 0.967 | . 488 |
| 142 | A3-EOD2 | Vut-080 | 80.0 | 18.85 | 3.42 | 209.68 | 3.40 | 788.8 | 0.904 | . 538 |
| 143 | A3-BOR2 | Vut-080 | 60.0 | 16.87 | 4.00 | 209.68 | 3.09 | 870.8 | 0.988 | . 412 |
| 144 | A3-80R3 | Vut-00 | 60.0 | 21.93 | 30.00 | 209.68 | 3.63 | 753.4 | 1.010 | . 337 |
| 145 | A14-DD1 | Con-300 | 90.0 | 29.81 | 8.75 | 291.07 | 3.52 | 1028.3 | 0.998 | . 614 |
| 148 | A14-002 | Con-300 | 90.0 | 30.91 | 10.83 | 201.07 | 4.33 | 1218.8 | 1.034 | . 597 |
| 147 | A14-BORI | $\operatorname{Con} 300$ | 80.0 | 40.87 | 3.00 | 291.07 | 6.28 | 1679.8 | 1.085 | . 544 |
| 148 | A14-80R2 | $\operatorname{Con} 300$ | 90.0 | 22.63 | 20.00 | 291.07 | 3.16 | 962.9 | 0.855 | . 318 |
| 148 | A2S-EOD | Vut-0en | 60.0 | 2252 | 4.00 | 207.40 | 3.61 | 728.3 | 1.031 | . 735 |
| 150 | A25-8081 | Vut-020 | 60.0 | 18.06 | 8.00 | 207.40 | 3.12 | 651.2 | 0.994 | . 563 |
| 151 | A25-BOR2 | Vut-080 | 60.0 | 22.20 | 20.00 | 207.40 | 3.82 | 767.2 | 1.033 | . 498 |
| 152 | A25-80R3 | Vut-020 | 60.0 | 22.13 | 20.00 | 207.40 | 3.78 | 753.8 | 1.040 | . 521 |
| 153 | A16-EOD | Vul-010 | 325 | 11.52 | 3.17 | 150.55 | 3.98 | 571.0 | 1.048 | . 598 |
| 154 | A16-80R1 | Vut-010 | 325 | 10.78 | 6.00 | 150.55 | 3.60 | 534.0 | 1.015 | . 457 |
| 155 | A16-BOF2 | Vu-010 | 325 | 9.04 | 7.87 | 150.55 | 3.19 | 457.0 | 1.051 | . 299 |

- Denotes blow count (BPI) based on blows per foot.

Table 21. Pile driving and dynamic measurements for PD/LT (continued).

| No. | Fiv-Case Number | Hemmer Type | Reted Hammer Energy (idp-h) | Detluered Energy (dp-n) | Blow <br> Count <br> (BPI) | impedence ENC <br> ( $\mathrm{ccpa} / \mathrm{n} / \mathrm{s}$ ) | $\begin{aligned} & v_{\mathrm{lmp}} \\ & (\mathrm{~m} / \mathrm{s}) \end{aligned}$ | $\begin{aligned} & F_{\mathrm{imp}} \\ & \text { (Aps) } \end{aligned}$ | $\frac{\text { VEA/C }}{F}$ | $O_{\max }$ <br> (an) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 159 | A1-EOD | Vut-002 | 60.0 | 21.94 | $4.18{ }^{*}$ | 205.97 | 3.74 | 788.6 | 0.877 | . 604 |
| 157 | Al1-80R1 | Vul-020 | 60.0 | 25.41 | 5.00 | 205.97 | 4.31 | 828.1 | 1.072 | . 653 |
| 158 | M1-80R2 | Vut080 | 80.0 | 21.62 | 8.00 | 205.97 | 4.22 | 865.8 | 1.004 | . 497 |
| 159 | A101-EOD | Vut-020 | 60.0 | 20.96 | $2.91{ }^{*}$ | 208.34 | 3.68 | 704.4 | 1.088 | . 718 |
| 160 | A101-BOFI | Vu-020 | 60.0 | 21.20 | 0.00 | 208.34 | 3.89 | 744.3 | 1.089 | 538 |
| 181 | A101-80R2 | Vut020 | 60.0 | 14.74 | 24.00 | 208.34 | 3.08 | 643.9 | 0.997 | 360 |
| 182 | A133-EOD | Vut-020 | 60.0 | 18.04 | 5.25 | 21262 | 4.29 | 8320 | 1.098 | . 854 |
| 163 | A133-BOR | Vut-020 | 00.0 | 15.42 | 80.00 | 21268 | 3.47 | 756.1 | 0.978 | . 354 |
| 164 | A145-EOD | Vut-020 | 00.0 | 18.67 | 5.25 | 212.71 | 3.72 | 771.0 | 1.028 | . 628 |
| 165 | A145-BOR1 | Vutozo | 60.0 | 17.50 | 13.00 | 212.71 | 3.01 | 652.0 | 0.982 | 487 |
| 168 | A145-BOR2 | Vut-020 | 00.0 | 16.52 | 48.00 | 212.71 | 3.59 | 748.6 | 1.020 | . 411 |
| 167 | CB3-BOR | Vut-020 | 60.0 | 18.55 | 10.00 | 255.08 | 3.08 | 788.8 | 1.025 | . 308 |
| 168 | CB3-80RL | Vu-020 | 00.0 | 15.85 | 10.00 | 255.08 | 3.37 | 808.4 | 1.069 | . 281 |
| 160 | CB6-BOR | ICE200S | 100.0 | 15.34 | 12.00 | 291.95 | 3.31 | 897.6 | 1.077 | . 282 |
| 170 | C85-80RL | ICEzO0S | 100.0 | 24.97 | 16.00 | 291.96 | 4.25 | 1289.2 | 0.962 | . 451 |
| 171 | CB11-BORL | KCE2C0S | 100.0 | 28.38 | 18.00 | 318.10 | 5.10 | 1634.8 | 0.982 | . 322 |
| 172 | C811-EORL | ICE200S | 100.0 | 29.12 | 16.00 | 318.10 | 5.07 | 1630.5 | 0.989 | . 320 |
| 173 | C817-BOR1 | ICE200S | 100.0 | 29.19 | 16.00 | 297.16 | 4.95 | 1483.8 | 0.991 | . 332 |
| 174 | C817-BOP2 | ICE200S | 100.0 | 38.58 | 15.33 | 297.16 | 6.15 | 18225 | 1.003 | .416 |
| 175 | CB17-BORL | LCE200S | 100.0 | 20.50 | 36.00 | 297.16 | 4.21 | 1258.9 | 0.995 | . 300 |
| 178 | CB17.DRL | ICE200S | 100.0 | 28.85 | 16.50 | 297.16 | 4.84 | 1518.1 | 0.809 | 332 |
| 177 | C823-BOR | KEE200S | 100.0 | 14.07 | 8.00 | 309.73 | 2.64 | 8420 | 0.971 | 268 |
| 178 | CB23-BORL | KCE200S | 100.0 | 2288 | 1200 | 309.73 | 4.45 | 1407.5 | 0.979 | . 337 |
| 179 | C829-BORL | ICEROOS | 100.0 | 8.89 | 28.00 | 288.28 | 211 | 639.3 | 0.961 | 211 |
| 180 | CB2O-EORL | ICERO0S | 100.0 | 16.92 | 20.00 | 288.28 | 3.51 | 1018.4 | 0.994 | . 330 |
| 181 | CB36-80R1 | KE200S | 100.0 | 31.33 | $8.73{ }^{\circ}$ | 293.99 | 5.14 | 1394.6 | 1.084 | . 637 |
| 182 | CB35-80R2 | ICEz00S | 100.0 | 22.70 | 20.00 | 293.99 | 4.78 | 1340.4 | 1.048 | . 333 |
| 183 | CB35-BORL | ICE200S | 100.0 | 19.60 | 13.00 | 293.99 | 4.19 | 1232.9 | 0.999 | . 288 |
| 184 | CB41-EOR | ICE200S | 100.0 | 3218 | 15.17 | 302.20 | 5.03 | 1503.8 | 1.011 | . 558 |
| 185 | CB41-BOR | ICE200S | 100.0 | 27.09 | 24.00 | 302.20 | 5.23 | 1555.1 | 1.016 | . 489 |
| 188 | CB41-BORL | ICEROOS | 100.0 | 21.50 | 8.70 | 30220 | 4.62 | 1450.5 | 0.963 | . 328 |

- Denotes blow count (BPI) based on blows per foot.

Table 21. Pile driving and dynamic measurements for PD/LT (continued).

| No. | Pro-Case Number | Harmer Type | Rated Hammer Energy ( dp - t ) | Oativered Energy (dp-17) | 8low <br> Count <br> (BP1) | $\begin{aligned} & \text { Impedence } \\ & \text { EA/C } \\ & (\mathrm{k} p \mathrm{p} / \pi / \mathrm{s}) \end{aligned}$ | $\begin{aligned} & V_{\mathrm{imp}} \\ & (\mathrm{~m} / \mathrm{s}) \end{aligned}$ | $\begin{aligned} & F_{\text {Imp }} \\ & \text { (dps) } \end{aligned}$ | $\frac{\text { VEA/S }}{F}$ | $\mathrm{D}_{\max }$ <br> (in) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 187 | C82e-EOD | Vut020 | 60.0 | 15.53 | 4.75 | 281.84 | 287 | 754.2 | 0.998 | . 461 |
| 188 | C8ze-80R | Vu-020 | 60.0 | 22.67 | 5.45 | 281.84 | 3.62 | 947.4 | 1.001 | . 507 |
| 189 | CB2e-EOR | Vu-020 | 60.0 | 25.40 | 10.00 | 281.84 | 3.83 | 1034.1 | 0.970 | . 537 |
| 190 | CBEE-BORE | Vul-020 | 60.0 | 20.93 | 1200 | 261.84 | 3.50 | 937.9 | 0.977 | . 368 |
| 197 | 33P1-EOD | B-400 | $46.0^{\circ}$ | 32.67 | 12.00 | 38.90 | 15.38 | 615.4 | 0.972 | 1.110 |
| 182 | 33P1-BOR | B-400 | 40.0 | 31.80 | 16.00 | 38.80 | 15.78 | 637.4 | 0.965 | . 787 |
| 193 | 33P4-EOR | B-400 | 46.0 | 32.50 | no bet | 38.90 | 18.60 | 656.0 | 0.884 | . 845 |
| 194 | 33 P 2 -EOD | 8-400 | 46.0 | 32.84 | 39.00 | 17.54 | 18.44 | 281.3 | 1.025 | 1.859 |
| 196 | $33 \mathrm{P2}$-BOR | B-400 | 46.0 | 30.97 | 76.00 | 17.54 | 16.68 | 317.0 | 0.922 | 1.418 |
| 100 | 33P2-EOR | 8-400 | 48.0 | 31.24 | no ser | 17.54 | 17.28 | 337.8 | 0.885 | 1.374 |
| 197 | 33P4EOD | E-400 | 46.0 | 24.47 | 5.00 | 65.68 | 10.92 | 789.3 | 0.96, | 885 |
| 198 | 33P5-EOD | 8-225 | 29.0 | 8.41 | 10.67 | 24.56 | 8.75 | 240.9 | 0.890 | . 527 |
| 198 | TRD22-EOD | D-12 | 22.5 | 8.78 | 30.00 | 38.70 | 10.50 | 394.7 | 1.005 | . 381 |
| 200 | TRO22-80R | D-12 | 225 | 7.83 | 20.00 | 30.70 | 8.62 | 410.3 | 0.888 | . 323 |
| 201 | TRE22-EOD | D-22 | 40.0 | 15.19 | 2200 | 38.70 | 13.33 | 502.5 | 1.000 | . 461 |
| 202 | TRE22-BOR | D-22 | 40.0 | 15.18 | 10.00 | 38.70 | 14.28 | 601.7 | 0.896 | . 415 |
| 203 | TRP5X-EOD | D. 12 | 22.5 | 9.17 | 38.00 | 27.80 | 12.99 | 376.1 | 0.060 | 400 |
| 204 | TRPPSX-BOR | D-12 | 22.5 | 9.70 | 25.00 | 27.80 | 12.13 | 361.5 | 0.933 | . 435 |
| 205 | TR131-BOR | D. 12 | 225 | $7.10{ }^{*}$ | 4.00 | 14.10 | 11.10 | 158.0 | 0.981 | . 759 |
| 208 | TRAHEOR | 8-225 | 29.0 | 9.50 | no ser | 46.70 | 10.30 | 489.0 | 0.990 | . 404 |
| 207 | TRAH-BOR | B-225 | 28.0 | 12.50 | 2.50 | 46.80 | 11.10 | 532.0 | 0.874 | 727 |
| 200 | TRSPEEOR | B-225 | 29.0 | 8.80 | 4.67 | 21.80 | 12.90 | 306.0 | 0.918 | 468 |

- Denote blow count (BPI) based on blows per foot.
$1 \mathrm{kip}-\mathrm{ft}=1.36 \mathrm{kN}-\mathrm{m}$ $1 \mathrm{BPI}=0.039$ blows per mm $1 \mathrm{kip} / \mathrm{ft} / \mathrm{s}=14.59 \mathrm{kN} / \mathrm{m} / \mathrm{s}$ $1 \mathrm{ft} / \mathrm{s}=0.305 \mathrm{~m} / \mathrm{s}$ $1 \mathrm{kip}=4.448 \mathrm{kN}$ $1 \mathrm{in}=25.4 \mathrm{~mm}$

Table 22. Parameters of dynamic analysis for PD/LT.

| Ho. | Plo-Case Number | $\begin{gathered} \text { Cose } \\ J_{c} \end{gathered}$ | $\begin{gathered} \text { EA/C } \\ (\mathrm{k} p \mathrm{~s} / \mathrm{s} / \mathrm{f}) \end{gathered}$ | 2i/C <br> (ms) | Tp Quake (In) | Side Ouake (in) | Tip Damping ( $9 / \pi$ ) | Side Damping ( $3 / \mathrm{ft}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | FN1-EOD | 0.884 | 2213 | 8.57 | . 200 | . 100 | . 070 | . 170 |
| 2 | FN1-8081 | 1.584 | 22.13 | 8.57 | . 100 | . 100 | 400 | . 130 |
| 3 | FN1-BOR2 | 2.217 | 22.13 | 8.57 | . 100 | . 100 | . 580 | . 110 |
| 4 | FND-EOD | 0.356 | 60.49 | 9.55 | . 200 | .220 | . 050 | . 270 |
| 5 | FN2-BOR | 0.637 | 60.49 | 9.55 | . 080 | . 150 | . 100 | . 330 |
| 0 | FN3-EOD | 0.068 | 85.89 | 9.55 | .120 | . 060 | . 290 | . 800 |
| 7 | FN3-BOR | 0.283 | 85.89 | 9.55 | . 210 | . 070 | . 340 | . 310 |
| 8 | FN4-EOD | 0.377 | 34.26 | 7.85 | . 150 | . 120 | . 050 | . 150 |
| 9 | FN4-BOR | 0.703 | 34.26 | 7.85 | . 100 | . 110 | . 050 | . 180 |
| 10 | FAAEOD | -0.454 | 46.60 | 13.98 | . 300 | . 170 | . 479 | . 049 |
| 11 | FUABOR | -0.453 | 46.60 | 13.98 | 050 | . 100 | . 597 | 055 |
| 12 | FIB-EOD | 0.147 | 37.80 | 11.59 | 200 | . 150 | . 088 | 059 |
| 13 | FIE-BOR | -0.025 | 37.80 | 11.59 | . 150 | . 100 | . 129 | . 088 |
| 14 | FO1-EOD | 0.133 | 120.80 | 7.17 | . 280 | . 100 | . 139 | . 136 |
| 15 | F01-80R | 0.720 | 120.50 | 7.17 | . 280 | . 100 | . 092 | . 082 |
| 18 | FO2-EOD | -0.150 | 199.10 | 9.41 | . 230 | . 100 | . 049 | . 185 |
| 17 | FO2-BOR | 0.285 | 199.10 | 9.41 | . 250 | . 100 | . 039 | . 168 |
| 18 | FOS-EOD | -0.828 | 61.40 | 13.08 | . 050 | . 080 | . 675 | . 082 |
| 19 | FO4-EOD | -1.855 | 214.60 | 10.48 | . 130 | . 100 | . 115 | . 127 |
| 20 | FO4-80R | -0.570 | 214.60 | 10.48 | . 200 | . 120 | . 244 | . 183 |
| 21 | FOR1-EOD | -0.578 | 159.00 | 20.96 | . 380 | . 250 | . 060 | . 179 |
| 22 | FOR1-BOR | -0.503 | 159.00 | 20.96 | . 220 | 220 | . 240 | . 185 |
| 23 | FM5-EOD | 0.022 | 49.08 | 13.98 | . 320 | . 100 | . 041 | . 086 |
| 24 | FMS-80R | 0.677 | 49.08 | 12.02 | . 380 | . 100 | 097 | . 074 |
| 25 | FM17-EOD | 0.438 | 48.08 | 9.26 | . 530 | . 090 | . 077 | . 076 |
| 28 | FM17-80R | 0.877 | 49.08 | 9.28 | . 200 | . 100 | . 050 | . 142 |
| 27 | FME3-EOD | 0.259 | 49.08 | 6.75 | . 400 | . 080 | . 041 | .454 |
| 28 | FNE3-80R | 0.146 | 49.08 | 6.75 | 1.000 | . 210 | . 045 | . 090 |
| 29 | FC1-EOD | -0.226 | 17.54 | 3.98 | . 300 | 157 | 038 | 038 |
| 30 | FC1-80R | -0.278 | 17.54 | 3.88 | . 330 | . 140 | . 030 | 032 |
| 31 | FC2-EOD | -0.229 | 17.54 | 3.27 | 330 | . 148 | . 041 | . 028 |

- Determined from TEPWAP analysis.

Table 22. Parameters of dynamic analysis for PD/LT (continued).

| No. | Pro-Case Number | $\begin{gathered} C=30 \\ d_{e} \end{gathered}$ | $\begin{gathered} \text { EAC } \\ (\mathrm{kPP} / \mathrm{s} / \mathrm{n}) \end{gathered}$ | 2L/C <br> (ms) | Пp Quake <br> (in) | Slde Quake <br> (in) | Tip Damping ( $\mathrm{s} / \mathrm{f}$ ) | Side Damping ( $3 / \pi$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 32 | FC2-BOR | -0.383 | 17.54 | 3.14 | . 330 | . 150 | . 029 | . 024 |
| 33 | FMI1-EOD | 0.010 | 28.73 | 9.87 | . 100 | . 100 | . 051 | . 047 |
| 34 | FMIT-BOR | 0.113 | 28.73 | 9.87 | . 150 | . 100 | . 098 | . 017 |
| 36 | FMR-EOD | 0.198 | 28.73 | 7.32 | . 140 | . 100 | . 030 | . 080 |
| 30 | FMR-BOR | 0.348 | 26.73 | 7.32 | . 150 | . 100 | . 056 | . 030 |
| 37 | FWA EOD | 0.125 | 188.82 | 18.08 | . 500 | . 260 | . 095 | . 303 |
| 38 | FWA-BOR | 0.213 | 198.82 | 18.08 | . 301 | . 251 | . 189 | . 137 |
| 39 | FWE-EOD | 0.272 | 198.62 | 16.68 | - | - | $\bullet$ | - |
| 40 | FWE-BOR | 0.141 | 198.62 | 16.68 | - | - | - | - |
| 41 | FA1-EOD | 0.043 | 145.72 | 8.40 | . 100 | . 100 | . 123 | . 234 |
| 42 | FA1-BORI | 0.241 | 145.72 | 9.07 | . 200 | . 060 | . 368 | . 387 |
| 43 | FA1-8082 | 0.373 | 145.72 | 9.07 | . 250 | . 100 | . 363 | . 322 |
| 44 | FA2-EOD | -0.108 | 145.72 | 10.51 | . 420 | . 100 | . 098 | 215 |
| 45 | FA2-BOR1 | 0.207 | 140.52 | 10.90 | . 250 | . 100 | . 282 | . 205 |
| 46 | FA2-BOP2 | 0.577 | 145.72 | 10.51 | . 170 | . 130 | . 323 | . 327 |
| 47 | FASTECD | -0.199 | 221.53 | 9.16 | . 350 | . 100 | . 183 | . 329 |
| 48 | FA3-80.91 | 0.085 | 219.99 | 9.06 | . 200 | . 070 | . 513 | . 398 |
| 49 | FA3-80,20 | 0.313 | 221.53 | 8.00 | . 205 | 080 | . 309 | . 395 |
| 50 | FAHECD | -0.204 | 221.53 | 10.43 | . 250 | . 100 | . 153 | . 297 |
| 51 | FAH-80ht | 0.331 | 218.83 | 10.51 | . 120 | . 080 | . 334 | . 390 |
| 52 | FA-80R2 | 0.567 | 218.93 | 10.51 | . 150 | . 100 | . 282 | . 356 |
| 53 | FA5-EOD | 0.133 | 403.88 | 10.07 | . 330 | . 120 | . 395 | . 302 |
| 54 | FA5-BCR | 0.414 | 403.88 | 10.45 | 240 | . 070 | . 398 | . 395 |
| 55 | FV15-E00 | 0.085 | 38.19 | 10.95 | . 300 | .100 | . 140 | . 102 |
| 56 | FV15-80R | 0.000 | 38.18 | 10.95 | 300 | . 100 | . 424 | . 089 |
| 57 | FVIO-EOD | 0.478 | 38.19 | 10.95 | . 300 | . 100 | . 377 | . 202 |
| 58 | FVIO-BOR | 0.143 | 38.19 | 10.95 | . 340 | . 125 | . 276 | . 164 |
| 59 | FWNR-EOD | -0.223 | 38.19 | 11.19 | . 500 | . 180 | . 079 | . 104 |
| 60 | FMN2-BOR | 0.025 | 38.19 | 11.19 | . 150 | . 152 | . 085 | . 114 |
| 81 | FPG-EOD | 0.183 | 12.49 | 4.10 | . 200 | . 040 | . 037 | . 091 |
| 62 | FP5-BCR | 0.350 | 1249 | 4.10 | . 190 | . 045 | . 030 | . 088 |

-     - Determined from TEPWAP analysis.

Table 22. Parameters of dynamic analysis for PD/LT (continued).

| No. | $\begin{aligned} & \text { Plo-Cane } \\ & \text { number } \end{aligned}$ | $\begin{gathered} \text { Cenes } \\ J_{c} \end{gathered}$ | $\begin{gathered} \text { EA/C } \\ \text { (Aps/s/t) } \\ \hline \end{gathered}$ | $2 \mathrm{~L} / \mathrm{C}$ <br> (ms) | 7p Cuake ( $n$ ) | Skde Cuake <br> Cuake (n) | 7 p Damping <br> ( $\mathrm{s} / \mathrm{tr}$ ) | Side Damping ( $s / n$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 69 | FKG-EOD | -0.288 | 80.23 | 11.35 | 250 | . 090 | . 104 | . 256 |
| 64 | FKG-BOR | -0.189 | 80.23 | 11.39 | . 140 | . 060 | . 113 | . 282 |
| 05 | FL3-EOD | 0.119 | 203.74 | 15.04 | . 400 | . 100 | . 246 | . 269 |
| 68 | Fl3-8081 | 0.149 | 203.74 | 15.04 | . 250 | . 150 | . 378 | . 392 |
| 67 | Fl3-80R2 | 0.394 | 203.74 | 15.04 | . 250 | . 124 | . 523 | . 507 |
| 88 | CAI-EOD | -0.120 | 27.87 | 20.47 | . 140 | . 140 | . 089 | . 083 |
| 0 | CA1-BOR | -0.108 | 27.87 | 20.47 | . 130 | . 130 | . 089 | . 075 |
| 70 | CA2-BOR | 0.558 | 27.87 | 13.39 | . 100 | . 100 | . 097 | . 106 |
| 71 | CA5-80R1 | -0.354 | 21.58 | 7.97 | . 362 | . 100 | . 012 | . 088 |
| 72 | CA5-BOP2 | -0.400 | 21.58 | 7.97 | . 327 | 217 | . 035 | . 024 |
| 73 | CA3/8-BOR | 0.765 | 15.80 | 8.78 | . 374 | . 276 | . 098 | . 118 |
| 74 | CA24-BOR | 0.295 | 13.44 | 4.59 | . 177 | . 118 | . 113 | . 077 |
| 75 | CAE-BOR1 | 0.040 | 25.93 | 7.16 | . 354 | . 276 | . 048 | . 050 |
| 78 | CAB-BOR2 | -0.006 | 25.93 | 7.18 | . 394 | . 258 | 047 | . 052 |
| 77 | CAE-EOR | -0.347 | 25.83 | 7.18 | . 335 | . 256 | .037 | . 082 |
| 78 | WC3-EOD | -0.063 | 268.75 | 6.80 | . 400 | . 100 | . 168 | . 068 |
| 78 | WC3-80R1 | -0.058 | 288.75 | 6.80 | . 350 | . 130 | . 038 | . 196 |
| 80 | WCS-BOP2 | -0.042 | 288.75 | 5.36 | 320 | . 080 | . 087 | . 137 |
| 81 | WCO-EOD | 0.038 | 205.88 | 5.54 | 420 | . 100 | . 118 | . 143 |
| 82 | WCO-80R1 | -0.044 | 265.88 | 5.54 | .471 | . 080 | . 127 | . 212 |
| 83 | WC8-BOR2 | -0.005 | 285.88 | 3.93 | . 610 | . 100 | . 048 | . 311 |
| 84 | WB9-BOR | 0.455 | 271.52 | 20.00 | . 280 | . 050 | . 433 | . 251 |
| 85 | WB15-80R | 0.457 | 288.50 | 18.28 | . 225 | . 060 | 242 | 488 |
| 80 | T1/A-EOD | 0.265 | 378.57 | 16.49 | . 150 | . 050 | . 070 | . 115 |
| 87 | T1/A-ALT | 0.257 | 378.57 | 20.70 | . 200 | . 100 | . 157 | . 078 |
| 88 | T1/B-EOD | 0.153 | 378.57 | 25.74 | . 060 | . 060 | . 021 | . 047 |
| 89 | T2/A-EOD | 0.346 | 196.75 | 13.94 | . 150 | . 040 | 235 | . 087 |
| 90 | T2/B-EOD | 0.057 | 198.75 | 31.01 | . 070 | . 070 | . 154 | . 033 |
| 81 | 35-1-80R | 0.088 | 38.93 | 7.15 | . 250 | . 100 | . 114 | . 043 |
| 92 | 35-4-80R | 0.315 | 17.50 | 6.21 | . 300 | . 100 | . 024 | . 033 |
| 83 | 35-5-808 | 0.382 | 38.93 | 11.93 | . 040 | . 040 | . 042 | . 063 |

- Determined from TEPWAP analysis.

Table 22. Parameters of dynamic analysis for PD/LT (continued).

| No. | Pit-Case Number | $\begin{gathered} \text { Case } \\ J_{c} \end{gathered}$ | $\begin{gathered} \text { ENC } \\ \text { (kSpe/s/n) } \end{gathered}$ | $\begin{aligned} & 2 L / C \\ & (\mathrm{~ms}) \end{aligned}$ | 7 Tp Quake (in) | Side Cuake <br> (in) | Tip Demping ( $9 / 7$ ) | Sko Damping ( $9 / 7$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 94 | 35-8-80R | 0.268 | 17.50 | 12.55 | . 100 | . 080 | . 001 | . 093 |
| 95 | 35-7-BOR | 0.007 | 18.07 | 8.88 | . 200 | .100 | . 040 | . 047 |
| 98 | 35-10-BOP | 0.182 | 60.58 | 7.89 | 250 | 040 | . 019 | . 083 |
| 97 | E2-60R | 0.509 | 04.20 | 6.31 | . 280 | 100 | . 120 | . 175 |
| 98 | 63s-BOA | 0.756 | 30.34 | 8.19 | . 280 | . 100 | . 027 | . 284 |
| 89 | Le21-80R | 0.129 | 189.40 | 5.50 | . 310 | . 100 | . 128 | . 168 |
| 100 | LB20-BOR | 0.164 | 181.80 | 7.91 | . 230 | . 120 | . 211 | . 211 |
| 101 | LC3-308 | 0.399 | 181.80 | 20.31 | . 350 | 250 | . 192 | . 137 |
| 102 | LIN16-BOA | 0.787 | 181.10 | 24.50 | 220 | . 120 | . 293 | . 337 |
| 103 | LE37-80R | 0.082 | 38.80 | 10.00 | . 140 | 080 | . 181 | . 850 |
| 104 | LE64-80R | 0.218 | 38.80 | 10.00 | . 105 | . 070 | . 148 | . 132 |
| 106 | ST1-EOD | 0.242 | 123.0 | 11.52 | . 300 | . 080 | . 054 | . 081 |
| 108 | ST2-EOD | -0.102 | 132.3 | 9.98 | . 600 | 080 | 017 | . 020 |
| 107 | STO-BOR | 0.500 | 339.1 | 24.19 | 220 | . 100 | . 322 | . 148 |
| 108 | ST46-EOD | 0.010 | 10.35 | 4.52 | . 400 | . 150 | . 033 | . 042 |
| 100 | GZAB-EOD | -0.240 | 36.20 | 17.00 | . 330 | . 150 | . 053 | . 050 |
| 110 | GZA6-EOD | 0.000 | 27.80 | 18.50 | . 320 | . 150 | . 030 | . 050 |
| 111 | GZAE-EOD | 0.180 | 27.70 | 20.37 | . 250 | . 125 | . 118 | . 053 |
| 112 | GZBECEOD | 0.234 | 37.80 | 13.79 | . 058 | . 050 | . 091 | . 075 |
| 113 | G78P2E00 | 0.301 | 36.20 | 17.08 | . 040 | . 050 | . 051 | . 129 |
| 114 | GZ8P-EOD | 0.174 | 27.70 | 11.56 | . 240 | . 120 | . 061 | .084 |
| 115 | G2ES-EOD | 0.281 | 37.80 | 10.34 | . 450 | . 350 | . 171 | . 238 |
| 116 | GZO5-EOD | 0.481 | 37.80 | 10.34 | . 580 | . 100 | . 059 | . 810 |
| 117 | GZCCSEOD | 0.471 | 37.80 | 13.91 | . 430 | 220 | . 029 | . 117 |
| 116 | G72-EOD | -0.038 | 37.80 | 13.91 | . 530 | . 320 | . 137 | . 244 |
| 119 | CXP14-EOD | 0.457 | 37.80 | 12.48 | . 450 | .100 | . 077 | . 102 |
| 120 | G7P11-EOD | 0.268 | 37.80 | 1248 | .100 | .100 | . 063 | . 178 |
| 121 | G2P12-EOD | 0.247 | 37.80 | 13.73 | . 110 | . 170 | . 038 | . 188 |
| 122 | GUR22-EOD | 0.812 | 111.0 | 18.71 | . 065 | . 065 | . 207 | . 126 |
| 123 | GZWI-EOR | 0.094 | 26.10 | 15.02 | . 170 | .100 | . 118 | . 142 |
| 124 | A54-EOD | 0.785 | 50.82 | 1207 | . 138 | . 090 | . 160 | . 101 |

-     - Determined from TEPWAP analysis.

Table 22. Parameters of dynamic analysis for PD/LT (continued).

| No. | Pro-Case Number | $\begin{gathered} C \operatorname{cose} \\ J_{c} \end{gathered}$ | $\begin{gathered} \text { ENC } \\ (\mathrm{k} \mathrm{dps} / \mathrm{s} / \pi) \\ \hline \end{gathered}$ | 2L/C <br> (ms) | Tlp Quake (in) | Side Ouake (in) | Tp Damping (s/f) | Stale Damping ( $8 / \mathrm{n}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 125 | A54-BOR | 0.149 | 50.82 | 1207 | . 100 | 343 | . 088 | . 109 |
| 128 | A147-EOD | -0.599 | 48.44 | 11.18 | . 669 | . 100 | . 068 | . 112 |
| 127 | A147-80R | 0.310 | 47.20 | 10.89 | 219 | . 100 | . 075 | . 100 |
| 128 | GF19E00 | 0.280 | 29.80 | 9.45 | . 110 | . 100 | . 035 | . 062 |
| 128 | GF110-EOD | -0.117 | 38.73 | 6.79 | . 160 | . 110 | . 034 | . 117 |
| 130 | GF222-EOD | 0.221 | 38.73 | 7.97 | . 140 | . 130 | . 065 | . 078 |
| 131 | GF224-E00 | 0.008 | 17.31 | 8.30 | . 080 | . 030 | . 046 | . 023 |
| 132 | GF312-EOD | 0.830 | 38.73 | 3.93 | . 120 | . 080 | . 115 | . 057 |
| 133 | GF313-EOD | 1.124 | 29.80 | 4.18 | . 150 | . 080 | . 133 | . 043 |
| 134 | GF412-EOD | 1.355 | 38.73 | 5.78 | . 120 | . 120 | . 058 | . 028 |
| 136 | GF413-EOD | 1.058 | 29.80 | 4.07 | . 100 | . 120 | . 084 | . 029 |
| 138 | GF414-EOD | 1.390 | 29.80 | 5.05 | . 120 | . 110 | . 043 | . 012 |
| 137 | GF415-EOD | 0.622 | 38.73 | 5.88 | 130 | . 100 | . 058 | . 027 |
| 138 | EFB2-EOD | 0.093 | 27.85 | - | - | - | - | - |
| 139 | EF167-BOR | 0.835 | 27.98 | - | - | - | - | - |
| 140 | A3-E001 | -0.392 | 209.68 | 13.43 | . 330 | . 120 | . 110 | . 230 |
| 141 | A3-8OR1 | 0.714 | 209.68 | 13.43 | . 270 | . 100 | . 130 | . 160 |
| 142 | A3-EOD2 | -0.329 | 209.68 | 13.43 | 250 | . 150 | . 160 | . 180 |
| 143 | A3-80P2 | -0.464 | 209.68 | 13.43 | . 020 | . 080 | . 150 | . 280 |
| 144 | A3-80R3 | 0.209 | 209.68 | 12.78 | . 170 | . 100 | . 200 | 220 |
| 145 | A14-001 | 0.130 | 291.07 | 15.35 | . 390 | . 100 | . 130 | . 280 |
| 146 | A14-002 | -0.009 | 291.07 | 15.35 | . 370 | . 140 | . 110 | . 280 |
| 147 | A14-80f4 | 0.213 | 291.07 | 15.35 | . 100 | . 120 | 220 | . 220 |
| 148 | A14-8082 | 0.402 | 291.07 | 10.78 | 200 | . 150 | . 120 | 230 |
| 149 | A25-E00 | 0.267 | 207.40 | 15.31 | . 350 | . 120 | . 080 | . 120 |
| 150 | A25-BORT | -0.188 | 207.40 | 15.31 | . 320 | . 100 | . 100 | . 110 |
| 151 | A25-80R2 | 0.010 | 207.40 | 15.31 | . 380 | . 270 | . 310 | . 100 |
| 152 | A25-80R3 | -0.008 | 207.40 | 15.31 | . 380 | . 250 | 280 | . 180 |
| 153 | A18-EOD | 0.064 | 150.55 | 9.05 | . 230 | . 100 | . 150 | . 100 |
| 154 | A16-BOR1 | 0.103 | 150.55 | 9.05 | . 330 | . 100 | . 160 | .100 |
| 155 | A16-BOR2 | 0.332 | 150.55 | 8.68 | 240 | . 080 | 650 | . 160 |

- Determined from TEPWAP analysis.

Table 22. Parameters of dynamic analysis for PD/LT (continued).

| No. | Pro-Case Numbor | $\begin{gathered} \text { Case } \\ J_{e} \end{gathered}$ | $\begin{gathered} \text { EAC } \\ (\mathrm{mps} / 9 / \pi) \end{gathered}$ | $\begin{aligned} & 2 \mathrm{~L} / \mathrm{C} \\ & \text { (ms) } \end{aligned}$ | $7 p$ Cuake (in) | Slde Quake <br> (in) | Tlp Dampling ( $\mathrm{s} / \mathrm{ft}$ ) | Sxde Damping ( $3 / \pi$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 158 | A41-EOO | -0.027 | 205.97 | 13.24 | . 290 | . 080 | . 150 | . 080 |
| 157 | A11-80R1 | 0.034 | 205.97 | 13.24 | . 370 | . 090 | . 140 | . 090 |
| 158 | A1-BOP2 | 0.080 | 205.97 | 8.95 | . 350 | . 100 | . 130 | . 100 |
| 150 | A101-EOD | 0.375 | 208.34 | 1285 | . 400 | . 120 | . 040 | . 310 |
| 160 | A101-60P4 | 0.142 | 208.34 | 12.65 | . 120 | . 080 | . 120 | . 160 |
| 161 | A101-BOR2 | 0.273 | 208.34 | 10.28 | .100 | . 090 | . 200 | . 210 |
| 162 | A133-EOD | -0.196 | 212.62 | 18.31 | . 360 | . 180 | . 260 | . 210 |
| 163 | A133-B0R | 0.217 | 21262 | 16.30 | . 130 | . 130 | . 210 | . 180 |
| 164 | A145-EOD | -0.454 | 212.71 | 18.59 | . 190 | . 090 | . 150 | . 240 |
| 165 | A145-80A1 | 0.338 | 212.71 | 18.59 | . 170 | . 170 | . 170 | 270 |
| 168 | A145-BOR2 | -0.019 | 212.71 | 16.21 | . 160 | . 140 | . 210 | . 210 |
| 167 | C83-80R | 0.647 | 255.08 | 11.38 | . 190 | . 100 | .563 | . 317 |
| 168 | CE3-BORL | 0.520 | 255.08 | 11.67 | . 190 | . 110 | 527 | . 379 |
| 160 | C85-80R | -0.396 | 291.95 | 12.45 | . 140 | . 100 | . 314 | . 929 |
| 170 | CB5-BORL | -0.188 | 291.85 | 8.74 | . 300 | .100 | . 227 | . 405 |
| 171 | CB11-30RL | 0.363 | 318.10 | 12.81 | . 140 | . 180 | 1.335 | . 249 |
| 172 | CB11-EORL | 0.259 | 318.10 | 12.81 | 120 | . 170 | . 860 | 538 |
| 173 | C817-90R1 | 0.029 | 297.18 | 13.63 | . 130 | . 210 | .413 | . 258 |
| 174 | CB17.80R2 | 0.128 | 297.18 | 13.63 | . 250 | . 160 | . 318 | . 277 |
| 175 | CB17-80f1 | 0.082 | 297.18 | 12.85 | . 220 | . 030 | . 350 | . 125 |
| 176 | CE17-0RL | 0.024 | 297.18 | 12.65 | . 250 | . 010 | . 328 | . 031 |
| 177 | CR23-BOR | 0.312 | 309.73 | 12.95 | . 140 | . 130 | . 858 | . 284 |
| 178 | C823-BORL | 0.408 | 309.73 | 12.95 | . 050 | . 170 | 1.674 | . 535 |
| 170 | CB29-BORL | -0.213 | 288.28 | 13.78 | . 090 | . 100 | . 707 | . 483 |
| 180 | C839-EORL | 0.017 | 288.28 | 13.78 | . 200 | . 100 | . 129 | . 812 |
| 181 | C835-BOR1 | -0.311 | 293.99 | 13.79 | . 240 | . 100 | . 113 | . 005 |
| 182 | CBJ5-80R2 | 0.167 | 293.99 | 13.79 | . 180 | . 100 | . 113 | . 433 |
| 183 | CB35-BORL | 0.029 | 293.90 | 12.68 | .090 | . 170 | . 700 | 228 |
| 184 | CB4t-EOR | -0.161 | 30220 | 14.14 | . 260 | . 100 | . 141 | . 209 |
| 185 | C841-30R | 0.118 | 302.20 | 14.00 | . 250 | . 110 | . 127 | . 198 |
| 188 | CB41-BORL | -0.117 | 302.20 | 10.92 | . 140 | . 130 | . 351 | . 392 |

' - Determined from TEPWAP analysis.

Table 22. Parameters of dynamic analysis for PD/LT (continued).

| No. | PIN-Case Number | $\begin{aligned} & \text { Case } \\ & J_{c} \end{aligned}$ | $\begin{gathered} \text { ENC } \\ \text { (naps/2/n) } \end{gathered}$ | $\begin{aligned} & 2 \mathrm{~L} / \mathrm{C} \\ & (\mathrm{~ms}) \end{aligned}$ | nip Quake ( n ) | Side Quake <br> (in) | Tip Damping ( $9 / 7$ ) | Slde Demping ( $8 / \mathrm{fl}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 187 | CB2B-EOD | -0.408 | 281.84 | 11.40 | . 210 | . 120 | . 078 | . 105 |
| 188 | CB26-BOR | -0.137 | 281.84 | 11.40 | . 270 | . 110 | . 099 | . 050 |
| 189 | CR28-EOR | -0.008 | 281.84 | 11.40 | . 330 | . 090 | . 058 | . 068 |
| 190 | CB20-80F? | -0.104 | 281.94 | 9.25 | 230 | . 100 | . 176 | . 738 |
| 191 | 33P1-EOD | -0.141 | 38.90 | 14.39 | .150* | . $300{ }^{*}$ | . $080^{\circ}$ | . $010^{\circ}$ |
| 182 | 33P1-80R | -0.017 | 38.80 | 14.39 | . 060 | . 040 | . 030 | . 038 |
| 103 | 33Pr-EOR | -0.240 | 38.90 | 14.39 | . 100 | . 100 | . 012 | . 028 |
| 104 | 33P2-EOD | -0.182 | 17.54 | 17.81 | . $400^{*}$ | 200* | .150* | . $020{ }^{*}$ |
| 195 | 33P2-BOR | -0.125 | 17.54 | 13.21 | . 300 | . 300 | . 048 | . 048 |
| 186 | 33P2-EOR | -0.098 | 17.54 | 13.21 | . 300 | . 300 | . 010 | . 033 |
| 197 | 33 P 4 EOD | 0.152 | 67.30 | 10.45 | .100* | .025* | .100* | . $050{ }^{*}$ |
| 180 | 33P5-E00 | 0.509 | 21.21 | 6.94 | $000{ }^{*}$ | 100 | . $040^{*}$ | . $040^{*}$ |
| 189 | TRD22-EOD | 0.371 | 38.70 | 268 | . 150 | . 100 | . 015 | . 224 |
| 200 | TRDE2-BOR | 0.157 | 38.70 | 2.68 | . 160 | . 100 | . 106 | 216 |
| 201 | TRE22-EOD | 0.881 | 38.70 | 3.53 | . 100 | . $100^{*}$ | . $100^{*}$ | . $100^{*}$ |
| 208 | TRE22-8OA | 0.411 | 38.70 | 3.53 | . 250 | . 100 | . 018 | . 135 |
| 203 | TRPSX-EOD | 0.418 | 27.80 | 2.94 | . 150 | . 100 | . 020 | . 111 |
| 204 | TRPSX-BOR | -0.059 | 27.80 | 294 | . 150 | .100 | . 013 | . 128 |
| 205 | PR131-80R | 0.162 | 14.10 | 3.15 | . 300 | 300 | . 034 | . 235 |
| 200 | TRAHEOR | -0.310 | 49.70 | 18.24 | . 200 | . 100 | . 025 | . 753 |
| 207 | TRBH-BOR | 0.138 | 46.80 | 13.40 | . 050 | . 050 | 1.040 | . 208 |
| 208 | TRBP-EOP | -0.730 | 21.80 | 1294 | . $025^{*}$ | .100' | .200* | .100* |

- Determined from TEPWAP analysis.
$1 \mathrm{kip} / \mathrm{s} / \mathrm{ft}=14.6 \mathrm{kN} / \mathrm{s} / \mathrm{m}$
1 in $=25.4 \mathrm{~mm}$
$1 \mathrm{~s} / \mathrm{ft}=3.281 \mathrm{~s} / \mathrm{m}$

Table 23. Pile capacity based on static load test and dynamic analysis for PD/LT.

| No | pro-Ceson Number | Land <br> Tow <br> Type | Davesion's Crteria (c)ps) | Snape of Curve (kps) | $\begin{aligned} & \mathbf{A}=1^{\prime} \\ & (\mathrm{kdps}) \end{aligned}$ | $\begin{aligned} & \Delta=0.1 B \\ & (\mathrm{Mpa}) \end{aligned}$ | DeBeer (dps) | Staik <br> Pesis: $R_{2}$ ( NPs ) | CAPWAP TEPWAP <br> ( $\mathrm{N} \mathrm{Sp}_{\mathrm{s}}$ ) | Energy Appr. $R_{1}$ (1.1ps) | $\begin{aligned} & K_{m p} \\ & \frac{\boldsymbol{R}_{4}}{R_{6}} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | FN1-EOD | 0 | 304 | 300 | 304 | 304 | 300 | 300 | 230 | 382 | 0.629 |
| 2 | FN1-BOR1 | 0 | 304 | 300 | 304 | 304 | 300 | 300 | 375 | 484 | 0.620 |
| 3 | FN1-BOR2 | 0 | 304 | 300 | 304 | 304 | 300 | 300 | 431 | 535 | 0.581 |
| 4 | FNR-EOD | 0 | 358 | 354 | 362 | 368 | 358 | 354 | 228 | 418 | 0.847 |
| 5 | FN2-BOR | 0 | 358 | 354 | 362 | 368 | 358 | 354 | 305 | 487 | 0.727 |
| 6 | FN3-EOD | 0 | 378 | 370 | 382 | 393 | 368 | 374 | 178 | 480 | 0.779 |
| 7 | FN3-80A | 0 | 378 | 370 | 382 | 393 | 388 | 374 | 297 | 621 | 0.602 |
| 8 | FNHEOD | 0 | 284 | 280 | 288 | 292 | 282 | 280 | 244 | 001 | 0.698 |
| 9 | FN4-BOR | 0 | 284 | 280 | 288 | 292 | 282 | 280 | 288 | 582 | 0.481 |
| 10 | PIAEEOD | 0 | 928 | 934 | 772 | 910 | 920 | 830 | 367 | 569 | 1.634 |
| 11 | FIA-BOR | 0 | 828 | 934 | 772 | 910 | 920 | 930 | 731 | 689 | 1.349 |
| 12 | FIE-EOD | 0 | 650 | 480-640 | 650 | M | 648 | 650 | 511 | 708 | 0.918 |
| 13 | FE-BOR | 0 | 650 | 480-640 | 850 | Na | 648 | 850 | 521 | 698 | 0.934 |
| 14 | FO1-EOC | 0 | 588 | 500-560 | 672 | NA | 544 | 567 | 498 | 716 | 0.811 |
| 15 | FOt-BOR | 0 | 508 | 500-560 | 672 | Na | 544 | 557 | 700 | 1168 | 0.478 |
| 18 | FO2-EOO | 0 | 760 | 750 | 780 | 800 | 754 | 750 | 530 | 846 | 1.181 |
| 17 | FO2-BOR | 0 | 760 | 750 | 780 | 800 | 754 | 750 | 731 | 1158 | 0.648 |
| 18 | FO3-EOD | 0 | 778 | 700-850 | 816 | 862 | 820 | 820 | 568 | 584 | 1.404 |
| 18 | FO4-ECD | 0 | 1700 | 1400 | 1716 | 1800 | 1664 | 1650 | 858 | 763 | 2163 |
| 20 | FOA-BOR | 0 | 1700 | 1400 | 1716 | 1800 | 1664 | 1650 | 767 | 1268 | 1.300 |
| 21 | FOR1-EOD | 0 | 1360 | 1350 | 1188 | 1600 | 1400 | 1380 | 559 | 839 | 1.651 |
| 22 | FOR1-80A | 0 | 1360 | 1350 | 1168 | 1600 | 1400 | 1380 | 720 | 1207 | 1.143 |
| 23 | FME-EOD | 0 | 440 | 360-040 | 528 | MA | 481 | 420 | 346 | 357 | 1.178 |
| 24 | FM5-BOR | 0 | 440 | 360-440 | 526 | MA | 481 | 420 | 499 | 734 | 0.572 |
| 25 | FM17-EOD | 0 | 408 | 375-440 | 541 | NA | 430 | 447 | 424 | 524 | 0.853 |
| 26 | FM17-00R | 0 | 408 | 375-440 | 541 | NA | 430 | 447 | 526 | 781 | 0.572 |
| 27 | FME3-EOD | 0 | 342 | 290-330 | 378 | MA | 358 | 340 | 323 | 412 | 0.825 |
| 28 | FME3-BOF | 0 | 342 | 290-330 | 378 | MA | 356 | 340 | 340 | 426 | 0.798 |
| 29 | FC1-EOD | 0 | 316 | 320-360 | 370 | 372 | 358 | 340 | 270 | 342 | 0.994 |
| 30 | FC1-80R | 0 | 316 | 320-360 | 370 | 372 | 358 | 340 | 285 | 363 | 0.837 |
| 31 | FC2-EOD | 0 | 368 | 350-400 | 442 | M | 336 | 376 | 375 | 402 | 0.935 |

${ }^{\bullet}$ - Determined from TEPWAP analysis.

Table 23. Pile capacity based on static load test and dynamic analysis for PD/LT (continued).

| No | Pra-Cese number | Lond Ted <br> Type | Devtison's Criteria (0.dps) | $\begin{aligned} & \text { Shape } \\ & \text { of } \\ & \text { Curve } \\ & \text { (idps) } \end{aligned}$ | $A=1^{\prime}$ <br> (10ps) | $\begin{aligned} & \Delta=0.1 \mathrm{~B} \\ & \text { (dps) } \end{aligned}$ | DeBeer <br> (1dps) | Static <br> Ruselet <br> $R_{6}$ <br> (kpas) | CAPWAP TEPWAP ( N dPQ ) | Energy Appr. $R_{u}$ (idps) | $\begin{aligned} & \mathbf{K}_{\mathrm{Dp}} \\ & \frac{\mathbf{R}_{\mathbf{w}}}{\mathbf{R}_{\mathbf{y}}} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 32 | FC2-BOR | 0 | 368 | 350-400 | 442 | NA | 336 | 376 | 340 | 353 | 1.065 |
| 33 | FMII-EOD | 0 | 330 | $288-317$ | 333 | Na | 320 | 310 | 285 | 248 | 1.260 |
| 34 | FM11-BOR | 0 | 330 | 288-317 | 333 | Na | 320 | 310 | 319 | 300 | 1.013 |
| 35 | FMR2-EOD | 0 | 209 | 180 | NA | NA | 126 | 160 | 184 | 179 | 0.294 |
| 36 | FM12-EOR | 0 | 208 | 160 | NA | NA | 128 | 160 | 217 | 279 | 0.573 |
| 37 | FWA-E00 | SM | 1300 | 1300 | 1300 | NA | 1150 | 1300 | 285 | 1145 | 1.935 |
| 38 | FWA B0R | SM | 1300 | 1300 | 1300 | M | 1150 | 1300 | 052 | 1154 | 1.127 |
| 39 | FWB-EOD | SM | 1000 | 1200 | 1000 | NA | 1497 | 1225 | plug | 1708 | 0.717 |
| 40 | FWB-BOR | SM | 1000 | 1200 | 1000 | NA | 1497 | 1225 | plug | 1280 | 0.857 |
| 41 | FA1-EOD | S | 370 | 325-350 | 419 | NA | 334 | 345 | 205 | 302 | 1.142 |
| 42 | FA1-BORT | S | 370 | 325-350 | 419 | NA | 334 | 345 | 257 | 462 | 0.747 |
| 43 | FA1-BOF2 | $s$ | 370 | 325-350 | 419 | NA | 334 | 345 | 382 | 840 | 0.411 |
| 44 | FA2-EOD | S | 550 | 480-550 | 588 | NA | 541 | 535 | 428 | 568 | 0.942 |
| 45 | FA2-BOR1 | 3 | 550 | 480-550 | 589 | NA | 541 | 535 | 469 | 950 | 0.563 |
| 48 | FA2-BOR2 | s | 550 | 480-550 | 588 | M | 541 | 535 | 599 | 898 | 0.597 |
| 47 | FA3-EOD | S | 025 | 500-640 | 679 | M | 648 | 614 | 340 | 547 | 1.122 |
| 48 | FA3-B0AT | 5 | 625 | 500-640 | 678 | M | 648 | 614 | 307 | 744 | 0.825 |
| 49 | FA3-BOR2 | S | 625 | 500-640 | 679 | NA | 648 | 614 | 587 | 828 | 0.743 |
| 50 | FAt-EOD | S | 817 | 685-825 | 887 | MA | 748 | 773 | 448 | 772 | 1.001 |
| 51 | FA-BOR1 | $s$ | 817 | 685-825 | 887 | NA | 748 | 773 | 604 | 1062 | 0.728 |
| 52 | F44-80P2 | S | 817 | 605-925 | 887 | Ma | 748 | 773 | 852 | 1448 | 0.534 |
| 53 | FA5-EOD | S | 1140 | 1050 | 1188 | M | 939 | 1074 | 662 | 1543 | 0.696 |
| 54 | FA5-BOR | 5 | 1140 | 1050 | 1168 | M | 939 | 1074 | 945 | 2238 | 0.480 |
| 55 | FVI5-E00 | 0 | 315 | 300-350 | 372 | 440 | 246 | 315 | 194 | 336 | 0.038 |
| 58 | FV15-80R | 0 | 315 | 300-350 | 372 | 440 | 246 | 315 | 198 | 388 | 0.810 |
| 57 | FV10-EOD | 0 | 345 | 230-300 | 400 | 484 | 240 | 313 | 159 | 305 | 1.028 |
| 58 | PMO-BOR | 0 | 345 | 230-300 | 400 | 484 | 240 | 313 | 179 | 285 | 1.098 |
| 50 | FMNEEOD | 0 | 765 | 720-740 | 722 | 752 | 724 | 740 | 342 | 476 | 1.555 |
| 60 | FMNEBOR | 0 | 785 | 720.740 | 72 | 752 | 724 | 740 | 652 | 831 | 0.890 |
| 61 | FPS-EOD | 0 | 243 | 220-235 | NA | NA | 211 | 227 | 210 | 211 | 1.076 |
| 62 | FPS-80R | 0 | 243 | 220-235 | NH | NA | 211 | 227 | 239 | 280 | 0.811 |

*     - Determined from TEPWAP analysis.

Table 23. Pile capacity based on static load test and dynamic analysis for PD/LT (continued).

| No | $\begin{aligned} & \text { Plo-Case } \\ & \text { Numben } \end{aligned}$ | Loed <br> Teat <br> Typo | Davtseon's Criterla (kips) | Shape of Curve (Ndps) | $\begin{aligned} & A=1^{1} \\ & (\mathrm{cdps}) \end{aligned}$ | $\begin{gathered} \Delta=0.18 \\ (\mathrm{kppq}) \end{gathered}$ | DeBeer <br> ( k ps ) | Static <br> Rendat $R_{8}$ (dps) | CAPWAP TEPWAP <br> (kdps) | Energy Appr. $R_{J}$ ( k p8 ) | $\begin{aligned} & K_{w p} \\ & \frac{R_{u}}{R_{U}} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 83 | FKG-EOD | 0 | 368 | 480-520 | 530 | NA | 475 | 465 | 288 | 392 | 1.188 |
| 64 | FKGEOR | 0 | 368 | 480-520 | 530 | NA | 475 | 465 | 295 | 403 | 1.154 |
| 65 | FL3-E00 | LIT | 400 | 400 | NA | NA | 400 | 400 | 138 | 253 | 1.550 |
| 60 | F3-BOR1 | LT | 400 | 400 | NA | NA | 400 | 400 | 272 | 508 | 0.669 |
| 67 | FL3-BOR2 | ШT | 400 | 400 | NA | NA | 400 | 400 | 350 | 893 | 0.448 |
| 68 | CA1-EOD | S | 540 | 500-560 | 390 | 390 | 530 | 533 | 410 | 444 | 1.200 |
| 69 | CAI-BOR | S | 540 | 500-560 | 390 | 390 | 530 | 533 | 500 | 433 | 1.231 |
| 70 | CA2.BOR | S | 368 | 320-400 | 370 | 370 | 355 | 380 | 342 | 430 | 0.884 |
| 71 | CAS-BOR1 | $s$ | 468 | 460-500 | 500 | MA | 400 | 480 | 409 | 540 | 0.888 |
| 72 | CA5-BOR2 | S | 488 | 460-500 | 500 | HA | 460 | 480 | 489 | 543 | 0.883 |
| 73 | CA38-80\% | 0 | 169 | 200-230 | 271 | 271 | 227 | 230 | 241 | 309 | 0.623 |
| 74 | CA24-BOR | 3 | 242 | 220-260 | NA | NA | 248 | 243 | 207 | 403 | 0.595 |
| 75 | CAG-80R | S | 650 | 620-600 | 590 | 850 | 640 | 860 | 810 | 782 | 0.844 |
| 76 | CAE-BOR? | S | 600 | 620-660 | 590 | 650 | 640 | 660 | 584 | 742 | 0.889 |
| 7 | CMEEOR | S | 600 | 620-660 | 590 | 650 | 840 | 660 | 558 | 704 | 0.938 |
| 78 | WC3-EOD | FO | 610 | 550-950 | NA | NA | 620 | 810 | 509 | 751 | 0.812 |
| 79 | WC3BORT | FO | 610 | 550-650 | NA | Na | 620 | 610 | 506 | 781 | 0.781 |
| 80 | WC380R2 | f0 | 810 | 550-950 | NA | NA | 620 | 810 | 538 | 777 | 0.785 |
| 81 | WCEEOD | FO | 453 | 445-545 | NA | NA | 537 | 495 | 450 | 597 | 0.829 |
| 82 | WC8BOR1 | FO | 453 | 445-545 | NA | NA | 537 | 495 | 480 | 713 | 0.694 |
| 83 | WCABOR2 | FO | 453 | 445-545 | NA | M | 537 | 405 | 443 | 772 | 0.841 |
| 34 | WE9-8OR | FO | 900 | 830-880 | 925 | NA | 855 | 884 | 941 | 1789 | 0.500 |
| 85 | WB1580R | FO | 020 | 740-790 | 833 | M | 787 | 768 | 805 | 1448 | 0.529 |
| 88 | T1/AEOD | SM | 1084 | 1984 | 1984 | NA | 1808 | 1984 | 1775 | 2729 | 0.728 |
| 87 | TI/AALT | SM | 1884 | 1984 | 1984 | NK | 1808 | 1994 | 1800 | 2870 | 0.690 |
| 88 | T1/E-EOD | SM | 2898* | 2425 | NA | NA | 1852 | 2648 | 2368 | 3042 | 0.874 |
| 89 | T2/AEOD | Sm | 1345 | 1323 | NA | M | 1654 | 1470 | 1252 | 1872 | 0.785 |
| 90 | 12/B-E00 | SM | 3285 | 22204 | Na | NH | NA | $3080{ }^{*}$ | 2778 | 2984 | 1.040 |
| 91 | 35-1-BOR | S | 322 | 320-350 | 354 | 366 | 318 | 325 | 260 | 274 | 1.184 |
| 92 | 35-4-800R | $s$ | 3350 | 300-330 | 334 | 342 | 314 | 320 | 360 | 465 | 0.684 |
| 93 | 35-5-80R | S | 812 | 580-620 | 600 | 808 | 600 | 600 | 650 | 616 | 0.971 |

- Davisson's reduced for creep.
*     - Extrapolated. (Lond taken to 2200 kjps .)

Table 23. Pile capacity based on static load test and dynamic analysis for PD/LT (continued).

| No | Fro-Cese | Loed Teat туре | Daviseon's Crterla (NAps) | Shape of Curve (apa) | $\Delta=1^{\prime \prime}$ <br> (olps) | $\Delta=0.1 \mathrm{~B}$ <br> ( Cdps ) | DeBoer <br> (10ps) | Static <br> Resing $R_{s}$ ( d d p ) | CAPNAP TEPWAP <br> (Adp8) | Energy Appr. $R_{L}$ ( $\mathrm{ISPs}^{\text {) }}$ | $\begin{aligned} & K_{\text {© }} \\ & \frac{\mathbf{R}_{8}}{\mathbf{R}_{4}} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 94 | 35-8-BOR | s | 800 | 500.550 | 530 | 548 | 528 | 530 | 580 | 528 | 1.007 |
| 95 | 35-7-80R | S | 122 | 120-170 | 152 | 146 | 144 | 142 | 139 | 183 | 0.778 |
| 96 | 36-10-BOA | 5 | 402 | 370-420 | 432 | 444 | 378 | 400 | 334 | 425 | 0.941 |
| 97 | E2-80R | 0 | 415 | 375-395 | NA | NA | 369 | 390 | 420 | 732 | 0.533 |
| 88 | 63s-BOR | CRP | 284 | 250-272 | 292 | NA | 258 | 288 | 279 | 320 | 0.838 |
| 89 | LE21-80R | S | 389 | 380 | M | 484 | 280 | 380 | 381 | 519 | 0.694 |
| 100 | Le20-80R | 3 | 580 | 480 | NA | NM | 480 | 530 | 474 | 813 | 0.652 |
| 101 | LC3-80R | S | 620 | 600 | 680 | NA | 560 | 640 | 812 | 1169 | 0.547 |
| 102 | LN16-BOR | 5 | 600 | 600 | 600 | NA | 600 | 600 | 562 | 985 | 0.609 |
| 103 | LE37-BOP | $s$ | 250 | 240 | 270 | M | 230 | 250 | 197 | 241 | 1.037 |
| 104 | LE64-BOR | $s$ | 270 | 240 | NA | NA | 220 | 260 | 232 | 274 | 0.948 |
| 105 | ST1-EOO | S | 344 | 280-320 | Na | NA | 300 | 344 | 505 | 830 | 0.548 |
| 100 | ST2.EOD | S | 510 | 540 | Na | Na | 500 | 540 | 618 | 885 | 0.812 |
| 107 | STP-80R | $s$ | 920 | 720-840 | 920 | NA | 800 | 800 | 807 | 1927 | 0.467 |
| 108 | ST48-EOD | 5 | Na | 104 | NA | NA | 104 | 104 | 82 | 113 | 0.920 |
| 100 | GZA3-EOD | 0 | 440 | 500 | 460 | 520 | 480 | 480 | 365 | 424 | 1.132 |
| 110 | GZA5-EOD | 0 | 256 | 160-210 | 320 | 314 | 270 | 298 | 293 | 339 | 0.873 |
| 111 | GZAE-EOD | 0 | 188 | 350 | 316 | 308 | 350 | 328 | 275 | 231 | 1.160 |
| 112 | GZBBCEOD | 0 | 440 | 500-560 | 500 | 590 | 560 | 530 | 413 | 453 | 1.169 |
| 113 | G7BP2EOD | 0 | 280 | 340 | 340 | 324 | 290 | 320 | 317 | 302 | 1.059 |
| 114 | GZB6-EOD | 0 | 380 | 420 | 456 | 530 | 360 | 390 | 341 | 413 | 0.944 |
| 115 | GZDS-EOD | 0 | 484 | 420-470 | 540 | NA | 410 | 440 | 214 | 557 | 0.790 |
| 118 | GZOSEOD | 0 | 480 | 440-480 | 600 | NA | 480 | 488 | 205 | 511 | 0.851 |
| 117 | GZCCSEOD | 0 | 450 | 480-520 | 520 | 750 | NM | 490 | 482 | 599 | 0.818 |
| 118 | G72-EOD | 0 | 040 | 600-660 | 890 | 760 | 530 | 660 | 267 | 568 | 1.167 |
| 119 | GZP4-EOD | 0 | 390 | 360-400 | 440 | 500 | 480 | 420 | 306 | 570 | 0.737 |
| 120 | G7PI1-EOO | 0 | 250 | 340-420 | 380 | 440 | 430 | 386 | 239 | 390 | 0.967 |
| 121 | G7P12-EOD | 0 | 500 | 600 | 630 | NA | NA | 560 | 520 | 674 | 0.831 |
| 122 | GZE22-EOD | 0 | 1120 | 1120 | 1040 | NA | 840 | 1000 | 1109 | 1357 | 0.781 |
| 123 | GZWH-EOR | 0 | 360 | 335-400 | 404 | 418 | 353 | 380 | 250 | 357 | 1.084 |
| 124 | A64-EOD | CRP | 652 | 630-652 | 818 | 638 | 639 | 638 | 383 | 464 | 1.437 |

' - Determined from TEPWAP analysis.

Table 23. Pile capacity based on static load test and dynamic analysis for PD/LT (continued).

| No | Plit-Case Numbor | Land Tead Type | Davisson'I Crteria (14pa) | Shape or Curve (dops) | $\Delta=1^{\circ}$ <br> (1dps) | $\begin{gathered} \Delta=0.18 \\ \text { (dips) } \end{gathered}$ | DoBeer $\text { ( } \mathrm{dpps} \text { ) }$ | Static <br> Roslat 9 (dps) | CAPWAP TEPWAP <br> (kdps) | $\begin{aligned} & \text { Energy } \\ & \text { Appr. } \\ & R_{v} \\ & \text { (dps) } \end{aligned}$ | $\begin{aligned} & K_{s p} \\ & \frac{\mathbf{R}_{\mathbf{x}}}{\mathbf{R}_{\mathrm{i}}} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 125 | AS4-BOR | CRP | 652 | 630-652 | 818 | 638 | 639 | 638 | 611 | 698 | 0.814 |
| 128 | A147-E00 | CRP | 558 | 547 | 555 | 580 | 540 | 562 | 259 | 339 | 1.628 |
| 127 | A147-80R | CrP | 558 | 547 | 555 | 560 | 540 | 552 | 584 | 653 | 0.845 |
| 128 | GFio-EOD | 0 | 330 | 400-460 | 380 | 380 | 325 | 307 | 398 | 434 | 0.915 |
| 129 | GF110-EOD | 0 | 500 | 500-800 | 560 | 560 | 450 | 550 | 457 | 605 | 0.800 |
| 130 | GF222-EOD | 0 | 580 | 540.600 | 590 | 590 | 540 | 570 | 512 | 623 | 0.916 |
| 131 | GF224-EOD | 0 | M | 450-470 | NH | NA | 485 | 463 | 419 | 458 | 1.011 |
| 132 | GF312-EOD | 0 | 340 | 300-310 | NA | Na | 280 | 310 | 405 | 483 | 0.642 |
| 133 | GF313-EOD | 0 | 334 | 320-330 | MA | NA | 334 | 330 | 448 | 532 | 0.620 |
| 134 | GF412-EOD | 0 | 240 | 240-280 | 294 | 294 | 200 | 272 | 455 | 530 | 0.513 |
| 135 | GF413-EOD | 0 | 300 | 280-320 | 350 | 350 | 270 | 300 | 428 | 491 | 0.611 |
| 136 | GF414-EOO | 0 | 360 | 360-420 | 420 | 420 | 320 | 390 | 524 | 630 | 0.618 |
| 137 | GF415-EOD | 0 | 460 | 460-520 | 540 | 540 | 440 | 500 | 561 | 599 | 0.835 |
| 138 | EF82-EOD | 0 | 502 | 440-510 | 468 | 458 | 480 | 477 | 522 | 838 | 0.750 |
| 139 | EF187-BOR | 0 | 271 | 287 | 279 | 277 | 267 | 272 | 479 | 625 | 0.439 |
| 140 | A3-E001 | Fo | 958 | 850.940 | 980 | NA | 058 | 839 | 472 | 609 | 1.493 |
| 141 | A3-8081 | FO | 958 | 850.940 | 960 | NA | 958 | 839 | 538 | 880 | 1.423 |
| 142 | A3-EOD2 | FO | 958 | 850-940 | 960 | Na | 958 | 939 | 368 | 545 | 1.723 |
| 143 | A3-80FP | FO | 858 | 850-940 | 960 | NA | 958 | 839 | 462 | 812 | 1.534 |
| 144 | A3-BOR3 | FO | 958 | $850-940$ | 960 | NA | 958 | 939 | 925 | 1421 | 0.661 |
| 145 | A14-001 | FO | M | 860-945 | Na | NA | 908 | 905 | 684 | 082 | 0.022 |
| 140 | A14-DD2 | FQ | M | 800-945 | NA | M | 808 | 905 | 741 | 1076 | 0.841 |
| 147 | A14-80R1 | FO | MA | 800-945 | NA | NH | 908 | 905 | 604 | 1118 | 0.809 |
| 148 | A14.80R2 | FO | M | 860-945 | NA | M | 908 | 905 | 982 | 1478 | 0.813 |
| 140 | A25-EOD | FO | 715 | 750-840 | 840 | M | 845 | 800 | 459 | 549 | 1.457 |
| 150 | A2S-BOR1 | FO | 715 | 750-840 | 840 | MA | 845 | 800 | 555 | 685 | 1.203 |
| 151 | A25-8072 | FO | 715 | 750-640 | 840 | Na | 845 | 800 | 452 | 970 | 0.825 |
| 152 | A25-BOR3 | FO | 715 | 750-840 | 840 | MA | 845 | 800 | 442 | 230 | 0.860 |
| 153 | A18-EOD | FO | 315 | 275-315 | 350 | ma | 272 | 308 | 224 | 303 | 1.017 |
| 154 | A16-80R1 | FQ | 315 | 275-315 | 350 | NA | 272 | 308 | 282 | 415 | 0.742 |
| 155 | A18-BOR2 | FQ | 315 | 275-315 | 350 | NA | 272 | 308 | 298 | 505 | 0.610 |

-     - Determined from TEPWAP analysis,

Table 23. Pile capacity based on static load test and dynamic analysis for PD/LT (continued).

| No | Plo-Cese number | Land <br> Teal <br> Туре | Davisson's Citerta (14ps) | $\begin{aligned} & \text { Snape } \\ & \text { of } \\ & \text { Curve } \\ & \text { (kpps) } \end{aligned}$ | $\Delta=1^{1}$ <br> (1dps) | $\begin{gathered} \Delta=0.1 \mathrm{~B} \\ (\mathrm{kjps}) \end{gathered}$ | DeBeer <br> ( Npss ) | Static <br> Resigt R (NPs) | CAPWAP TEPWAP <br> (10ps) | $\begin{aligned} & \text { Energy } \\ & \text { Appr. } \\ & R_{L} \\ & (\mathrm{dpp}) \end{aligned}$ | $\begin{aligned} & \mathbf{K}_{2 p} \\ & \frac{\mathbf{R}_{4}}{\mathbf{R}_{4}} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 158 | M1-E00 | FO | 524 | 500-525 | 540 | NA | 538 | 530 | 431 | 624 | 0.849 |
| 157 | M1-80A | FO | 524 | 500-525 | 540 | NA | 536 | 530 | 503 | 715 | 0.741 |
| 158 | 41-8082 | FO | 524 | 500-525 | 540 | NA | 538 | 530 | 565 | 834 | 0.835 |
| 159 | A101-EOD | FO | 812 | 800-840 | NA | NA | 800 | 810 | 517 | 474 | 1.708 |
| 160 | A197-BOR1 | FO | 812 | 600-840 | NA | NA | 800 | 810 | 669 | 722 | 1.122 |
| 101 | A101-BOR2 | FO | 812 | 800-840 | M | Na | 800 | 810 | 803 | 881 | 0.819 |
| 162 | A133-EOD | FO | 808 | 780-860 | 810 | NA | 800 | 828 | 311 | 513 | 1.810 |
| 163 | A133-BOR | FO | 808 | 780-860 | 810 | NA | 868 | 828 | 780 | 998 | 0.828 |
| 164 | A145-E00 | FO | 976 | 860-950 | 975 | M | 913 | 040 | 353 | 549 | 1.712 |
| 165 | A145-BOR1 | FO | 976 | 860-950 | 975 | M | 913 | 940 | 841 | 745 | 1.262 |
| 168 | A145-BOP2 | FO | 978 | 860-860 | 875 | NA | 813 | 940 | 761 | 818 | 1.024 |
| 167 | CB3-BOR | FQ | 500 | 488-500 | 470 | Ma | 472 | 484 | 564 | 978 | 0.485 |
| 188 | C83-8ORL | FO | 500 | 488-500 | 470 | NA | 472 | 484 | 502 | 998 | 0.485 |
| 169 | CB5-BOR | FO | 1250 | 1240 | 1325 | NA | 1170 | 1248 | 588 | 1008 | 1.236 |
| 170 | CB5-BORL | FQ | 1250 | 1240 | 1325 | M | 1170 | 1246 | 584 | 1167 | 1.068 |
| 171 | C811-BORL | FO | 1435 | 1370 | 1430 | M | 1364 | . 1400 | 814 | 1803 | 0.776 |
| 172 | CB11-EOPL | FO | 1435 | 1370 | 1430 | NA | 1364 | 1400 | 839 | 1827 | 0.768 |
| 173 | C817-BOR1 | FO | 1515 | 1400 | 1500 | M | 1400 | 1453 | 820 | 1778 | 0.818 |
| 174 | C817-8OR2 | FO | 1515 | 1400 | 1500 | Na | 1400 | 1453 | 749 | 1824 | 0.797 |
| 175 | CB17-BORL | FO | 1515 | 1400 | 1500 | MA | 1400 | 1453 | 683 | 1501 | 0.968 |
| 176 | C817-ORL | FO | 1515 | 1400 | 1500 | NA | 1400 | 1453 | 845 | 1641 | 0.885 |
| 177 | CE23-BOR | FO | 043 | 640-810 | 732 | NA | 759 | 702 | 618 | 884 | 0.813 |
| 178 | CB23-BOPL | FO | 843 | 840-810 | 732 | NA | 758 | 702 | 444 | 1308 | 0.538 |
| 179 | CB29-BOPL | FQ | 917 | 870-960 | 980 | NK | 910 | 926 | 778 | 856 | 1.083 |
| 180 | CBEOEOPL | FQ | 917 | 870-960 | 960 | Na | 910 | 926 | 448 | 1069 | 0.866 |
| 181 | CB36-8081 | FO | 1463 | 1400 | 1480 | NA | 1400 | 1437 | 812 | 1001 | 1.438 |
| 182 | C835-8OPR | FO | 1463 | 1400 | 1490 | MA | 1400 | 1437 | 949 | 1422 | 1.011 |
| 183 | CB35-BORL | FO | 1463 | 1400 | 1490 | MA | 1400 | 1437 | 909 | 1288 | 1.115 |
| 184 | CB41-EOR | FO | 1410 | 1380 | 1435 | NA | 1357 | 1396 | 857 | 1238 | 1.128 |
| 185 | C841-BOR | FO | 1410 | 1380 | 1435 | NA | 1357 | 1398 | 850 | 1225 | 1.140 |
| 188 | CE41-BORL | FO | 1410 | 1380 | 1435 | NA | 1357 | 1396 | 485 | 1162 | 1.201 |

-     - Determined from TEPWAP analysis.

Table 23. Pile capacity based on static load test and dynamic analysis for PD/LT (continued).

| No | Pro-Crese Number | Loed <br> Toet <br> Type | Deviacon's Crtieria (1dps) | Shape of Curve (klps) | $\Delta=1^{\circ}$ (Nps) | $\begin{gathered} \Delta=0.18 \\ \text { (NAps) } \end{gathered}$ | DeBeor $\text { ( } \mathrm{K}, \mathrm{pa} \text { ) }$ | Static <br> Resist $\mathrm{R}_{8}$ (dps) | CAPWAP <br> TEPWAP <br> (1dps) | $\begin{aligned} & \text { Enorgy } \\ & \text { Appr. } \\ & R_{u} \\ & \text { (1dps) } \end{aligned}$ | $\begin{aligned} & \mathbf{K}_{\varphi} \\ & \underline{\mathbf{R}_{6}} \\ & \mathbf{R}_{v} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 187 | C828-EOO | FO | 880 | 850-850 | 1000 | M | 1000 | 985 | 488 | 555 | 1.739 |
| 188 | C82e-80R | FO | 000 | 850-950 | 1000 | Na | 1000 | 985 | 619 | 788 | 1.225 |
| 189 | CR28-EOR | F0 | 960 | 850-950 | 1000 | Na | 1000 | 985 | 716 | 957 | 1.008 |
| 190 | C828-BOP2 | FO | 860 | 850-950 | 1000 | MA | 1000 | 985 | 583 | 1113 | 0.867 |
| 191 | 33P1-EOD | 5 | >800 | 800 | 520 | 600 | 800 | 800 | 439 | 657 | 1.218 |
| 102 | 33P1-808 | 3 | $>800$ | 800 | 520 | 600 | 800 | 800 | 715 | 898 | 0.881 |
| 103 | 33P4-EOR | S | $>800$ | 800 | 520 | 600 | 800 | 800 | 650 | 923 | 0.867 |
| 194 | 33P2-EOD | $s$ | 490 | 450-500 | 450 | 490 | 460 | 490 | $290^{\circ}$ | 418 | 1.172 |
| 195 | 33P2-80R | 5 | 490 | 450-600 | 450 | 480 | 460 | 490 | 355 | 520 | 0.942 |
| 196 | 33P2-EOR | S | 490 | 450-500 | 450 | 490 | 460 | 490 | 401 | 546 | 0.897 |
| 197 | 33P4-EOD | S | 460 | 350-500 | 558 | 592 | 470 | 500 | $400^{\circ}$ | 625 | 0.800 |
| 198 | 33P5-EOD | s | 164 | 180-200 | 244 | 284 | 200 | 200 | $143 *$ | 248 | 0.808 |
| 199 | TROE2-EOD | S | 354 | 350 | MA | M | 358 | 350 | 432 | 553 | 0.633 |
| 200 | TRDE2-BOR | S | 354 | 350 | NA | M | 356 | 350 | 294 | 504 | 0.694 |
| 201 | TRE22-EOD | S | 558 | 570 | NA | NH | 570 | 570 | 575* | 720 | 0.782 |
| 202 | TREP2-BOR | S | 558 | 570 | M | NA | 570 | 570 | 818 | 207 | 0.808 |
| 203 | TRP5 ${ }^{\text {a }}$-EOD | 5 | 410 | 500-550 | 510 | 560 | 400 | 475 | 484 | 508 | 0.938 |
| 204 | TRP5X-BOR | 8 | 410 | 500-550 | 510 | 560 | 400 | 475 | 395 | 490 | 0.909 |
| 206 | TR131-BOA | S | 140 | 160-200 | 210 | 200 | 200 | 150 | 168 | 169 | 0.888 |
| 208 | TRNHEOR | S | 730 | 650-700 | 600 | 650 | 640 | 650 | 218 | 564 | 1.152 |
| 207 | TRBH-80R | S | 325 | 275-300 | 337 | 352 | 304 | 300 | 100 | 268 | 1.128 |
| 208 | TRBPEOA | S | 340 | >300 | 340 | 340 | 325 | 330 | 248* | 300 | 1.078 |

$\bullet$ Determined from TEPWAP analycis.
$1 \mathrm{kjp}=4.448 \mathrm{kN}$ 1 in $=25.4 \mathrm{~mm}$

| REF. NO. | PILE NAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOR } \end{aligned}$ | $\begin{aligned} & \text { TOE } \\ & \text { SOIL } \end{aligned}$ | PILE TYPE | $\begin{aligned} & \text { LEN. } \\ & \text { FT } \end{aligned}$ | AREA IN2 | $\begin{gathered} \text { E MOD } \\ \text { KSI } \end{gathered}$ | HAMMER | $\begin{aligned} & \text { FMX } \\ & \text { KIPS } \end{aligned}$ | $\begin{aligned} & \text { EMX } \\ & \text { K-FT } \end{aligned}$ | vmx <br> FT/S | $\begin{gathered} \text { DMXX } \\ \text { IN } \end{gathered}$ | $\begin{aligned} & \text { BLOWS/ } \\ & \text { INCH } \end{aligned}$ | CAPWAP <br> Rult <br> KIPS | $\begin{aligned} & \text { ENERGY } \\ & \text { APPROACH } \\ & \text { KIPS } \\ & \hline \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 362 | BOR TP1 | CLSA | CL | PSC 18 | 67.0 | 324.0 | 6097.2 | D46-32 | 1581.0 | 41.61 | 10.10 | 0.453 | 5.00 | 616 | 1529 |
| 321 | 83E 2 RE | CL | CL | PSC18 | 32.5 | 324.0 | 5651.5 | D 4613 | 1156.3 | 24.33 | 8.47 | 0.824 | 2.00 | 333 | 441 |
| 319 | S4PC N20 | CL | CL | PSC30 | 63.0 | 900.0 | 5122.0 | C5300 | 1684.1 | 40.19 | 4.64 | 0.632 | 1.50 | 337 | 743 |
| 70 | DD TP2 | Alluv | CL | CEP12x0.18 | 37.0 | 7.0 | 30000.0 | D12 | 161.0 | 7.93 | 11.70 | 0.848 | 3.42 | 123 | 167 |
| 155 | BOR T2 | CLSI | CL | PSC 12 | 62.0 | 144.0 | 5452.0 | D30 | 541.0 | 12.56 | 8.60 | 0.409 | 5.00 | 305 | 495 |
| 69 | BOR TP3 | Alluv | CL | CEP12x0.18 | 38.0 | 7.0 | 30000.0 | D12 | 184.0 | 4.81 | 10.30 | 0.438 | 7.00 | 183 | 199 |
| 162 | EOD T3 | CLSI | CL | PSC 14 | 62.0 | 196.0 | 5934.0 | D30 | 558.0 | 9.86 | 6.10 | 0.386 | 9.17 | 179 | 478 |
| 156 | BOR T3 | CLSI | CL | PSC 14 | 62.0 | 196.0 | 5934.0 | D30 | 717.0 | 16.16 | 8.10 | 0.459 | 7.00 | 297 | 644 |
| 328 | EOD TP1799 | SASI | CL | PSC | 70.0 | 96.5 | 6190.0 | MKT DE33 | 223.0 | 5.22 | 4.00 | 0.587 | 1.83 | 101 | 111 |
| 161 | EOD T2 | CLSI | CL | PSC 12 | 62.0 | 144.0 | 5452.0 | D30 | 476.0 | 12.74 | 7.40 | 0.444 | 500 | 226 | 475 |
| 329 | RES TP1799 | SASI | CL | PSC | 730 | 96.5 | 6190.0 | MKT DE33 | 192.0 | 2.66 | 3.10 | 0.232 | 14.42 | 226 | 212 |
| 363 | BOR TP2 | CLSA | CL | PSC 24 | 77.0 | 576.0 | 6500.0 | D46-32 | 1049.0 | 17.08 | 3.80 | 0.257 | 11.00 | 643 | 1178 |
| 366 | BOR TP5 | CLSA | CL | PSC 24 | 760 | 576.0 | 6609.2 | D46-32 | 19220 | 37.34 | 6.60 | 0.453 | 14.00 | 655 | 1709 |
| 365 | BOR TP4 | CLSA | CL | PSC 18 | 710 | 3240 | 6790.0 | D46-32 | 12790 | 28.96 | 7.60 | 0374 | 5.00 | 655 | 1211 |
| 409 | EOD PN7 | CL SA | CLSA | CEPIPE24 | 603 | 548 | 30000.0 | K35 | 8542 | 1709 | 9.03 | 0.501 | 1350 | 507 | 714 |
| 235 | BORL-8 | SuCl | CL St | PSC 12 | 668 | 144.0 | 46440 | ICE 640 | 480.3 | 11.83 | 820 | 0.513 | 15.00 | 373 | 489 |
| 410 | BOR PN7 | CL SI | CLSI | CEPIPE24 | 603 | 548 | 30000.0 | K35 | 8542 | 1709 | 9.03 | 0.501 | 1350 | 507 | 714 |
| 252 | DO J31 | CL Tu. | CLIL | CEPIPE 1 | 910 | 312 | 300000 | K35 | 761.1 | 40.79 | 1341 | 1326 | 2.25 | 416 | 553 |
| 191 | BOR TP1235 | SA | CLSA | PSC 14 | 970 | 196.0 | 6120.0 | VUL 512 | 6360 | 22.47 | 7.20 | 0.590 | 2600 | 646 | 858 |
| 276 | BOR PNH20 | CLSA | CLSA | PSC 12 | 58.0 | 144.0 | 51200 | VUL 06 | 472.0 | 11.16 | 790 | 0.463 | 5.00 | 185 | 404 |
| 277 | EOD PNH20 | CLSA | CLSA | PSC 12 | 58.0 | 144.0 | 5120.0 | VUL 06 | 426.0 | 11.59 | 8.20 | 0.862 | 200 | 89 | 204 |
| 275 | BOR PNF2 | CLSA | CLSA | PSC 12 | 58.0 | 144.0 | 5120.0 | VUL 06 | 286.0 | 5.86 | 4.10 | 0.409 | 5.00 | 93 | 231 |
| 192 | BOR TP1259 | SA | CLSA | PSC 14 | 97.0 | 196.0 | 6120.0 | VUL 512 | 542.0 | 18.74 | 5.00 | 0.618 | 28.00 | 598 | 688 |
| 224 | BOR PN111 | SACL | CLSI | PSC 16 | 35.0 | 256.0 | 5057.0 | CON 65 | 435.0 | 4.56 | 3.30 | 0.150 | 166.67 | 329 | 702 |
| 226 | EOD PN111 | SACL | CLSI | PSC 16 | 35.0 | 256.0 | 5057.0 | CON 65 | 248.0 | 1.83 | 1.90 | 0.120 | 4467 | 237 | 308 |
| 225 | EOD PN110 | SACL | CLSI | PSC 16 | 35.0 | 256.0 | 5220.0 | CON 65 | 424.0 | 4.16 | 2.90 | 0175 | 25.33 | 282 | 466 |
| 58 | DD TP15 | CLSI | CLSI | PSC 18 | 84.0 | 3240 | 5177.5 | CON 160 | 551.0 | 16.13 | 4.30 | 0.594 | 2.67 | 469 | 400 |
| 223 | BOR PN110 | SACL | CLS | PSC 16 | 35.0 | 256.0 | 5220.0 | CON 65 | 451.0 | 4.30 | 3.60 | 0145 | 52.33 | 346 | 629 |
| 57 | DD TP15 | CLSI | CLSI | PSC 18 | 84.0 | 324.0 | 5037.6 | CON 160 | 664.0 | 19.16 | 5.50 | 0.693 | 575 | 390 | 530 |
| 59 | DD TP16 | CLS! | CLS | PSC 14 | 77.0 | 196.0 | 4658.0 | CON 160 | 397.0 | 19.72 | 4.50 | 0.814 | 2.08 | 348 | 366 |
| 61 | DD TP16 | CLSI | CLSI | PSC 14 | 77.0 | 196.0 | 4658.0 | CON 160 | 482.0 | 23.62 | 6.20 | 0711 | 9.00 | 615 | 690 |
| 11 | EOD TP6 | SASI | CLSI | PSC 12 | 53.0 | 144.0 | 6116.0 | VUL 01 | 385.0 | 6.18 | 5.90 | 0317 | 100.00 | 393 | 454 |
| 10 | BORTP6 | SASI | CLSI | PSC 12 | 53.0 | 144.0 | 6116.0 | VUL 01 | 219.0 | 3.02 | 3.20 | 0.233 | 833.33 | 277 | 309 |
| 60 | DD TP16 | CLSI | CLSI | PSC 14 | 770 | 196.0 | 4658.0 | CON 160 | 460.0 | 22.20 | 5.70 | 0747 | 2.67 | 425 | 475 |
| 62 | RES TP15 | CLSI | CLSI | PSC 18 | 84.0 | 324.0 | 46580 | CON 160 | 604.0 | 1808 | 470 | 0469 | 14.00 | 720 | 803 |
| 258 | EOD 258 | Alluv | TIL ALL | CEPIPE 1 | 98.5 | 12.1 | 30000.0 | VUL 508 | 3303 | 21.71 | 14.93 | 1.112 | 5.58 | 308 | 404 |


| $\begin{aligned} & \text { REF. } \\ & \text { No. } \end{aligned}$ | PILE NAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | TOE SOIL | $\begin{gathered} \text { PLEE } \\ \text { TVDDE } \end{gathered}$ | LEN. FT | AREA | $\begin{gathered} \text { EMOD } \\ \text { KSI } \end{gathered}$ | HAMMER | $\begin{aligned} & \text { FMX } \\ & \text { KIPS } \end{aligned}$ | $\begin{aligned} & \text { EMX } \\ & \text { K-FT } \end{aligned}$ | $\begin{aligned} & \text { VMx } \\ & \text { FT/S } \end{aligned}$ | $\begin{aligned} & \text { DMX } \\ & \text { IN } \end{aligned}$ | BLOWSI INCH | CAPWAP <br> Rull KIPS | ENERGY APPROACH KIPS |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 52 | EOD PITGNW | CL | TILL | PSC 14 | 145.0 | 196.0 | 4355.0 | ICE 660 | 544.0 | 30.53 | 7.70 | 1.079 | 10.00 | 550 | 621 |
| 355 | XPNA3 | CLSA | TILL | CEP $14 \times 0.5$ | 84.0 | 21.2 | 30000.0 | D16-32 | 596.0 | 27.83 | 16.20 | 0.931 | 5.00 | 208 | 591 |
| 360 | EOD PN126 | CL | TILL | PSC 14 | 70.0 | 196.0 | 4000.0 | VUL 1400 | 520.0 | 19.73 | 6.70 | 0.649 | 11.00 | 530 | 640 |
| 56 | RES PN50 | CL | TILL | PSC 14 | 137.0 | 196.0 | 4974.0 | ICE 640 | 324.0 | 9.58 | 4.20 | 0.486 | 40.00 | 369 | 450 |
| 51 | EOD 8611 | CL | TILL | PSC 16 | 145.0 | 256.0 | 4355.0 | ICE 660 | 635.0 | 26.13 | 6.40 | 0.783 | 16.00 | 571 | 742 |
| 356 | X PNB5 | CLSA | TILL | CEP 14×0.5 | 87.0 | 21.2 | 30000.0 | D16-32 | 590.0 | 25.18 | 15.50 | 0.810 | 3.75 | 178 | 561 |
| 358 | BOR PN126 | CL | TILL | PSC 14 | 70.0 | 196.0 | 4000.0 | VUL 140C | 434.0 | 11.84 | 5.80 | 0.430 | 21.00 | 442 | 595 |
| 55 | RES PN20 | CL | TILL | PSC 14 | 137.0 | 196.0 | 4974.0 | ICE 640 | 352.0 | 10.21 | 4.60 | 0.512 | 80.00 | 428 | 467 |
| 361 | EOD PN177 | CL | TILL | PSC 14 | 70.0 | 196.0 | 3920.0 | VIL 140C | 476.0 | 19.22 | 6.10 | 0.665 | 12.00 | 489 | 616 |
| 54 | RES PN9 | CL | TILL | PSC 14 | 128.0 | 196.0 | 49740 | ICE 640 | 407.0 | 15.23 | 5.50 | 0.668 | 25.00 | 400 | 516 |
| 359 | BOR PN177 | CL | TILL. | PSC 14 | 72.0 | 196.0 | 4000.0 | VUL 140C | 413.0 | 11.51 | 5.60 | 0.446 | 15.00 | 370 | 539 |
| 53 | EOD PN10 | CL | TILL | PSC 14 | 130.0 | 196.0 | 4974.0 | ICE 640 | 339.0 | 11.29 | 4.50 | 0.670 | 12.00 | 328 | 360 |
| 357 | X PNG3 | CLSA | TILL | CEP 14x0. 5 | 88.0 | 21.2 | 30000.0 | D16-32 | 637.0 | 29.32 | 16.80 | 0.865 | 5.00 | 260 | 661 |
| 36 | EODPN1 | cL | TILL | CEP 10.75 | 39.0 | 5.9 | 30000.0 | CON 65 | 213.0 | 9.57 | 13.20 | 0.849 | 5.33 | 198 | 222 |

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Table 24．Pile／soil and dynamic measurements of data set PD（continued）．
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BOR B43P X PN205E3
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BOR PNG98B
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BOR PN115 BOR PN1 15
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Table 24. Pile/soil and dynamic measurements of data set PD (continued). Table 24. Pilesoii and dynamic measurements of data set PD (continued). .

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 8 LaRGe displacement piles in sand

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& \text { Rull APPROACH }
\end{aligned}
$$







Table 24．Pile／soil and dynamic measurements of data set PD（continued）．

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Table 24．Pilesoin and dynamic measurements or data set PD（coninued）．
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Table 24．Pile／soil and dynamic measurements of data set PD（continued）．
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Table 24．Pile／soil and dynamic measurements of data set PD（continued）．
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Table 24. Pile/soil and dynamic measurements of data set PD (continued).
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| 109 | BOR TP1 | SA |
| 121 | EOD TP2 | sasi |
| 151 | EODPN3 | sasi |
| 420 | TP1 EOD | SACL |
| 421 | BOR TP1 | SACL |
| 395 | BOR－TP4 | SASI |
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| ${ }^{8}$ | EODPN4 | sigr |
| 23 | Bor png | sasi |
| 24 | DD PN83 | sasi |
| 26 | $\times$ PN71 | sasi |
| 25 | DD PN83 | sasi |
| 45 | bor az 13 | ctsi |
| 28 | $\times$ PN8O | sasi |
| 47 | EOD J210 | Cisi |
| 86 | EOD PN2 | SIGR |
| 27 | $\times$ PN8O | sASI |
| 85 | EOD PN2 | SIGR |
| 84 | EOD PN1 | SIGR |
| 227 | EOR PN12 | SA |
| 228 | EOD PN2 | SA |
| 230 | K7EOD | SASI |
| 384 | BOR TP1 | sı |
| 231 | K2BOR | suSA |

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Table 24. Pile/soil and dynamic measurements of data set PD (continucd).

| $\begin{aligned} & \text { REF. } \\ & \text { NO. } \end{aligned}$ | PILE NAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | TOE SOIL | $\begin{aligned} & \text { PLLE } \\ & \text { TYPE } \end{aligned}$ | $\begin{gathered} \text { LEN. } \\ \text { FT } \end{gathered}$ | $\begin{aligned} & \text { AREA } \\ & \text { IN2 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { E MOD } \\ & \text { KSI } \end{aligned}$ | HAMMER | $\begin{aligned} & \text { FMX } \\ & \text { KIPS } \end{aligned}$ | $\begin{aligned} & \text { EMX } \\ & \text { K-FT } \end{aligned}$ | $\begin{aligned} & \text { VMX } \\ & \mathrm{FT} / \mathrm{S} \end{aligned}$ | $\begin{gathered} \text { DMX } \\ \text { IN } \end{gathered}$ | BLOWS/ inch | $\begin{aligned} & \text { CAPWAP } \\ & \text { Ruh } \\ & \text { KIPS } \end{aligned}$ | $\begin{aligned} & \text { ENERGY } \\ & \text { APPROACH } \\ & \text { KIPS } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 297 | RES PNS | SA | CL | MONO 12 | 56.0 | 9.0 | 30000.0 | ICE 520 | 309.0 | 9.62 | 7.00 | 0.622 | 40.00 | 310 | 357 |
| 373 | RES TP2 | SA | CL | PIPE 12 | 88.0 | 6.9 | 300000 | MKT DE30 | 162.0 | 7.55 | 14.00 | 0.743 | 20.00 | 172 | 228 |
| 292 | BOR TP1 | SA | CL | MONO 12 | 62.0 | 9.0 | 300000 | ICE 520 | 350.0 | 12.64 | 11.50 | 0.703 | 2.25 | 400 | 264 |
| 414 | BOR PN3 | CL | CL | PIPE24 | 85.1 | 54.8 | 30000.0 | K35 | 969.8 | 19.38 | 10.00 | 0.659 | 11.00 | 409 | 620 |
| 241 | E2 BOR | CL | CL | timber | 47.0 | 50.0 | 1602.0 | MKT 1083 | 1838 | 3.93 | 11.74 | 0.343 | 15.00 | 143 | 230 |
| 372 | RES TP1 | SA | CL | PIPE 12 | 90.0 | 7.0 | 30000.0 | MKT DE30 | 148.0 | 7.94 | 13.00 | 0.830 | 11.67 | 198 | 208 |
| 379 | A4-21-EO | CL | CL | PIPE26 | 888.0 | 78.5 | 29700.0 | D62 | 1597.6 | 35.71 | 11.56 | 0.564 | 4.17 | 821 | 1066 |
| 298 | RES PN6 | SA | CL | MONO 12 | 51.0 | 9.0 | 30000.0 | ICE 520 | 293.0 | 7.29 | 7.60 | 0.485 | 130.00 | 312 | 355 |
| 375 | RES TP4 | SA | cL | PIPE 12 | 78.0 | 7.0 | 30000.0 | MKT DE30 | 161.0 | 5.42 | 10.40 | 0.641 | 10000 | 131 | 200 |
| 240 | A2 EOID | CL | cL | tmber | 42.0 | 50.0 | 1300.0 | MKT 10B3 | 172.9 | 6.19 | 11.56 | 0.711 | 2.00 | 71 | 123 |
| 374 | RES TP3 | SA | cL | PIPE 11 NU | 92.0 | 161 | 300000 | MKT DE30 | 2760 | 9.93 | 9.20 | 0.868 | 767 | 238 | 239 |
| 413 | BOR PN3 | CL | cL | PIPE24 | 85.1 | 54.8 | 30000.0 | K35 | 943.9 | 25.74 | 10.24 | 0.882 | 9.00 | 374 | 622 |
| 296 | RES PN4 | SA | CL | MONO 12 | 520 | 90 | 30000.0 | ICE 520 | 320.0 | 9.75 | 9.20 | 0.602 | 13.00 | 346 | 345 |
| 157 | BOR T4 | CLSI | cL | PIPE 12.75 | 66.0 | 19.2 | 30000.0 | D30 | 502.0 | 17.43 | 13.50 | 0.517 | 500 | 288 | 583 |
| 163 | EOD $\mathrm{T}_{4}$ | CLsi | cL | PIPE 12.75 | 660 | 192 | 30000.0 | D30 | 5140 | 16.72 | 13.00 | 0.531 | 250 | 244 | 431 |
| 2 | RES PNG | SA | CLSI | MONO 11 | 380 | 8.1 | 30000.0 | D22.02 | 316.0 | 20.56 | 12.80 | 1.037 | 317 | 271 | 365 |
| 108 | EOD TP23 | SA | CLSI | MONO14 NU | 420 | 81 | 30000.0 | D22 | 1430 | 747 | 11.30 | 0.895 | 167 | 124 | 120 |
| 111 | BOR TP24 | SA | CLSI | MONO14 NU | 420 | 8.1 | 30000.0 | D22 | 262.0 | 15.91 | 12.70 | 0.899 | 283 | 224 | 305 |
| 12 | EOD TP12 | SA | CLSI | MONO | 440 | 81 | 30000.0 | D16-32 | 282.0 | 11.45 | 14.30 | 0.741 | 2.50 | 246 | 241 |
| 110 | BOR TP23 | SA | CLSI | MONO14 NU | 42.0 | 8.1 | 30000.0 | D22 | 278.0 | 14.96 | 12.50 | 0.852 | 2.83 | 226 | 298 |




Table 24. Pile/soil and dynamic measurements of data set PD (continued). CAPWAP ENERGY Table 24. Pile
Tabe 24. Pilsil (coninued).

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32 miscellaneous pile types in sand














Table 24．Pile／soil and dynamic measurements of data set PD（continued）．

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Table 25. Side/tip quake and damping parameters of data set PD.

| REF NO. | PILE <br> NAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | $\begin{aligned} & \text { TOE } \\ & \text { SOIL } \end{aligned}$ | $\begin{aligned} & \text { PILE } \\ & \text { TYPE } \end{aligned}$ | side quake (In) | TIP QUAKE (in) | SIDE DAMPING (s/ft) | damping <br> ( $\mathrm{s} / \mathrm{ft}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | EOD PN6 | SA | SICL | MONO 11 | 0.100 | 0.390 | 0.490 | 0.070 |
| 2 | RES PNG | SA | CLSI | MONO 11 | 0.100 | 0.530 | 0.600 | 0.100 |
| 3 | BOR PA35 | SASI | SASI | PSC 20 | 0.100 | 0.300 | 0.200 | 0170 |
| 4 | BOR PM24 | SASI | SASI | PSC 20 | 0.100 | 0.200 | 0.616 | 0.249 |
| 5 | EOD PA8 | NA | SA | PSC 18 | 0.100 | 0.280 | 0.040 | 0.340 |
| 6 | EOD PN165 | NA | NA | CEP 12.75 | 0105 | 0.265 | 0.394 | 0.175 |
| 7 | EOD PN210 | NA | NA | CEP 12.75 | 0.110 | 0.230 | 0.270 | 0.200 |
| 8 | EOD PN15E | NA | SAGR | CEP 10.75 | 0.090 | 0.180 | 0.299 | 0.350 |
| 9 | PN1 | NA | SA | CEP 16 | 0.100 | 0.420 | 0.350 | 0.473 |
| 10 | BOR TP6 | SASI | CLSI | PSC 12 | 0.070 | 0.070 | 0.091 | 0.773 |
| 11 | EOD TPS | SASI | CLS | PSC 12 | 0100 | 0.133 | 0.037 | 0.651 |
| 12 | EOD TP12 | SA | CLSI | MONO | 0080 | 0.080 | 1.200 | 0.050 |
| 13 | BOR 0418 | Clshale | DOLOMITE | OEP9 6 | 0080 | 0.050 | 0.458 | 0.473 |
| 14 | BOR 13 | CLSHALE | DOLOMITE | OEP96 | 0.100 | 0.080 | 0.550 | 0.600 |
| 15 | EOD 0205 | CLSHALE | DOLOMITE | OEP96 | 0.100 | 0.080 | 1.025 | 0.555 |
| 18 | EOD D918 | CLShale | DOLOMITE | OEP 96 | 0100 | 0.080 | 0.514 | 0.971 |
| 17 | EOD J1 | CLSHALE | DOLOMITE | OEP96 | 0100 | 0.100 | 0.700 | 0.550 |
| 18 | ECD J8 | CLSHALE | DOLOMITE | OEP 96 | 0.100 | 0.120 | 0.481 | 0.510 |
| 19 | RES TN12 | AGDITE | AGDITE | PCC 16 | 0.140 | 0.170 | 0.513 | 0.470 |
| 20 | BOR CT | Agdite | Agoite | PCC 16 | 0110 | 0.110 | 0.466 | 0.345 |
| 21 | BOR TN | agdite | AGdite | PCC 16 | 0.160 | 0.190 | 0.296 | 0.500 |
| 22 | EOD PN1 | NA | NA | PSC 24 Nu | 0.100 | 0.350 | 0.338 | 0.225 |
| 23 | BOR PN9 | SASI | SASI | HP 12x74 | 0096 | 0.080 | 1.439 | 0.194 |
| 24 | DD PN83 | SASI | SASI | HP 12x53 | 0050 | 0.150 | 0.620 | 0.051 |
| 25 | DD PN83 | SASI | SASI | HP 12x53 | 0040 | 0.040 | 0.486 | 0.042 |
| 26 | X PN71 | SASI | SASI | HP 12x53 | 0050 | 0.050 | 0.447 | 0035 |
| 27 | X PN80 | SASI | SASI | HP 12x53 | 0040 | 0.150 | 0.270 | 0.101 |
| 28 | X PN80 | SASI | SASI | HP 12x53 | 0060 | 0.060 | 1.201 | 0.052 |
| 29 | BOR TB1 | SASI | SASI | timber | 0100 | 0.860 | 0.500 | 0.030 |
| 30 | BOR TP114 | SASI | SASI | PSC 12 | 0100 | 0600 | 0.547 | 0.065 |
| 31 | BOR TP2 | SASI | SASt | PSC 12 | 0130 | 0.150 | 0.991 | 0.210 |
| 32 | BOR TP28 | SASI | SASI | PSC 12 | 0100 | 0.350 | 0.887 | 0.109 |
| 33 | EOD TP114 | SASI | SASI | PSC 12 | $0 \cdot 00$ | 0.370 | 0.159 | 0.039 |
| 34 | EOD TP28 | SASI | SASI | PSC 12 | 0100 | 0.200 | 0.250 | 0.037 |
| 35 | EOD PN1 | Cl | TILL | CEP 1075 | 0080 | 0.300 | 0.400 | 0.300 |
| 36 | OD PN25 | NA | NA | PSC 30 NU | 0100 | 0.200 | 0.150 | 0.300 |
| 37 | EOD PN25 | NA | NA | PSC 30 NU | 0080 | 0.120 | 0.256 | 0.282 |
| 38 | EOR PN30 | NA | NA | PSC 30 | 0143 | 0.255 | 0.011 | 0.354 |
| 39 | BOR D12N | Cl | Cl | HP $10 \times 42$ | 0100 | 0.115 | 0571 | 0638 |
| 40 | EOD D18E | CL | CL | HP $10 \times 42$ | 0100 | 0.130 | 0.292 | 0.574 |
| 41 | EOR D110s | CL | TILL | HP $10 \times 42$ | 0140 | 0.140 | 0.770 | 0.750 |
| 42 | EOR D112E | CL | TILL | HP 10×42 | 0100 | 0.120 | 0.722 | 0.648 |
| 43 | EOR DEW | CL | thl | HP $10 \times 42$ | 0.130 | 0.200 | 0.164 | 0.607 |
| 44 | BOR A213 | CLSI | SASI | OEP 12 | 0:00 | 0.150 | 0.439 | 0.112 |
| 45 | EOD E18 | CLSI | SASI | OEP 12 | 0100 | 0.950 | 0.103 | 0.064 |
| 46 | EOD 3210 | CLSI | SASI | OEP 12 | 0100 | 0.520 | 0.252 | 0.053 |
| 47 | RES PN125 | SI | SI | PSC 24 | 0060 | 0.450 | 0.481 | 0.162 |
| 48 | RES PN125 | sı | sı | PSC 24 | 0091 | 0.400 | 0.182 | 0.011 |

Table 25. Side/tip quake and damping parameters of data set PD (continued).

| $\begin{aligned} & \text { REF } \\ & \text { NO. } \end{aligned}$ | PILE NAME | SKIN SOIL | TOE SOIL | pile TYPE | side quake (in) | TIP QUAKE (in) | SIDE CAMPING ( $\mathrm{s} / \mathrm{ft}$ ) | TIP DAMPING ( $\mathrm{s} / \mathrm{f} \mathrm{t}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 49 | EOD PN12 | CL | ROCK | HP $10 \times 57$ | 0060 | 0.050 | 0.300 | 1100 |
| 50 | EOO B611 | CL | TILL | PSC 16 | 0130 | 0.400 | 0385 | 0169 |
| 51 | EOD PIT6NW | CL | TILL | PSC 14 | 0.120 | 0.460 | 0.295 | 0.306 |
| 52 | EOD PN10 | CL | TILL | PCC 14 | 0120 | 0.320 | 0.140 | 0.250 |
| 53 | RES PN9 | CL | TILL | PCC 14 | 0.120 | 0.320 | 0.272 | 0.181 |
| 54 | RES PN20 | CL | TILL | PCC 14 | 0.153 | 0.199 | 0.150 | 0.287 |
| 55 | RES PN50 | CL | TILL | PCC 14 | 0.167 | 0.211 | 0.500 | 0.268 |
| 56 | DD TP15 | CLS | CLSI | PSC 18 | 0.100 | 0.420 | 0.150 | 0.100 |
| 57 | DD TP15 | CLSI | CLSI | PSC 18 | 0.100 | 0.350 | 0.150 | 0.100 |
| 58 | DD TP16 | CLSI | CLSI | PSC 14 | 0060 | 0.200 | 0.140 | 0.030 |
| 59 | DD TP16 | CLS | CLSI | PSC 14 | 0070 | 0220 | 0500 | 0.054 |
| 60 | OD TP16 | CLSI | CLSI | PSC 14 | 0.100 | 0.150 | 0.650 | 0.200 |
| 61 | RES TP15 | CLSI | CLSI | PSC 18 | 0.080 | 0.090 | 0.641 | 0.133 |
| 62 | RES PN119R24 | Sı | COOPERMARL | PSC 24 | 0070 | 0.100 | 0.510 | 0.040 |
| 63 | RES PN 122823 | SI | COOPERMARL | PSC 24 | 0.120 | 0.500 | 0.404 | 0061 |
| 64 | BOR PNI20R9 | SI | COOPERMARL | PSC 24 | 0100 | 0.450 | 0.350 | 0.050 |
| 65 | BOR PN121R9 | S | COOPERMARL | PSC 24 | 0100 | 0.450 | 0.360 | 0.060 |
| 66 | BOR PN280 | CLSA | COOPERMARL | HP 14×73 | 0080 | 0.090 | 0.995 | 0.134 |
| 67 | BOR PN225 | CLSI | COOPERMARL | PSC 18 NU | 0100 | 0120 | 0.820 | 0.141 |
| 68 | BOR TP3 | ALLUVIAL | CL | CEP $12 \times 0.18$ | 0.100 | 0180 | 0.696 | 0.550 |
| 69 | DD TP2 | ALLUVIAL | CL | CEP $12 \times 0.18$ | 0091 | 0.650 | 0.355 | 0.300 |
| 70 | EOD PN392 | CLS | SA | PSC 20 | 0090 | 0.300 | 0.111 | 0.433 |
| 71 | EOD PN396 | CLSI | SA | PSC 20 | 0160 | 0.330 | 0.320 | 0250 |
| 72 | EOD PN398 | CLS | SA | PSC 20 | 0120 | 0.300 | 0.212 | 0.390 |
| 73 | EOD PNE17 | SI | Shale | CEP $11 \times 04$ | 0100 | 0.320 | 0.359 | 0.859 |
| 74 | BOR PN3 | SIGR | SASI | CEP $12 \times 06$ | 0150 | 0.300 | 0.254 | 0.198 |
| 75 | BOR PN4 | SIGR | SASI | OEP 12×0 6 | 0100 | 0.170 | 0.250 | 0.500 |
| 76 | BOR TP11 | SASI | SA | PSC 36 | 0160 | 0.330 | 0.277 | 0.370 |
| 77 | BOR TP11 | SIGR | SASI | PSC 38 | 0.140 | 0.330 | 0.280 | 0.344 |
| 78 | BOR TP21 | SASI | SA | PSC 36 | 0.125 | 0.300 | 0.388 | 0.300 |
| 79 | EOD PN1 | SIGR | SASI | HP $12 \times 74$ | 0100 | 0.150 | 0.250 | 0.300 |
| 80 | EOD PN2 | SIGR | SASI | HP $10 \times 42$ | 0100 | 0.520 | 0.257 | 0250 |
| 81 | EOD PN2 | SIGR | SASI | HP $10 \times 42$ | 0100 | 0.550 | 0.180 | 0.180 |
| 82 | EOD PN3 | SIGR | SASI | CEP $12 \times 08$ | 0150 | 0.250 | 0.170 | 0.220 |
| 83 | EOD PN4 | SIGR | SASI | OEP $12 \times 06$ | C 120 | 0.230 | 0.250 | 0.300 |
| 84 | EOD TP11 | SIGR | SASI | PSC 36 | 0130 | 0.250 | 0.312 | 0.415 |
| 85 | EOD TP13 | SIGR | SASI | PSC 36 | 0150 | 0.230 | 0.300 | 0.430 |
| 86 | EOD TP21 | SASI | SA | PSC 36 | 0170 | 0.300 | 0.360 | 0.321 |
| 87 | EOD TP23 | SIGR | SASI | PSC 54 | 0150 | 0.200 | 0.300 | 0.650 |
| 88 | EOD PN7E3 | NA | NA | PSC 30 | 0108 | 0.254 | 0.030 | 0.311 |
| 89 | BOR PNPE28 | NA | na | PSC 30 | 0073 | 0.143 | 0.572 | 0500 |
| 90 | EOD TP4 | NA | nA | PIPE 1075 | 0100 | 0.410 | 0.300 | 0.451 |
| 91 | BOR SHDI | CLSA | LIMESTONE | HP $12 \times 53$ | 0.100 | 0.300 | 0.319 | 0.042 |
| 92 | EOD SHOT | CLSA | LIMESTONE | HP $12 \times 53$ | 0080 | 0.450 | 0.323 | 0.067 |
| 93 | EOD ST1 | CLSA | LIMESTONE | PIPE 14 | 0100 | 0.250 | 0.323 | 0.154 |
| 94 | EOR ST1 | CLSA | LIMESTONE | PIPE 14 | 0100 | 0.250 | 0.178 | 0.076 |
| 95 | BOR PST1 | SASI | ROCK | PIPE 12.75 | 0080 | 0.080 | 0.200 | 0.500 |
| 96 | EOD P3T1 | SAS! | ROCK | PIPE 1275 | 0080 | 0200 | 0.120 | 0.400 |
|  |  |  |  | 276 |  |  |  |  |

Table 25. Side/tip quake and damping parameters of data set PD (continued).

| $\begin{aligned} & \text { REF } \\ & \text { NO. } \end{aligned}$ | PiLE name | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | TOE SOIL | $\begin{aligned} & \text { PILE } \\ & \text { TYPE } \end{aligned}$ | SIDE QUAKE (in) | TIP QUAKE (in) | SIDE DAMPING ( $\mathrm{s} / \mathrm{ft}$ ) | DAMPING ( $\mathrm{s} / \mathrm{ft}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 97 | EOD P4T1 | SASI | ROCK | PIPE 12.75 | 0.100 | a. 250 | 0.030 | 0330 |
| 98 | BOR PN 123 | SI | COOPERMARL | PSC 24 | 0.050 | 0.700 | 0070 | 0099 |
| 99 | BOR PN123R7 | SI | COOPERMARL | PSC 24 | 0.050 | 0.500 | 0.106 | 0012 |
| 100 | EOD TP23 | SA | CLSI | MONO 14 NU | 0.150 | 0.500 | 0.300 | 0.250 |
| 101 | BOR TP1 | SA | SA | HP 14x73 | 0.100 | 0.330 | 0.250 | 0050 |
| 102 | BOR TP23 | SA | CLSI | MONO 14 NU | 0.110 | 0.300 | 0.637 | 0.044 |
| 103 | BOR TP24 | SA | CLSI | MONO 14 NU | 0.130 | 0.400 | 0.589 | 0.069 |
| 104 | BOR PN608 | CLSA | SA | PIPE/PSC14 | 0.098 | 0.244 | 0.250 | 0.350 |
| 105 | BOR PN705 | CLSA | SA | PIPE/PSC14 | 0.100 | 0.220 | 0.196 | 0.480 |
| 106 | BOR PN795 | CLSA | SA | PIPE/PSC14 | 0.100 | 0.260 | 0.200 | 0.530 |
| 107 | BOR PN833 | CLSA | SA | PIPE/PSC14 | 0.100 | 0.110 | 0.146 | 0.400 |
| 108 | BOR PN834 | CLSA | SA | PIPE/PSC 14 | 0.100 | 0.120 | 0.156 | 0.500 |
| 109 | BOR PN835 | CLSA | SA | PIPE/PSC14 | 0.080 | 0.100 | 0200 | 0.400 |
| 110 | BOR PN836 | CLSA | SA | PIPE/PSC14 | 0.080 | 0.080 | 0.350 | 0.500 |
| 111 | SOR PN11 | CLSA | LImestone | PSC 12 | 0.100 | 0.220 | 0.100 | 0.520 |
| 112 | BOR PN115 | CLSA | LIMESTONE | PSC 12 | 0.100 | 0.150 | 0.125 | 0.700 |
| 113 | EOD TP2 | SASI | SA | HP $12 \times 179$ | 0.112 | 0.391 | 0.040 | 0.240 |
| 114 | BOR PN2 | SI | SASI | HP/PSC24 | 0.120 | 0.080 | 0.504 | 0.001 |
| 115 | EOD PN22SE | SA | SANDSTONE | PSC 30 | 0.090 | 0.250 | 0.172 | 0.250 |
| 116 | BOR ET2 | CLSI | COOPERMARL | HP/PSC24 | 0.092 | 0.043 | 0230 | 0.100 |
| 117 | BOR ET2 | CLSI | COOPERMARL | PSC 24 | 0.082 | 0.425 | 0.362 | 0.148 |
| 118 | EOD TP1 | SASI | ROCK | PSC 12 | 0470 | 0.240 | 0200 | 0.540 |
| 119 | EOD TP2 | SASI | ROCK | PSC 12 | 0050 | 0.290 | 0.120 | 0.650 |
| 120 | BOR PN11B1 | CLSA | COOPERMARL | HP/PSC NU | 0.128 | 0.120 | 0.480 | 0021 |
| 121 | BOR ET3 | CLSI | COOPERMARL | PSC | 0096 | 0.350 | 0.150 | 0350 |
| 122 | BOR ET4 | CLSI | COOPERMARL | HPIPSC | 0091 | 0080 | 0.250 | 0.150 |
| 123 | RES PN 120 | CLSI | COOPERMARL | PSC | 0.080 | 0360 | 0.497 | 0.057 |
| 124 | EOD PNG | NA | NA | PSC | 0.100 | 0.280 | 0.180 | 0.180 |
| 125 | EOD PN7 | NA | NA | PSC NU | 0.070 | 0.100 | 0.100 | 0.130 |
| 128 | EOD PN16 | CLSI | SAGR | PIPE 14 | 0.060 | 0.300 | 0.400 | 0.550 |
| 127 | RES TP2 | CLSI | SAGR | PIPE 12 | 0.080 | 0.310 | 1.100 | 0.070 |
| 128 | BOR PN17 | CLSI | SAGR | PIPE 14 | 0.071 | 0.160 | 0.810 | 0.605 |
| 129 | 80R PN28 | CLSI | SAGR | PIPE 14 | 0.050 | 0.100 | 0.749 | 0.425 |
| 130 | BOR PN7E | SA | SAStone | PSC 30 | 0090 | 0.080 | 0.200 | 0.628 |
| 131 | BOR PN7N8 | SA | SASTONE | PSC 30 | 0.078 | 0.070 | 0.507 | 0.625 |
| 132 | EOD PNEE25 | SA | sastone | PSC 30 NU | 0.100 | 0.240 | 0.175 | 0.200 |
| 133 | EOD PNSE18 | SA | SASTONE | PSC 30 NU | 0.100 | 0.270 | 0.160 | 0.220 |
| 134 | BOR PN5E19 | SA | LIMESTONE | PSC 30 | 0.060 | 0.190 | 0.681 | 0.336 |
| 135 | 80R PNSE22 | SA | LIMESTONE | PSC 30 | 0.070 | 0.170 | 0.800 | 0.320 |
| 136 | BOR PNSE25 | SA | LIMESTONE | PSC 30 | 0.060 | 0.100 | 0.527 | 0.253 |
| 137 | BOR PN5 | SA | Sastone | PSC 30 | 0.053 | 0.260 | 0.181 | 0.305 |
| 138 | EOD PN4 | SA | sastone | PSC 30 | 0.100 | 0.250 | 0.060 | 0.260 |
| 139 | EOD TP23 | SA | Sı | MONO NU | 0.100 | 0.600 | 0.410 | 0.062 |
| 140 | EOD TP27 | SA | Sı | MONO NU | 0.090 | 0.700 | 0.451 | 0.042 |
| 141 | BOR PN12 | SA | SA | CEP 16 | 0.060 | 0.100 | 0.462 | 0.759 |
| 142 | EOD PN12 | SA | SA | CEP 16 | 0.060 | 0.160 | 0.620 | 0.348 |
| 443 | EOD PN3 | SASI | SA | HP 12x74 | 0.170 | 0.250 | 0.120 | 0.420 |
| 144 | BOR R1 | clsı | CL | HP $14 \times 73$ | 0.110 | 0.110 | 1.644 | 0.198 |

Table 25. Side/tip quake and damping parameters of data set PD (continued).

| $\begin{aligned} & \text { REF } \\ & \text { NO. } \end{aligned}$ | PILE <br> NAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | $\begin{aligned} & \text { TOE } \\ & \text { SOIL } \end{aligned}$ | $\begin{aligned} & \text { PILE } \\ & \text { TYPE } \end{aligned}$ | SIDE QUAKE (in) | TIP Quake (in) | SIDE <br> DAMPING (s/t) | damping ( $\mathrm{s} / \mathrm{t}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 145 | BOR R10 | CLSI | CL | HP $14 \times 73$ | 0.150 | 0.100 | 1.669 | 0.050 |
| 146 | BOR T1 | CLSI | CL | HP $10 \times 42$ | 0086 | 0.100 | 2.058 | 0.301 |
| 147 | BOR T2 | CLSI | CL | PSC 12 | 0.150 | 0.200 | 1.400 | 0080 |
| 148 | BOR T3 | CLSI | CL | PSC 14 | 0069 | 0360 | 0.700 | 0.400 |
| 149 | BOR T4 | CLSI | CL | PIPE 12.75 | 0.110 | 0.100 | 1.298 | 0.055 |
| 150 | EOD R1 | CLSI | CL | HP 14x73 | 0.140 | 0.120 | 0.898 | 0.196 |
| 151 | EOD R10 | CLSI | CL | HP $14 \times 73$ | 0.960 | 0.100 | 1.508 | 0.052 |
| 152 | EOD T1 | CLSI | CL | HP $10 \times 42$ | 0.100 | 0.270 | 1631 | 0.047 |
| 153 | EOD T2 | CLSI | CL | PSC 12 | 0.220 | 0.200 | 0838 | 0.032 |
| 154 | EOD 73 | CLSI | CL | PSC 14 | 0.060 | 0.310 | 0.750 | 0.247 |
| 155 | EOD T4 | CLSI | CL | PIPE 12.75 | 0.120 | 0.180 | 0.950 | 0.025 |
| 156 | BOR PN1040 | CLSI | SA | PSC 14 | 0.060 | 0.100 | 0.404 | 0.231 |
| 157 | BOR PN1056 | CLSI | SA | PSC 14 | 0.100 | 0.360 | 0.311 | 0.400 |
| 158 | BOR PNBGGA | SA | limestone | PIPE 9.6 | 0.200 | 0.310 | 0.220 | 0.634 |
| 159 | BOR PN8988 | SA | LIMESTONE | PSC 14 | 0.050 | 0.050 | 1.347 | 0.213 |
| 160 | EOD PNB1 | TILL | ROCK | CEP 18 | 0.100 | 0.280 | 0.250 | 0.200 |
| 161 | EOD PNB4 | TILL | ROCK | CEP 18 | 0.100 | 0.320 | 0080 | 0.701 |
| 162 | EOD PNO10 | CLTILL | ROCK | OEP 18 | 0.100 | 0.320 | 0.279 | 0.492 |
| 163 | EOD B12 | NA | NA | PIPE 14 | 0.250 | 0.330 | 0.349 | 0.319 |
| 164 | EOD 824 | NA | NA | PIPE 14 | 0.140 | 0.380 | 1.300 | 0.283 |
| 165 | $\times$ TP7 | SA | SA | MONO | 0.050 | 0.120 | 0.993 | 0.027 |
| 168 | EOD TP12 | SA | si | MONO | 0.040 | 0.040 | 1.200 | 0.150 |
| 157 | EOD TP2 | SA | SI | MONO | 0.050 | 0.050 | 0.800 | 0.120 |
| 168 | EOD TPS | SA | Sı | MONO | 0.050 | 0.050 | 0.749 | 0.093 |
| 169 | EOD PN2 | SA | SI | MONO | 0.050 | 0.170 | 0.800 | 0.080 |
| 170 | X PNA17.5 | SA | SA | PIPE 16 | 0.060 | 0.230 | 0.150 | 0.453 |
| 171 | BOR PNH218 | SI | COOPERMARL | HPIPSC | 0.150 | 0.150 | 0.300 | 0.450 |
| 172 | EOD PN7 | CLSA | LIMESTONE | HP $10 \times 57$ | 0.106 | 0.090 | 0.350 | 0.534 |
| 173 | EOR PN1050 | SASI | SA | PSC 14 | 0.080 | 0.250 | 0.313 | 0.095 |
| 174 | EOD TPS | Sı | GR | PIPE 12 | 0.150 | 0.220 | 0.600 | 0.350 |
| 175 | RES TP2 | SI | GR | PIPE 12 | 0.150 | 0.170 | 0.751 | 0.436 |
| 176 | RES TP3 | SI | GR | HP 10×12 | 0100 | 0.165 | 0.600 | 0.220 |
| 177 | EOD TP1 | CLSA | CLSA | HP $10 \times 42$ | 0.098 | 0.200 | 0.250 | 0.150 |
| 178 | EOD PN38 | CL | TILL | HP $12 \times 74$ | 0.128 | 0.100 | 0900 | 0.450 |
| 179 | EOD PN40 | CL | TILL | HP 12x74 | 0.130 | 0.100 | 1.000 | 0.500 |
| 180 | BOR PN147 | SASI | COOPERMARL | HP $14 \times 89$ | 0.089 | 0.100 | 1.494 | 0.254 |
| 181 | BOR PN224 | SASI | COOPERMARL | HP $12 \times 53$ | 0.050 | 0.250 | 1.010 | 0.154 |
| 182 | TP2 BOR | SI/CL | SA | PSC 12 | 0.120 | 0.250 | 0.250 | 0.210 |
| 183 | BOR TP1235 | SA | CLSA | PSC 14 | 0100 | 0.150 | 0.355 | 0.748 |
| 184 | BOR TP1259 | SA | CLSA | PSC 14 | 0.100 | 0.160 | 0.514 | 0.530 |
| 185 | DO PN355E8 | SASI | limestone | HP $10 \times 42$ | 0100 | 0.210 | 0.320 | 0.430 |
| 186 | DD PN375P1 | SASI | limestone | HP $10 \times 42$ | 0100 | 0.210 | 0.297 | 0.492 |
| 187 | EOD PN37502 | SASI | LIMESTONE | HP $10 \times 42$ | 0.100 | 0.160 | 0.320 | 0.618 |
| 188 | $\times$ TP3 | CLSA | LIMESTONE | CEP | 0.099 | 0.070 | 0.450 | 0.630 |
| 189 | BOR PN14 | SASI | SA | PSC 14 | 0.070 | 0.050 | 1.009 | 0.211 |
| 190 | BOR PN24 | SASI | SA | PSC 14 | 0.070 | 0.050 | 0.820 | 0.100 |
| 191 | C-41 BOR | COOPMAR | COOP.MAR | PSC 18 | 0.059 | 0.150 | 1.026 | 0.289 |
| 192 | RES PN810 | CLSA | COOPERMARL | PSC/HP | 0.338 | 0.349 | 0.250 | 0.200 |

Table 25. Side/tip quake and damping parameters of data set PD (continued).

| $\begin{aligned} & \text { REF } \\ & \text { NO. } \end{aligned}$ | PILE NAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | $\begin{aligned} & \text { TOE } \\ & \text { SOIL } \end{aligned}$ | $\begin{aligned} & \text { PILE } \\ & \text { TYPE } \end{aligned}$ | side quake (in) | TIP QUAKE (in) | $\begin{gathered} \text { SIDE } \\ \text { DAMPING } \\ \text { (sift) } \end{gathered}$ | OAMPING ( $\mathrm{s} / \mathrm{ft}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 193 | XPN 2 | CLSI | COOPERMARL | PSC/HP | 0.157 | 0.186 | 0.264 | 0.042 |
| 194 | X PNB141 | NA | NA | PIPE 12.75 | 0.100 | 0.200 | 0.010 | 0.400 |
| 195 | X PND161.1 | NA | NA | PIPE 12.75 | 0.100 | 0.260 | 0.008 | 0.582 |
| 198 | PN8B4380 | COOP MAR | COOP MAR | $18^{\circ} \propto$ ¢T. | 0.160 | 0.400 | 0.390 | 0.050 |
| 197 | PN25BOR | COOP MAR | COOPMAR | 24 OCT. | 0.275 | 0.340 | 0.833 | 0.211 |
| 198 | BOR 1481 | COOP MAR | COOP MAR | PPC240CT | 0.250 | 0.300 | 0.620 | 0.140 |
| 199 | PNGE BOR | MARK | MARK | 240 Cr . | 0.250 | 0.400 | 0.720 | 0.122 |
| 200 | BOR21312 | COOP MAR | COOP MAR | PPC24OCT | 0.320 | 0.370 | 0.414 | 0.148 |
| 201 | OD PN69 | CLSI | SA | PSC 12 | 0.100 | 0.200 | 0.020 | 0.554 |
| 202 | EOD PN232 | CLSI | SA | PSC 12 | 0.100 | 0.250 | 0.105 | 0.369 |
| 203 | EOD PN244 | CLSI | SA | PSC 12 | 0.100 | 0.340 | 0.012 | 0.256 |
| 204 | EOD PN318 | CLSI | SA | PSC 12 | 0100 | 0.190 | 0.086 | 0.516 |
| 205 | EOD PN332 | CLSI | SA | PSC 12 | 0.100 | 0.460 | 0.075 | 0.185 |
| 208 | EOD TP1 | CLSI | SA | PSC 12 | 0.096 . | 0.190 | 0.040 | 0.398 |
| 207 | BOR PS | SACL | SA | PPC 14 | 0.098 | 0.150 | 0.120 | 0.407 |
| 208 | EOD P7 | SACL | SA | PPC 14 | 0.060 | 0.310 | 0.250 | 0.340 |
| 209 | EOD P7 | SACL | SA | PPC 14 | 0.060 | 0.270 | 0.250 | 0.340 |
| 210 | EOD P 10 | SACL | SA | POC 14 | 0.080 | 0.180 | 0.255 | 0.400 |
| 211 | EOD P11 | SACL | SA | PPC 14 | 0.100 | 0.100 | 0.670 | 0.200 |
| 212 | EOD P9 | SACL | SA | PPC 14 | 0.100 | 0.265 | 0.300 | 0.150 |
| 213 | EOD P8 | SACL | SA | PPC 14 | 0.080 | 0.200 | 0.300 | 0.200 |
| 214 | EOID P6 | SACL | SA | PPC 14 | 0.060 | 0.110 | 0.350 | 0.250 |
| 215 | BOR PNi10 | SACL | CLSI | PSC 16 | 0.080 | 0.090 | 0.920 | 0.540 |
| 218 | BOR PN111 | SACL | CLSI | PSC 16 | 0.100 | 0.110 | 1.100 | 0.100 |
| 217 | EOD PN110 | SACL | CLSI | PSC 16 | 0.070 | 0.140 | 0.550 | 0.150 |
| 218 | EOD PN111 | SACL | CLSI | PSC 16 | 0.044 | 0.072 | 0.840 | 0.170 |
| 219 | EOR PN12 | SA | SACOBBL | HP14x89 | 0.100 | 0.145 | 0.782 | 0.483 |
| 220 | EOD PN2 | SA | SACOBBL | HP14x89 | 0.125 | 0.200 | 0.563 | 0.433 |
| 221 | Pile 6 b | cusi | ROCK | HP14x117 | 0.100 | 0.100 | 0.700 | 0.150 |
| 222 | K7EOD | SASI | SASI | HP14x73 | 0.050 | 0.250 | 1.400 | 0.200 |
| 223 | K2BOR | SIISA | SUSA | HP14x73 | 0.047 | 0.100 | 1.800 | 0.220 |
| 224 | BOR TP13 | SA | LIMESTON | HP14x74 | 0.060 | 0.055 | 0.218 | 0.550 |
| 225 | EOD A-5- | CLAY | LIMESTON | HP10x57 | 0.060 | 0.060 | 0.700 | 0.720 |
| 228 | 7S.Abut | SANSUGR | SASI/GR | CEP 10.7 | 0.100 | 0.250 | 0.105 | 0.456 |
| 227 | BORL-8 | sucl | CLSI | PPC 12 | 0140 | 0.210 | 0.150 | 0.490 |
| 228 | BOR 36 | clay | Limeston | PPC | 0.140 | 0.150 | 1.050 | 0.550 |
| 229 | BOR TP2 | Cl | SA | TIM. 12 | 0.040 | 0.040 | 1.117 | 0.350 |
| 230 | BOR TP2 | SACL | SACL | timber | 0.040 | 0.040 | 1.400 | 0.416 |
| 231 | TP2 BOR | SA | SA | timb. 12. | 0.050 | 0.100 | 1.043 | 0.215 |
| 232 | A2 EOID | CL | CL | timber | 0.200 | 0.200 | 0.620 | 0.021 |
| 233 | E2 BOR | CL | CL | timber | 0045 | 0.130 | 1.200 | 0.200 |
| 234 | PN:2 EOD | SA | SALGR | TIM 14 | 0.100 | 0.350 | 0.680 | 0.029 |
| 235 | EOD TP3 | CLSI | CLSI | HP 14x73 | 0.060 | 0.170 | 0.374 | 0.240 |
| 238 | TP3 20FT | CL | CL | HP14x73 | 0.050 | 0.250 | 0.340 | 0.200 |
| 237 | TP4 EOD | CL | CL | HP 14x73 | 0.060 | 0.200 | 0.330 | 0.090 |
| 239 | TP4 B0R | CL | CL | HP $14 \times 73$ | 0.050 | 0.350 | 0.400 | 0.150 |
| 239 | TP22 BOR | SIJCL | SIMCL | MONO | 0.070 | 0.100 | 1.700 | 0.204 |
| 240 | PN28EOD | CL | ROCK | HP10x57 | 0.095 | 0.060 | 0.310 | 1.050 |

Table 25. Side/tip quake and damping parameters of data set PD (continued).

| $\begin{aligned} & \text { REF } \\ & \text { NO } \end{aligned}$ | PILE NAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | TOE SOLL | PILE TYPE | SIDE <br> guake <br> (in) | TIP QUAKE <br> (in) | SIDE damping (sift) | DAMPING <br> (s/ft) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 241 | EOD 40 | CL | R¢K | HP $12 \times 53$ | 0.080 | 0.060 | 0.648 | 0.765 |
| 242 | EOD J31 | cusi | ROCK | PP14 | 0090 | 0.385 | 0.359 | 0.091 |
| 243 | BOR J31 | CLSI | ROCK | PP14 | 0078 | 0.229 | 0550 | 0.250 |
| 244 | OD J 31 | CLAY TIL | CLAY TIL | CEPPPE 1 | 0.100 | 0550 | 0.150 | 0.316 |
| 245 | BOR PN20 | SASI | LIMESTON | PSC 14 | 0.050 | 0.130 | 0.240 | 0.280 |
| 246 | B1P2680R | SA | LIMESTON | PSC1898 | 0.145 | 0.215 | 0.193 | 0.215 |
| 247 | B11P5080 | SA | LIMESTON | PSC18.SQ | 0.044 | 0.246 | 0.120 | 0.320 |
| 248 | EODP. 26 | SANDSTON | LIMESTON | PSC18-SQ | 0.080 | 0.130 | 0.190 | 0.360 |
| 249 | B13P48BO | SA | LIMESTON | PSC 18.50 | 0.044 | 0.246 | 0.120 | 0.320 |
| 250 | EOD 258 | Alluvilum | TILL ALL | CEPIPE 1 | 0.185 | 0.300 | 0.531 | 0.406 |
| 251 | BOR 174 | ALLuVIAL | alluvial | CEPIPE 1 | 0.114 | 0.100 | 0.800 | 0.570 |
| 252 | BOR PN1 | CLSI | SAGR | PIPE 12.75 | 0.100 | 0.220 | 0.578 | 0.775 |
| 253 | DD PN10 | CLSI | SHALE | PIPE 7 | 0.030 | 0.120 | 0.550 | 0.150 |
| 254 | DD PN18 | CLSI | Shale | PIPE 7 | 0.080 | 0.100 | 0.982 | 0.050 |
| 255 | EOD PN10.375 | CLSI | SHALE | PIPE 7 | 0080 | 0.800 | 0.284 | 0.020 |
| 256 | EOD IP1 | SASI | SASI | PSC 12 | 0100 | 0.242 | 0.550 | 0.240 |
| 257 | EOOIP3 | SASI | SASI | PSC 12 | 0094 | 0.364 | 0.416 | 0.156 |
| 258 | 199.EOD | SAPSISA | SA | 12.PSPC | 0.055 | 0.320 | 0.382 | 0.075 |
| 259 | 293.BOR | SAISASI | SA | $12^{\text {P PSPC }}$ | 0083 | 0.141 | 1.849 | 0.161 |
| 260 | $177 . E O D$ | SCORIA | CLAYSTON | HP10x57 | 0090 | 0.207 | 0.964 | 0.285 |
| 261 | 99.EOD | SCORIA | CLAYSTON | HP10x57 | 0090 | 0.303 | 0.705 | 0.281 |
| 262 | BOR TP2 | CL-SA | CL-SA | HP14 | 0070 | 0.230 | 0.350 | 0.250 |
| 263 | BOR PNF2 | CLSA | CLSA | PSC 12 | 0100 | 0.350 | 0.522 | 0.134 |
| 264 | BOR PNH2O | CLSA | CLSA | PSC 12 | 0150 | 0.160 | 0.509 | 0.115 |
| 265 | EOD PNH2O | CLSA | CLSA | PSC 12 | 0500 | 0.620 | 0.258 | 0.059 |
| 268 | BOR K521C2 | NA | na | PSC 14 | 0110 | 0.110 | 1.084 | 0.381 |
| 267 | BOR M27A1 | NA | NA | PSC 14 | 0100 | 0.150 | 1.065 | 0237 |
| 268 | BOR M29C3 | NA | NA | PSC 14 | 0170 | 0.160 | 1.164 | 0.105 |
| 269 | BOR M29C3 | NA | NA | PSC 14 | 0080 | 0.275 | 0.532 | 0.275 |
| 270 | D0 S091 | CLSA | ROCK | PSC 10 Nu | 0080 | 0.100 | 0.400 | 1.000 |
| 271 | EOD AB345 | CLSA | ROCK | PSC :0 | 0060 | 0.100 | 0.173 | 0.273 |
| 272 | BOR PNAAW | CLSA | LIMESTONE | PSC 14 | 0090 | 0.090 | 0.184 | 0.438 |
| 273 | EOD TP3 | Clsa | LIMESTONE | PSC 10 NU | 0100 | 0.110 | 0.202 | 0.750 |
| 274 | BOR TP2 | CLSA | SA | PSC 14 | 0058 | 0.350 | 0.120 | 0.200 |
| 275 | EOR TP1 | CLSA | SA | PSC 14 | 0098 | 0.450 | 0.020 | 0.180 |
| 278 | BOR PN23AA3 | SASI | COOPERMARL | PSC 18 | 0100 | 0.500 | 0.106 | 0.062 |
| 277 | BOR TP1 | SA | CL | MONO 12 | 0078 | 0.050 | 1.316 | 0.107 |
| 278 | RES PN1 | SA | SA | MONO 12 | 0119 | 0.080 | 1.962 | 4.277 |
| 279 | RES PN2 | SA | SA | MONO 12 | 0038 | 0.020 | 1.250 | 0.250 |
| 280 | RES PN3 | SA | SA | MONO 12 | 0105 | 0.172 | 1.130 | 0.242 |
| 281 | RES PN4 | SA | CL | MONO 12 | 0090 | 0.060 | 1.801 | 0.297 |
| 282 | RES PN5 | SA | CL | MONO 12 | 0047 | 0.025 | 7.500 | 0393 |
| 283 | RES PN6 | SA | CL | MONO 12 | 0056 | 0.030 | 1.241 | 0.443 |
| 284 | RES PNB | SAS | SASI | PSC 14 | 0060 | 0.060 | 1.430 | 0.138 |
| 285 | EOD TP9 | SASI | SASI | PSC 18 | 0080 | 0.240 | 0.294 | 0.177 |
| 288 | RES 858 | SASI | SASI | PSC 14 | 0090 | 0.165 | 1.082 | 0.410 |
| 287 | RES Fi4 | SASI | SASI | PSC 14 | 0090 | 0.240 | 0.523 | 0.147 |
| 288 | RES G37 | SASI | SASI | PSC 14 | 0110 | 0.300 | 0.482 | 0.105 |

Table 25. Side/tip quake and damping parameters of data set PD (continued).

| $\begin{aligned} & \text { REF } \\ & \text { NO. } \end{aligned}$ | PILE NAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | toe SOIL | $\begin{aligned} & \text { PILE } \\ & \text { TYPE } \end{aligned}$ | side QUAKE (in) | TiP QUAKE (in) | $\begin{aligned} & \text { SIDE } \\ & \text { DAMPING } \\ & (\mathbb{S} / t) \end{aligned}$ | TIP dAMPING (s/ft) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 289 | RES PN2 | NA | NA | PCC 18 | 0.100 | 0.240 | 0.287 | 0.115 |
| 290 | RES PN7-61 | NA | NA | PCC 18 NU | 0.164 | 0.300 | 0.367 | 0.022 |
| 291 | BOR TP1 | SA | SANDSTONE | PSC 14 | 0.120 | 0.100 | 1621 | 0.049 |
| 292 | BOR TP10 | SA | SANDSTONE | PSC 14 | 0.100 | 0.116 | 1.473 | 0.138 |
| 293 | BOR TP3 | SA | SANDSTONE | PSC 18 | 0134 | 0.118 | 0.965 | 0.172 |
| 294 | BOR TPS | SA | SANDSTONE | PSC 14 | 0186 | 0.200 | 0.841 | 0.183 |
| 295 | 80R TP6 | SA | sandstone | PSC 18 | 0.130 | 0.224 | 0.530 | 0.250 |
| 296 | BOR TP7 | SA | SANOSTONE | PSC 14 | 0.140 | 0140 | 0.999 | 0.143 |
| 297 | BOR TP8 | SA | SANDSTONE | PSC 14 | 0.150 | 0.140 | 0.927 | 0.208 |
| 298 | BOR TP9 | SA | SANDSTONE | PSC 14 | 0.080 | 0114 | 1.447 | 0.450 |
| 299 | EOD TP1 | SA | SANOSTONE | PSC 14 | 0.100 | 0.500 | 0.157 | 0.065 |
| 300 | EOD TP3 | SA | SANDSTONE | PSC 18 | 0.100 | 0.260 | 0.102 | 0.254 |
| 301 | EOD TP8 | SA | SANDSTONE | PSC 14 | 0.100 | 0.340 | 0.311 | 0.135 |
| 302 | B15T EOD | SACY | SA | monotube | 0100 | 0.070 | 1.594 | 0.684 |
| 303 | B9P3BOR | SACY | SACY | $18 . \mathrm{PCP}$ | 0.080 | 0.125 | 1.167 | 0.098 |
| 304 | S4PC N2O | CL | CL | 30 PPC | 0.110 | 0.550 | 0.373 | 0.023 |
| 305 | P3 P1.R | SIISA | SIISA | 18 PPC | 0.050 | 0.100 | 2.049 | 0.022 |
| 306 | 83E 2 RE | CL | CL | 18 PPC | 0.150 | 0.400 | 0.156 | 0.063 |
| 307 | B70 P5 | CL | SA | 24 PPC | 0.110 | 0.106 | 0.099 | 0454 |
| 308 | PIER 7 P | SI/SA | SIISA | 18 PPC | 0.080 | 0.220 | 1.103 | 0.035 |
| 309 | X PN201E2 | SASI | COOPERMARL | PSC 18 | 0150 | 0.670 | 0.040 | 0.040 |
| 310 | X PN205E3 | SASI | COOPERMARL | PSC 18 | 0200 | 0.750 | 0.080 | 0.080 |
| 311 | X PN209E3 | SASI | COOPERMARL | FSC 18 | 0.120 | 0.700 | 0.060 | 0.110 |
| 312 | X PN213E2 | SASI | COOPERMARL | PSC 18 | 0.200 | 0.900 | 0.080 | 0.090 |
| 313 | EOD TP1799 | SASI | CL | PPC | 0.040 | 0.620 | 0.250 | 0.080 |
| 314 | RES TP1799 | SASI | CL | PPC | 0100 | 0.100 | 0.580 | 0.330 |
| 315 | X TP1799 | SI | SA | PPC | 0050 | 0.450 | 0.250 | 0.150 |
| 316 | $151 . E O D$ | CUSA | SA | 12 PPC | 0085 | 0.179 | 0.350 | 0.350 |
| 317 | X PN25BK | NA | NA | CEP $20 \times 05$ | 0140 | 0.140 | 0.600 | 0.650 |
| 318 | $\times$ PN29K | NA | NA | CEP $20 \times 05$ | 0260 | 0.210 | 0.350 | 0.550 |
| 319 | X PN3OK | NA | NA | CEP 20x0 5 | 0200 | 0.150 | 0.300 | 0.350 |
| 320 | X PN2031 | SASI | SAROCK | PSC 12 | 0100 | 0.320 | 0.207 | 0.261 |
| 321 | BOR TP4 | SASI | SA | CEP 1275 | 0100 | 0.250 | 0.183 | 0.707 |
| 322 | EOD TP4 | SASI | SA | CEP 1275 | 0060 | 0.320 | 0.320 | 0.481 |
| 323 | BOR PN 13 | CLSI | SASI | PSC 12 | 0060 | 0.400 | 0.470 | 0.025 |
| 324 | BOR PN19 | CLSI | SASI | PSC 12 | 0050 | 0.330 | 0.450 | 0.050 |
| 325 | BOR PN218 | CLSI | SASI | PSC 12 | 0210 | 0.180 | 0.300 | 0.220 |
| 326 | BOR PN28 | CLSI | SASI | PSC 12 | 0.150 | 0.170 | 1.000 | 0.050 |
| 327 | BOR PN31 | CLSI | SASI | PSC 12 | 0130 | 0.300 | 0.700 | 0.250 |
| 328 | BOR PN37 | CLSI | SASI | PSC 12 | 0180 | 0.180 | 0.400 | 0.440 |
| 329 | BOR PN43 | CLSI | SASI | PSC 12 | 0130 | 0.550 | 0.550 | 0.040 |
| 330 | BOR PN49 | CLSI | SASI | PSC 12 | 0100 | 0.100 | 0.650 | 0.200 |
| 331 | EOD PN13 | CLSI | SASI | PSC 12 | 0080 | 0.300 | 0.250 | 0.030 |
| 332 | EOD PN213 | CLSI | SASI | PSC 12 | 0050 | 0.400 | 0.150 | 0.050 |
| 333 | EOD PN26 | CLSI | SASI | PSC 12 | 0.070 | 0.300 | 0.180 | 0.070 |
| 334 | EOD PN49 | CLSI | SASI | PSC 12 | 0.150 | 0.500 | 0.200 | 0.030 |
| 335 | EOR PN310 | CLSI | SASI | PSC 12 | 0.130 | 0.145 | 0.250 | 0.550 |
| 336 | X PNA3 | CLSA | TILL | CEP $14 \times 05$ | 0.070 | 0.070 | 0.700 | 0.500 |

Table 25. Side/tip quake and damping parameters of data set PD (continued).

| $\begin{aligned} & \text { REF } \\ & \text { NO. } \end{aligned}$ | PILE nAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | TOE SOIL | PILE <br> TYPE | SIDE QUAKE (in) | TIP QUAKE (in) | $\begin{gathered} \text { SIDE } \\ \text { DAMPING } \\ \text { (s/ft) } \end{gathered}$ | DAMPING ( $\mathrm{s} / \mathrm{ft}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 337 | X PNES | CLSA | TILL | CEF $14 \times 0.5$ | 0.030 | 0.050 | 0.952 | 0.400 |
| 338 | X PNG3 | CLSA | TILL | CEP $14 \times 0.5$ | 0.200 | 0.120 | 0.750 | 0.200 |
| 339 | BOR PN128 | CL | TILL | PSC 14 | 0.326 | 0.218 | 0.350 | 0.530 |
| 340 | BOR PN177 | CL | TILL | PSC 14 | 0.318 | 0.174 | 0.320 | 0.650 |
| 341 | EOD PN128 | CL | THL | PSC 14 | 0.366 | 0.331 | 0.300 | 0.514 |
| 342 | EOD PN177 | CL | TILL | PSC 14 | 0.120 | 0.340 | 0.100 | 0.500 |
| 343 | BOR TP1 | CLSA | CL | PSC 18 | 0.060 | 0.170 | 0.580 | 0.130 |
| 344 | BOR TP2 | CLSA | CL | PSC 24 | 0.120 | 0.180 | 0.500 | 0.336 |
| 345 | BOR TP3 | CLSA | SA | PSC 18 | 0.062 | 0.090 | 0.650 | 0.400 |
| 346 | BOR TP4 | CLSA | CL | PSC 18 | 0.065 | 0.200 | 0.950 | 0.080 |
| 347 | BOR TP5 | CLSA | CL | PSC 24 | 0.130 | 0.369 | 0.350 | 0.118 |
| 348 | BOR PN243 | SI | SAGR | CEP $14 \times 0.37$ | 0.144 | 0.130 | 0.800 | 0.700 |
| 349 | BOR PN317 | sı | SAGR | CEP $14 \times 0.37$ | 0.134 | 0.153 | 0800 | 0.735 |
| 350 | EOD PN317 | sı | SAGR | CEP $14 \times 0.37$ | 0.150 | 0.430 | 0.550 | 0.180 |
| 351 | RES TP13 | SI | SIGR | CEF $14 \times 0.37$ | 0.095 | 0.060 | 0.950 | 0.150 |
| 352 | RES TP8 | SI | SIGR | CEP $14 \times 0.37$ | 0.050 | 0.050 | 1.100 | 0.090 |
| 353 | RES TP1 | SA | CL | PIPE 12 | 0.120 | 0.120 | 1.150 | 0.500 |
| 354 | RES TP2 | SA | CL | PIPE 12 | 0.200 | 0.160 | 0.700 | 0.700 |
| 355 | RES TP3 | SA | CL | PIPE 11 NU | 0.077 | 0.069 | 0.400 | 0.270 |
| 356 | RES TP4 | SA | CL | PIPE 12 | 0.150 | 0.150 | 1.000 | 0.539 |
| 357 | G-18-1.B | CUSA | SA | PIPE 10 | 0.100 | 0.152 | 0.550 | 0.872 |
| 358 | 151-BOR | CL,SC,S | SA | 12 PPC | 0085 | 0.142 | 0.380 | 0.385 |
| 359 |  | NA | NA | PPC 12 | 0.075 | 0.150 | 0.360 | 0.380 |
| 350 | A4-21-EO | CL | CL | 26 PIPE | 0.150 | 0.100 | 0.700 | 0.500 |
| 361 | EOD PN3x014 | CLSI | LIMESTONE | PIPE | 0.167 | 0.190 | 0.250 | 0.400 |
| 362 | EOD TP | CLSI | limestone | PIPE | 0.140 | 0.200 | 0.353 | 0.677 |
| 363 | TPs | SA | SA | ¢T16.5 | 0.160 | 0.225 | 1.150 | 0.450 |
| 364 | BOR TP1 | SI | 51 | HP305MmX | 0.080 | 0.300 | 1.800 | 0.100 |
| 365 | 80R 843P | COPERMAR | COOPERMARL | 180 Ct. | 0.140 | 0.220 | 0.865 | 0.234 |
| 368 | BOR 312P | SASI | LIMESTON | PSC 18 | 0.035 | 0.080 | 0.174 | 0.798 |
| 367 | EORPN20 | SA | limeston | PSC18*SO | 0.110 | 0.150 | 0.400 | 0.137 |
| 368 | EODPN23 | SA | LIMESTON | PSC18-Sa | 0.110 | 0.150 | 0.400 | 0.137 |
| 369 | EOD TF1 | SAND SAT | SAND SAT | CEPIPE 1 | 0.100 | 0.250 | 0.640 | 0.440 |
| 370 | BOR TF1 | SA SATUR | SA SATUR | EICEPIPE | 0.080 | 0.080 | 1.265 | 0.346 |
| 371 | BORPNSO | SASI | SA | PP12.75 | 0.044 | 0.048 | 1.800 | 0.700 |
| 372 | EOO-15-3 | SA SI | Limeston | PSC10 | 0.060 | 0.100 | 0.201 | 0.463 |
| 373 | BOR-TP4 | SA SI | SA SI | HP14x+1 | 0.050 | 0060 | 0.720 | 0.030 |
| 374 | BOR-PN43 | SA | CL | MONO It | 0.075 | 0.150 | 3.800 | 0.400 |
| 375 | EOD-TF1 | SA SI | SA SI | CEP16 | 0.090 | 0.240 | 0.157 | 0.974 |
| 376 | BOR-ES/4 | CL | LIMESTON | PSC16-50 | 0.080 | 0.100 | 0.465 | 0.395 |
| 377 | BOR 20W8 | NA | NA | PPC24 | 0.100 | 0.160 | 0.254 | 0.643 |
| 378 | 1R 8.120 | SA SI | SA SI | COMPOSIT | 0.197 | 0.180 | 0.500 | 0.090 |
| 379 | EOR 027 | SACL | SACL | PP14* | 0.080 | 0.450 | 0.457 | 0.313 |
| 380 | 8.2P. 163 | SACL | LIMESTON | 24*Sc. | 0.090 | 0.300 | 0.270 | 0.200 |
| 381 | EODTP2 | NA | Shale | HP10x57 | 0.083 | 0.185 | 0.330 | 0.707 |
| 382 | BOR 1386 | overburd | MARL | 24-0ct | 0.274 | 0.200 | 0.545 | 0.141 |
| 383 | BOR 58.5 | MARL | MARL | 18 OCT. | 0.180 | 0.180 | 1.208 | 0.071 |
| 384 | F20 5 MI | SI | LIMESTON | 24 PPC | 0.100 | 0.180 | 0.058 | 0.244 |

Table 25. Side/tip quake and damping parameters of data set PD (continued).

| $\begin{aligned} & \text { REF } \\ & \text { NO. } \end{aligned}$ | PILE NAME | $\begin{aligned} & \text { SKIN } \\ & \text { SOIL } \end{aligned}$ | TOE soil | $\begin{aligned} & \text { PILE } \\ & \text { TYPE } \end{aligned}$ | side QUAKE (in) | TIP QUAKE (in) | side DAMPING (s/ft) | TIP DAMPING ( $s / f t$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 385 | EOD FHAS | SA | SA TILL | CEP18 | 0.100 | 0.320 | 0.250 | 0.170 |
| 388 | BOR PN248 | CLSA | COOPERMARL | HP 14x73 | 0.080 | 0.080 | 1.010 | 0.316 |
| 387 | TP4EOD | SA | ROCK | HP12x74 | 0.080 | 0.340 | 0.100 | 0.480 |
| 388 | PNB EOD | SA | Shale | HP10x57 | 0.090 | 0.127 | 0.234 | 0.651 |
| 389 | PN7 EOD | SA | Shale | HP10x57 | 0.090 | 0.127 | 0.234 | 0.651 |
| 390 | EOD PNT | CLSA | CL SA | CEPIPE24 | 0.075 | 0.330 | 0.240 | 0.116 |
| 391 | BOR PN7 | CLSI | CL SI | CEPIPE24 | 0.075 | 0.330 | 0.240 | 0.116 |
| 392 | BOR PN3 | CL | CL | 24 PP | 0.147 | 0.672 | 0.200 | 0.087 |
| 393 | BOR PN3 | CL | CL | 24 PP | 0.170 | 0.340 | 0.188 | 0.250 |
| 394 | EOD PN1 | SA | LIMESTON | 18 PSC | 0.075 | 0.220 | 0.281 | 0.133 |
| 395 | BOR TP4 | SA | SA | 12 PP | 0.250 | 0.340 | 0.550 | 0.450 |
| 398 | BOR259 | MARL | MARL | PPC180CT | 0.110 | 0.110 | 0.720 | 0.102 |
| 397 | BOR458 | MARL | MARL | PPC180CT | 0.120 | 0.200 | 0.800 | 0.103 |
| 338 | TP2 BOR | SA SI | SA SI | 24 PSPC | 0.140 | 0.140 | 1.200 | 0.285 |
| 399 | TP1 EOD | SACL | SACL | HP14x73 | 0.080 | 0.280 | 0.250 | 0.750 |
| 400 | BOR TP1 | SACL | SACL | HP14x73 | 0.080 | 0.170 | 0.550 | 0.838 |
| 401 | PN BEOD | SA | LIMESTON | 24 PSC | 0.100 | 0.150 | 0.250 | 0.290 |
| 402 | EOO TP2 | CLSI | CLSI | HP14x73 | 0.090 | 0.320 | 0.240 | 0.208 |
| 403 | BOR TP2 | CLSI | CLSI | HP14x73 | 0.100 | 0.320 | 0.400 | 0.276 |

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[^0]:    ${ }^{1}$ The Neolithic inhabitants of Switzerland supported their homes 12,000 years ago on wooden poles driven in shallow lakes. The ancient Egyptians depicted manpower pile-driving operations and failures. The Romans supported many of their bridges over the Rhine River with driven-timber piles.

[^1]:    Pile-case legend: and $R=$ rock.

[^2]:    - first letter denotes pile type: $A=$ all piles, $L=$ large displacement,
    - second letter denotes time of measurements: $A=$ anytime, $E=E O D, B=B O R$. - third letter denotes soil type: $A=$ all soils, $S=$ sand and silt, $C=c l a y$ and till, and $R=$ rock.

    Pile-case legend: $\mathbf{X X X}$ :

[^3]:    - first letter denotes pile type: $A=a l l$ piles, $L=$ large displacement,

    S=small displacement.

    - second letter denotes time of measurements: $A=$ anytime, $E=E O D, B=B O R$. third letter denotes soil type: $A=a l l$ soils, $S=s$ and and silt, $C=c l a y$ and till, and $R=$ rock.

    Pile-case legend:
    $X X X:$

[^4]:    Pile-case legend: XXX - first letter denotes pile type: $A=a l l$ piles, $L=l a r g e$
    displacement, and $S=$ smail displacement.
    second letter denotes time of measurement: $A=$

    - third letter denotes soil type: $A=$ all soils, $S=$ sand and
    silt, $C=$ clay and till, and $R=r o c k$.

[^5]:    Pile-case legend: $X X X$ - first letter denotes pile type: $A=a l l$ piles, $L=l a r g e$ - second letter denotes time of measurement: $A=$ anytime,
    $E=e n d$ of driving, and $B=b e g i n n i n g$ of restrike.

    - third letter denotes soil type: $A=$ all soils, $S=$ sand and silt, $C=$ clay and till, and $R=r o c k$.

[^6]:    Pile-case legend: $\quad X X X$ - first letter denotes pile type: $A=$ all piles, $L=$ large
    second letter denotes time of measurement: $A=$ anytime,
    $E=e n d$ of driving, and $B=b e g i n n i n g ~ o f ~ r e s t r i k e . ~$
    third letter denotes soil type: $A=$ all soils, $S=$ sand and
    silt, $\mathrm{C}=$ clay and till, and $\mathrm{R}=$ rock.

[^7]:    

